

**PONTIFICAL CATHOLIC UNIVERSITY OF RIO GRANDE DO SUL  
SCHOOL OF TECHNOLOGY  
COMPUTER SCIENCE GRADUATE PROGRAM**

**PULSAR: TOWARDS A  
SYNTHESIS FLOW FOR QDI  
CIRCUITS**

**MARCOS LUIGGI LEMOS SARTORI**

Dissertation submitted to the Pontifical Catholic University of Rio Grande do Sul in partial fulfillment of the requirements for the degree of Master in Computer Science.

Advisor: Prof. Dr. Ney Laert Vilar Calazans  
Co-Advisor: Dr. Matheus Trevisan Moreira

**Porto Alegre  
2019**



**REPLACE THIS PAGE WITH  
THE LIBRARY CATALOG  
PAGE**



**REPLACE THIS PAGE WITH  
THE COMMITTEE FORMS**



To those I love,





“Creativity Is Intelligence Having Fun.”  
(Albert Einstein)



# PULSAR: EM DIREÇÃO A UM FLUXO DE SÍNTESE PARA CIRCUITOS QDI

## RESUMO

Circuitos assíncronos quase-insensíveis a atrasos ou QDI são conhecidos pela robustez a variações de PVT. Isso os torna bons candidatos para uso de técnicas de projeto agressivas de redução da tensão de alimentação. No entanto, a adoção do projeto QDI em escala industrial é dificultada: (i) pela dependência de ferramentas de projeto especializadas para circuitos QDI; (ii) pela falta de integração com fluxos de projeto ASIC tradicionais. Esta Dissertação propõe Pulsar, um novo fluxo de síntese para o projeto QDI. Pulsar emprega ferramentas comerciais de automação de projeto eletrônico (EDA) para capturar o projeto, expandir descrições para uso de códigos insensíveis a atrasos, e realizar o mapeamento tecnológico e a otimização de circuitos QDI. Ferramentas EDA comerciais habilitam projetistas a definir objetivos de desempenho e equilibrar características de energia e área. Esta Dissertação traz seis contribuições originais: (i) um fluxo pseudo-síncrono estendido, que agrega novos modelos de registradores; (ii) o fluxo SDDS-NCL sequencial, para lidar com descrições de projeto genéricas (combinacionais e/ou sequenciais); (iii) o modelo *rede de canais meio-buffer* ou HBCN, que viabiliza a análise de temporização de circuitos assíncronos QDI meio-buffer; (iv) uma formulação de programação linear para restringir projetos a operar com um tempo de ciclo assíncrono alvo. (v) uma técnica de captura de projeto similar à RTL para circuitos síncronos e uma técnica associada para a expansão de descrições de circuitos para versões em trilha dupla; (vi) uma ferramenta de cálculo automatizado de restrições de síntese para circuitos QDI. Experimentos mostram que Pulsar permite o projeto de circuitos assíncronos a partir de descrições similares a RTL sujeitas a restrições de tempos de ciclo. Pulsar permite designar tempos de ciclo alvo para circuitos QDI usando ferramentas comerciais, o que constitui um avanço para projetistas QDI, que agora podem vincular com segurança métricas de desempenho de pior caso a projetos. Além disso, Pulsar permite que projetistas definam o desempenho para otimização de energia ou de área, capitalizando nas folgas dos orçamentos temporais do circuito.

**Palavras-Chave:** Circuitos assíncronos, QDI, EDA, NCL, modelagem, síntese, projeto.



# PULSAR: TOWARDS A SYNTHESIS FLOW FOR QDI CIRCUITS

## ABSTRACT

Asynchronous quasi-delay-insensitive (QDI) circuits are known for their robustness against PVT variations. This makes them good candidates for enabling aggressive voltage scaling design techniques. However, the adoption of QDI design by industries is hindered by: (i) the dependency on specialised design tools for QDI circuits; (ii) the lack of integration with traditional ASIC design flows. This Dissertation presents Pulsar, a new synthesis flow for QDI circuit design. Pulsar leverages commercial EDA tools for design capture, dual-rail expansion, technology mapping and optimisation of QDI circuits. Commercial EDA tools enable designers to define performance targets and naturally balance power and area optimisation. The Dissertation brings six main original contributions: (i) an extended pseudo-synchronous flow, with new register models; (ii) a generalised SDDS-NCL flow to deal with both combinational and sequential circuits; (iii) the proposition of half-buffer channel network (HBCN), a new model for timing analysis of half-buffer asynchronous circuits; (iv) a linear programming formulation to constrain a design to a target asynchronous cycle time. (v) an RTL-like design capture technique and an associated dual-rail expansion technique; (vi) a tool that automatically extracts the HBCN model of a circuit and computes its synthesis constraints. Results show that Pulsar enables the design of asynchronous circuits from an RTL-like description under cycle-time constraints. Pulsar enables the sign-off of target cycle times for QDI circuits using commercial EDA tools. This is a breakthrough for QDI designers, as they can now safely bound worst case performance metrics for applications. Moreover, Pulsar enables designers to naturally trade performance for power or area optimisations, whenever there is slack in timing budgets.

**Keywords:** Asynchronous circuits, QDI, EDA, NCL, modelling, synthesis, design.



## LIST OF FIGURES

2.1	Examples of handshake protocols: (a) 2-phase; (b) 4-phase. . . . .	31
2.2	The basic transition diagram for transmitting binary data in a QDI channel, where S stands for the spacer. Adapted from [MBSC18]. . . . .	33
2.3	RTZ dual-rail channel operation: (a) encoding; (b) example waveforms. Adapted from [MBSC18]. . . . .	34
2.4	RTO dual-rail channel operation: (a) encoding; (b) example waveforms. Adapted from [MBSC18]. . . . .	35
2.5	Timing models used by the STA engine: (a) gate timing arcs; (b) timing paths.	36
3.1	Characteristics of NCL gates: (a) generic symbol; (a) generic symbol; (b) specific symbol example; (c) example truth table behaviour. . . . .	41
3.2	Example of an NCL implementation: the generate path of part of a Kogge-Stone adder. Adapted from [MTMC14]. . . . .	42
3.3	Characteristics of NCL+ gates: (a) generic symbol; (a) generic symbol; (b) specific symbol example; (c) example truth table behaviour. . . . .	43
3.4	Example of an NCL+ implementation: the generate path of part of a Kogge-Stone adder. Adapted from [MTMC14]. . . . .	43
3.5	Example of an SDDS-NCL circuit: the generate path for a Kogge-Stone adder. Adapted from [MTMC14]. . . . .	45
3.6	Two arc models for a resettable C-element: (a) conventional description; (b) pseudo-synchronous description [TBV12]. . . . .	48
3.7	Simplified view of a 1-bit data channel WCHB pipeline, showing the inner cycles controlled by the pseudo-clock. . . . .	49
3.8	Proposed characterisation models for a resettable C-element with a dummy clock pin, G: (a) pseudo-flop; (2) pseudo-latch. . . . .	50
3.9	Structure of a sequential SDDS-NCL pipeline. . . . .	51
3.10	The SDDS-NCL sequential synthesis flow. . . . .	52
3.11	Illustration of the RTO and RTZ gate classification process. . . . .	53
4.1	Observed cycle time distribution at the input and output of an integer, 6-stage, multiply-and-accumulate circuit. . . . .	59
4.2	FBCN modelling a 2-phase, half-buffer pipeline. Vertical lines are transitions, circles are forward-propagation places, squares are backward-propagation places and black dots are tokens. . . . .	60
4.3	A 2-stage dual-rail linear buffer, implemented using a WCHB half-buffer 4-stage RTZ pipeline. . . . .	63

4.4	Example HBCN modelling a 4-phase, half-buffer circuit. Blue lines are valid data transitions; red lines are spacer transitions; squares are backward propagation places; circles are forward propagation places. . . . .	64
4.5	HBCN of a 3-stage, circular half-buffer circuit. . . . .	67
5.1	The Pulsar synthesis flow. . . . .	75
5.2	Expansion of the <code>nand2</code> gate from: (a) a single-rail Boolean truth table to (b) a 3NCL code table. In the tables, (-) indicates hysteretic behaviour. . . . .	81
5.3	Map between codes. Only valid codewords are depicted. . . . .	81
5.4	Dual-rail RTZ code table of the <code>NAND2</code> gate with equivalent 3NCL codewords. Here, (-) means hold the previous value and (-/0) means that either: hold the previous value, or set it low. . . . .	82
5.5	Truth tables for the output rail functions: (a) false rail; (b) true rail. Here, (-) represents hysteretic behaviour and (?) represents that the value is a “don’t-care”. . . . .	83
5.6	Truth tables for the output rail virtual functions: (a) false rail; (b) true rail. Here, (?) represents that the input value is a “don’t-care”. . . . .	84
5.7	The <code>dff</code> half-buffer dual-rail register: (a) schematic; (b) HBCn model. . . . .	87
5.8	The two full-buffer components: (a) DFF with set ; (b) DFF with reset ; (c) the HBCN model. . . . .	88
5.9	The HBCN extracted from the structural graph depicted in Listing 5.8. . . . .	95
6.1	Results for the 3-stage MAC. . . . .	106
6.2	Results for the 4-stage MAC. . . . .	107
6.3	Results for the 5-stage MAC. . . . .	108
6.4	Results for the 6-stage MAC. . . . .	109
6.5	Results for the 6-stage MAC synthesised with timing path exceptions on free-slack. . . . .	110



## LIST OF TABLES

4.1	Solution of the LP formulation. . . . .	68
4.2	Solutions to the LP problem in Algorithm 4.2 . . . . .	71
4.3	Solutions to the LP problem in Algorithm 4.3. . . . .	72
5.1	Combinational gates of the component library. . . . .	85
6.1	Characteristics of the virtual netlists for each MAC version. . . . .	104



## LIST OF ALGORITHMS

3.1	The Fix X-Netlist algorithm. . . . .	54
4.1	LP formulation to compute the cycle time and free slack for the example HBCN. . . . .	68
4.2	LP formulation to constrain the cycle time of the HBCN in Figure 4.5 to 2ns, using the pseudo-clock method with fixed delays. . . . .	71
4.3	LP formulation to constrain the cycle time of the HBCN in Figure 4.5 to 2ns, using the pseudo-clock method. . . . .	72



# CONTENTS

<b>1</b>	<b>INTRODUCTION AND MOTIVATION</b>	<b>23</b>
1.1	ASYNCHRONOUS CIRCUITS AS AN ALTERNATIVE	24
1.2	CHALLENGES TO QDI ADOPTION	24
1.3	CONTRIBUTIONS OF THIS WORK	25
<b>2</b>	<b>BACKGROUND</b>	<b>27</b>
2.1	GRAPHS AND PETRI NETS	27
2.1.1	PETRI NETS	28
2.1.2	PETRI NET PROPERTIES	29
2.1.3	MARKED GRAPHS	30
2.2	HANDSHAKE PROTOCOLS	31
2.3	QUASI-DELAY-INSENSITIVE DESIGN	32
2.4	STATIC TIMING ANALYSIS	35
<b>3</b>	<b>THE PSEUDO-SYNCHRONOUS SDDS-NCL DESIGN TEMPLATE</b>	<b>39</b>
3.1	THE SDDS-NCL ASYNCHRONOUS DESIGN TEMPLATE (RELATED WORK)	39
3.2	PSEUDO-SYNCHRONOUS WEAK-CONDITIONED HALF BUFFER (RELATED WORK)	47
3.3	THE PSEUDO-SYNCHRONOUS SDDS-NCL SYNTHESIS FLOW	50
<b>4</b>	<b>A NEW MODEL FOR CYCLE TIME COMPUTATION</b>	<b>57</b>
4.1	CYCLE TIME OF ASYNCHRONOUS CIRCUITS	57
4.2	THE FBCN TIMING MODEL (RELATED WORK)	58
4.3	THE HBCN TIMING MODEL	61
4.4	CALCULATING THE MAXIMUM CYCLE TIME	65
4.5	CONSTRAINING THE MAXIMUM CYCLE TIME	69
<b>5</b>	<b>THE PULSAR SYNTHESIS FLOW</b>	<b>75</b>
5.1	QDI SYNTHESIS SYSTEMS (RELATED WORK)	76
5.2	DUAL-RAIL CHANNELS	77
5.3	A LIBRARY OF COMPONENTS	79
5.3.1	COMBINATIONAL COMPONENTS	80
5.3.2	SEQUENTIAL COMPONENTS	86

5.4	A CASE STUDY: APPLYING THE DUAL RAIL EXPANSION FLOW . . . . .	89
5.5	THE HBCN CONSTRUCTION AND THE CYCLE TIME CONSTRAINING . . . . .	92
5.6	COMPLETING THE CASE STUDY SYNTHESIS . . . . .	98
<b>6</b>	<b>EXPERIMENTS AND RESULTS . . . . .</b>	<b>101</b>
<b>7</b>	<b>CONCLUSION AND FUTURE WORK . . . . .</b>	<b>111</b>
	<b>REFERENCES . . . . .</b>	<b>113</b>
	<b>APPENDIX A – The Single-Rail Synthesis Scripts . . . . .</b>	<b>119</b>
	<b>APPENDIX B – The Dual-Rail Expander . . . . .</b>	<b>133</b>
	<b>APPENDIX C – The Cycle Time Constrainer . . . . .</b>	<b>139</b>
	<b>APPENDIX D – The Pseudo-Synchronous Synthesis Scripts . . . . .</b>	<b>147</b>

## 1. INTRODUCTION AND MOTIVATION

Advances in semiconductor fabrication technologies allow higher integration, but impose design challenges. Some of the challenges faced in newer technologies are: (i) higher sensitivity to process variations; (ii) higher static power; and (iii) longer wire delays. Process variations are consequence of imperfections in the fabrication process and manifest themselves as changes in some circuit electrical properties. Static power is the power dissipated by the circuit when idle, that is, when no switching activity is taking place. Higher static power can be attributed to higher leakage current, due to thinner oxide layers between the transistor channel and the transistor gate. It is roughly proportional to the number of transistors in the die, each providing a contribution to the overall leakage power. Larger wire delays are attributable to smaller wire cross sections and relatively longer wire length, which cause reduced wire current capacity, higher parasitic capacitance and (relatively) increased effects of coupling with neighbour wires. Wire delays in recent technologies make it unfeasible to route global signals in large circuits without using buffers to “repeat” the signal during its propagation.

They pose a challenge to synchronous circuits, as these employ a global “clock” signal to provide a discrete time reference for synchronisation. The clock signal distribution is assumed to be ideal, meaning that the clock arrives to all locations in the circuit (where it is used) at nominally the same time. Meeting this clock distribution criteria requires a clock distribution network composed of buffers and other signal distribution components. This clock distribution network can have a high cost in area and power. The power consumption associated to the clock distribution can be a significant percentage of the overall power dissipated by complex circuits. Taking 40% of the total power consumption is not unusual [DMM04]. Also, as ideal clock distribution networks with no skew are difficult to achieve or even impossible to obtain, it becomes necessary to compensate the skew and uncertainties by introducing margins in the clock period. This of course impacts overall circuit performance.

Modern designs mitigate these issues by dividing the circuit in clock domains and using synchronisers to transfer signals between clock domain boundaries. The approach only helps solving the problem locally. However, logic spread across a large area (e.g. interconnects) still suffers from clock distribution problems. Furthermore, the use of multiple clock domains can result in significant synchronisation overheads, as different clock domains are possibly working at different clock phases and/or operating frequencies. A possible solution is the overall elimination of global or semi-global clock signals. Digital circuits without any global or semi-global clock signals are known as *asynchronous circuits*.

## 1.1 Asynchronous Circuits as an Alternative

In asynchronous circuits the delay of individual pipeline stages is not constrained by a global clock signal. The overall performance of the circuit is constrained only by the actual delay of data processing in its pipelines. This creates opportunities to design innovative pipeline architectures [NS15a, NS15b]. The elimination of the constraints imposed by clock distribution allows the design of fine-grained pipelines. It also allows on-demand operation analogous to very fine-grained clock gating without the associated clock gating costs.

There are two major classes of asynchronous circuits: (i) Bundled Data (BD) is a class of asynchronous circuits where correct functionality depends on assumptions about the propagation delay of individual pipeline stages; (ii) Quasi Delay Insensitive (QDI) is a class of asynchronous circuits that use Delay Insensitive (DI) codes to better tolerate gate and wire delays and their variations. Besides the advantages provided by clock elimination, QDI circuits are naturally more resilient to delay variations.

A common source of delay variations are PVT variations, ageing and other challenges faced by recent sub-micron technologies. For example, intra-die process variation causes the same gate in different parts of the circuit to present different switching delays, what can possibly lead to faulty circuit behaviour and lower production yield. This problem affects interconnect circuits more acutely, as they span over a large silicon area. QDI circuits are thus excellent candidates to tolerate the conditions imposed by intrinsic intra-die process variations. Circuits that use QDI interconnects between synchronous components can take advantage of this aspect of QDI circuits. Furthermore, the mixed use of asynchronous circuits as interconnect for synchronous components solve some of the synchronisation problems between clock domains.

## 1.2 Challenges to QDI Adoption

The design of QDI circuits often relies on specialised infrastructures, which can frequently hinder the adoption of QDI circuit design. This infrastructure often includes: (i) specific gate libraries, containing e.g. C-Elements, NCL gates or PCHB logic cells; (ii) specific synthesis tools; and (iii) specific design capture languages.

QDI circuits normally require the use of gates with hysteretic behaviour to facilitate or enable handshake synchronisation. A hysteretic gate holds the output stable until certain criteria are met. These special gates, are not usually available in conventional cell libraries designed for synchronous semi-custom ASIC flows.

Specialised tools like Uncle [RST12] and Balsa [EB02], both briefly covered in Section 5.1, can be used to produce asynchronous circuits. However, these specialised tools



do not integrate well with semi-custom ASIC flows. They also lack the power and flexibility provided by commercial EDA tools.

Another challenge to design asynchronous circuits is guaranteeing some minimal throughput operating point. This throughput is constrained by the maximum cycle time of the circuit. However, on complex concurrent asynchronous systems cycle time is not trivial to capture. Synchronous circuits typically rely on register transfer level (RTL) models, where the maximum throughput is limited by a clock period. This not only makes design capture simpler, but also eases the task of optimising a netlist, as every timing path has a same, fixed maximum delay constraint, the clock period. In fact, synchronous RTL models drove decades of development on commercial EDA tools, which provide strong means for designers to explore power, performance and area optimisation in modern technologies. These means are nonetheless very specific, and efforts to abandon the synchronous paradigm in exchange for more powerful design techniques can easily make commercial tools not applicable. Accordingly, the support for asynchronous design lags behind and, as technologies get less predictable and wire dominated, there is a particular need for new solutions that allow asynchronous circuit optimisation after technology mapping and during physical design.

An alternative that allows the use of commercial EDA tools started to be explored by works that proposed the WHCB pseudo-synchronous design flow [TBV12] and the SDDS-NCL design flow [MTMC14, MNM<sup>+</sup>14, MBSC18]. These approaches demonstrated advantages over specialised tools. They are further described respectively in Section 3.2 and in Section 3.1.

### 1.3 Contributions of this Work

This dissertation presents Pulsar, an innovative synthesis flow for QDI circuits. Pulsar enables the design of asynchronous circuits from a RTL-alike description under cycle-time constraints. Pulsar integrates the pseudo-synchronous and the SDDS-NCL design flows to enable technology mapping and optimisation of sequential SDDS-NCL circuits with commercial EDA tools. It proposes a timing model that enables the cycle time analysis and constraining using standard STA tools. Pulsar also leverages EDA tools for the design capture and dual-rail expansion of QDI circuits.

The Pulsar Flow enables the sign-off of target cycle times for QDI circuits using commercial EDA tools. This is a major breakthrough for QDI designers, as they can now safely bound worst case performance metrics for their target applications. Moreover the flow enables designers to naturally trade performance for power or area optimisations, whenever there is slack in timing budgets.

This work has six main original contributions:

1. Extends the pseudo-synchronous design technique, introducing new registers models.
2. Generalises the SDDS-NCL flow to deal with both, combinational and sequential designs.
3. Proposes the half-buffer channel network (HBCN), a new model for timing analysis of half-buffer asynchronous circuits.
4. Devises linear programming formulations to constrain an asynchronous design to a target cycle time.
5. Introduces an RTL-like design capture technique, associated dual-rail expansion and synthesis flow that leverages commercial EDA tools.
6. Creates a tool that automatically extracts the HBCN model of a circuit and computes synthesis constraints that meet a target cycle time.

Chapter 3 describes in some detail contributions 1 and 2. Contributions 3 and 4 are the target of Chapter 4. The last two original contributions (Contributions 5 and 6) are explored as part of the Pulsar flow description, in Chapter 5.

## 2. BACKGROUND

This Chapter provides an introduction to some topics required to read this dissertation. It also establishes some of the terminology used throughout the work. Sections 2.1 provide formal definitions for Petri nets and marked graphs used throughout this work, which are the basis for the HBCN model proposed herein. Sections 2.2 and 2.3 provide an overview of asynchronous circuits, especially QDI circuits. They also provide definitions for the RTO and RTZ handshake protocols, extensively employed in this Dissertation. Finally, Section 2.4 provides an overview of Static Timing Analysis, a fundamental concept for dealing with (asynchronous) cycle time constraints and their computation.

### 2.1 Graphs and Petri Nets

Most definitions used in this work rely on or derive from the fundamental concept of *graphs*, or more specifically on *directed graphs*. Accordingly, a precise definition of this concept is provided here, based on classical texts definitions such as the one provided by Cormen et al. [CLRS09].

**Definition 2.1.1 (Directed Graph)** A **directed graph (or digraph)**  $G$  is a pair  $G = (V, E)$ , where  $V$  is a finite set and  $E$  is a binary relation on  $V$ . The set  $V$  is called the **vertex set** of  $G$ , and its elements are called **vertices** (singular: **vertex**). The set  $E$  is called the **edge set** of  $G$ , and its elements are called **edges**.

Given a vertex  $v \in V$  of a graph  $G = (V, E)$ , the subset of  $V$  with the form  $\{w \mid w \in V \wedge (w, v) \in E\}$  is called the **preset** of vertex  $v$ . Accordingly, given a vertex  $v \in V$  of a graph  $G = (V, E)$ , the subset of  $V$  with the form  $\{w \mid w \in V \wedge (v, w) \in E\}$  is called the **postset** of vertex  $v$ .

Unless otherwise noted, in this work all references to graphs refer to directed graphs and the word *directed* is omitted. Note that the previous definition includes describing the predecessor and successor vertex sets in graphs, a concept very important for more elaborate structures used herein. Graphs are generic structures that can be specialised to address more specific modelling needs. One such specialisation relevant here is that of *bipartite graphs*.

**Definition 2.1.2 (Bipartite Graph)** A **bipartite graph** is a directed graph  $G = (V, E)$  where the set  $V$  is in the union of two sets,  $V = W \cup X$  and where  $E$  is formed by edges having exactly one element from  $W$  and one element from  $X$ , i.e.  $E \subseteq \{(a, b) \mid ((a \in W) \wedge (b \in X)) \vee ((a \in X) \wedge (b \in W))\}$ .

### 2.1.1 Petri Nets

Often, the modelling of asynchronous circuits relies on Petri nets, whose static structure can be captured by graphs. The next definitions formalise the general concept of Petri nets and particularise it to more specific forms useful in asynchronous circuit modelling.

Note that a Petri net has a static structure, an initial marking and a marking evolution behaviour, the two later ones encompassing the dynamics of the net. The definition covers all parts of the concept, and is based on [Mur89].

**Definition 2.1.3 (Petri Net (PN))** *A Petri net is a 5-tuple  $PN = (P, T, F, W, M_0)$  where:  $P = \{p_1, p_2, \dots, p_m\}$  is a finite set of **places**,  $T = \{t_1, t_2, \dots, t_n\}$  is a finite set of **transitions**,  $F \subseteq (P \times T) \cup (T \times P)$  is a set of **arcs**, collectively called the **Petri net flow relation**,  $W : F \rightarrow \mathbb{N}^*$  is the **weight function**, and  $M_0 : P \rightarrow \mathbb{N}$  is the **initial marking**, with  $P \cap T = \emptyset$  and  $P \cup T \neq \emptyset$ . The **Petri net structure** is the 4-tuple  $N = (P, T, F, W)$  with no consideration of marking. A Petri net with a given initial marking can be alternatively denoted by  $(N, M_0)$ .*

*The **behaviour** of a Petri net relies on a set of rules that dictate how a **marking** or **state** evolves into another state, according to the following set of **firing rules**:*

1. *A transition  $t$  is said to be enabled if each input place  $p$  of  $t$  is marked with at least  $w(p, t)$  tokens, where  $w(p, t)$  is the weight of the arc from  $p$  to  $t$ ;*
2. *An enabled transition may or may not fire, depending on whether or not the event actually takes place;*
3. *A firing of an enabled transition  $t$  removes  $w(p, t)$  tokens from each input place  $p$  of  $t$ , and adds  $w(t, p)$  tokens to each output place  $p$  of  $t$ , where  $w(t, p)$  is the weight of the arc from  $t$  to  $p$ .*

*A transition without any input place is called a **source transition**, and one without any output place is called a **sink transition**. Note that a source transition is unconditionally enabled, and that the firing of a sink transition consumes tokens, but does not produce any.*

*A pair of a place  $p$  and a transition  $t$  is called a **self-loop** if  $p$  is both an input and output place of  $t$ . A Petri net is said to be **pure** if it has no self-loops. A Petri net is said to be **ordinary** if all of its arc weights are 1.*

It should be clear from the PN definition and from Definition 2.1.2 that the structure  $N$  of a PN can be represented by a bipartite graph where the vertex set  $V$  of the graph is the union of the set of places and of the set of transitions of the Petri net, i.e.  $V = P \cup T$ . Because of this, it is common and practical to informally state that PNs are bipartite graphs, ignoring the underlying marking and behaviour concepts. A big advantage of treating a PN

as a graph is inheriting to PNs all graph concepts, e.g. vertex degrees, vertices (places or transitions) presets and postsets, etc. Where precision is not compromised, this document adopts this little abuse.

### 2.1.2 Petri Net Properties

A large set of behavioural properties derives from the definition of a PN; Techniques to analyse PN instances for such properties abound in the literature. This Section explores PN properties specifically relevant to this work. The interested reader can refer to [Mur89] or to PN books such as [Rei13] for a more complete discussion of PN properties.

According to Murata [Mur89], there are two types of PN properties: those that depend on the initial marking  $M_0$ , called **behavioural properties**, and those independent of  $M_0$ , called **structural properties**. This work addresses only some of the behavioural properties.

A first important property is **reachability**. This is a fundamental property to study the dynamic properties of any system described by PNs. Reachability relies on the PN's *firing rules* and on the initial marking  $M_0$  of a PN. A marking  $M_n$  is said to be reachable from marking  $M_0$  if there exists a sequence of firings that transforms  $M_0$  into  $M_n$ . A firing or occurrence sequence is denoted by  $\sigma = M_0 t_1 M_1 t_1 M_2 \dots t_n M_n$ , or simply  $\sigma = t_1 t_1 t_2 \dots t_n$ . In this case,  $M_n$  is reachable from  $M_0$  by  $\sigma$  and we write  $M_0[\sigma > M_n$ . The set of all possible markings reachable from  $M_0$  in a PN  $(N, M_0)$  is denoted by  $R(N, M_0)$ , or simply  $R(M_0)$ . The set of all possible firing sequences from  $M_0$  in a PN  $(N, M_0)$  is denoted by  $L(N, M_0)$ , or simply  $L(M_0)$ . The **reachability problem** for PNs is the problem of finding, for a given marking  $M_n$ , if  $M_n \in R(M_0)$  in a PN  $(N, M_0)$ . Sometimes it is interesting to define the **submarking reachability problem**, where instead of a PN marking  $M_n$  attention is restricted to  $M'_n$ , a marking limited to just some subset of places of  $P$ .

A second property worth defining here is **boundedness**, related to the maximum amount of tokens a place of some PN holds. A PN  $(N, M_0)$  is said to be  $k$ -bounded or simply bounded if the number of tokens in each place does not exceed a finite number  $k$  for any marking reachable from  $M_0$ , i.e.  $M(p) \leq k$  for every place  $p$  and every marking  $M \in R(M_0)$ . A PN  $(N, M_0)$  is said to be **safe** if it is 1-bounded. In (asynchronous) hardware design places of a PN are often used to represent buffers and registers for storing intermediate data. By verifying that the net is bounded or safe, it is guaranteed that there will be no overflows in buffers or registers, no matter what firing sequence is taken.

A last property needed to define in this work is **liveness**, associated to concepts in system design like absence of deadlocks. A PN  $(N, M_0)$  is said to be **live** (or equivalently  $M_0$  is said to be a live marking for  $N$ ) if, no matter what marking has been reached from  $M_0$ , it is possible to ultimately fire any transition of the PN by progressing through some firing

sequence. This means that a live PN guarantees deadlock-free operation, no matter what firing sequence is chosen.

### 2.1.3 Marked Graphs

Marked graphs constitute a limited class of PNs that allows modelling concurrency, but not choice (to avoid e.g. non-determinism). This enables capturing the behaviour of handshaking circuits. A timed marked graph can capture not only the inter-dependency and concurrency in asynchronous circuits, but also the timing of certain events occurring within the circuit.

As a type of Petri net, marked graphs are bipartite graphs. Informally, a marked graph is a Petri net where each place has exactly one transition in its preset and exactly one transition in its postset. Also, a marked graph is guaranteed to be a safe Petri net, meaning that places can hold at most one token at any moment in time. These characteristics enable deriving a simple definition for a marked graph.

**Definition 2.1.4 (Marked Graph)** *A marked graph is a 3-tuple  $MG = (T, P, M_0)$ , where  $T$  is the set of transitions,  $P \subset \{(u, v) : u, v \in T\}$  is the set of edges connecting transitions, and  $M_0 \subset P$  is the subset of edges initially marked (the initial marking). The marking  $M_i \subseteq P$  corresponds to the subset of places holding tokens at some given instant  $i \in \mathbb{N}$ . Of course,  $i = 0$  corresponds to the initial state of MG, where the initial marking  $M_0$  is in place.  $M_i$  represents the state of MG at instant  $i$ .*

Compared to a regular PN, MGs suppress the representation of places but marks still occupy their position, between transitions. In a marked graph, token movements (i.e. state changes) obey a deterministic causality relation formally defined, in this work called *token flow*.

**Definition 2.1.5 (Token Flow)** *Let  $M_i$  be the marking of a marked graph MG at instant  $i \in \mathbb{N}$ . Let  $\bullet t = \{(u, v) \in P \mid v = t\}$  be the preset of transition  $t$  and let  $t\bullet = \{(u, v) \in P \mid u = t\}$  be the postset of transition  $t$ .*

*Then, it is true that  $\exists t \in T : \bullet t \subseteq M_i \implies \exists n \in \mathbb{N}_* : t\bullet \subseteq M_{i+n} \wedge \bullet t \not\subseteq M_{i+n}$ . This means that if all elements in the preset of a transition ( $\bullet t$ ) are marked, there is a moment in the future ( $i + n$ ) where all elements in the postset of that transition ( $t\bullet$ ) will be marked and its preset  $\bullet t$  will be unmarked.*

Transitions control the flow of tokens in a network through the firing process. As defined for any PN (MGs obviously included), when a transition fires, it removes tokens from all places in its preset and deposits tokens to all places in its postset. Said otherwise, when a

transition fires it simultaneously marks its postset and unmarks its preset. An MG transition can only fire after all edges in its preset are marked. Further limitations can be imposed as to when a transition is allowed to fire (including time counting and other conditions).

An useful extension of the MG concept is adding labels to account for time in either places and/or transitions, giving rise to the *timed marked graphs* or TMGs. The former is relevant to this work and is accordingly precisely defined.

**Definition 2.1.6 (Place-Delayed Marked Graph)** *Given a marked graph MG, it is possible to define a **place-delayed marked graph** as a 3-tuple  $PDMG = (T, P, M_0)$ , where  $T$  and  $M_0$  are defined as in the corresponding MG and  $P \subset \{(u, v, d) | u, v \in T, d \in \mathbb{R}_+\}$ . The edges, as in an MG, connect transition  $u$  to transition  $v$ , with a label  $d$ , representing the delay assigned to each edge.*

A token flowing into a PDMG edge  $(u, v, d)$  experiences a delay  $d$  before enabling the firing of a transition. That is, once receiving a token, an edge  $(u, v, d)$  must remain marked at least for the duration  $d$  before the token is removed. As in any PN, a transition can only fire in a PDMG after all its predecessor edges are holding tokens. When a transition fires it removes the tokens from its predecessor edges and deposits tokens in all of its succeeding edges.

## 2.2 Handshake Protocols

Handshake protocols are characterised by two distinct steps: (i) **request**, when a transmitter announces data availability; (ii) data **acknowledgement**, when a receiver acknowledges data reception, allowing the transmission of new data. The implementation of these steps depends on a series of choices for specific actions on control signals. Figure 2.1 displays two possible handshake protocols performing complete handshake cycles.

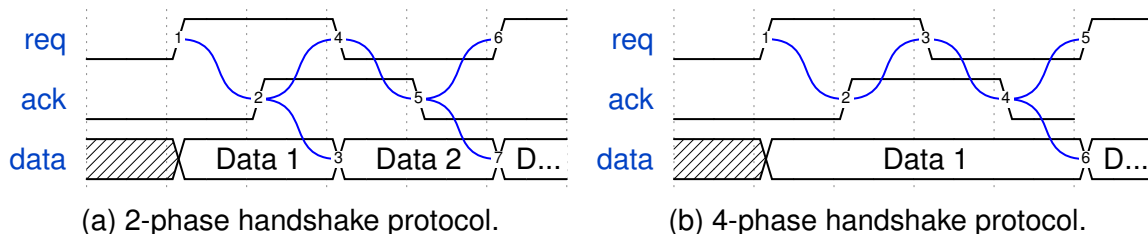


Figure 2.1: Examples of handshake protocols: (a) 2-phase; (b) 4-phase.

Figure 2.1a presents a 2-phase, also known as edge-sensitive handshake protocol. In this protocol data availability and acknowledgement are determined by transitions ("edges") in control signals. It implements the request and acknowledgement steps in a cycle with 2 phases: (i) Data are placed in the *data* lines and, at the same time or immediately

afterwards a transition occurs on the *req*, announcing data availability; (ii) The transition of the **req** line triggers the consumer to capture the data, later acknowledging reception by transitioning the **ack** line.

Figure 2.1b presents an instance of a 4-phase, also known as level-sensitive, handshake protocol. In this protocol data availability and acknowledgement are indicated by logic levels in control signals. Handshakes take place in a cycle with two parts: (i) evaluation, when handshake signals are asserted; and (ii) reset, when the signals return to their inactive state before the next evaluation part starts. This results in data-exchange cycle with 4 phases: (i) data is placed in the *data* lines and, at the same time or immediately afterwards, the *req* line is raised to announce data availability; (ii) the consumer acknowledges the data arrival by raising the *ack* line; (iii) after recognising the rise of the *ack* signal, the producer resets the *req* signal; (iv) the consumer recognises the fall of the *req* signal by lowering the *ack* signal, thus completing the protocol reset stage and allowing a new transmission to take place.

The use of dedicated request/acknowledge signals separate from the data lines characterises what is traditionally called **Bundled Data** (BD) design style. The BD style allows simpler data path implementations, at the expense of timing constraints complexity. Since combinational logic transforming data must be transparent to the local handshake protocol [SF01], the request line must arrive to the consumer only after all computations on channel data is concluded, otherwise the consumer sequential barrier may capture incorrect data.

This poses a design challenge, as the request line may be required to be delayed with regard to data availability, to guarantee correct synchronisation. Such synchronisation is often achieved in the BD design style using delay-lines that match the delay of combinational logic in the data lines to the *req* logic generation circuit.

As an alternative, the request line can be encoded within the data itself, using some delay-insensitive encoding for data. This approach reduces the complexity of timing constraints and provides a more robust circuit implementation, at the cost of additional area. The next Section further explores this class of circuits, which will be the main target of this work.

## 2.3 Quasi-Delay-Insensitive Design

Synchronous design relies on the assumption that the value on the inputs of all its registers will only be sampled at the rising (and/or falling) edge of the clock signal. This assumption enables designers to define timing constraints for the maximum delay in logic paths, which must always be lower than the clock period. This allows ignoring gate and wire delays, as long as constraints are respected. In other words, combinational logic is allowed



to switch as it computes data during, say, the interval between two consecutive rising clock edges, but it must be stable and correct at each such edge. Having such a simple model for circuit design is possible only because the clock is a periodic signal, *i.e.* its edges only occur at specific and known points in time. Hence, in synchronous circuits, events will only take place at specific moments; time can thus be treated as a discrete variable.

However, in asynchronous circuits there is no such thing as a single clock to signal data validity on the inputs of all registers. In these, events can happen at any moment, and time must be regarded as a continuous variable. Thus, asynchronous designers rely on local handshake protocols for communication and synchronisation, and on different design templates to build circuits, each with its own specific assumptions about gate and wire delays [BOF10]. These templates can be classified in two main families: bundled-data (BD) [Sut89] and QDI [MN06]. The design of a BD circuit is similar to a synchronous one, the difference is that BD relies on carefully designed delay elements for matching the timing of logic paths and controlling registers, rather than having a clock signal. Communication and synchronisation are accomplished through handshake protocols. QDI, on the other hand, uses special data codes that allow data to carry their own validity information, enabling receivers to compute the presence or absence of data at inputs/outputs, and rendering possible the local exchange of information. Because of this characteristic QDI circuits can adapt more gracefully to wire and gate delay variations.

QDI design relies on delay-insensitive (DI) codes [Ver88], which include codewords for valid data, and a special codeword representing the absence of data. The latter codeword is usually called a **spacer**. Figure 2.2 shows a basic transition diagram for transmitting data on a 1-bit QDI channel. Assume transmission always starts with a spacer (S). A transition from the S codeword to 1 (0) characterises the transmission of a valid 1 (0) and a transition from 1 (0) to S characterises the removal of data. Thus, there is always a spacer between any pair of consecutive data values.

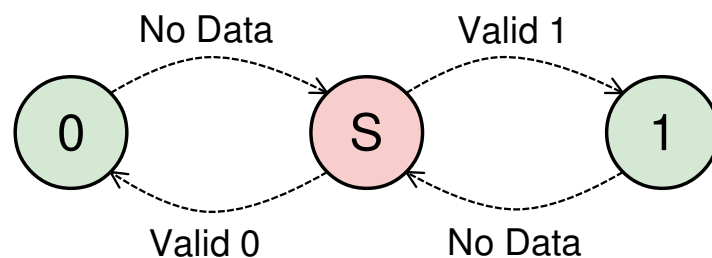


Figure 2.2: The basic transition diagram for transmitting binary data in a QDI channel, where S stands for the spacer. Adapted from [MBSC18].

In circuit design, often used examples of DI codes are the  $k$ -of- $n$  codes, where  $n$  is the number of wires used to represent data (or its absence) and  $k$  is the number of wires that must be at a given logic value for the codeword to represent valid data. Note that an acknowledge signal is typically required to control the injection of spacers and valid data in a QDI channel. Albeit different codes are available in the contemporary literature (see

e.g. [Ver88]), according to Martin and Nyström [MN06], the most practical class of DI codes is the **1-of-n** (or one-hot), and more specifically the **1-of-2** code. The latter is the basis to form codes to represent any n-bit information using two wires to denote each of the n bits, producing the so-called **dual-rail** code. Besides data encoding QDI design usually implies a choice of either a 2-phase or a 4-phase communication protocol [MN06]. The majority of QDI designs available in the state-of-the-art, from networks-on-chip [BCV<sup>+</sup>05, PMMC10], to general purpose processors [MNW03], and network switches [DLD<sup>+</sup>14] primarily rely on a 4-phase protocol and dual-rail or 1-of-4 codes. This work focus attention on 4-phase, dual-rail QDI design.

In a 4-phase dual-rail DI channel  $D$ , a single bit datum is represented using two signals,  $D.1$  and  $D.0$  that carry the datum value, and one signal  $ack$  to control data flow. For the data portion of a channel, as Figure 2.3a depicts, a spacer is classically encoded as a codeword with all signals at 0. Valid data are encoded using exactly one signal at 1,  $D.1=1$  for a logic 1 and  $D.0=1$  for a logic 0. In this case, both signals at 1 is a codeword that does not correspond to any valid datum and is not used. Figure 2.3b shows an example of data transmission using this convention to demonstrate the control flow allowed by the  $ack$  signal combined to codewords represented in signals  $D.1$  and  $D.0$ . In this example a sender provides dual-rail data in  $D.1$  and  $D.0$  to a receiver that acknowledges received data through  $ack$ . Communication starts with a spacer, all signals at 0. Note that the  $ack$  signal also starts at 0, as the receiving side is ready to receive new data. Next, the sender puts a valid 0 bit in the channel, by raising the logic value of  $D.0$ , which is acknowledged by the receiver raising the  $ack$  signal. After the sender receives  $ack$ , it produces a spacer to end communication, bringing all data signals in the channel back to 0. The receiver then lowers its  $ack$  signal, after which another communication can take place. Due to its nature, which requires all signals to go to 0 before each data transmission, this 4-phase protocol is also known as return-to-zero (RTZ).

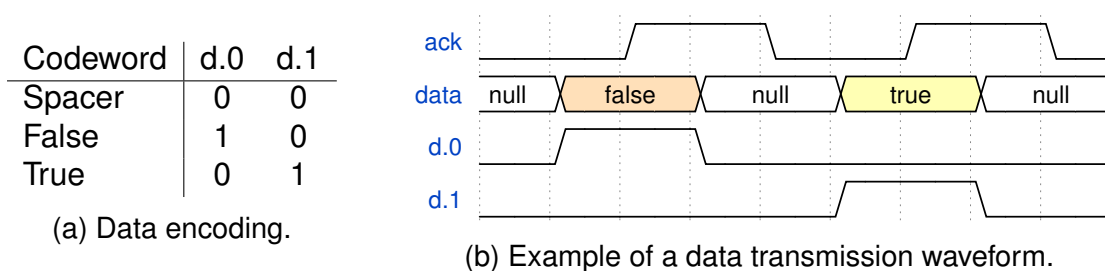


Figure 2.3: RTZ dual-rail channel operation: (a) encoding; (b) example waveforms. Adapted from [MBSC18].

Another 4-phase protocol for dual-rail QDI design is the return-to-one (RTO) protocol [MGC12]. RTO employs the same amount of valid codewords as an equivalent RTZ, but its data values are inverted compared to the latter. As Figure 2.4a shows, a spacer here is the codeword with all signals at 1 and valid data is represented by one signal at 0,  $D.1=0$  for a logic 1 and  $D.0=0$  for a logic 0. Figure 2.4b depicts an example RTO data transmission,

which starts with all signals at 1 in the data channel. As soon as the sender puts valid data in the channel, the receiver may acknowledge it by lowering *ack*. Next, all data signals must return to 1 to denote a spacer, ending transmission. When the spacer is detected by the receiver, it raises the *ack* signal and new data can follow. The idea behind the RTO protocol is simple but powerful and allows a better design space exploration for QDI circuits, enabling optimisations in power [MGC12] and robustness [MGHC14]. Furthermore, as demonstrated in [MPC14], RTZ and RTO can be mixed in a same QDI design and the conversion of values between them requires only an inverter per wire. According to Martin and Nyström, in [MN06], such conversion is DI and does not compromise the robust functionality of a QDI circuit. This article refers to signals operating under the RTZ (RTO) protocol as RTZ (RTO) signals.

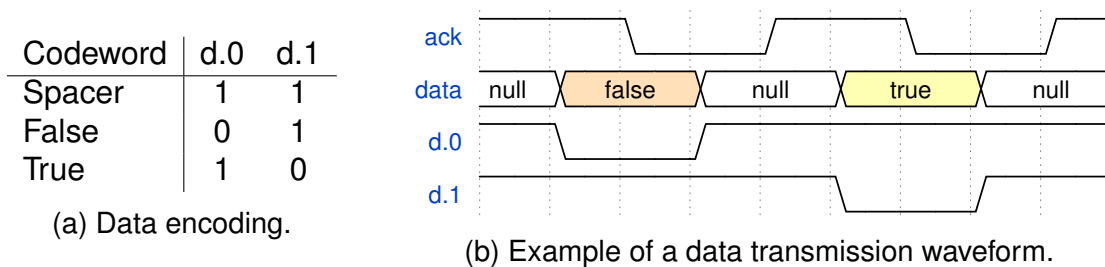


Figure 2.4: RTO dual-rail channel operation: (a) encoding; (b) example waveforms. Adapted from [MBCS18].

## 2.4 Static Timing Analysis

Timing analysis is an important step in digital circuit design, since establishing the circuit performance under certain operating conditions is often one of the main project requirements. Historically timing is analysed using electrical simulation, this is called Dynamic Timing Analysis (DTA). It relies on stimulating every possible path of electrical-level model of the circuit being tested and measuring the time elapsed until a stable output is given. However, this type of analysis is computationally expensive and relies on a good source of stimuli to cover every possible path.

Alternatively, Static Timing Analysis (STA) provides a cheaper alternative to analysing the timing of the circuit globally through simulation. It relies on delay models of small components of the circuit, e.g. logic gates. These delays models are used to estimate the delay of every possible timing path in the circuit. This avoids the coverage problem and is less computational intensive, allowing the use of STA on much larger circuits.

The delay models of components are created using electrical simulation in a process called characterisation. A delay model of a component captures characteristics of arcs. An arc is a timing path internal to a component, it captures how changes in a input affects

the circuit. There are three types of arcs: (i) hidden arcs, where a change in input does not affect any output; (ii) transition arcs, where a change in input causes a transition in the output; and (iii) constraint arcs, which are limitations of when an input can change. As an example, the propagation arcs of an OR gate are shown in Figure 2.5a. Each dashed line represent two propagation arcs, one for the rise and another for the fall of the output  $Z$ .

A possible model is the non-linear delay model (NLDM), which is composed of tables that capture characteristics for each arc based on the input slew and output capacitance. Some characteristics captured by the NLDM tables are: (i) slew rate, the time an output takes to finish transitioning once it starts; (ii) propagation delay, the time a transition in an input propagates to the output ; (iii) power consumption, the energy consumed by a transition in the arc. The delay model of a component also captures the capacitance of pins.

The timing paths are acyclic with well defined start and end points. A timing path is composed by a chain of arcs. Transitions propagate in these paths thru arcs, due to this characteristic a timing path is also called a **propagation path** throughout this work. Figure 2.5b shows a circuit implementing a XOR gate using two inverters and three NAND gates. The timing arc relating the fall of the output  $Z$  when the input  $A$  rises is highlighted. A rise transition in  $A$  activates an arc of  $g0$  which produce a fall transition in its output, in turn this transition activates an arc of " $g2$ " that causes a rise in its output, which finally activate an arc of  $g4$  that cause a fall transition in the primary output  $Z$ .

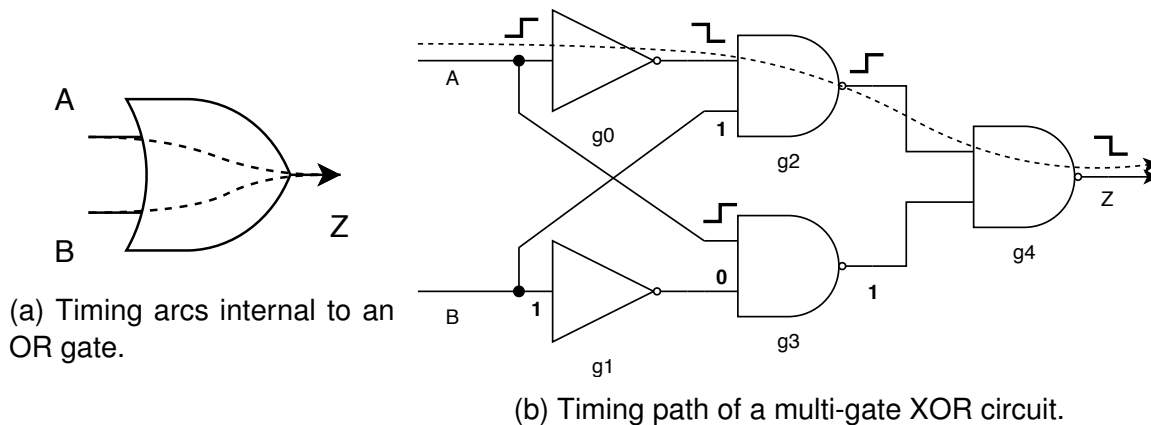


Figure 2.5: Timing models used by the STA engine: (a) gate timing arcs; (b) timing paths.

From the information contained in the delay model, it is possible to analyse the timing paths of circuits. The STA engine computes the delay of the timing paths with the following sequence of steps: First the capacitance of each net is computed based on the components connected to it, the capacitance of primary outputs are provided as a parameter. The STA engine then creates an acyclic directed graph containing all possible timing paths in the circuit from the circuit netlist and propagation arcs. For each arc in the graph, the STA engine uses the slew information in the delay model to compute the slew rate of every possible transition, the slew of the primary inputs are provided as a parameter. Once

the capacitance and slew rate are computed, the STA engine is able to use the propagation arcs of the delay models to compute the time each transition occurs in the timing path.

On synchronous sequential circuits, the timing paths are bounded by clock events. The start point of each path is either a primary input or the output of a clocked sequential element. Also, the end point is either an primary output or the input of a clocked sequential element.

The clock provides a periodic time reference which can be used to compute the timing of the circuit. Primary inputs are assumed to be synchronous to clock events and sequential elements produce new values on clock events. This implies that a clock event triggers a sequence of transitions in propagation paths. The time between the first and the last transition in the propagation path is called its propagation delay of that path.

A more comprehensive background on STA lays beyond the scope of this Dissertation. The interested reader may consult works like that of Harris “Skew-Tolerant Circuit Design” [Har01].



### 3. THE PSEUDO-SYNCHRONOUS SDDS-NCL DESIGN TEMPLATE

The timing of propagation paths in a digital circuit can be computed using STA. Commercial EDA tools attempt to find an optimal solution that respects the timing budget while balancing power and area consumption. Also, during physical implementation, STA enables an optimal placement of gates in the layout, guaranteeing that wire delays do not compromise the circuit functionality. On synchronous flop-based circuits, the clock period bounds the delay of propagation paths between two registers. The last transition in each path must occur a certain time prior to the clock edge for the circuit to work correctly.

The pseudo-synchronous flow enables us to define a pseudo-clock period, analogous to a clock period of a synchronous flop-based circuit. This pseudo-clock can then be used to constrain the delay of propagation paths between two registers. The SDDS-NCL design template leverages standard EDA to synthesise and optimise combinational QDI circuits. This Chapter introduces the Pseudo-Synchronous SDDS-NCL, a QDI template that combines and extends both SDDC-NCL and the Pseudo-Synchronous flows. This enables the synthesis and optimisation of sequential asynchronous circuits with constrained propagation paths using commercial EDA tools.

#### 3.1 The SDDS-NCL Asynchronous Design Template (Related Work)

NCL is an asynchronous design template to construct QDI circuits – Nowick and Singh present a good summary of this and other templates in [NS15a, NS15b]. Fant and Brandt proposed NCL in [FB96], targeting RTZ 1-of-n schemes. It was the technology used for industrial designs produced by Theseus Logic in the late 90s. Since then, NCL has been explored by different research groups and employed for different applications, typically focusing on low power and robust design [JSL<sup>+</sup>10, CCGC10, SCH<sup>+</sup>11, ZSD10, GLY10]. NCL assumes a semi-custom design method, and relies on a basic set of components designed at the cell level, called *NCL gates*. As Fant and Brandt discuss in [FB96], these gates allow the construction of logic blocks that ensure the *completeness of input* criterion, which enforces that a logic block only produces a spacer (valid data) in its outputs when all its inputs have a spacer (valid data). The authors state that this is the key to ensure DI operation.

NCL gates are often called *threshold gates*, but this is imprecise, because they do not exactly implement threshold logic functions (TLFs) as defined, e.g. in [Hur69]. Rather, these gates implement modifications of such TLFs coupled to specific mechanisms to ensure the completeness of input criterion [FB96]. Before defining TLFs, a useful concept is that of unate functions [BSVMH84], as all TLFs are unate [Hur69]:

**Definition 3.1.1** A Boolean function  $f(x_1, x_2, \dots, x_n)$  is said to be **positive unate** in  $x_i$  ( $1 \leq i \leq n$ ), if  $\forall x_j, i \neq j, f(x_1, \dots, x_{i-1}, 1, \dots, x_n) \geq f(x_1, \dots, x_{i-1}, 0, \dots, x_n)$ . Similarly,  $f$  is called **negative unate** in  $x_i$  if  $\forall x_j, i \neq j, f(x_1, \dots, x_{i-1}, 0, \dots, x_n) \geq f(x_1, \dots, x_{i-1}, 1, x_{i+1}, \dots, x_n)$ . If a function is neither positive unate nor negative unate in  $x_i$ , it is said to be **binate** in  $x_i$ . Moreover, if a function is positive or negative unate in all its variables it is called a **unate function**. A unate function that is positive (negative) unate in all its variables is called a **positive (negative) unate function**. Also, this dissertation calls **positive (negative) unate gates** those that implement positive (negative) unate functions.

**Definition 3.1.2** An  $n$ -variable **threshold logic function (TLF)**  $\tau$  is an  $n$ -variable unate function defined by a **threshold value**  $T \in \mathbb{N}^*$  and **weights**  $w_i \in \mathbb{N}^*$  assigned to each of its variables  $x_i$  such that:

$$\tau = \begin{cases} 1, & \sum_{i=0}^{n-1} w_i x_i \geq T \\ 0, & \sum_{i=0}^{n-1} w_i x_i < T \end{cases} \quad (3.1)$$

Hurst [Hur69] defines threshold gates with the threshold and weights being real numbers. This work restricts attention to non-zero, natural threshold and weights. TLFs can be either negative or positive unate in a given input – but not binate. However, to ensure the completeness of input criterion, NCL gates must be positive unate in all their inputs, as they target RTZ templates, where data validity is given by wires at 1. The OFF-set of a logic gate is the set of input patterns that force its output to 0. Analogously, the ON-set is the set of input patterns that force the output of a logic gate to 1. Because the spacer corresponds to all wires at 0, the OFF-set of an NCL gate includes just the condition where all inputs are 0.

As Fant and Brandt discuss in [FB96], while a QDI logic block is transitioning between a spacer and valid data, output values of the block should be either a spacer or valid data. Therefore, NCL gates must also account for situations where an input combination is neither in the ON-set nor in the OFF-set. In these no gate output should transition. This leads to the definition of the correct behaviour for NCL gates.

**Definition 3.1.3** An  $n$ -input **NCL gate** is a logic gate with a threshold value  $T \in \mathbb{N}^*$ , a weight  $w_i \in \mathbb{N}^*$  assigned to each variable  $x_i$  ( $i = 1, \dots, n$ ), and a hysteresis mechanism such that the gate output  $Q$  at each instant of time  $t$  is given by:

$$Q_t = \begin{cases} 1, & \sum_{i=1}^n w_i x_i \geq T \\ 0, & \sum_{i=1}^n x_i = 0 \\ Q_{t-1}, & 0 < \sum_{i=1}^n w_i x_i < T \end{cases} \quad (3.2)$$

Figure 3.1a shows a generic NCL gate symbol, where  $n$  is the number of inputs of the gate and  $T$  is the threshold of the TLF it implements, for which each input has a weight



$w_i$ . If a weight  $w_i$  is omitted,  $w_i = 1$  is assumed. Weights come after the  $W$  specifier. As an example, Figure 3.1b shows the symbol of a 3-input NCL gate with threshold 3 and weights 2, 1 and 1 (in the order from the topmost input down). Figure 3.1c shows the truth table for this latter example, computed from Equation (3.2). Accordingly, the output of the gate only switches to 0 when all inputs are at 0. Also, because  $x_1$  has weight 2,  $x_2$  and  $x_3$  have weight 1 and the threshold is 3, the gate only switches to 1 when  $x_1$  is at 1 and at least one of the other inputs is at 1. In all other cases the output remains unchanged.

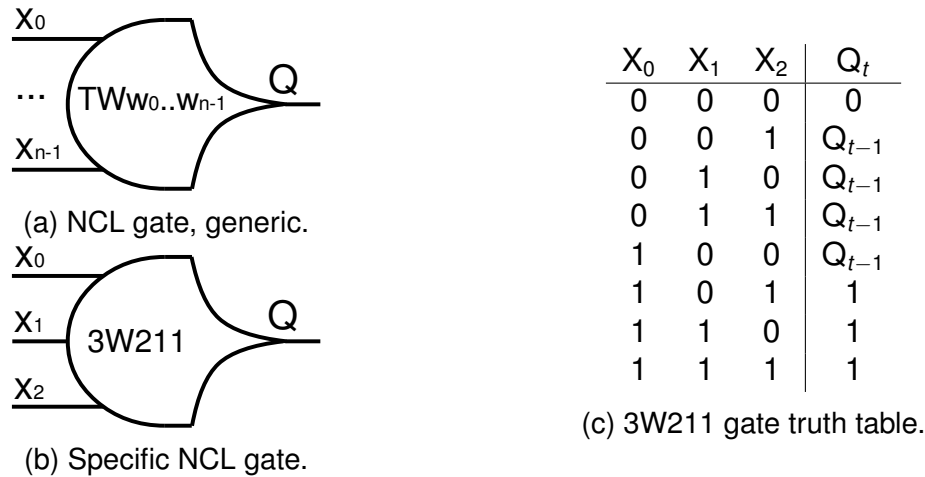


Figure 3.1: Characteristics of NCL gates: (a) generic symbol; (a) generic symbol; (b) specific symbol example; (c) example truth table behaviour.

It is possible to build classic Boolean logic blocks with NCL gates, as Figure 3.2 illustrates. This schematic shows a generate path circuit fragment for an RTZ dual-rail Kogge-Stone adder, taken from [MTMC14]. Note that this circuit only generates a spacer output when all dual-rail inputs ( $G_i$ ,  $P_i$ ,  $G_p$ ) have spacers. Recalling Figure 3.1, the output of an NCL gate only goes to 0 when all its inputs are at 0, which means that gates G0-G3 in Figure 3.2 only write a 0 in their outputs when all primary inputs have spacers. Also note that the outputs become valid data only when all inputs display valid data. Accordingly,  $n0$  is 1 only if  $P_i$  and  $G_p$  are valid 1s (i.e.  $P_i.1 = 1$  and  $G_p.1 = 1$ ) and  $n1$  is 1 only if  $P_i$  has a valid 0 and  $G_p$  has a valid 1,  $P_i$  has a valid 1 and  $G_p$  has a valid 0, or both  $P_i$  and  $G_p$  have a valid 0. In this way,  $n0$  and  $n1$  are valid only if the primary inputs  $P_i$  and  $G_p$  are valid. Similarly, gates G2 and G3, which generate the outputs of the logic block, have their inputs connected to  $n0$ ,  $n1$  and primary input  $G_i$ , and these gates only generate valid data when their inputs are valid.

Even though the classic definition of an NCL gate relies on TLFs for their ON-set, different works (e.g. [JN08, RST12]) report the usage of non-TLF positive unate functions. This work also considers such functions, but as exceptions to the definition. Since these do not agree with the given NCL gate definition, they are called *hysteretic functions*. Hysteretic functions can be described using three minterm sets: (i) the ON-set contain all minterms that

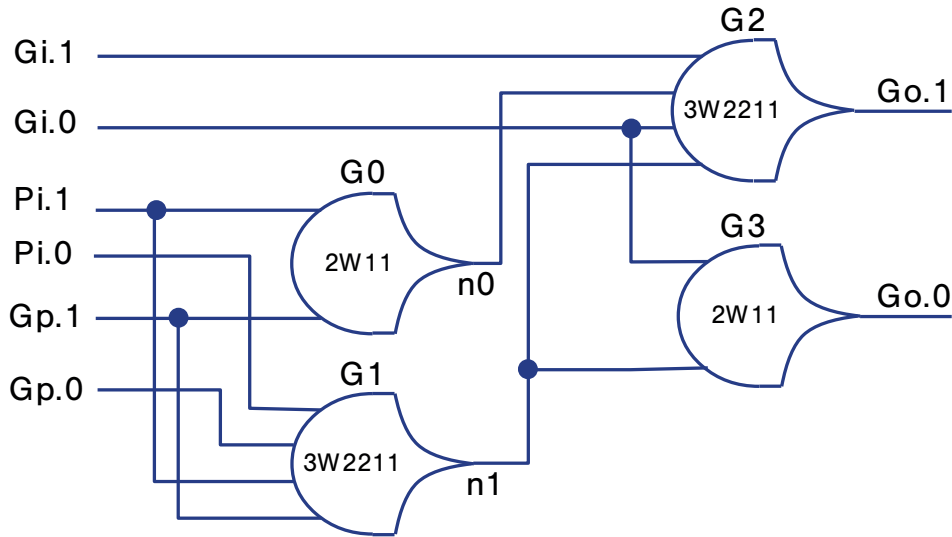


Figure 3.2: Example of an NCL implementation: the generate path of part of a Kogge-Stone adder. Adapted from [MTMC14].

force the output high; (ii) the OFF-set contains all minterms that force the output low; and (iii) the HOLD-set contain all minterms that hold the current output value.

NCL supports the design of RTZ QDI circuits and, to meet the requirements of associated templates, NCL gates are typically restricted to implement only positive unate functions. This limits the potential logic optimisations on NCL circuits and complicates achieving compatibility with conventional EDA tools. However, the introduction of RTO [MGC12] and the NCL+ gates described in [MOPC13] change this situation. NCL+ gates are similar to NCL gates, but, because they target RTO templates, they need to synchronise spacers encoded by all wires at 1 and compute valid data signalled by logic 0s, as Section 2.3 described. The definition of an NCL+ gate is straightforward.

**Definition 3.1.4** An  $n$ -input **NCL+ gate** is a logic gate with a threshold value  $T \in \mathbb{N}^*$ , specific weights  $w_i \in \mathbb{N}^*$  assigned to each variable  $x_i$  ( $i = 1, \dots, n$ ), and a hysteresis mechanism such that the gate output  $Q$  at each instant of time  $t$  is given by:

$$Q_t = \begin{cases} 1, & \sum_{i=1}^n \bar{x}_i = 0 \\ 0, & \sum_{i=1}^n w_i \bar{x}_i \geq T \\ Q_{t-1}, & 0 < \sum_{i=1}^n w_i \bar{x}_i < T \end{cases} \quad (3.3)$$

The symbol of an NCL+ gate is similar to that of an NCL gate, but with a + sign on its top right corner, as Figure 3.3a shows. Figure 3.3b shows an example of an NCL+ gate with 3 inputs, threshold 3 and weights 2, 1 and 1. The truth table of this gate appears in Figure 3.3c. As its truth table shows, this gate output only switches to 1 when all inputs are at 1. Also, its output only switches to 0 when  $x_1$ , which has a weight of 2, and at least one of

the other inputs, both with weight 1, are at 0. For all other combinations of inputs, the gate keeps its output value. In these cases, the output only switches to 1 (0) when all inputs are at 1 (0).

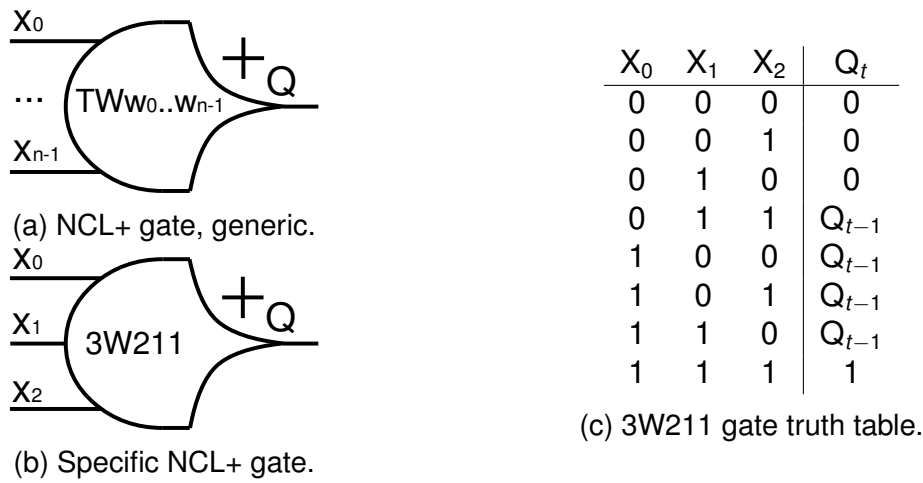


Figure 3.3: Characteristics of NCL+ gates: (a) generic symbol; (a) generic symbol; (b) specific symbol example; (c) example truth table behaviour.

As in NCL, NCL+ gates are also useful to build logic blocks. For instance, Figure 3.4 shows the NCL+ version of the same generate path of the Kogge-Stone adder from Figure 3.2. The circuit topology is exactly the same as that of the NCL version. In fact, the gate characteristics are the same. The only difference is that NCL+ gates replace NCL gates with the same number of inputs, thresholds and weights. Hence, all internal nodes and primary inputs and outputs follow the RTO protocol, instead of RTZ.

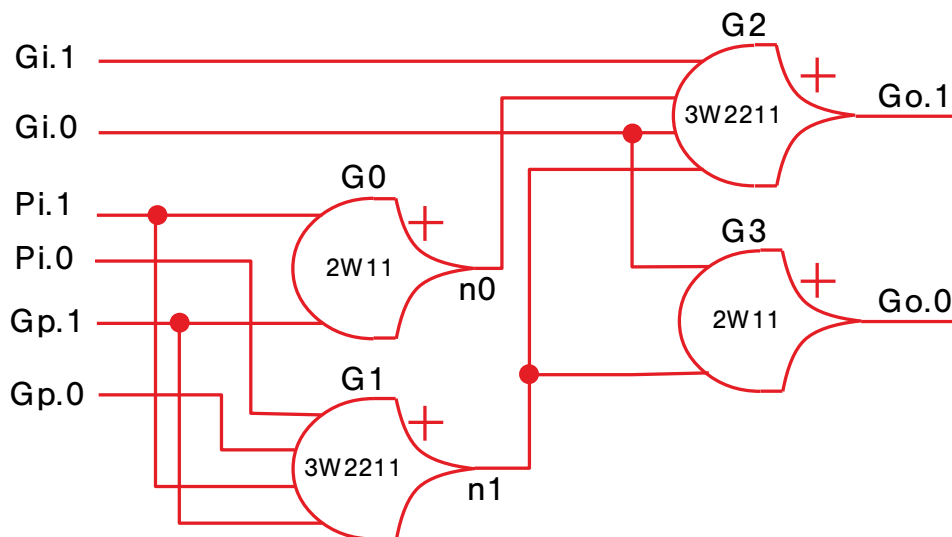


Figure 3.4: Example of an NCL+ implementation: the generate path of part of a Kogge-Stone adder. Adapted from [MTMC14].

The advent of NCL+ created the possibility of mixing NCL and NCL+ in a single circuit, because RTO protocol signals can be translated to RTZ protocol signals and vice-versa

[MPC14]. Recalling Section 2.3, the conversion of a signal from RTO to RTZ, or the other way around, only requires inverters, each of which implements a negative unate function. Thus, as discussed in [MTMC14], the mix of NCL and NCL+ enables the use of negative unate functions, which allows further optimisation opportunities and expands the design space of QDI circuits. For each positive unate NCL (NCL+) gate, a negative unate gate can be defined, where the latter has its OFF-SET defined as the ON-SET of the former. To differentiate negative unate gates from positive unate ones from Definitions 3.1.3 and 3.1.4, these are named *Inverted* NCL and NCL+ gates (or INCL and INCL+, respectively) and defined accordingly.

**Definition 3.1.5** An  $n$ -input **INCL gate** is a logic gate with a threshold value  $T \in N^*$ , specific weights  $w_i \in N^*$  ( $i = 1, \dots, n$ ), assigned to each variable  $x_i$  and a hysteresis mechanism such that the gate output  $Q$  at each instant of time  $t$  is given by:

$$Q_t = \begin{cases} 1, & \sum_{i=1}^n x_i = 0 \\ 0, & \sum_{i=1}^n w_i x_i \geq T \\ Q_{t-1}, & 0 < \sum_{i=1}^n w_i x_i < T \end{cases} \quad (3.4)$$

**Definition 3.1.6** An  $n$ -input **INCL+ gate** is a logic gate with a threshold value  $T \in N^*$ , specific weights  $w_i \in N^*$  ( $i = 1, \dots, n$ ), assigned to each variable  $x_i$  and a hysteresis mechanism such that the gate output  $Q$  at each instant of time  $t$  is given by:

$$Q_t = \begin{cases} 1, & \sum_{i=1}^n w_i \bar{x}_i \geq T \\ 0, & \sum_{i=1}^n \bar{x}_i = 0 \\ Q_{t-1}, & 0 < \sum_{i=1}^n w_i \bar{x}_i < T \end{cases} \quad (3.5)$$

From a functional point of view, the only difference between an NCL (NCL+) and an INCL (INCL+) gate is that their ON- and OFF-sets are swapped. However, they all still rely on a hysteresis behaviour to ensure the respect of QDI properties. To produce INCL/INCL+ gate symbols, a bubble is added to the output of the respective non-inverted gate symbol. Using inverted gates it is possible to convert signals from RTZ to RTO, and vice versa. Because each time an inverted gate is used the protocol changes (including the codeword to representing spacers), circuits using (I)NCL and (I)NCL+ gates are called *spatially distributed dual spacer NCL* (or SDDS-NCL) [MTMC14].

Figure 3.5 shows an example of SDDS-NCL circuit equivalent to the ones in Figures 3.2 and 3.4. As the figure shows, when the circuit inputs present spacers, it issues a spacer in its output. In this figure, all INCL gates have 1 in their outputs, which means that

the INCL+ gates have 1 in all their inputs and a 0 in their outputs. In other words, all first level wires (in blue) will be at 0 and all second level wires (in red) will be at 1. From this state, whenever the inputs become valid dual-rail data, exactly two of the INCL gates fire, setting their outputs to 0, which causes exactly one of the INCL+ gates to fire, setting its output to 1.

The two inverters  $G4$  and  $G5$  (1W1 gates) are required to ensure that all the inputs of gates  $G2$  and  $G3$  are in the same domain (RTO). Also, because there are only two levels of logic and all gates are negative unate, the inputs and outputs of this circuit must be RTZ. If the output was expected to be RTO, inverters should be added after gates  $G2$  and  $G3$ , or these gates could be mapped to NCL+ ones. In fact, different combinations of NCL, INCL, NCL+ and INCL+ gates can be explored, depending on the requirements for the circuit input and output channels.

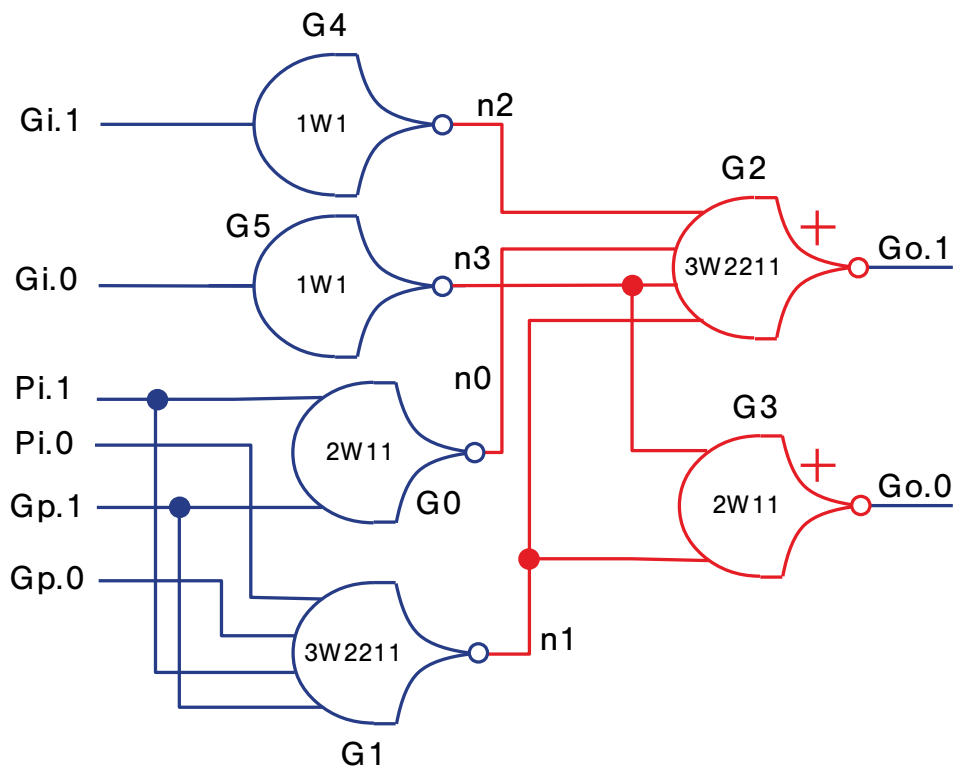


Figure 3.5: Example of an SDDS-NCL circuit: the generate path for a Kogge-Stone adder. Adapted from [MTMC14].

Having available negative and positive unate cells to compose circuits enables the use of commercial tools to perform logic and physical synthesis steps. These tools allow exploring new automation degrees in technology mapping and further logic optimisations. However, conventional CAD tools cannot explicitly handle NCL and NCL+ gates, as these present the hysteresis behaviour, which cannot be naturally handled by such tools. To overcome this problem and leverage the optimisation and automation degrees allowed by EDA tools, [MBSC18] proposes a design flow for circuits based on the SDDS-NCL template. The flow presented by Moreira et al. supports logic blocks only, requiring the designer to split

sequential from combinational blocks and synthesise the latter in isolation. This Chapter later further extends the SDDS-NCL and the pseudo-synchronous [TBV12] design flows to support the fully automated synthesis of both combinational and sequential blocks.

The SDDS-NCL design flow comprises two steps: logic and physical synthesis. Both are based in the usage of *virtual libraries*, a concept similar to that of image libraries proposed for the Proteus asynchronous design flow [BDL11]. The virtual library (VL) concept builds upon the definition of virtual function (VF), presented herein.

**Definition 3.1.7** *A virtual function (VF) is an  $n$ -input Boolean function associated with an  $n$ -input NCL, NCL+, INCL or INCL+ gate, called its support gate. The truth table of a virtual function  $f$  is defined as follows:*

1. *if the support gate of  $f$  is an NCL gate  $\theta$ , the ON-set of  $f$  is the same as the ON-set of  $\theta$ . The OFF-set of  $f$  comprises all other  $n$ -input patterns;*
2. *if the support gate of  $f$  is an NCL+ gate  $\phi$ , the OFF-set of  $f$  is the same as the OFF-set of  $\phi$ . The ON-set of  $f$  comprises all other  $n$ -input patterns;*
3. *if the support gate of  $f$  is an INCL gate  $\psi$ , the OFF-set of  $f$  is the same as the OFF-set of  $\psi$ . The ON-set of  $f$  comprises all other  $n$ -input patterns;*
4. *if the support gate of  $f$  is an INCL+ gate  $v$ , the ON-set of  $f$  is the same as the ON-set of  $v$ . The OFF-set of  $f$  comprises all other  $n$ -input patterns.*

*If the support gate of  $f$  is of types NCL or NCL+,  $f$  is a positive VF. Otherwise,  $f$  is a negative VF.*

Note that each VF always has exactly one NCL and one NCL+ support gates or one INCL and one INCL+ support gates. Reference [MNM+14] provides the detailed description of a method to compute the support gates for VFs. As another consequence of Definition 3.1.7, all positive VFs are positive unate functions, but not all positive unate functions are positive VFs. Furthermore, all negative VFs are negative unate functions, but not all negative unate functions are negative VFs. Hence, all VFs are unate functions, but not all unate functions are VFs. As an example, consider the 3-input NCL gate 3W211 depicted in Figure 3.1. The reader can verify that the virtual function  $f_1$  for this gate can be expressed by  $f_1 = x_0.(x_1 + x_2)$ . Another example is the 3-input NCL+ gate 3W211 depicted in Figure 3.3 has a virtual function  $f_2$  expressible by  $f_2 = x_0 + x_1.x_2$ . As expected and can be verified, these VFs are positive unate.

**Definition 3.1.8** *A virtual library (VL) is a library of cells such that their functions are modelled exclusively using VFs. In this way, it is guaranteed that synthesis tools will be able to handle a VL, as all VFs are unate functions. Two types of VLs exist, NCL VLs and NCL+ VLs.*

1. An **NCL VL** is a VL composed exclusively by NCL and INCL gates modelled using VFs.
2. An **NCL+ VL** is a VL composed exclusively by NCL+ and INCL+ gates modelled using VFs.

### 3.2 Pseudo-Synchronous Weak-Conditioned Half Buffer (Related Work)

Weak-Conditioned Half Buffer or WCHB is a classical asynchronous QDI template used to build sequential asynchronous circuits [BOF10]. It assumes the use of a DI code (often, the dual-rail one) and allows constructing asynchronous pipelines where stages containing data are surrounded by stages containing spacers and vice-versa (originating the *half buffer* denomination, meaning a data token at each two stages).

In [TBV12] Thonnart et al. compare the timing arcs of a resettable C-element, a basic building block of WCHB pipeline registers, to those of edge-triggered flip-flops, a basic building block of synchronous pipelines. From this analysis arises the proposal of pseudo-synchronous WCHB design technique, which relies on a clever modelling of asynchronous components and on standard static timing analysis (STA) tools to optimise sequential logic specifically for the WCHB QDI design template. They propose a modified, pseudo-synchronous (flop-like) model to represent resettable C-elements, building timing tables in the Open Liberty standard supported by conventional STA tools. The underlying reasoning is that conventional tools can analyse timing paths that start and end only at flip-flops, primary inputs, or primary outputs.

The Thonnart et al. model allows the analysis of paths that start and/or end in pseudo-synchronous flops without adding significant error to the actual delay of these C-elements. This work also details the specification of a pseudo-clock that guides the synthesis decision making process and constrains each logic stage during synthesis. Included is also a methodology to characterise pseudo-synchronous C-elements.

The original timing arcs of a C-element appear in Figure 3.6a, arcs from A, B to Z, and the arc from Reset to Z. These arcs are modelled as a function of the slew from an incoming transition in an input pin and the capacitance being driven by the output pin. In the model devised for use in the pseudo-synchronous flow, the arcs are modified to mimic those equivalent to a flip-flop (as in Figure 3.6b) [TBV12].

Here, the C-element Reset is transformed into a pseudo-clock pin and each of its original propagation arcs are split in two parts: (i) a clock propagation delay (in green), from Reset to Z (a function of the slew in Reset and of the capacitance in Z); and (ii) setup constraints (in blue), from A to Reset (a function of the slew in A and of the slew in Reset) and from B to Reset (a function of the slew in B and of the slew in Reset). Note that, since the sequential nature of the Reset pin is only a mechanism to create the pseudo-clock, its

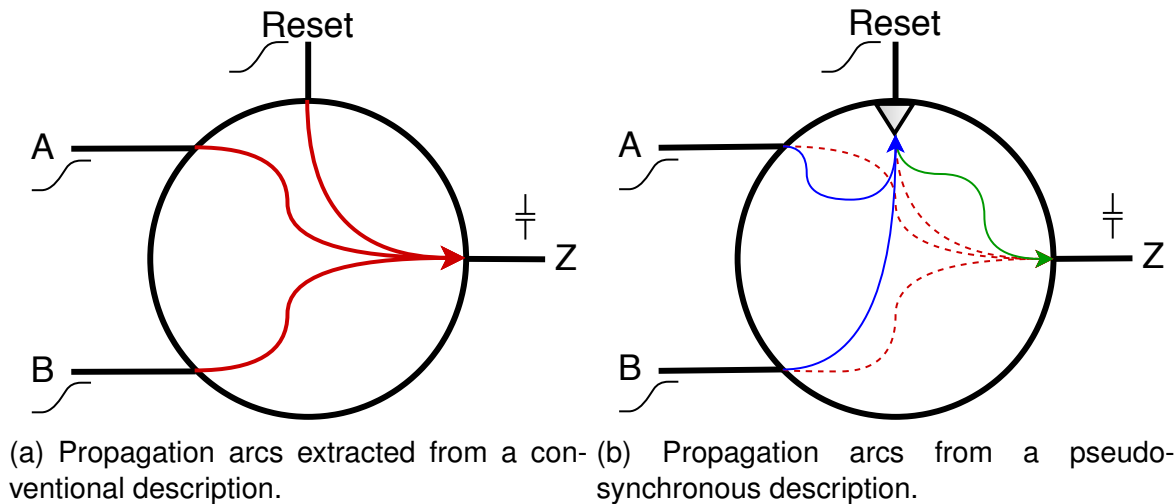


Figure 3.6: Two arc models for a resettable C-element: (a) conventional description; (b) pseudo-synchronous description [TBV12].

slew is usually ignored. This way, the generated delay tables are a single row (or column) that depends only on the slew of A or B and on the capacitance driven by Z.

The reasoning behind this is that the original arcs can be constructed from the sum of a clock propagation delay and from a setup constraint of the Thonnart et al. model. For example, the original A to Z arc is represented by the propagation delay from Reset to Z added to the setup constraint from A to Reset.

This way, every time the STA tool encounters a pseudo-synchronous flop model of a C-element, it identifies a new start point for paths that begin at output Z and a new end point for paths finishing at inputs A or B. This is crucial to enable STA in WCHB pipelines, as every pipeline stage is marked by the presence of a group of C-elements (e.g. 2 for a 1-of-2, 4-phase encoding, 1-bit data channel). The logic paths between these C-elements are optimised to meet the defined period (say  $\lambda$ ) of the pseudo-clock connected to the Reset pin.

For example, Figure 3.7 shows how these paths are analysed in a WCHB pipeline. It shows a single C-element composing the memory of each pipeline stage (hardly true in practice, due to the use of DI codes) and two types of logic paths: (i) the forward logic (usually where useful computation happens); and (ii) the backward logic (usually used for flow control). As the Figure shows, between every pair of C-elements in a cycle there are forward and backward logic paths that are constrained by a single pseudo-clock, with period  $\lambda$ , entering at the Reset pin (not shown). Furthermore, there are also paths between the input channel and the first C-element and the last C-element and the output channel.

One of the major drawbacks of the Thonnart et al. method is that it can cause errors when computing delays for the C-elements, as a result of the regeneration of the original arc from the sum of the two new arcs. This takes place because the new arcs do not measure the delay of the cell as an explicit function of the slew in its inputs and the capacitance in its



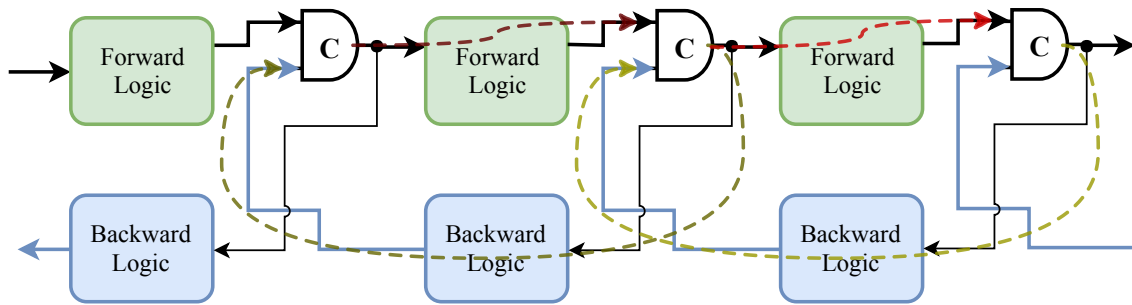


Figure 3.7: Simplified view of a 1-bit data channel WCHB pipeline, showing the inner cycles controlled by the pseudo-clock.

output. It rather builds two independent delay values that are then added, one as a function of the capacitance driven by Z and another as a function of the slew in A or B.

Another drawback is that the reset network is tied to a (pseudo-)clock network and optimising these signals independently becomes challenging, since balancing of reset signals conflicts with the tool trying to synthesise a clock tree for the pseudo-clock. Also, the annotation of delays for post-implementation simulations in this model is tricky. The created arcs will be in accordance to the pseudo-synchronous model, not fitting the original C-element arcs, and will not reflect the real delay of the circuit. Thonnart et al. suggest that the original models be provided to the tool for delay annotation. However, this causes the insertion of loop breakers, which complicates analysis.

To deal with these issues, this work proposes creating a fictitious clock pin (G) and two new models for characterising resettable C-elements, as Figure 3.8 details: the pseudo-flop model (Figure 3.8a), used during synthesis; and the pseudo-latch model (Figure 3.8b) that preserves all original propagation arcs and is only used to extract delay annotations for post-synthesis simulation. The fictitious pin G allows preserving the original Reset pin timing arcs. This enables using STA to design a reset network, meeting the constraints extracted from the cell characterisation process.

The pseudo-latch model relies on the fundamental behaviour of latches. A latch is a sequential element that has two distinctive operation modes, transparent and opaque. During the transparent mode operation, a latch has a direct arc from its data input to its data output and during the opaque mode it holds data. Transitions between these modes are governed by a clock signal, which imposes sequential arcs on the latch. Therefore, a latch timing model typically includes a setup constraint and a clock to output delay (as in flip-flops), and a combinational arc from its input to its output (to serve in those cases when the latch is transparent). This model respectively creates valid start and end points for STA at the outputs and inputs of latches. During the pseudo-latch characterisation, this feature is leveraged to preserve the original arcs of the C-element, while avoiding the insertion of loop breakers. In simulation, it is enough that the behavioural model consider the cell as always in transparent mode to reflect these delays, ignoring any sequential arc.

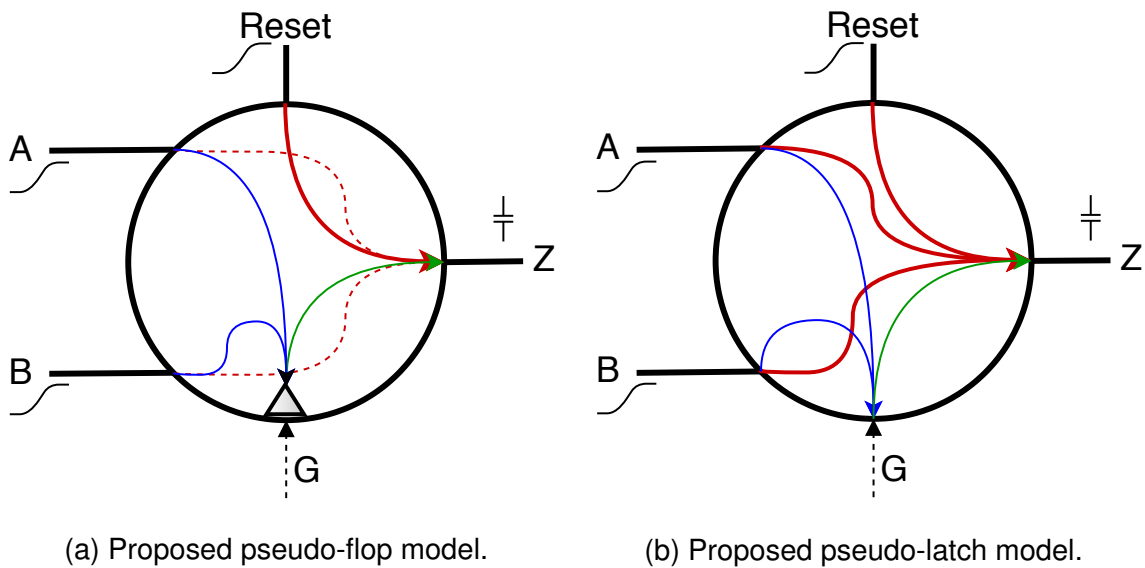


Figure 3.8: Proposed characterisation models for a resettable C-element with a dummy clock pin, G: (a) pseudo-flop; (2) pseudo-latch.

Although this work only explores the use of pseudo-synchronous C-elements with reset, the use of a fictitious pin for the pseudo-clock allows any NCL(NCL+) gate to be characterised both using pseudo-flop or pseudo-latch models. Gates characterised using this technique can be modelled as *sequential combo cells*, composed of a combinational gate with the virtual function (VF) of the original gate followed by the sequential element. This allows EDA tools to differentiate pseudo-flop functions during synthesis.

### 3.3 The Pseudo-Synchronous SDDS-NCL Synthesis Flow

The SDDS-NCL combinational synthesis flow, originally proposed in [Mor16] was significantly extended and modified to produce the SDDS-NCL sequential synthesis flow. Yet the flow described in this Section bears some resemblance to the original one. For example, the use of commercial tools also produces netlists that do not correspond to the intended behaviour of the final circuit (the X-Netlists). As in the original combinational flow, these can be corrected by using a low complexity *Fix X-Netlist* procedure, but the new flow uses a quite distinct approach to implement this procedure, and it is used in more places in the flow.

Figure 3.9 depicts the pipeline structure for a sequential SDDS-NCL circuit. Both forward (in green) and backward (in blue) propagation logic modules are SDDS-NCL. Registers are pseudo-synchronous resettable C-elements. Forward-propagation logic is always positive unate, meaning it preserves the logic protocol of the inputs. Conversely, backward-propagation (completion detection) logic is negative unate, meaning that it inverts the protocol of its inputs. Hence, sequential elements have their inputs at opposite protocol domains.

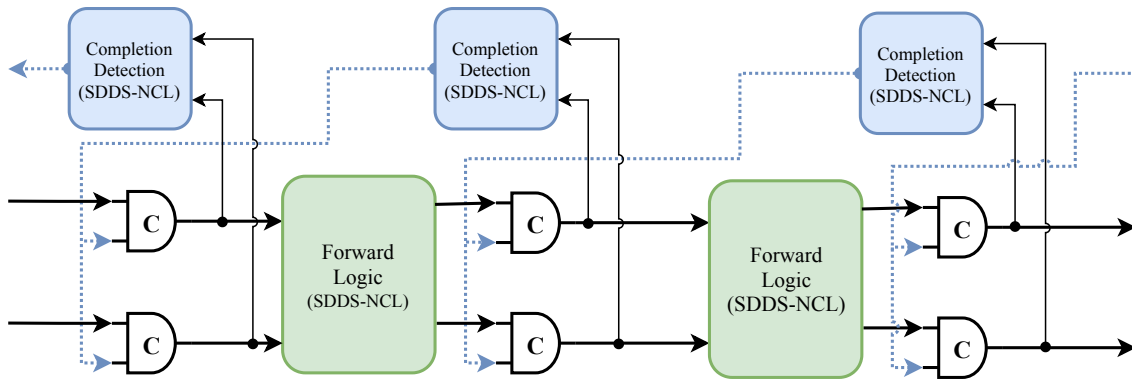


Figure 3.9: Structure of a sequential SDDS-NCL pipeline.

Figure 3.10 depicts the pseudo-synchronous SDDS-NCL synthesis flow. The flow is substantiated as a set of TCL scripts driving tools of the Cadence™EDA framework. Logic synthesis and optimisation employ Genus™ 18.1. Placement and routing are achieved with Innovus™ 18.1.

The flow takes a pre-expanded dual-rail netlist as input. The process of dual-rail expansion, part of the Pulsar flow, is addressed in Section 5.4. The dual-rail input netlist contains both combinational and sequential elements. Pseudo-flops are explicitly instantiated as sequential elements in pipeline stages. Boolean expressions are used to describe the behaviour of combinational logic as VFs for both forward and backward propagation between sequential elements.

SDDS-NCL requires that the logic modules be strictly unate, meaning that all inputs of a gate must reside on the same domain. Since SDDS-NCL is only used for combinational logic, there is no problem in having sequential gates with their inputs at different domains. To solve this, a “size\_only” constraint is set on all sequential elements to preserve their logic function.

Genus synthesises and optimises the combinational logic in both backward and forward propagation paths. Synthesis and optimisation must meet some requirements to generate a fixable X-Netlist: (i) they must not generate intermediate circuits with binate functions, as gates in these circuits have inputs at different domains (RTZ and RTO), which would break the circuit behaviour; (ii) they must not produce circuits with gate inputs tied to a constant, as a constant at gate inputs may inhibit the set or reset behaviour of NCL (NCL+) gates.

In the new design flow the input always implements unate functions, all internal nodes should be unate in path start points, i.e. primary inputs and register outputs. However, according to Das et al. [DCB93] it is possible that the synthesis tool to perform a binate realisation of a unate input function. To overcome this issue Moreira [Mor16] proposed using design for testability (DFT) techniques, guaranteeing that requirement (i) above is always met. Requirement (ii) is fulfilled setting “iopt\_force\_constant\_removal=true” on Genus.

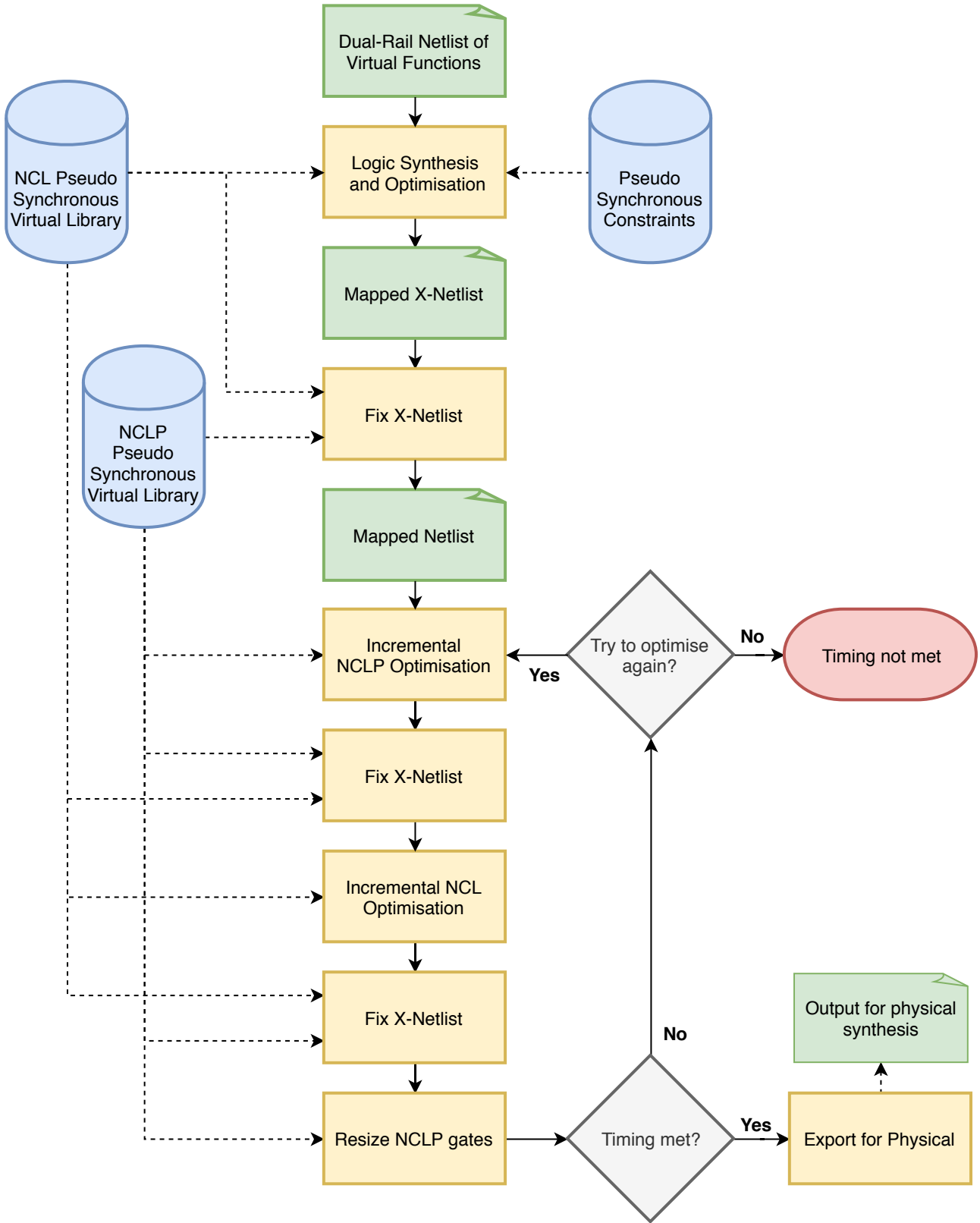


Figure 3.10: The SDDS-NCL sequential synthesis flow.

Assuming the initial circuit description is NCL (i.e. an RTZ description), the output of sequential gates are guaranteed to be RTZ, since initial synthesis and optimisation steps preserve this characteristic. It is also safe to assume from this condition that all primary inputs are also RTZ.

To produce a circuit with the correct behaviour, gates which are in the RTO domain must be NCL+ and gates in the RTZ domain must be NCL. The combinational logic in both forward and backward propagation paths are processed by Algorithm 3.1, which identifies the protocol of each gate and employs the correct gate type.

In the Fix X-Netlist algorithm, a gate is considered in RTZ if its non-inverting fan-ins are RTZ and its inverting fan-ins are RTO. Conversely, a gate is considered in RTO if its non-inverting fan-ins are RTO and its inverting fan-ins are RTZ. Figure 3.11 illustrates this.

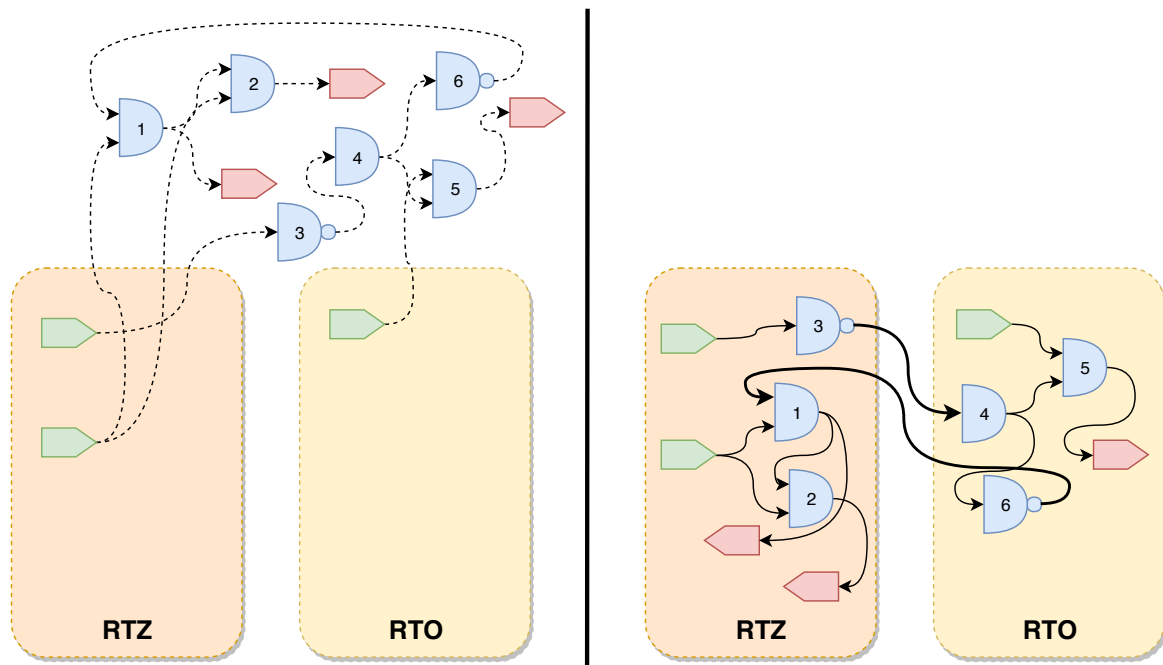


Figure 3.11: Illustration of the RTO and RTZ gate classification process.

If a combinational gate is classified as both RTO and RTZ, the X-Netlist is deemed unsuitable for correction and the synthesis is invalid. The only gates allowed to be in both RTO and RTZ domains are the registers, but these do not need to be processed by the Fix X-Netlist algorithm.

The initial netlist correction may result in a circuit that no longer meets the design constraints. In this case, further optimisation steps are needed to meet them. These optimisation steps are run on each set of gates independently, to avoid undoing the initial netlist correction. After optimising a set of gates, the Fix X-Netlist correction algorithm is re-run to correct any domain changes introduced by the optimisation. These steps are iteratively run until the timing constraints are fulfilled.

**Require:** Mapped X-Netlist

**Ensure:** Fixed SDDS-NCL Netlist

{Breath first gate classification}

Add all primary inputs to *rtz* set;

Add all registers to *rtz* set;

**while** exist unexplored gates in the X-Netlist **do**

**for** *g* in *rtz* **do**

**if** *g* is inverting gate **then**

      Add combinational fanout of *g* to the *rto* set;

**else**

      Add combinational fanout of *g* to the *rtz* set;

**end if**

**end for**

**for** *g* in *rto* **do**

**if** *g* is inverting gate **then**

      Add combinational fanout of *g* to the *rtz* set;

**else**

      Add combinational fanout of *g* to the *rto* set;

**end if**

**end for**

**end while**

{Correct gates in RTZ}

**for** *g* in *rtz* **do**

**if** *g* is NCL+ **then**

    Replace *g* with NCL gate of same vFunction;

**end if**

**end for**

{Correct gates in RTO}

**for** *g* in *rto* **do**

**if** *g* is NCL **then**

    Replace *g* with NCL+ gate of same vFunction;

**end if**

**end for**

Algorithm 3.1: The Fix X-Netlist algorithm.

After logic synthesis, optimisation and correction steps, the final netlist can be placed and routed by a physical synthesis tool. However, meeting timing constraints during physical synthesis may require some additional optimisation steps. If the logic is changed during these steps, logical correctness of the circuit may be compromised.

Prior to place and route, NCL+ gates are marked with “dont\_touch” and “dont\_use”, NCL gates are marked “size\_only” and buffers are left free for the physical synthesis tool to use. This guarantees the logic will not suffer any changes during physical synthesis and gives the physical synthesis tool freedom to place buffers and resize gates to meet timing.





## 4. A NEW MODEL FOR CYCLE TIME COMPUTATION

The throughput of asynchronous circuits is not directly dictated by its slowest propagation path. It is rather defined as the inverse of the system *cycle time*, i.e. the mean time between two results. The cycle time depends on complex interactions between multiple pipeline stages and the involved delays. The definition of (asynchronous) cycle time is explored in Section 4.1.

Analysis of the cycle time is also not straightforward. It requires complex models that capture the interactions internal to asynchronous circuits. Section 4.2 reviews the full-buffer channel network (FBCN) timing model and Section 4.3 extends this model to support half-buffer pipelines. These models can be used in conjunction with STA to compute the maximum cycle time of an asynchronous circuit. This is further explored in Section 4.4, where we present a methodology based on linear programming to compute the maximum cycle time of circuits modelled using both FBCN and HBCN.

By the end of this chapter it is expected that the reader is provided with a methodology to analyse the maximum cycle time of asynchronous circuits using global timing models and traditional STA techniques. Thus, estimating the minimal throughput of the circuit during its design.

### 4.1 Cycle Time of Asynchronous Circuits

According to Beerel, Ozdag, Ferretti [BOF10] the *cycle time* of an asynchronous circuit is the time between two consecutive computation results. On a synchronous circuit this is dictated by the clock period, i.e. a synchronous circuit (most often) produces a result every clock cycle. However, for asynchronous circuits this is defined as the time between two consecutive tokens.

The cycle time is limited by the internal delays and token placement in the circuit. It is best observed under an *ideal null-delay environment*, i.e. an environment that consumes tokens as soon as they arrive and produces new tokens as soon as the previous is acknowledged. This ideal of null-delay environment is used here to isolate the circuit from external influences and data dependent delay variations. Another reason for using an ideal environment model is that the cycle time is observed when the pipeline is at *full capacity*. When the pipeline is empty or partially empty, the time between results at the output is not dependent on internal factors only, but also on the availability of tokens coming from the environment and propagating in the pipeline.

Also, the cycle times observed in an asynchronous circuit can present data dependent variations. The data flow within the asynchronous system may be data dependent,

because they may present choice behaviour due to characteristics such as arbitration, splits and merges. Systems with such behaviour are called *non-deterministic*. On such systems, the tokens propagate through different paths with different delays, thus affecting the cycle time.

Furthermore, even deterministic systems, which present no data-dependent token flow, can show variations in the cycle time observed at inputs or outputs. For instance, the delays of an individual pipeline stage can be data dependent, e.g. an adder unit may complete faster if all inputs are zero. This can lead to situations that a token advances faster through the pipeline, arriving earlier at the output, but leaving part of the pipeline idle waiting for data from a slower part. This idle waiting time will appear as an increase in the cycle time of the output for the next token. Also, temporarily faster delays near the input may accept tokens into the pipeline faster than they can be processed by later pipeline stages. This can cause tokens to queue up in the pipeline entrance. This queuing causes a delay to the admission of the next token, which translates as increases in the observed cycle time in the input.

On average, these variations may cancel each other, i.e. a token with a faster cycle time can be followed by a token with a slower cycle time. The observed cycle time forms a distribution around the average cycle time. On a system that generates an output for each input, the observed average cycle time must be the same on the system inputs and outputs. This average cycle time is the *system cycle time*, i.e. disregarding transient variations, on average the pipeline is capable of producing new results after each cycle time has elapsed.

To demonstrate this effect, the observed cycle time of the input and output of 6-stage multiply and accumulate (MAC) unit is shown in Figure 4.1. The measurements were extracted using delay annotated post-synthesis simulation and a zero-delay external environment to produce and consume data.

The circuit presents a wider cycle time distribution at the output, indicating that sometimes the pipelines stages near the output (namely the accumulator) complete faster than the multiplier (at the beginning of the pipe) is capable of providing new data.

## 4.2 The FBCN Timing Model (Related Work)

Beerel, Ozdag, Ferretti [BOF10] proposed in their book the Full-Buffer channel network (FBCN), a timed marked graph model that captures the behaviour of full-buffer asynchronous pipelines. FBCN allows modelling the global timing of an asynchronous circuit from individual circuit timing paths (extractable using STA tools).

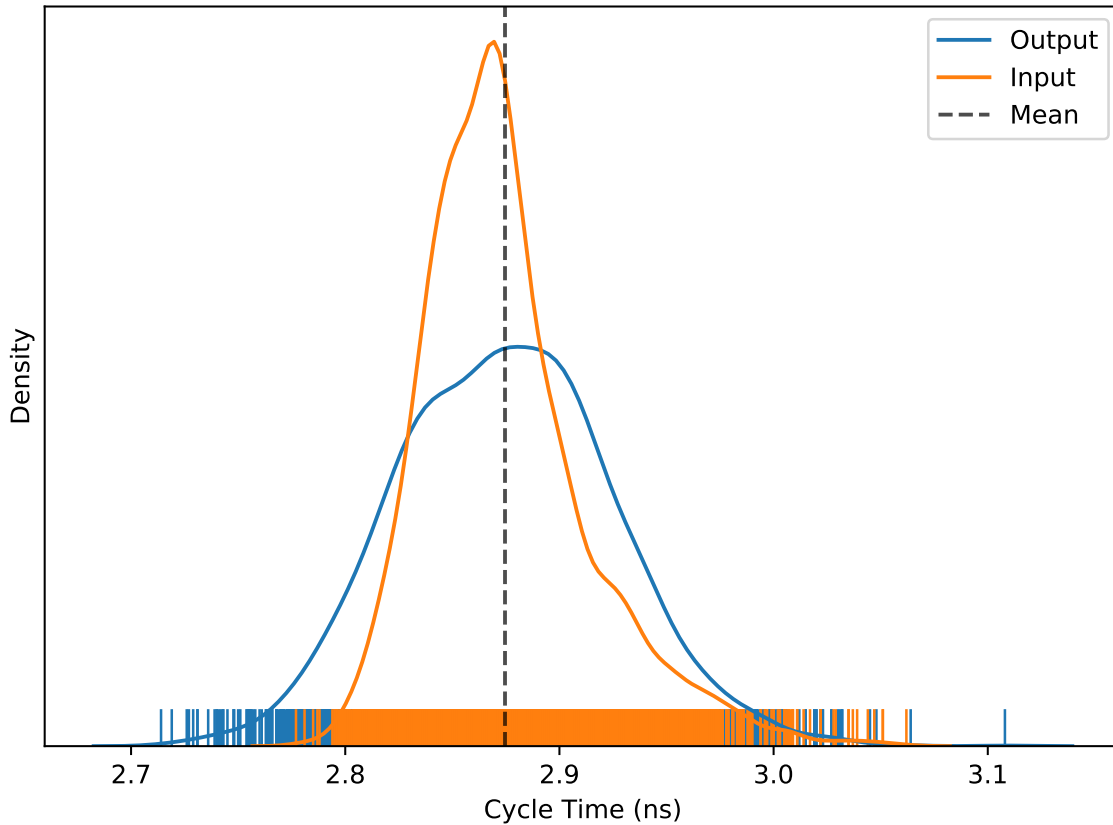


Figure 4.1: Observed cycle time distribution at the input and output of an integer, 6-stage, multiply-and-accumulate circuit.

The formal definition in [BOF10] derives from a comprehensive Petri net definition. However, since FBCN is a marked graph, it is possible to use the definition in Section 2.1.3 to formally redefine FBCN as follows:

**Definition 4.2.1 (Full-Buffer Channel Network - FBCN)** *A Full-Buffer Channel Network is defined as the 3-tuple  $N = (T, C, l_0)$ , where  $T$  is a set of transitions,  $C = \{(u, v) : u, v \in T, u \neq v\}$  is a set of channels, and  $l_0 : C \mapsto \{ack, req\}$  is a function defining each channel initial state.*

*An FBCN is equivalently represented as a marked graph defined as the 3-tuple  $N = (T, P, M_0)$ , where  $T$  is a set of transitions;  $P = \{(u, v) : u, v \in T\}$  is a set of places and  $M_0$  is a set of initially marked places. The equivalence between  $N$  and  $G$  is defined by the following set of rules:*

$$\forall (u, v) \in P : \exists \{(u, v), (v, u)\} \subseteq P \quad (4.1)$$

$$\forall (u, v) | l_0((u, v)) = ack, \exists (v, u) \in M_0 \quad (4.2)$$

$$\forall (u, v) | l_0((u, v)) = req, \exists (u, v) \in M_0 \quad (4.3)$$

*Equation 4.1 states that every channel is represented by a pair of places, a forward propagation place and a backward propagation place; Equation 4.2 states that the channel*

backward propagation place is marked when the channel is initialised to the ack state; and Equation 4.3 states that the channel forward propagation place is marked when the channel is initialised to the req state.

These definitions introduce the structure of the FBCN. Figure 4.2 depicts a graphical representation of an example FBCN. The token propagation behaviour in an FBCN is governed by the timed marked graph process, as defined in Section 2.1.3. From this, it is viable to define correlations to describe how an FBCN models handshake channels of full-buffer asynchronous circuits.

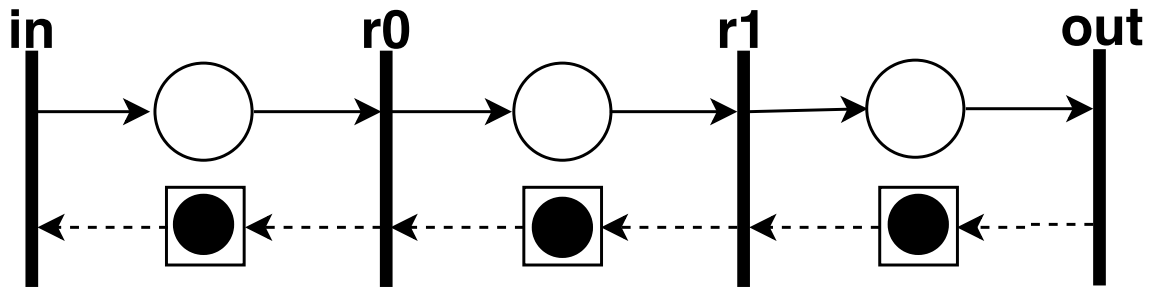


Figure 4.2: FBCN modelling a 2-phase, half-buffer pipeline. Vertical lines are transitions, circles are forward-propagation places, squares are backward-propagation places and black dots are tokens.

Each pair of places  $(\{(u, v), (v, u)\} \subset P)$  models a channel. Each channel is composed of a forward-propagation place and a backward-propagation place. The forward-propagation place models the forward-propagation path that transport data, and the backward-propagation place models the backward-propagation path that carries control signals. The arrangement of places and transitions creates cycles that model the cyclic paths of handshake channel circuits.

Places are marked with tokens to indicate the state of the handshake channel. When a token is marking the backward-propagation place in a channel, it indicates that the channel is acknowledging the reception of data. When a token is marking the forward-propagation place in a channel, it indicates that the channel is currently carrying valid data. These states are mutually exclusive, a channel cannot be simultaneously at both states, which is formalised as:

**Definition 4.2.2 (Handshake state)** Let  $M_i \subseteq P$  be the set of marked places at instant  $i \in \mathbb{N}$ . The following predicates are true for all instants  $i \in \mathbb{N}$ :

$$\forall (u, v) \in M_i : \nexists (v, u) \in M_i$$

$$\forall (u, v) \in P : \exists (u, v) \in M_i \vee \exists (v, u) \in M_i$$

That is, a pair of places taking part on a channel cannot be simultaneously marked and at least one place of a channel must be marked at any time.

Transitions capture the handshaking behaviour of registers or of the environment. A transition fires when all of its inbound places are holding tokens, that is, it synchronises the acknowledgement from the outbound channel with the data from the inbound channel producing an acknowledgement in the inbound channel and propagating data to the outbound channel. This effectively models the behaviour of a 2-phase handshake protocol.

Each place is annotated with the delay from the propagation path it represents. This delay can be extracted from the circuit using STA tools. For instance, assuming a 2-phase bundled-data design, the place indicating the forward propagation place in a channel is annotated with the propagation delay of the request signal on that channel. Conversely, the backward propagation place is annotated with the delay of the acknowledge signal on the channel.

### 4.3 The HBCN Timing Model

As the name states, an FBCN is a model suitable to describe full-buffer pipelines. In a full-buffer pipeline there are only valid data being propagated and acknowledged. Each channel in some FBCN can be in one of two states, either acknowledging or transmitting valid data.

Conversely, in half-buffer pipelines valid data tokens are always followed by spacer tokens. Spacer tokens are characteristic of half-buffer circuits such as WCHB pipelines. They need to be represented in the model to correctly capture the behaviour of a half-buffer pipeline. In a half-buffer pipeline each channel can be in one of four states: propagating data, acknowledging data, propagating a spacer and acknowledging a spacer.

Since FBCN is not capable of modelling this behaviour naturally, this work proposes the Half Buffer Channel Network (HBCN), a modification of FBCN to explicitly model half-buffer pipelines. HBCNs are also timed marked graphs, and all properties of FBCN regarding cycle time analysis hold true for them. An HBCN models the behaviour of 4-phase half-buffer pipelines, by representing the four possible states of each half-buffer channel. These states are captured using four places per channel. A pair of transitions is required at each end of a channel to synchronise the propagation of valid data and spacers. The structure of the HBCN can be formalised as follows.

**Definition 4.3.1 (HBCN)** *A Half-Buffer Channel Network (HBCN) is defined by the 4-tuple  $N = (T, \Gamma, C, l_0)$ , where  $T$  is a set of transitions,  $\Gamma = \{(t, t') : t, t' \in T, t \neq t'\}$  is a set of transition pairs,  $C = \{(u, v) : u, v \in \Gamma, u \neq v\}$  is a set of channels, and  $l_0 : C \mapsto \{ack_{null}, req_{data}, ack_{data}, req_{null}\}$  is a function defining each channel initial state. An HBCN has a characteristic marked graph defined as the 3-tuple  $G = (T, P, M_0)$  where  $T$  is the set of transitions of the HBCN,  $P = \{(u, v) : u, v \in T\}$  is a set of places, and  $M_0 \subset P$  is a set*

of initially marked places. The relation between  $N$  and  $G$  is defined by the following set of rules:

$$(u, v) \in \Gamma \implies u, v \in T \quad (4.4)$$

$$((u, u'), (v, v')) \in C \implies \{(u, v), (u', v'), (v', u), (v, u')\} \subseteq P \quad (4.5)$$

$$I_0(((u, u'), (v, v'))) = ack_{null} \implies (v', u) \in M_0 \quad (4.6)$$

$$I_0(((u, u'), (v, v'))) = req_{data} \implies (u, v) \in M_0 \quad (4.7)$$

$$I_0(((u, u'), (v, v'))) = ack_{data} \implies (v, u') \in M_0 \quad (4.8)$$

$$I_0(((u, u'), (v, v'))) = req_{null} \implies (u', v') \in M_0 \quad (4.9)$$

Implication 4.4 states that every transition taking part on a transition pair must exist on the transition set; Implication 4.5 states that each channel is expanded to four places, two forward propagation places (for data and spacer) and two cross-connected backward propagation places; Implications 4.6 to 4.9 define which places are initially marked to set channels to their respective initial states.

A possible intuition to understand the HBCN model is to see it as two parallel FBCNs cross-connected by the backward propagation places at each channel. One network captures the propagation of spacers and the other valid data. The handshake protocol is captured by cross-connecting the null backward propagation place of a stage to the data transition of the previous stage and by connecting the data back-propagation place to the previous stage null transition. This enforces that data propagation depends on the propagation of spacers and vice-versa.

Delays can be attributed to each place of the HBCN to capture the propagation time of data and spacers in the network. This allows using HBCN to analyse the timing characteristics of a half-buffer pipelines. The cycle time is defined as the time a token takes to return to a place after being removed, that is, the time it takes for a channel to transitions to between all its states back to its initial state.

To illustrate concepts an example HBCN is now derived from the Weak-Conditioned Half Buffer (WCHB) pipeline in Figure 4.3. This WCHB is a simple Quasi-Delay Insensitive (QDI) half-buffer pipeline template that employs Delay Insensitive (DI) codes, completion detectors and a 4-phase RTZ handshake protocol. C-elements are used as registers to latch DI codes in each stage. This example uses a 1-of-2 code, thus requiring 2 C-elements (one for each rail), the employed completion detector is a NOR gate. A spacer is represented by having the two rails at zero and valid data is represented by having one of the rails at one.

The example circuit comprises two registers ( $r_0$  and  $r_1$ ), one input ( $in$ ) and one output ( $out$ ). There are 3 channels in this circuit: (i) from the input to  $r_0$ ; (ii) from  $r_0$  to  $r_1$ ; and (iii) from  $r_1$  to the output. For each channel, the forward propagation path is the pair of rails transporting data and spacers, and the backward propagation place is the comple-

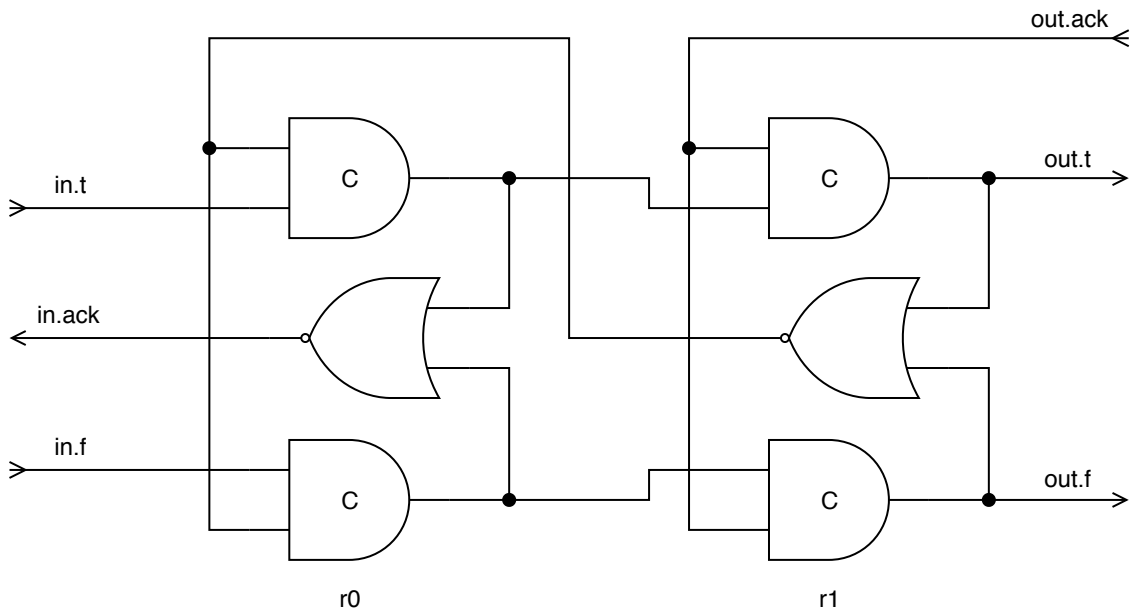


Figure 4.3: A 2-stage dual-rail linear buffer, implemented using a WCHB half-buffer 4-stage RTZ pipeline.

tion detection circuit and its output acknowledgement signal. All channels in this circuit are initialised to spacers.

From the example circuit, we construct the example HBCN in Figure 4.4. Each register ( $r_0$  and  $r_1$ ) is modelled as pair of transitions: the transition in blue captures the arrival of valid data and the transition in red captures the arrival of a spacer. The environment ( $in$  and  $out$ ) is also modelled as a pair of transitions to capture the behaviour of an ideal environment. Each propagation path is modelled as a pair of places: (i) one indicating the propagation of a data token; and (ii) another indicating the propagation of spacers. Square places are backward propagation places representing backward propagation paths. Round places are forward propagation places representing forward propagation paths.

The example HBCN can be described using the channel network formulation presented in Definition 4.3.1 as:

$$N = (T, \Gamma, C, l_0) \quad (4.10)$$

$$T = \{in, in', r_0, r_0', r_1, r_1', out, out'\} \quad (4.11)$$

$$\Gamma = \{(in, in'), (r_0, r_0'), (r_1, r_1'), (out, out')\} \quad (4.12)$$

$$C = \{((in, in'), (r_0, r_0')), ((r_0, r_0'), (r_1, r_1')), ((r_1, r_1'), (out, out'))\} \quad (4.13)$$

$$\forall c \in C : l_0(c) = ack_{null} \quad (4.14)$$

In this formulation, Equation 4.10 declares the channel network; Equation 4.12 declares the transition pairs that represent the input, the two registers ( $r_0$  and  $r_1$ ) and the output; Equation 4.13 declares the channels connecting the registers; and Equation 4.14 declares the initial state of all channels as  $ack_{null}$ . The channel network formulation is equivalent to a

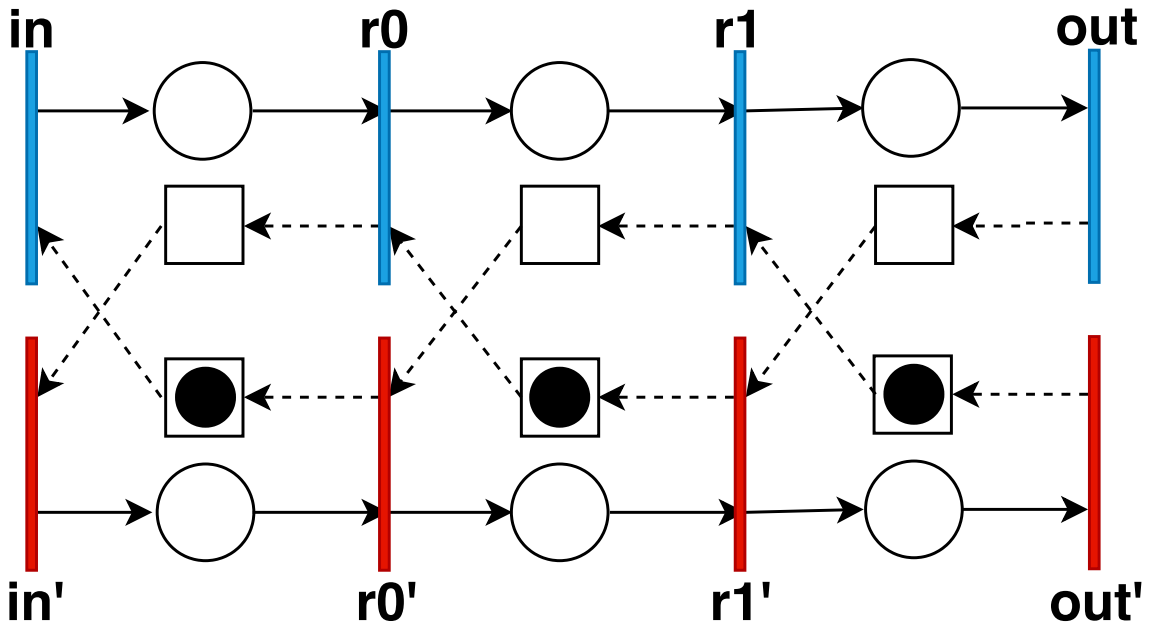


Figure 4.4: Example HBCN modelling a 4-phase, half-buffer circuit. Blue lines are valid data transitions; red lines are spacer transitions; squares are backward propagation places; circles are forward propagation places.

marked graph expansion defined as:

$$G = (T, P, M_0) \quad (4.15)$$

$$T = \{in, in', r0, r0', r1, r1', out, out'\} \quad (4.16)$$

$$P = \left\{ \begin{array}{l} (in, r0), (r0, in'), (r0', in), (in', r0') \\ (r0, r1), (r1, r0'), (r1', r0), (r0', r1') \\ (r1, out), (out, r1'), (out', r1), (r1', out') \end{array} \right\} \quad (4.17)$$

$$M_0 = \{(r0', in), (r1', r0), (out', r1)\} \quad (4.18)$$

Here, Equation 4.15 declares this HBCN marked graph; Equation 4.16 declares the set of transitions extracted from the transition pairs  $\Gamma$ ; Equation 4.17 declares the set of places of the marked graph according to the expansion rule from Equation 4.5; and Equation 4.18 is the set of places marked to initialise all channels to  $ack_{null}$ , according to the expansion rule from Equation 4.6.

The marked graph expansion is important, since this representation will later be seen to enable asynchronous cycle time computations. The next Section explores the delay model associated with places in a timed marked graph and introduces a linear programming formulation that aids in the computation of the maximum cycle-time from the timed marked graph.



#### 4.4 Calculating the Maximum Cycle Time

Both HBCN and FBCN are timed marked graphs that contain cycles. Cycles are defined as a cyclic sequence of places where tokens repeatedly flow. On a timed marked graph, token propagation is ruled by the place delays. On these models, the cycle time is defined as the sum of the delays of places taking part in a cycle divided by the number of tokens residing in the cycle.

The maximum cycle time is the largest cycle time in the graph. Ultimately, due to complex interactions in the circuit, this largest cycle time dominates the overall asynchronous pipeline performance. Determining the maximum cycle time is important to analyse pipeline performance.

The maximum cycle time is an upper limit for the circuit cycle time. This is an important performance measurement, as it bounds circuit performance floor. On a marked graph model (such as the HBCN) the maximum cycle time is defined as the greatest cycle time in the circuit. This value is not always intuitively found, especially on large marked graphs with multiple interacting cycles such as the HBCN of a large circuit.

Magott [Mag84] has devised a methodology using linear programming to compute the maximum cycle time in a Petri net. It works by estimating the time each transition fires based on a system of constraints.

The time a transition fires is called the *transition arrival time*. A transition arrival time is limited by its incoming places. The transition can only fire after all of its incoming places allows it. A place only allows its outgoing transition to fire after it has been holding a token for the duration of its delay.

Any place receives a token after its incoming transition fires. If a place holds a token at the initial time it is assumed that it has received that token at the previous cycle time. From these statements it is possible to formalise an arrival time constraint for each place.

**Definition 4.4.1 (Arrival time constraint)** *Inequation 4.19 is the arrival time constraint defined for a place  $p = (u, v)$ , where  $a_u$  is the arrival time for the incoming transition  $u$ ;  $a_v$  is the arrival time for the outgoing transition  $v$ ;  $d_p \geq 0$  is the delay associated with place  $p$ ;  $m_0(p)$  is the number of initial tokens in  $p$  (1, if initially marked, else 0); and  $\phi \geq 0$  is the cycle time of the marked graph.*

$$a_v \geq a_u + d_p - m_0(p)\phi \quad (4.19)$$

*Inequation 4.19 states that  $v$  fires  $d_p$  time units after  $u$  has fired, unless  $p$  is initially marked, than it is assumed that  $v$  has fired one cycle before.*

Since the delay attributed to each place is the maximum delay of the propagation path, it is safe to assume that the transition will fire as soon as all arrival constraints are satisfied. Following this assumption, the maximum cycle-time is the minimal value of  $\phi$  that satisfies the set of constraints. This can be computed using a linear programming (LP) solver, by providing the arrival time constraints with the place delays and setting the objective function as minimising  $\phi$ .

The LP solver solution returns values for each variable in the input formulation. This includes the value of  $\phi$ , which is the maximum cycle time. But it also includes values for the arrival time of each transition, byproduct values with no concrete meaning, one solution of many possible ones. The LP solver is free to attribute values to these variables, only the distance and ordering of these values are important to the solution process.

However, more useful information could be extracted from the solution. For instance, the free slack is the amount of time a token stays in a place after its delay has expired. This information is useful for optimising the pipeline performance. Beerel et al. [BLDK06] has extended the arrival time constraint formulation to extract the free slack of each place, creating the arrival time equation.

**Definition 4.4.2 (Arrival Time Equation)** *Equation 4.20 is the arrival time equation defined for each place  $p = (u, v)$ , where  $a_u$  is the arrival time for the incoming transition  $u$ ;  $a_v$  is the arrival time for the outgoing transition  $v$ ;  $d_p \geq 0$  is the delay associated with place  $p$ ;  $\rho_p \geq 0$  is the free slack of place  $p$ ,  $m_0(p)$  is the number of initial tokens in  $p$  (1 if initially marked, else 0); and  $\phi \geq 0$  is the cycle time of the marked graph.*

$$a_v = a_u + d_p + \rho_p - m_0(p)\phi \quad (4.20)$$

The arrival time equation can replace the arrival time constraint in the LP solver formulation. The solution of the augmented formulation yields the maximum cycle time, the arbitrary transition arrival times and the free slack of each place.

An example to demonstrate this methodology is to compute the maximum cycle time of a 3-stage circular half-buffer circuit. The example circuit is modelled as an HBCN, depicted in Figure 4.5, with the formulation below.

$$N = (\Gamma, C, l_0) \quad (4.21)$$

$$\Gamma = \{r_0, r_1, r_2\} \quad (4.22)$$

$$C = \{(r_0, r_1), (r_1, r_2), (r_2, r_0)\} \quad (4.23)$$

$$l_0(c) = \begin{cases} req_{data} & c = (r_0, r_1) \\ ack_{null} & c = (r_1, r_2) \\ req_{null} & c = (r_2, r_0) \end{cases} \quad (4.24)$$

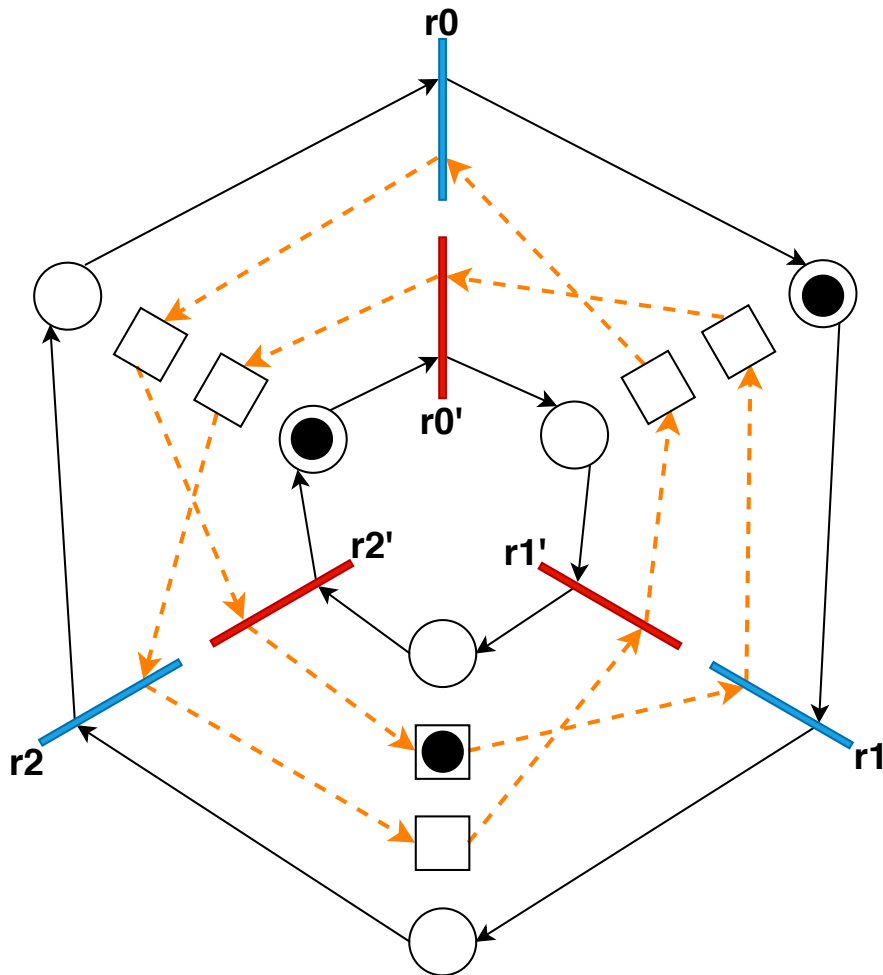


Figure 4.5: HBCN of a 3-stage, circular half-buffer circuit.

Using Definition 4.3.1 it is possible to find the HBCN equivalent marked graph, which is as follows.

$$G = (T, P, M_0) \quad (4.25)$$

$$T = \{r_0, r_0', r_1, r_1', r_2, r_2'\} \quad (4.26)$$

$$P = \left\{ \begin{array}{l} (r_0, r_1), (r_0', r_1'), (r_1', r_0), (r_1, r_0') \\ (r_1, r_2), (r_1', r_2'), (r_2', r_1), (r_2, r_1') \\ (r_2, r_0), (r_2', r_0'), (r_0', r_2), (r_0, r_2') \end{array} \right\} \quad (4.27)$$

$$M_0 = \{(r_0, r_1), (r_2', r_1), (r_2', r_0')\} \quad (4.28)$$

On this example, assume every forward propagating place is assigned a delay of 1.5 time units and that every backward propagating place is assigned a delay of 1 time unit. Using the arrival equation from Definition 4.4.2, it is possible to obtain an LP problem formulation to compute the maximum cycle time and the free slacks for the Example HBCN. Algorithm 4.1 shows the LP formulation, and its solution, obtained from an LP solver appears in Table 4.1. All variables are bounded to be positive real values.

**Minimise**

|  $\phi$

**Subject To**

$$a_{r_1} = a_{r_0} + 1.5 + \rho_{(r_0, r_1)} - \phi$$

$$a_{r_1'} = a_{r_0'} + 1.5 + \rho_{(r_0', r_1')}$$

$$a_{r_0} = a_{r_1'} + 1 + \rho_{(r_1', r_0)}$$

$$a_{r_0'} = a_{r_1} + 1 + \rho_{(r_1, r_0')}$$

$$a_{r_2} = a_{r_1} + 1.5 + \rho_{(r_1, r_2)}$$

$$a_{r_2'} = a_{r_1'} + 1.5 + \rho_{(r_1', r_2')}$$

$$a_{r_1} = a_{r_2'} + 1 + \rho_{(r_2', r_1)} - \phi$$

$$a_{r_1'} = a_{r_2} + 1 + \rho_{(r_2, r_1')}$$

$$a_{r_0} = a_{r_2} + 1.5 + \rho_{(r_2, r_0)}$$

$$a_{r_0'} = a_{r_2'} + 1.5 + \rho_{(r_2', r_0')} - \phi$$

$$a_{r_2} = a_{r_0'} + 1 + \rho_{(r_0', r_2)}$$

$$a_{r_2'} = a_{r_0} + 1 + \rho_{(r_0, r_2')}$$

**End**

Algorithm 4.1: LP formulation to compute the cycle time and free slack for the example HBCN.

**Variable Value**

$\phi$	6
$a_{r_1}$	0
$a_{r_0'}$	1
$a_{r_2}$	2
$a_{r_1'}$	3
$a_{r_0}$	4
$a_{r_2'}$	5
$\rho_{(r_0, r_1)}$	0.5
$\rho_{(r_0', r_1')}$	0.5
$\rho_{(r_1, r_2)}$	0.5
$\rho_{(r_1', r_2')}$	0.5
$\rho_{(r_2, r_0)}$	0.5
$\rho_{(r_2', r_0')}$	0.5
$\rho_{(r_1, r_0')}$	0
$\rho_{(r_1', r_0)}$	0
$\rho_{(r_2, r_1')}$	0
$\rho_{(r_2', r_1)}$	0
$\rho_{(r_0, r_2')}$	0
$\rho_{(r_0', r_2)}$	0

Table 4.1: Solution of the LP formulation.

The solution of  $\phi$  shows that the maximum cycle time of the Example circuit is 6 time units. The solutions of the arrival variables from  $a_{r_1}$  to  $a_{r_2'}$  are the estimated arrival

times, they show the order in which transitions happen in a cycle. The solution of variables  $\rho_{(r_0,r_1)}$  to  $\rho_{(r_2',r_0')}$  show that the forward propagation places have a free slack of 0.5 time units, which means that data transitioning in that path have to wait 0.5 time units to propagate after they are ready. The solution of variables  $\rho_{(r_1,r_0')}$  to  $\rho_{(r_0',r_2)}$  indicates that the backward propagation paths are part of the critical cycle, data propagating in these paths evolve to the next stage as soon as they arrive to their registers. The existence of free slack in this circuit shows that the pipeline is not optimised.

#### 4.5 Constraining the Maximum Cycle Time

The last Section proposed and explored a technique to analyse the cycle time of HBCNs. However, this technique assumes a pre-synthesised circuit. This Section extends the linear programming (LP) formulations used for cycle time analysis to derive the individual path delays that satisfy a target cycle time.

Commercial EDA tools heavily rely on Static Timing Analysis (STA). Tools that perform STA are timing driven, they operate with the concept of a timing budget to guide their synthesis effort. For a circuit to work correctly, the timing of the combinational logic in these paths must be less or equal to their timing budget. Logic synthesis tools employ STA to elaborate logic circuits that respect the defined timing budget. Usually, for synchronous flop-based circuits, the timing budget is constrained using the target clock period, but timing exceptions can also be set to constrain individual paths. Chapter 3 introduced the pseudo-synchronous SDDS-NCL, a novel QDI design template that enables commercial EDA tools to synthesise and optimise sequential QDI circuits with constrained propagation paths. The pseudo-synchronous SDDS-NCL template allows defining a pseudo-clock and some timing exceptions to constraint the delay of individual propagation paths.

The previous Section developments relied on annotating an HBCN model with delays of individual propagation paths. From such HBCN it was then possible to derive a system of arrival equations  $a_v = a_u + d_p + \rho_p - m_0(p)\phi$ . These were then used in an LP formulation to compute the maximum cycle time of the circuit modelled by the HBCN. Recall that  $d_p$  is the place delay corresponding to a timing path and  $\phi$  is the maximum cycle time.

The cycle time analysis method is now extended to a synthetic approach. Instead of analysing the maximum cycle time of a given circuit, the HBCN and arrival equation are used to compute the delay constraints of places required to meet a desired maximum cycle time ( $\phi$ ). For that, a single delay  $\lambda$  is assigned to every place corresponding to timing paths which are to be constrained. A system of arrival time equations is then extracted from the HBCN model, the maximum cycle time value  $\phi$  is set to the desired value and the value of  $\lambda$  is maximised using an LP solver. The computed value of  $\lambda$  is the pseudo-clock used to constrain the timing paths of the original circuit. The intuition behind this method is to

discover “how slow” the constrained timing paths can be, without violating the maximum cycle time constraint. Since the pseudo-synchronous SDDS-NCL template allows defining a pseudo-clock to constrain the delay of individual paths, it is fair to assume that the delay of these paths will be limited by  $\lambda$ .

Notice that the method proposed here allows the designer to optionally specify a fixed delay for any place  $p$  by attributing a numeric value to  $d_p$ . This is useful when a timing path has a known delay or its delay is fine-tuned by the designer using timing exceptions. These fixed delays are taken in consideration during the pseudo-clock computation, thus guaranteeing that the pseudo-clock constraint still bounds the maximum cycle time. The use of fixed delays on timing paths known to be fast in the critical cycle may allow the pseudo-clock constraint to be more relaxed.

To demonstrate the method, consider an example of constraining the 3-stage circular buffer whose HBCN appears in Figure 4.5, to the maximum cycle time of 2 ns. In this example, assume that the places corresponding to the channel connecting the transition pair  $(r_0, r_0')$  to  $(r_1, r_1')$  have a fixed delay of 100 ps. The LP formulation used to compute the pseudo-clock constraint  $\lambda$  is depicted in Algorithm 4.2. It states that the value of  $\lambda$  should be maximised, subject to  $\phi = 2$  and the system of arrival equations. Each arrival equation corresponds to a place  $p = (u, v)$  in the HBCN. These equations state that the transition on the postset of a place should occur at least  $\lambda$  time units after the transition on the preset of the same place, except on places with tokens where the transition can occur  $\phi$  time units ahead. Here, the free slack  $\rho_p$  is a positive real value that captures the amount of time a token has to wait idling in a place after its propagation delay. Running this model on an LP solver results in the solutions for the variables presented in Table 4.2.

**Maximise**|  $\lambda$ **Subject To**

$$\phi = 2$$

$$a_{r1} = a_{r0} + 0.1 + \rho_{(r0,r1)} - \phi$$

$$a_{r1'} = a_{r0'} + 0.1 + \rho_{(r0',r1')}$$

$$a_{r0} = a_{r1'} + 0.1 + \rho_{(r1',r0)}$$

$$a_{r0'} = a_{r1} + 0.1 + \rho_{(r1,r0')}$$

$$a_{r2} = a_{r1} + \lambda + \rho_{(r1,r2)}$$

$$a_{r2'} = a_{r1'} + \lambda + \rho_{(r1',r2')}$$

$$a_{r1} = a_{r2'} + \lambda + \rho_{(r2',r1)} - \phi$$

$$a_{r1'} = a_{r2} + \lambda + \rho_{(r2,r1')}$$

$$a_{r0} = a_{r2} + \lambda + \rho_{(r2,r0)}$$

$$a_{r0'} = a_{r2'} + \lambda + \rho_{(r2',r0')} - \phi$$

$$a_{r2} = a_{r0'} + \lambda + \rho_{(r0',r2)}$$

$$a_{r2'} = a_{r0} + \lambda + \rho_{(r0,r2')}$$

**End**

Algorithm 4.2: LP formulation to constrain the cycle time of the HBCN in Figure 4.5 to 2ns, using the pseudo-clock method with fixed delays.

Variable	Value
$\lambda$	0.45 ns
$a_{r1}$	0 ns
$a_{r0'}$	0.1 ns
$a_{r2}$	0.55 ns
$a_{r1'}$	1 ns
$a_{r0}$	1.1 ns
$a_{r2'}$	1.55 ns
$\rho_{(r0,r1)}$	0.8 ns
$\rho_{(r0',r1')}$	0.8 ns
$\rho_{(r1,r2)}$	0.1 ns
$\rho_{(r1',r2')}$	0.1 ns
$\rho_{(r2,r0)}$	0.1 ns
$\rho_{(r2',r0')}$	0.1 ns
$\rho_{(r1,r0')}$	0 ns
$\rho_{(r1',r0)}$	0 ns
$\rho_{(r2,r1')}$	0 ns
$\rho_{(r2',r1)}$	0 ns
$\rho_{(r0,r2')}$	0 ns
$\rho_{(r0',r2)}$	0 ns

Table 4.2: Solutions to the LP problem in Algorithm 4.2

In this example, the fixed delays take part on the critical cycle and helped relaxing the pseudo-clock constraint. To understand their impact, the experiment is repeated without fixing any place delays. Here, every timing path is equally constrained with the pseudo-clock value. The LP formulation is depicted in Algorithm 4.3 and its solution is presented in Table 4.3. Notice that value of  $\lambda$  is much lower in comparison. Note also the free slack is equally distributed along all forward-propagating places.

**Maximise**|  $\lambda$ **Subject To**

$$\phi = 2$$

$$a_{r1} = a_{r0} + \lambda + \rho_{(r0,r1)} - \phi$$

$$a_{r1'} = a_{r0'} + \lambda + \rho_{(r0',r1')}$$

$$a_{r0} = a_{r1'} + \lambda + \rho_{(r1',r0)}$$

$$a_{r0'} = a_{r1} + \lambda + \rho_{(r1,r0')}$$

$$a_{r2} = a_{r1} + \lambda + \rho_{(r1,r2)}$$

$$a_{r2'} = a_{r1'} + \lambda + \rho_{(r1',r2')}$$

$$a_{r1} = a_{r2'} + \lambda + \rho_{(r2',r1)} - \phi$$

$$a_{r1'} = a_{r2} + \lambda + \rho_{(r2,r1')}$$

$$a_{r0} = a_{r2} + \lambda + \rho_{(r2,r0)}$$

$$a_{r0'} = a_{r2'} + \lambda + \rho_{(r2',r0')} - \phi$$

$$a_{r2} = a_{r0'} + \lambda + \rho_{(r0',r2)}$$

$$a_{r2'} = a_{r0} + \lambda + \rho_{(r0,r2')}$$

**End**

Algorithm 4.3: LP formulation to constrain the cycle time of the HBCN in Figure 4.5 to 2ns, using the pseudo-clock method.

Variable	Value
$\lambda$	0.333 ns
$a_{r1}$	0 ns
$a_{r0'}$	0.333 ns
$a_{r2}$	0.667 ns
$a_{r1'}$	1 ns
$a_{r0}$	1.333 ns
$a_{r2'}$	1.667 ns
$\rho_{(r0,r1)}$	0.333 ns
$\rho_{(r0',r1')}$	0.333 ns
$\rho_{(r1,r2)}$	0.333 ns
$\rho_{(r1',r2')}$	0.333 ns
$\rho_{(r2,r0)}$	0.333 ns
$\rho_{(r2',r0')}$	0.333 ns
$\rho_{(r1,r0')}$	0 ns
$\rho_{(r1',r0)}$	0 ns
$\rho_{(r2,r1')}$	0 ns
$\rho_{(r2',r1)}$	0 ns
$\rho_{(r0,r2')}$	0 ns
$\rho_{(r0',r2)}$	0 ns

Table 4.3: Solutions to the LP problem in Algorithm 4.3.

The maximum delay  $\lambda$  is used as a pseudo-clock during synthesis, constraining all paths in the circuit. This solution is simple and scales very well to large designs, but it limits the maximum cycle time at the expense of over-constraining some paths. As a consequence, this unnecessarily reduces the time budget of some paths, possibly causing negative impact on the quality of the synthesis on designs with free slack. The result can be the production of circuits with higher than minimum area and power consumption. To understand the issues with the free slack and the pseudo-clock period, take the 3-stage loop example HBCN shown in Figure 4.5. On this example, the longest cycle, i.e. the cycle with most places per token, is marked with a dashed orange line. It has 6 places for a single token, while all other cycles have 4 places per token. If every place is to be constrained equally by the pseudo-clock period, places not taking part in this longest cycle would be overly constrained. This is further evidenced in the LP formulation, showing that the places taking part in the highlighted cycle have nought free slack while all other places have some free slack. The paths corresponding to these places could be made slower without negatively impacting the maximum cycle time constraint. The maximum cycle time ultimately limits the throughput of the circuit. The free slack could be incorporated in the corresponding path constraint to relax



the synthesis of these paths without affecting the cycle time. This could be solved by setting timing exceptions on these paths.



## 5. THE PULSAR SYNTHESIS FLOW

The Pulsar flow is the main contribution of this dissertation. It is a complete flow for synthesising a constrained QDI circuit from an RTL description. Pulsar comprises the Pseudo-Synchronous SDDS-NCL Template and the HBCN timing model to leverage commercial EDA tools. The Pulsar Flow is depicted in Figure 5.1. Here, the synthesis flow begins with a single-rail synthesis, which produces a single-rail netlist. This netlist is processed and transformed into a virtual netlist comprising virtual functions and pseudo-flops. The virtual netlist is the input to the Pseudo-Synchronous SDDS-NCL synthesis flow. The Pulsar flow also constructs the HBCN and creates the cycle time constraints automatically. Readers should notice that the Sequential SDDS-NCL Synthesis Flow, detailed in Section 3.3 is at the heart of the Pulsar flow.

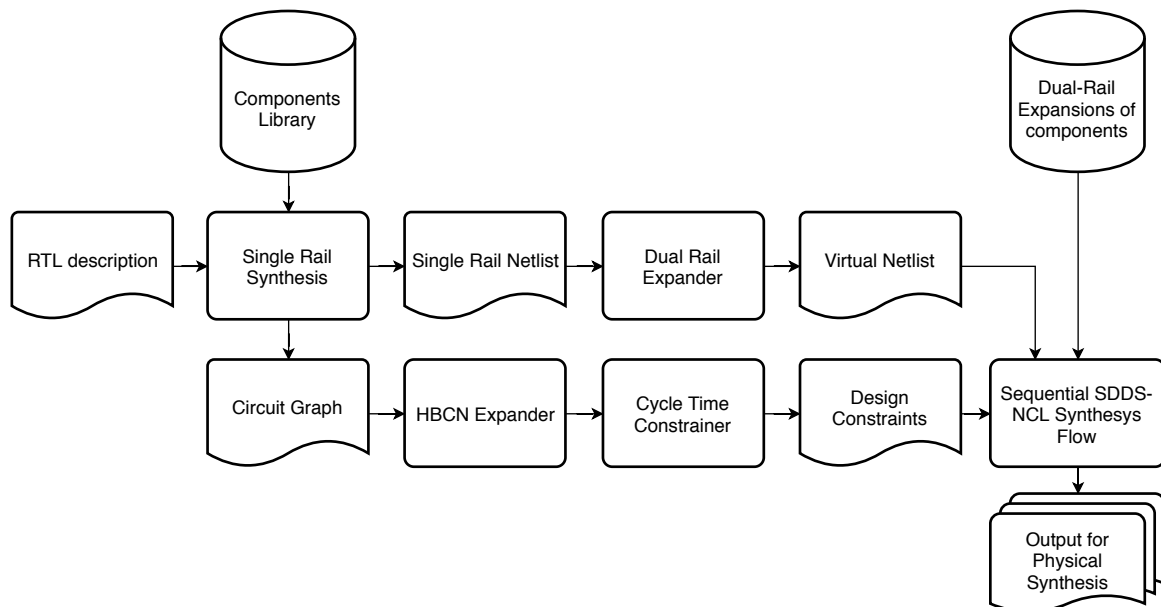


Figure 5.1: The Pulsar synthesis flow.

The design capture methodology shares similarities with Uncle [RST12], as it uses an especially crafted RTL description and traditional EDA tools to synthesise a single-rail netlist. However, Uncle relies on its own specialised tool for technology mapping and optimisation of the NCL netlist, whereas Pulsar flow relies on SystemVerilog constructs and the Sequential SDDS-NCL Synthesis Flow. The RTL netlist is synthesised using a traditional EDA tool to produce a single-rail netlist of *components*. These components are defined in the *components library* using the Synopsys Liberty format. This library contains the combinational and sequential components that can be used by the EDA tool during the synthesis of the *single-rail netlist*. Each component has an equivalent SystemVerilog module defining its dual-rail expansion.

The dual-rail expansion takes advantage of SystemVerilog interfaces [SDF06] to represent dual-rail four-phase RTZ channels. These channels interconnect modules implementing the dual-rail expansion of components. The SystemVerilog interface is also used for constructing the acknowledgement network for channels. A simple tool replaces every wire in the single-rail netlist with a channel to create the *virtual netlist*. The virtual netlist and the modules implementing the dual-rail expansion of components are input to the synthesis flow described in Section 3.3.

Concurrent to the creation of the virtual netlist, cycle time constraints are computed. The scripts used for the single-rail synthesis produce a *structural graph* describing the pipeline topology. This circuit graph is used to model the HBCN of the expanded circuit. The same tool that constructs the HBCN also computes the cycle-time constraint using the linear programming technique discussed in 4.5.

Each topic taking part on this flow is explored in specific Sections herein. Section 5.2 covers details on the channel expansion process. The component library and its components are explored in Section 5.3. The Pulsar flow is depicted using a simple example, in Sections 5.4 and 5.6. The automatic construction of the HBCN and the implementation of the cycle time constrainer are the subject of Section 5.5

## 5.1 QDI Synthesis Systems (Related Work)

Balsa [EB02] is a CSP-derived [Hoa78, Hoa85] language and framework for implementing asynchronous circuits. The Balsa language comprises primitives for explicit parallelism of sequential statements and communication channels. Balsa produces *handshake circuits* using a process called *syntax-directed translation*. Handshake circuits [Ber93] implement control-driven asynchronous circuits. They are composed of *handshake components* connected by channels. Each handshake component is designed to handshake with their neighbours sequentially, conditionally or in parallel. The behaviour of handshake components are directly related to the behaviour of CSP constructs. A handshake circuit can be seen as direct hardware equivalent of a CSP program, controlling the data flow in a datapath. In syntax-directed translation handshake components are selected from a small predefined set that maps directly onto Balsa language constructs. Each handshake component has a parameterisable gate-level implementation. The circuit gate-level netlist is generated by applying the parameters to each component instance and composing the resulting component gate-level netlists. This approach gives control to the designer, providing one-to-one relation between language constructs and handshake components. However, the control driven nature of handshake circuits imposes overheads that hurt performance sensitive applications [PTE05, BTE09]. Data-driven asynchronous circuits provide an interesting lower-overhead alternative to control-driven circuits.

Uncle [RST12] is a design flow for producing NCL circuits from RTL descriptions. The first step in the Uncle data-driven design flow is to use a commercial synthesis tool to produce a single-rail synchronous netlist from the RTL description, using a simple library of gates composed of 2-input AND/OR/XOR gates, NOT gates, edge sensitive flip-flops and level sensitive latches. The single-rail netlist is next expanded to a dual-rail netlist in the following four steps: (i) the clock network is removed; (ii) every net (except the global reset) is replaced by two nets (for dual-rail encoding) and logic gates are replaced by dual-rail NCL equivalents using predefined templates of NCL gates; (iii) single-rail latches are replaced by a single dual-rail latch and flip-flops are substituted by a sequence of two dual-rail latches; Uncle dual-rail latches are implemented using a resettable NCL2W11OF2 gate (a resettable C-Element) and an NOR, 1-of-2 completion detection gate; (iv) the acknowledge network (backward propagation path) is generated between latches. The generated dual-rail netlist passes through optional optimisation steps that improve performance: (i) cell merging, where a subset of simple connected NCL gates is replaced by a more complex NCL gate; (ii) retiming, a process that attempts to balance the propagation delay of the forward and backward path by moving logic across latches; and (iii) relaxation, a process in which NCL gates are replaced by simple combinational gates without compromising the indication principle.

## 5.2 Dual-rail Channels

As discussed in Section 2.2, handshake channels allow the communication of tokens between entities in an asynchronous circuit. A producer sends tokens through the channel and consumers receive it. Once a consumer receives the token, it acknowledges the reception. A producer must wait until all consumers connected to it acknowledge the reception of token prior to starting a new transmission.

Each channel is an interconnection between components in an asynchronous circuit. They are analogous to wires in a single-rail netlist, i.e. a single element sends tokens to multiple elements. But in contrast to a wire, a channel provides synchronisation between these elements. Pulsar dual-rail expansion replaces all wires from the single-rail netlist with channels. However, a channel is not a simple wire. A channel implementation may require multiple wires and some logic.

To this end, this work takes advantage of SystemVerilog *interfaces* [SDF06]. An interface is a SystemVerilog construct that allows abstracting interconnections on a system-level description. They are instantiated and bound to module instances much like wires. However, each interface bundles multiple wires that are part of the same interconnect, e.g. bundling the tokens, address and control lines of a processor bus. Besides wires, interfaces include *modports*, that allow defining how modules connect the interface, e.g. bus master or

slave. These modports define the direction that each wire takes when the interface is bound to a module.

SystemVerilog interface and modport are supported by current commercial synthesis tools. Since an interface binds to module instances like a wire, it is straightforward to replace a wire with an interface instance. It only requires modifying the Verilog file of the single-rail netlist, replacing every wire declaration with an instance of the desired interface.

To exploit this, we define the `drwire` interface, depicted in Listing 5.1. This interface bundles three wires that together implement a dual-rail four-phase RTZ channel: wires `t` and `f` encode the forward-propagating token; and the `ack` wire carries the back-propagating acknowledgement.

Listing 5.1: The `drwire` interface.

```

1 interface drwire ();
2     wire t, f;
3     wand ack;
4
5     modport in (input t, input f, output ack);
6     modport out (input ack, output t, output f);
7 endinterface // drwire

```

The `drwire` interface also features two modports. These are used by SystemVerilog modules implementing the dual-rail expansion of components to bind with the channel: (i) modport `in` is used by modules as a replacement for input ports, binding to the channel as a consumer; and (ii) modport `out` is used by modules as a replacement for output ports, binding to the channel as a producer.

Since channels here are replacements for wires, they must support multiple consumers. At a given time the producer may send tokens, starting a handshake on the channel. The token reception must be acknowledge by all consumers listening to the channel before the producer is allowed to send more tokens. This means that the producer must receive the acknowledgement only after all consumers have acknowledged the reception.

Sparsø and Furber [SF01] describe in their book this situation where a channel feeds two or more consumers, as in a fork. A fork is implemented by merging the concurrent acknowledgement coming from different consumers with  $n$ -input C-elements, i.e. the channel acknowledgement only raises (lowers) when every consumer has raised (lowered) its acknowledgements. An  $n$ -input C-element is commonly implemented using a tree of smaller C-elements. This tree of C-elements is also know as the *acknowledgement network*, because it propagates the acknowledgement from consumers to producers in the channel.

To implement forks transparently in channels, this work uses the Verilog *wand* wire type to create the acknowledgement network. Wire declared as *wand* is a wire that and-reduces multiple assignments. The synthesis tool implements *wand* wires as  $n$ -input AND gates, where every assignment creates a new input. Reading from a *wand* wire yields

the output of the associated  $n$ -input AND gate. During synthesis, this  $n$ -input AND gate is interpreted as an and-reduction virtual function.

As discussed in Section 3.1, virtual functions are used to select NCL or NCLP gates during synthesis according to required protocol. By design, all channels in the virtual netlist implement the RTZ protocol. Therefore, the virtual functions associated with the channel are interpreted as virtual functions of NCL gates. C-elements are valid NCL gates and they can be selected by their  $v$ -function during synthesis. The virtual function of NCL gates is equal to their activation function.

The activation function of an  $n$ -input C-element is the and-reduction of its input, i.e. its output changes to one when all inputs are one. Therefore, the and-reduction virtual function is realised by an  $n$ -input C-element on RTZ. This allows creating the acknowledgement network for the channel by setting the `ack` wire type to `wand` in the `drwire` interface definition.

The use of `drwire` allows the construction of fine-grain channel networks, where each channel represents a single dual-rail “bit”. Combinational components bind to channels passively, they manipulate tokens and propagate acknowledgements between their inbound and outbound channels. Conversely, sequential components bind to channels as active producers and consumers. They consume tokens from their inbound channels and commence handshaking on their outbound channels.

The construction of this fine-grain channel network allows handshakes to be performed only where data dependency exists. Parallel independent channels in a bus can complete their handshakes concurrently. This allows for instance that individual bits in an adder complete handshaking as soon as their computation is ready, regardless the computation status of other bits.

### 5.3 A Library of Components

The synthesis of a sequential SDDS-NCL circuit with the Pulsar flows starts with the synthesis of a single-rail netlist. This single-rail netlist comprises sequential and combinational components from the component library. During single-rail synthesis, these components are presented to the synthesis tool as cell models using a Synopsys Liberty file. However, these bear no physical layout. Instead each component is expanded by a System-Verilog module that binds to channels implemented by the `drwire` interface.

Combinational components binds passively to their input and output channels. This means that they do not complete handshakes, instead they act as a passive consumers and producers. Combinational components combine tokens from their input channels on the output channel. They also propagate the acknowledgement between their output and input

channels. Conversely, sequential components are active handshaking elements that control the propagation of tokens in the pipeline. They complete handshakes between their input and output channels.

These SystemVerilog modules are instantiated by the virtual netlist. The content of these modules are used during the synthesis process to implement the circuit using the Pseudo-Synchronous SDDS-NCL template. Combinational components are expanded using virtual functions and sequential components are expanded to pseudo-synchronous WCHB registers. The following Sections cover the expansion of each component type.

### 5.3.1 Combinational Components

To understand how the expansion of a combinational element is constructed, consider the expansion of a `nand2` gate. This is a passive element that binds to `drwire` channels. Since the `drwire` interface implements dual-rail RTZ encoded channels, a component expansion needs to implement adequate delay insensitive logic to manipulate dual-rail RTZ codewords. The component corresponds to a 2-input NAND gate. The truth table for its single-rail equivalent is depicted in Figure 5.2a. It implements the function  $y = \neg(a \wedge b)$ . The implementation is not delay insensitive, as it does not differentiate intermediary computations from final computation results.

Remember the discussion about delay insensitive codes in Section 2.3. To make it delay insensitive, it is necessary to encode the gate input and output with a delay insensitive (DI) code. For this purpose, it is possible to use the 3NCL code presented by Fant in [Fan05]. This code introduces a null ( $N$ ) codeword, alongside the traditional true ( $T$ ) and false ( $F$ ) valid Boolean values. Each codeword encodes a token that propagates in channels.

The 3NCL code table of the gate is depicted in Figure 5.2b. In this expansion, the values from the single-rail truth table are mapped to codewords of 3NCL: 1 maps to  $T$  and 0 maps to  $F$ . As a requirement of QDI circuits, logic must be transparent to the channel handshake. This requirement implies that the state of the output channel of a combinational element must indicate the state of its input channels. This is guaranteed by implementing a *strong-indicating* component, meaning that the component output must only become valid ( $T$  or  $F$ ) when all inputs are valid and must become null ( $N$ ) only when all inputs are null. To implement a strong-indicating component, it is possible to introduce a hysteresis behaviour to the output. This means that the component output holds its previous value unless all input are null or all are valid. This guarantees that when a valid (null) output is detected, all inputs are valid (null).

This 3-valued logic is not implementable using CMOS conventional gates. However, it is possible to encode 3NCL codewords using a dual-rail code. Section 2.3 reviewed two possible dual-rail codes, each suitable to a matching protocol. The return-to-one (RTO)



		a	
	y	1	0
b	1	0	1
	0	1	1

(a) Single-rail Boolean truth table.

		a		
	y	T	F	N
b	T	F	T	-
	F	T	T	-
	N	-	-	N

(b) 3NCL code table.

Figure 5.2: Expansion of the `nand2` gate from: (a) a single-rail Boolean truth table to (b) a 3NCL code table. In the tables, (-) indicates hysteretic behaviour.

dual-rail code is employed when the channel implements the RTO protocol and the return-to-zero (RTZ) protocol is used when the channel implements the RTZ protocol. Figure 5.3 depicts the mapping between Boolean, 3NCL and dual-rail RTZ and RTO codes.

Boolean	3NCL	Dual-Rail			
		RTZ		RTO	
		t	f	t	f
1	T	1	0	0	1
0	F	0	1	1	0
	N	0	0	1	1

Figure 5.3: Map between codes. Only valid codewords are depicted.

A dual-rail code uses two wires to encode tokens. Of course there are 4 possible combination of Boolean values that can be encoded with 2 wires. However, DI codes require that no codeword is contained in another [Ver88], which limits possible DI codewords to 2. Dual-rail RTZ is a bitwise one-hot code (each bit is one-hot coded), where each valid codeword is represented by rising its respective rail and the null codeword is represented by setting both rails low. Rising both rails is considered an invalid codeword, this invalid codeword can be use during the expansion as a “don’t-care” to minimise logic.

The code table for the dual-rail RTZ encoding of the `NAND2` gate is depicted in Figure 5.4. This table establishes how output `y` behaves as a function of inputs `a` and `b`. On the left-hand side it depicts 3NCL codewords and on the right-hand side appears their dual-rail RTZ equivalents. Each line establishes possible output values for each input minterm. There are three possibilities contemplated for each output rail: (-) hold the previous value; (1) the output is high; (0) the output is low. Note that it requires 16 minterms to cover the 4 input rails, but there are only 9 valid codewords combinations. The missing minterms can be associated to any value on the output rails. This is not a problem since invalid codewords are not expected to occur during normal circuit operation and this allows us to simplify the circuit implementing this code table.

It is interesting to analyse each line type in the code table. The first line captures the reset phase of the component, when both inputs are null the output rails are driven low. The next four lines state that if any of the inputs are null the output must hold its previous value. In the next four lines all inputs are valid. These lines capture the behaviour of the

3NCL			Dual-rail RTZ					
a	b	y	a.t	a.f	b.t	b.f	y.t	y.f
<i>N</i>	<i>N</i>	<i>N</i>	0	0	0	0	0	0
<i>N</i>	<i>F</i>	-	0	0	0	1	-	-/0
<i>N</i>	<i>T</i>	-	0	0	1	0	-	-
<i>F</i>	<i>N</i>	-	0	1	0	0	-	-/0
<i>T</i>	<i>N</i>	-	1	0	0	0	-	-
<i>F</i>	<i>F</i>	<i>T</i>	0	1	0	1	1	-/0
<i>F</i>	<i>T</i>	<i>T</i>	0	1	1	0	1	-/0
<i>T</i>	<i>F</i>	<i>T</i>	1	0	0	1	1	-/0
<i>T</i>	<i>T</i>	<i>F</i>	1	0	1	0	-/0	1

Figure 5.4: Dual-rail RTZ code table of the  $\text{NAND}_2$  gate with equivalent 3NCL codewords. Here, (-) means hold the previous value and (-/0) means that either: hold the previous value, or set it low.

component evaluation phase. When the component is expected to set the output to *T* it drives the true rail high and when evaluating to *F* it drives the false rail high.

Note that some lines indicate that one of the output rails can either hold its previous value or go to a certain specific value. This is allowed because the protocol alternates evaluation and reset phases, thus guaranteeing that under correct operating condition the value of some output rails can be assumed. For instance, the reset phase always resets the rails to a known null value prior to the evaluation phase. Therefore, driving a single rail and holding the state of the other during evaluation is enough to produce a valid dual-rail codeword on the output. A similar situation occurs on the reset phase, when the evaluation is known to not have changed a certain output rail. For instance, in the gate in question, the false rail is only risen when both input codewords are *T*, therefore it must only hold its state on the reset phase if one of the inputs are *T*. If one input is *F* and the other is *N*, it is safe to assume that the false output rail is 0.

From this code table it is possible to establish two hysteretic functions, each implementing the behaviour of an output rail. Remembering from Section 3.1, an hysteretic function can be described using three minterm sets: (i) the ON-set contain all minterms that force the output high (1); (ii) the OFF-set contains all minterms that force the output low (0); and (iii) the HOLD-set contain all minterms that keep the previous value in the output (-). The *output rail functions* are depicted in Figure 5.5. Each of them captures the behaviour of the output rails in the code table. These functions are minimised, but they still respect the values on the code table. For instance, the function of the output rail, depicted in Figure 5.5a, depends only on two variables but it satisfies all values associated with the false rail on Figure 5.4.

Functions operating on the channel must be strictly unate. A strictly unate hysteretic function must change its output in response only to one direction of stimuli on its input. Seeing that during the reset phase the rails of a channel are driven in one direction and

a.t	b.t	y.f
0	0	0
0	1	-
1	0	-
1	1	1

(a) False rail.

a.t	a.f	b.t	b.f	y.t
0	0	0	0	0
0	0	?	1	-
0	0	1	?	-
?	1	0	0	-
1	?	0	0	-
?	1	?	1	1
?	1	1	?	1
1	?	?	1	1

(b) True rail.

Figure 5.5: Truth tables for the output rail functions: (a) false rail; (b) true rail. Here, (-) represents hysteretic behaviour and (?) represents that the value is a “don’t-care”.

during the evaluation phase they are driven in the opposite direction. For instance, when the channel implements a dual-rail RTZ code, during the reset phase all rails go low to encode a spacer and on the evaluation phase a single rail goes high to encode valid data. Both our output rail functions satisfy this requirement.

The logic described by the output rail functions can be realised using any QDI template that supports the required protocol. However, the Pulsar Flow uses standard EDA tools to implement SDDS-NCL circuits. Although a hysteretic function describes the behaviour of a SDDS-NCL circuit at both reset and evaluation phases, they are not supported by standard EDA tools. Remembering Section 3.1, SDDS-NCL uses virtual functions which allow standard EDA tools to select NCL and NCL+ gates. To implement the logic it is necessary to map hysteretic functions to virtual functions.

A virtual function is described by only two sets of minterms: the ON-set is the set of minterms that drive the output high; and the OFF-set is the set of minterms that drive the output low. We say that a virtual function preserves the ON-set (OFF-set) of a hysteretic function when their ON-sets (OFF-sets) are equivalent. Contrary to a hysteretic function, a virtual function does not have a HOLD-set. If the HOLD-set is not empty, the virtual function cannot preserve both ON-set and OFF-set. Therefore, when mapping an hysteretic function to a virtual function one must choose to preserve either the ON-set or the OFF-set and merge the HOLD-set to the set chosen not to be preserved.

A virtual function must capture the distinctive behaviour of the circuit evaluation phase. When using the RTO protocol the circuit reset phase is characterised by its hysteretic function ON-set and its evaluation phase by the OFF-set. Conversely, when using the RTZ protocol the circuit reset phase is characterised by its hysteretic function OFF-set and the evaluation phase by its ON-set. Therefore, the virtual function of a circuit implementing the RTZ protocol preserves the ON-set of its hysteretic function and the virtual function of a circuit implementing the RTO protocol preserves its OFF-set.

The example output rail functions are hysteretic functions that describe a circuit implementing the RTZ protocol. Therefore, the virtual functions for its output rails must preserve the ON-set of the hysteretic function and merge the HOLD-set with the OFF-set. The virtual functions for these output rails are depicted in Figure 5.6. Here, each function rises its output under the same input as the hysteresis functions. However, under the conditions that the hysteresis function holds its output, the virtual function drives its output low. This is not an issue, since the fix X-Netlist algorithm guarantees that the reset phase is correctly implemented.

a.t	b.t	y.f
0	?	0
?	0	0
1	1	1

(a) False rail.

a.t	a.f	b.t	b.f	y.t
?	0	?	0	0
0	0	?	1	0
?	1	0	0	0
?	1	?	1	1
?	1	1	?	1
1	?	?	1	1

(b) True rail.

Figure 5.6: Truth tables for the output rail virtual functions: (a) false rail; (b) true rail. Here, (?) represents that the input value is a “don’t-care”.

To map virtual functions during synthesis, these are represented as Boolean expressions. Each of these expressions are assigned to an output rail in the expansion module. This module, depicted in Listing 5.2, is implemented using SystemVerilog. The ports for the module are channels implemented using `drwire` interfaces. Input ports are declared using the `drwire.in` modport and outputs are declared using `drwire.out` modport. The acknowledgement of the output channel is connected directly to the acknowledgement of input channels. This module is instantiated by the virtual netlist during the sequential SDDS-NCL synthesis.

Listing 5.2: The `nand2` expanded module.

```

1 module nand2
2   (drwire.in a,
3     drwire.in b,
4     drwire.out y);
5
6   assign y.t = a.f & b.f |
7             a.f & b.t |
8             a.t & b.f;
9
10  assign y.f = a.t & b.t;
11
12  assign a.ack = y.ack;
13  assign b.ack = y.ack;
14 endmodule // nand2

```

However, to construct the virtual netlist, it is first necessary to synthesise a single-rail netlist. This single-rail netlist instantiates standard cells by name. The virtual netlist is a simple textual transformation of the single-rail netlist that preserves the name of the instantiated cells. Therefore, for the virtual netlist to instantiate components, a cell with the same name must be selected during the single-rail synthesis. For this reason, components are modelled as cells in the *component library*. This component library is presented to the synthesis tool as a Liberty file. Table 5.1 presents the list of available components in the library. `nand2` and `nor2` are the most fundamental components, paired by the `inv` they can generate any combinational logic. `xor2` is provided to allow efficient implementations of arithmetic logic and `buff` is provided to allow forking a channel.

Component	Rail	Virtual Function	Transition	Virtual Delay
nand2	True	$y.t = (a.f \wedge b.f) \vee (a.f \wedge b.t) \vee (a.t \wedge b.f)$	Rise	20 ps
	False	$y.f = a.t \wedge b.t$	Fall	10 ps
nor2	True	$y.t = a.f \wedge b.f$	Rise	10 ps
	False	$y.f = (a.t \wedge b.t) \vee (a.t \wedge b.f) \vee (a.f \wedge b.t)$	Fall	20 ps
xor2	True	$y.t = (a.t \wedge b.f) \vee (a.f \wedge b.t)$	Rise	15 ps
	False	$y.f = (a.t \wedge b.t) \vee (a.f \wedge b.f)$	Fall	15 ps
inv	True	$y.t = a.f$	Rise	0 ps
	False	$y.f = a.t$	Fall	0 ps
buff	True	$y.t = a.t$	Rise	0 ps
	False	$y.f = a.f$	Fall	0 ps

Table 5.1: Combinational gates of the component library.

The synthesis tool is driven by timing, it attempts to synthesise the circuit with the smallest area that meets the timing constraint. This work takes advantage of this to guide the single-rail synthesis flow to produce a virtual netlist that is simpler to synthesise. For that, virtual delay and area values are assigned to combinational elements of the component library, according to the complexity of their virtual function expansions. This heuristics attempts to produce an expanded dual-rail netlist with simpler virtual functions for each rail.

Table 5.1 also presents the virtual delay of combinational components in the library. The virtual delay corresponding to the true rail virtual function is expressed in the rise transition. Conversely, the virtual delay corresponding to the false rail is expressed in the fall transition. The timing estimations are based on the minimal number of 2-input gates required to activate the virtual function in a disjunctive normal form, for each OR gate is attributed a 5 ps delay and for each AND gate is attributed a 10 ps delay. For instance, consider that the `nand2` gate, activating its true rail virtual function requires activating one AND gate and two OR gates, totalling 20 ps. In contrast, the `inv` component, when using dual rail code, is basically two crossed wires, it does not introduce any additional logic to channels, therefore it has 0-delay.

### 5.3.2 Sequential Components

Another class of components used during the dual-rail expansion are sequential components. These implement registers in asynchronous pipelines. They are modelled as flip-flops on the single-rail synthesis, allowing standard synthesis tools to instantiate them from canonical RTL constructions. The sequential components expand to dual-rail pseudo-synchronous WCHB registers, providing endpoints to be used during the sequential SDDS-NCL synthesis. Sequential elements bind to `drwire` channels actively, performing handshake on their input and output channels. There are three sequential components in the Library: (i) the `dff` half-buffer dual-rail RTZ register; (ii) the `dffr` resettable full-buffer component; and (iii) the `dffs` settable full-buffer component. These components are explored in the next paragraphs.

From a high-level perspective, registers allow sequential parallelism. They control the propagation of tokens in the pipeline, allowing subsequent stages to perform handshake concurrently. A half-buffer register achieves this by allowing its input and output channels to be in opposite handshake phases. The half-buffer register latches tokens, either valid or null, until both channels finish their handshake phase. This is controlled by incoming output acknowledgement and data availability in the inputs. When the register latches a new token on its output channel, it acknowledges the reception to the channel, thus allowing a new handshake phase to occur.

The implementation of a half-buffer dual-rail RTZ register is depicted in Figure 5.7a. The half-buffer register is the simplest sequential component and is the base for constructing pipelines. It connects to two channels, an input channel (`d`) and an output channel (`q`). The half-buffer consists of: two resettable C-Elements, here named using the NCL-style threshold gate denomination `RNCL2OF2`; one OR gate (`NCL1OF2`); and an inverter. When the output channel acknowledges the reception of a null (valid) token, the resettable C-Elements can latch an incoming valid (null) token. This register operates on RTZ channels, valid token codewords are one-hot and null token codewords are presented by all bits in 0. Therefore, an OR gate acknowledges when either a valid or null token has been latched in the input channel. A null token is acknowledged by lowering the `ack` wire of the input channel and a valid token is acknowledged by rising the same signal. The inverter on the output `ack` wire enables the alternation between reset and evaluation phases.

During initialisation it is important to place the circuit in a known state. This is due the fact that all components in the circuit consist of gates with hysteresis, which start at unknown initial states. A QDI circuit with an unknown state may not operate properly, as it may contain invalid codewords and possibly inconsistent handshake signal values on its channels. Both RTZ and RTO protocols require that combinational components outputs are

null prior to entering the evaluation phase. Thus, it is important to initialise all combinational components in the circuit by propagating the null codeword.

For the reason stated above, half-buffer registers employ resettable C-Elements that initialise their output channels to null codewords. Null codewords propagate through combinational components in cascade, placing the forward propagation logic in a well-known state. Similarly, the backward propagation logic on the input channel must also be initialised. When the register initiates the output rails low, the OR gate sets the acknowledgement signal of the input channel low. This signals that the channel is ready to receive new data, an information which cascades in the backward propagation of the inbound channel, initialising it. This is evident when the HBCN model depicted in Figure 5.7b is analysed. Here, the inbound channel is represented by four places preceding the register and the outbound by four places succeeding the register. The initial marking represents the initial state of the channel, it marks that both channels are ready to accept new data tokens.

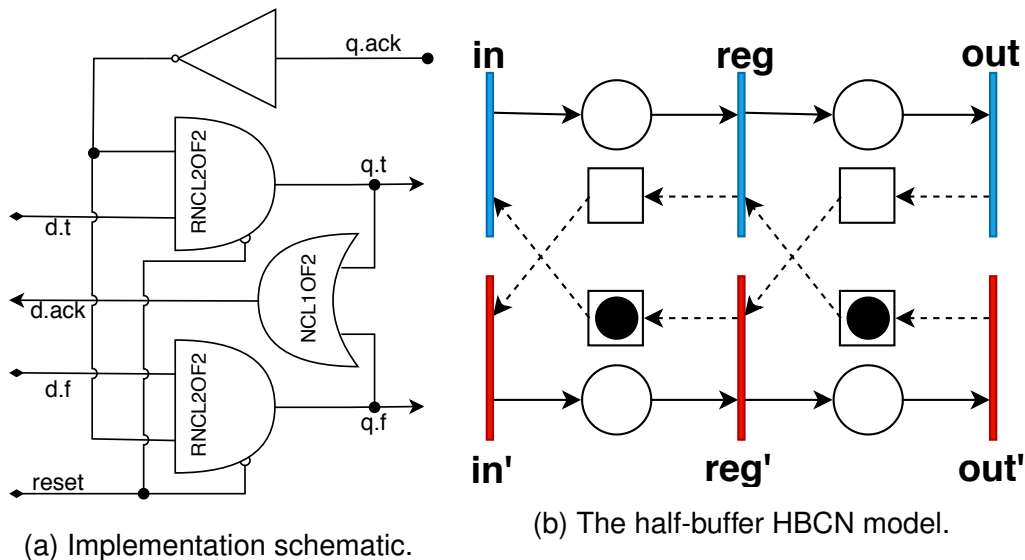
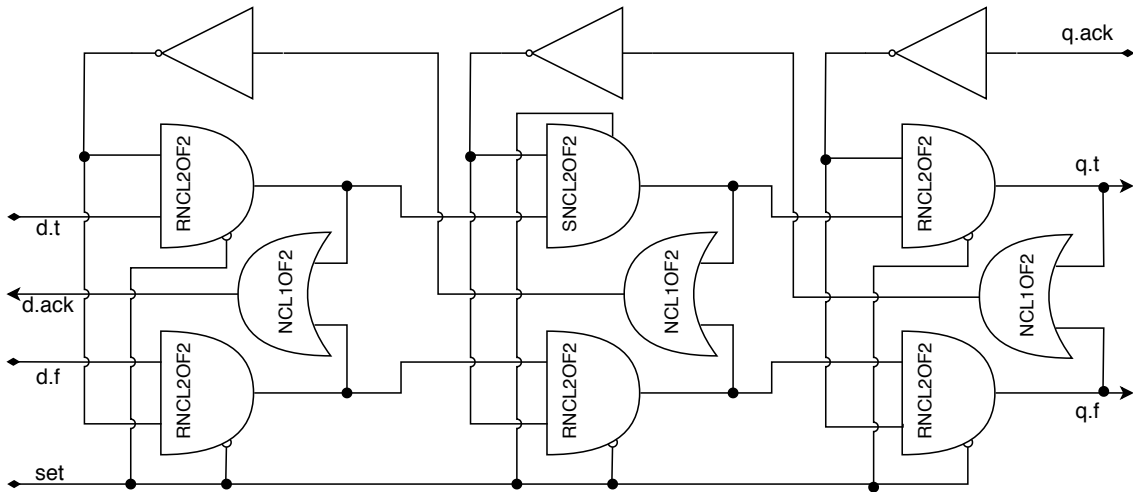


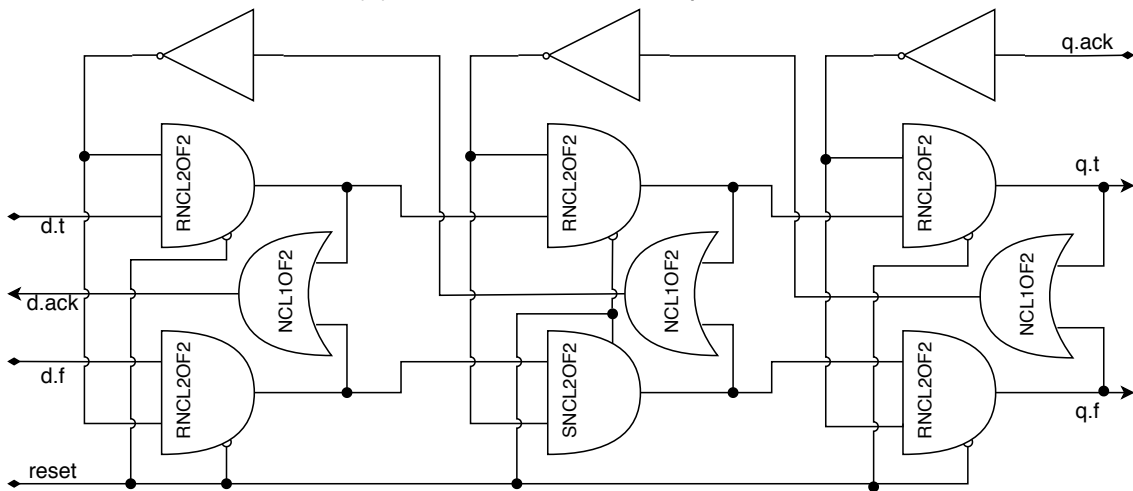
Figure 5.7: The *dff* half-buffer dual-rail register: (a) schematic; (b) HBCn model.

Sometimes it is necessary to initialise a circuit with data. For example, a counter must initialise to a known data value. This implies initialising some channels with valid tokens. This can be achieved using the full-buffer components depicted in Figure 5.8. The settable full-buffer component, depicted in Figure 5.8a, places a valid true data token in the circuit. The resettable full-buffer component, depicted in Figure 5.8b, places a valid false data token in the circuit. A full-buffer component can simultaneously hold a valid and a null token. This separates their inbound and outbound channels by a full handshake cycle.

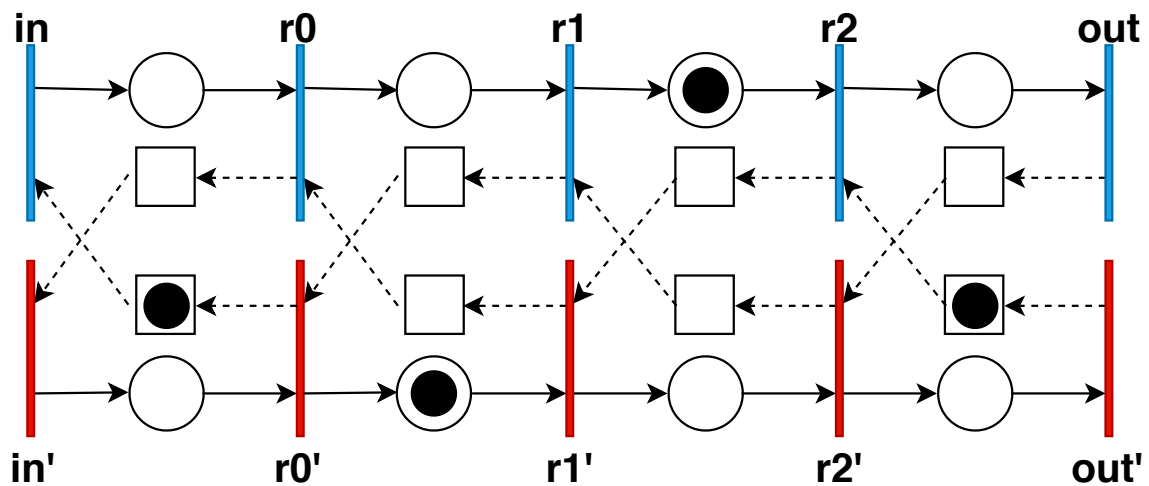
The full-buffer component comprises three half-buffer registers in sequence. These are required to place valid and a null token in the pipeline while correctly initialising the inbound and outbound channels. Propagating valid tokens in a circuit at an unknown state would yield invalid results. Therefore, the first and the last are regular half-buffer registers that reset to null. These two registers are responsible for initialising the inbound and out-



(a) The *dffs* settable component.



(b) The *dffr* resettable component.



(c) The full-buffer HBCN model.

Figure 5.8: The two full-buffer components: (a) DFF with set ; (b) DFF with reset ; (c) the HBCN model.



bound channels. Due to the provided isolation, the middle register can safely reset to a valid token without compromising circuit initialisation. This is implemented by instantiating a settable C-Element (SNCL2OF2) for either the true or the false rail depending on the component.

The behaviour of full-buffer components is further evidenced by an analysis of its HBCN model, depicted in Figure 5.8c. Here, the inbound and outbound channels are initialised to a state where both are ready to accept new tokens, similar to the initial state of the half-buffer register. However, two channels internal to the component are initialised to a valid and a null tokens. These internal channels contain no logic, thus they do not need to be initiated by a null token.

The settable and resettable C-elements employed in full-buffer components are pseudo-flop instances. Remembering Section 3.2, a pseudo-flop allows breaking the cycles of WCHB pipelines and using STA to analyse the forward and backward propagation paths. This is important during the sequential SDDS-NCL synthesis. However, a commercial EDA tool cannot infer these gates from virtual functions, as it does with NCL and NCLP gates employed in combinational component expansions. Therefore, these pseudo-flops are manually instantiated in the SystemVerilog module implementing the component expansion. This makes the implementation of sequential component expansions technology dependent.

Just as in the case of combinational components, the sequential components are also instantiated by name during the single-rail synthesis. They are modelled as D-type flip-flops in the component library Liberty file. The settable and resettable full-buffer components are modelled as flops with preset and reset, respectively. The half-buffer register is modelled as a D-type flip-flop with neither reset nor preset control signals. This approach contrasts with Uncle [RST12], where half-buffer registers are modelled as latches. Note that according to the author's experience, standard EDA tools do not support retiming latch circuits. Therefore, modelling sequential components as flops additionally enables performing retiming during single-rail synthesis. This balances the amount of components employed in each pipeline stage and opens new opportunities for optimisation in early synthesis steps.

## 5.4 A Case Study: Applying the Dual Rail Expansion Flow

After presenting the building blocks of the design capture and dual-rail expansion processes, it is now possible demonstrating the dual rail expansion flow with a simple example. This example assumes the synthesis of a 2-bit 2-stage adder, an example simple enough for the reader to follow through all steps of the expansion.

The starting point for synthesis is the Verilog RTL description. Listing 5.3 depicts the example RTL. The description must contain a clock port named `c1k`. This clock is used

to infer rise-sensitive flops that translate to sequential components. Optionally, an active-low reset port named `reset` can be used to infer full-buffer components.

Listing 5.3: Input RTL example.

```

1 module adder(a, b, out, clk);
2   input wire [1:0] a, b;
3   output reg [1:0] out;
4   input wire      clk;
5
6   always @(posedge clk)
7     out <= a + b;
8 endmodule // adder

```

The RTL code is synthesised using Genus with a nought period clock constraint and retiming. The script used for this synthesis is listed in Appendix A. The output of the single-rail synthesis is the netlist depicted in Listing 5.4. It instantiates the components by name. Note the number of dff instances, there should be enough to have only a two-bit register. However, Genus retiming engine considered advantageous to break one of the flops in two to balance logic between the pipeline stages (see the code lines starting with **dff retime\_**).

Listing 5.4: Single-rail netlist example, reordered for clarity.

```

1 module adder(a, b, out, clk);
2   input [1:0] a, b;
3   input clk;
4   output [1:0] out;
5   wire [1:0] a, b;
6   wire clk;
7   wire [1:0] out;
8   wire n_0, n_1, n_2, n_3, n_4, n_5;
9
10  xor2 g176__4296(.a (a[0]), .b (b[0]), .y (n_3));
11  nand2 g178__1474(.a (a[0]), .b (b[0]), .y (n_1));
12  dff out_reg_0_(.ck (clk), .d (n_3), .q (out[0]));
13  dff retime_s1_2_reg(.ck (clk), .d (n_1), .q (n_4));
14  inv g179(.a (a[1]), .y (n_0));
15  xor2 g177__3772(.a (n_0), .b (b[1]), .y (n_2));
16  dff retime_s1_1_reg(.ck (clk), .d (n_2), .q (n_5));
17  xor2 g172__8780(.a (n_4), .b (n_5), .y (out[1]));
18 endmodule

```

From the single-rail netlist, the *DRExpander* program constructs a virtual netlist. Appendix B lists the Haskell source code for this program. *DRExpander* parses the Verilog netlist, replaces every wire in the netlist by instances of the `drwire` interface. Buses of wires, such as `a`, `b` and `out` are broken in multiple `drwire` instances.

*DRExpander* is also responsible for recreating the module ports. Each port of the single-rail netlist is expanded to three ports suffixed by `_t`, `_f` and `_ack`, which are respectively the true, false and acknowledgement wires of the channel. The *DRExpander* connects

these ports to the internal wires of the respective `drwire` instance. This provides a consistent interface for the asynchronous module to connect with the external world.

If the single-rail netlist does not include a `reset` port, the DRExpander creates one and connects it to all sequential components in the virtual netlist. This is important to reset half-buffer registers. Remember that half-buffer registers are modelled as D-flip-flops with no reset. On the single-rail netlist, the `dff` instances do not contain a reset pin. However, their expanded module requires a reset to function properly.

Finally, the virtual netlist contains a clock port `clk` that connects to all its sequential components. This is the pseudo-clock signal, used to guide the synthesis during the sequential pseudo-synchronous SDDS-NCL flow. This signal is not implemented in the final circuit, it is only present to guide EDA tools to perform the QDI synthesis correctly.

Listing 5.5: Virtual netlist example, edited for clarity.

```

1  module adder
2      (a_t, a_f, a_ack,
3       b_t, b_f, b_ack,
4       out_t, out_f, out_ack,
5       clk, reset);
6  input [1:0] a_t, a_f;
7  output [1:0] a_ack;
8  input [1:0] b_t, b_f;
9  output [1:0] b_ack;
10 output [1:0] out_t, out_f;
11 input [1:0] out_ack;
12 input clk, reset;
13
14  // Instances of drwire for internal channels
15  drwire n_0 ();
16  drwire n_1 ();
17  drwire n_2 ();
18  drwire n_3 ();
19  drwire n_4 ();
20  drwire n_5 ();
21  drwire a_0 ();
22  drwire a_1 ();
23  drwire b_0 ();
24  drwire b_1 ();
25  drwire out_0 ();
26  drwire out_1 ();
27
28  // Connections between external ports and drwire channels
29  assign a_0.t = a_t[0];
30  assign a_0.f = a_f[0];
31  assign a_ack[0] = a_0.ack;
32  assign a_1.t = a_t[1];

```

```

33    assign a_1.f = a_f[1];
34    assign a_ack[1] = a_1.ack;
35    assign b_0.t = b_t[0];
36    assign b_0.f = b_f[0];
37    assign b_ack[0] = b_0.ack;
38    assign b_1.t = b_t[1];
39    assign b_1.f = b_f[1];
40    assign b_ack[1] = b_1.ack;
41    assign out_t[0] = out_0.t;
42    assign out_f[0] = out_0.f;
43    assign out_0.ack = out_ack[0];
44    assign out_t[1] = out_1.t;
45    assign out_f[1] = out_1.f;
46    assign out_1.ack = out_ack[1];
47
48    // Component Instances
49    xor2 g176__4296 (.a(a_0), .b(b_0), .y(n_3));
50    nand2 g178__1474 (.a(a_0), .b(b_0), .y(n_1));
51    dff out_reg_0_ (.reset(reset), .ck(clk), .d(n_3), .q(out_0));
52    dff retime_s1_2_reg (.reset(reset), .ck(clk), .d(n_1), .q(n_4));
53    inv g179 (.a(a_1), .y(n_0));
54    xor2 g177__3772 (.a(n_0), .b(b_1), .y(n_2));
55    dff retime_s1_1_reg (.reset(reset), .ck(clk), .d(n_2), .q(n_5));
56    xor2 g172__8780 (.a(n_4), .b(n_5), .y(out_1));
57 endmodule // adder

```

## 5.5 The HBCN Construction and the Cycle Time Constraining

The Pulsar flow provides a tool that computes the pseudo-synchronous constraints used during the sequential pseudo-synchronous synthesis. This tool computes the HBCN model that is instrumental to automatically produce the constraints to use during the QDI synthesis flow.

The HBCN model is calculated from a structural graph extracted from the single-rail netlist. The structural graph is a directed graph that describes the single-rail netlist timing paths. In this graph, vertices represent sequential components or ports, and each edge in the graph represents a channel connecting two registers. Since combinational components are transparent to the handshaking process, they are abstracted in this representation. Each vertex has a name, identifying the component it represents. There are three types of vertices: (i) *Port*, as the name implies, used to identify ports; (ii) *NullReg*, used to identify half-buffer components; and (iii) *DataReg*, used to identify full-buffer components. The structural graph adjacency list is exported to a file during single-rail synthesis. Each line of this file represents a vertex containing its type, name and a list of successor vertices names.

Recalling Section 4.3, an HBCN has a formal representation and a marked graph representation. Using the HBCN formal representation, each register or port corresponds to a transition pair; each channel is a relation between two transition pairs; and each channel has a initial state. The rules governing the relationship between the HBCN formal representation and its characteristic marked graph is covered in Definition 4.3.1.

Since the expansion process is well-defined, it is possible to use the structural graph to construct the HBCN. To this end, it suffices to traverse the structural graph, constructing the HBCN based on the expansion of the components represented by the vertices. For each `Port` vertex a single transition pair is created, which models the (ideal) environment<sup>1</sup>. Each `NullReg` vertex represents a half-buffer register, which is modelled by a transition pair. Each `DataReg` vertex represents a full-buffer component. These comprise three registers in sequence. This is modelled with a sequence of three transitions pairs connected by two channels, one channel initialising to *req<sub>null</sub>* and the others initialising to *req<sub>data</sub>*. For each edge, a channel is created from the last transition pair corresponding to the source vertex to the first transition pair corresponding to the target vertex.

To understand this process, it is possible to rely on a simple example. The RTL for the example circuit is depicted in Listing 5.6. This is a simple circuit, a 3-stage full-buffer loop, an xor gate and a half-buffer output register. The virtual netlist for this circuit is depicted in Listing 5.7. This was generated using Genus and the DRExpander program, as discussed in the previous Section. The associated structural graph is depicted in Listing 5.8. This was automatically generated by a TCL script running within Genus at the end of the single-rail synthesis. The TCL script code is depicted in Appendix A.

Listing 5.6: RTL for the simple loop example circuit.

```

1 module xorexp(in, out, clk, reset);
2   input wire in;
3   output reg out;
4   input wire clk, reset;
5   reg r;
6
7   always @(posedge clk or negedge reset)
8     if (!reset)
9       r <= 0;
10    else
11      r <= in^r;
12
13   always @(posedge clk)
14     out <= r;
15 endmodule // xorexp

```

Here, it is possible to notice the relationship between a virtual netlist and the associated structural graph. In the virtual netlist, the channel from the `in` port connects to the

<sup>1</sup>An *ideal* environment provides a input token immediately upon request by any circuit input, and immediately consumes every token produced at any circuit output.

Listing 5.7: Virtual netlist for the simple loop example circuit.

```

1  module xorexp(in_t, in_f, in_ack, out_t, out_f, out_ack, clk, reset);
2      input  clk, reset;
3      input  in_t, in_f;
4      output in_ack;
5      input  out_t, out_f;
6      output out_ack;
7      drwire in ();
8      drwire n_0 ();
9      drwire out ();
10     drwire r ();
11     assign in.t = in_t;
12     assign in.f = in_f;
13     assign in_ack = in.ack;
14     assign out.t = out_t;
15     assign out.f = out_f;
16     assign out_ack = out.ack;
17     dffr r_reg (.rb(reset), .ck(clk), .d(n_0), .q(r));
18     xor2 g19_8780 (.a(r), .b(in), .y(n_0));
19     dff out_reg (.reset(reset), .ck(clk), .d(r), .q(out));
20 endmodule // xorexp

```

`xor2` combinational component, the output channel of which connects to the `r_reg` full-buffer sequential component. This path is covered by in first line of the structural graph, where the `in` port is declared and `r_reg` is assigned as its successor. `r_reg` is a full-buffer sequential component. The output channel feeds both the `out_reg` half-buffer register and the `xor2` combinational component. The `xor2` component in turn feeds back the `r_reg` forming a loop. This is expressed in the third line of the structural graph, where `out_reg` is declared as a full-buffer sequential component and lists `out_reg` and `r_reg` itself as its successors. The fourth line declares `out_reg` as a half-buffer register and lists the output port `out` as its sole successor. Finally, the last line declares the output port `out`. Since it is an output port, this is a leaf node in the graph. Accordingly, its successor list is empty.

Listing 5.8: Structural graph for the simple loop example circuit.

```

1  Port "port:xorexp/in" ["inst:xorexp/r_reg"]
2  DataReg "inst:xorexp/r_reg" ["inst:xorexp/out_reg", "inst:xorexp/r_reg"]
3  NullReg "inst:xorexp/out_reg" ["port:xorexp/out"]
4  Port "port:xorexp/out" []

```

Figure 5.9 depicts the HBCN constructed from this structural graph. This HBCN explicitly shows the 3-stage full-buffer component forming a loop, the input and output transition pairs and the half-buffer register transition pair between the loop and the output. Each channel is represented by four places and the marking indicates the initial state of the channels. A merge between two channels, such as the one occurring inside the `xor2` component, is captured by the arrival of multiple channels to the same transition pair. This occurs e.g. between `in`, `r_reg/sout` and `r_reg`. A fork happens when a channel feeds multiple compo-

nents, which is captured in the HBCN as multiple channels leaving a transition pair. This is depicted between `r_reg/sout`, `out_reg` and `r_reg`.

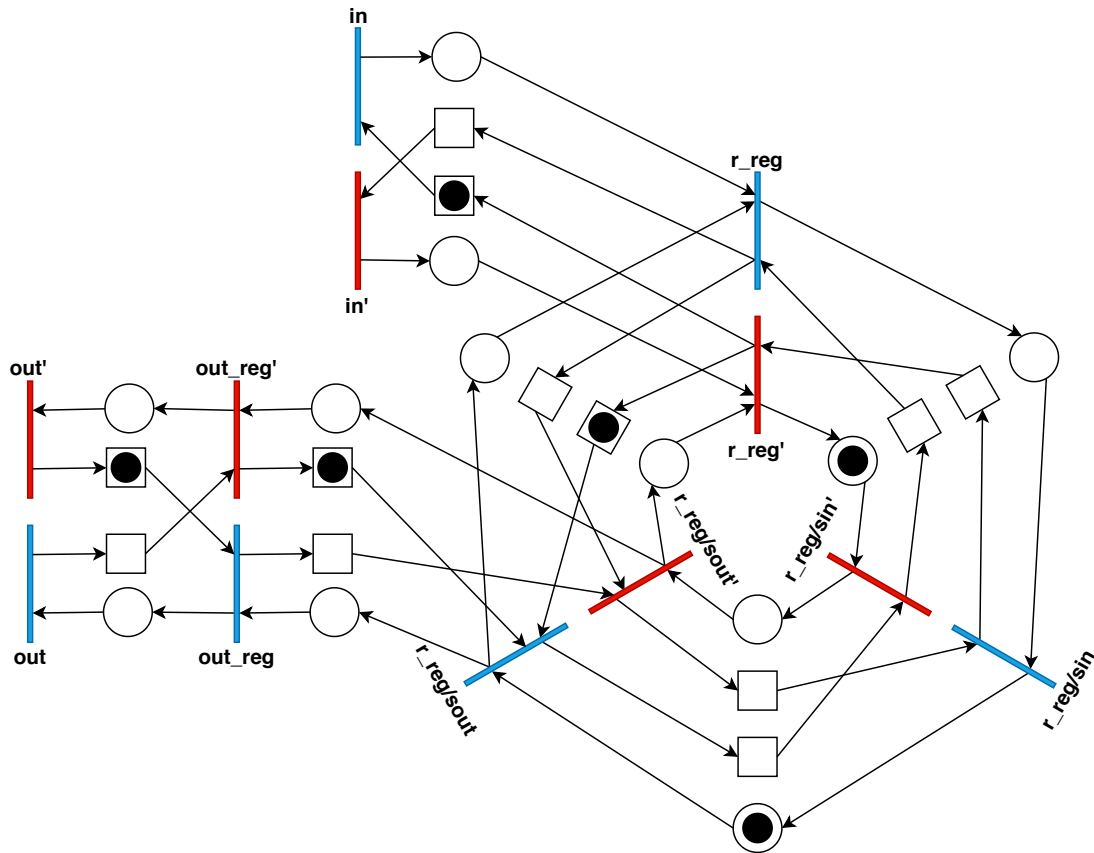


Figure 5.9: The HBCN extracted from the structural graph depicted in Listing 5.8.

After constructing the HBCN, it is possible to apply the linear programming (LP) technique presented in Section 4.5 to compute the pseudo-clock and timing exceptions. It is desirable to use the pseudo-clock to constrain the delays of combinational components in the circuit. However, the full-buffer component contains two internal channels comprising no logic. These internal channels can be individually constrained to a minimal delay value. This minimal delay is parameterisable and depends on the target technology, but it must be enough to cover the delay of a C-element and a NOR gate. The constraining of these paths to a minimal delay affects the computation of the pseudo-clock. As discussed in Section 4.5, if these take part in a critical cycle, they can allow the pseudo-clock constraint to assume a more relaxed value.

The process of computing the timing constraints is handled by the *hbcnConstrainer* program. The Haskell source code for this program is listed in Appendix C. This program computes the HBCN from the structural graph. It uses the HBCN to define the system of arrival equations constraining the cycle time to a specified target cycle time constraint. The program invokes the GLPK [Fre12] LP solver to solve the system of arrival equations. From the solution provided by GLPK, it produces a Synopsys design constraints (SDC) file. This SDC file contains the pseudo-clock constraint used during the synthesis of the virtual netlist.

Listing 5.9 depicts the SDC file that constrains the example circuit to a cycle time of 2 ns. This file was generated automatically by the hbcnConstrainer program from the structural graph in Listing 5.8. The first three lines define the pseudo-clock constraint. The remaining lines constrain the internal channels of the full-buffer components. The program was parameterised to constrain these paths to 100 ps.

Listing 5.9: SDC file to constrain the simple loop example cycle time to 2 ns.

```

1 create_clock -period 0.500 [get_port {clk}]
2 set_input_delay -clock {clk} 0 [all_inputs]
3 set_output_delay -clock {clk} 0 [all_outputs]
4 # Forward Delay from inst:xorexp/r_reg to inst:xorexp/r_reg/sin
5 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
6 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
7 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
8 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
9 # Forward Delay from inst:xorexp/r_reg/sin to inst:xorexp/r_reg/sout
10 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/t}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
11 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/f}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
12 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/f}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
13 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/t}
   -filter {(is_clock_pin==false) && (direction==in)}] 0.100
14 # Backward Delay from inst:xorexp/r_reg/sin to inst:xorexp/r_reg
15 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
   {(is_clock_pin==false) && (direction==in)}] 0.100
16 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
   {(is_clock_pin==false) && (direction==in)}] 0.100
17 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
   {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
   {(is_clock_pin==false) && (direction==in)}] 0.100

```



```

18 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
    {(is_clock_pin==false) && (direction==in)}] 0.100
19 # Backward Delay from inst:xorexp/r_reg/sout to inst:xorexp/r_reg/sin
20 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
21 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
22 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
23 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100

```

The hbcnConstrainer program can optionally generate timing exceptions for paths with free slack, allowing more relaxed timing constraints on paths containing free slack. The previous example was generated with the option to generate these timing exceptions disabled. Listing 5.10 depicted the SDC generated by hbcnConstrainer to constraint the same circuit to the cycle time of 2 ns with the option to relax the paths with free slack enabled. Notice that the pseudo-clock constraint does not change when enabling this option. Here, the maximum delay of each propagation path containing free slack is set by a `set_max_delay` timing exception. In this particular case, only the propagation paths internal to the full-buffer components have free slack. This is not very useful, but in more complex circuits this free slack could relax some logic stages.

Listing 5.10: SDC file to constrain the simple loop example cycle time to 2 ns.

```

1 create_clock -period 0.500 [get_port {clk}]
2 set_input_delay -clock {clk} 0 [all_inputs]
3 set_output_delay -clock {clk} 0 [all_outputs]
4 # forward delay from inst:xorexp/r_reg to inst:xorexp/r_reg/sin
5 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.600
6 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.600
7 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.600
8 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.600
9 # forward delay from inst:xorexp/r_reg/sin to inst:xorexp/r_reg/sout

```

```

10 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.900
11 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.900
12 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.900
13 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sout/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.900
14 # backward delay from inst:xorexp/r_reg/sin to inst:xorexp/r_reg
15 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
    {(is_clock_pin==false) && (direction==in)}] 0.400
16 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
    {(is_clock_pin==false) && (direction==in)}] 0.400
17 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/f} -filter
    {(is_clock_pin==false) && (direction==in)}] 0.400
18 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sin/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/t} -filter
    {(is_clock_pin==false) && (direction==in)}] 0.400
19 # backward delay from inst:xorexp/r_reg/sout to inst:xorexp/r_reg/sin
20 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
21 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
22 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/t} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/f}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100
23 set_max_delay -from [get_pin -of_objects {inst:xorexp/r_reg/sout/f} -filter
    {is_clock_pin==true}] -to [get_pin -of_objects {inst:xorexp/r_reg/sin/t}
    -filter {(is_clock_pin==false) && (direction==in)}] 0.100

```

## 5.6 Completing the Case Study Synthesis

After constructing the virtual netlist, it is then possible to synthesise the virtual netlist using the pseudo-synchronous SDDS-NCL synthesis flow described in Section 3.3. This Section continues the synthesis of the example circuit explored in Section 5.4. For

that, the first step is to compute the constraints using the hbcnConstrainer from the previous Section. The structural graph of our example circuit is depicted in Listing 5.11

Listing 5.11: Structural graph of virtual netlist depicted in Listing 5.5.

```

1 Port "port:adder/a[1]" ["inst:adder/retime_s1_1_reg"]
2 Port "port:adder/a[0]" ["inst:adder/out_reg_0_","inst:adder/retime_s1_2_reg"]
3 Port "port:adder/b[1]" ["inst:adder/retime_s1_1_reg"]
4 Port "port:adder/b[0]" ["inst:adder/out_reg_0_","inst:adder/retime_s1_2_reg"]
5 NullReg "inst:adder/retime_s1_1_reg" ["port:adder/out[1]"]
6 NullReg "inst:adder/out_reg_0_" ["port:adder/out[0]"]
7 NullReg "inst:adder/retime_s1_2_reg" ["port:adder/out[1]"]
8 Port "port:adder/out[0]" []
9 Port "port:adder/out[1]" []

```

The hbcnConstrainer program creates an SDC file that constrains this circuit to a cycle time of 4 ns. This SDC file is depicted in Listing 5.12. The adder circuit is a very simple linear pipeline, it contains no free slack when constrained with a pseudo-clock constraint. Enabling the free slack relaxation options does not affect the produced SDC file.

Listing 5.12: SDC file constraining the cycle time of the pipeline adder to 4 ns.

```

1 create_clock -period 1.000 [get_port {clk}]
2 set_input_delay -clock {clk} 0 [all_inputs]
3 set_output_delay -clock {clk} 0 [all_outputs]

```

The produced SDC, along with the virtual netlist depicted in Listing 5.5 are used as input to the pseudo-synchronous SDDS-NCL synthesis flow. The virtual netlist is the primary netlist input to the synthesis flow. Another netlist input is the component expansion library. The SystemVerilog file containing the component expansions and the pseudo-synchronous synthesis scripts are depicted in Appendix D. The example circuit was synthesised using the ASCEND-ST65NCL Library [MOPC11], a library of NCL and NCLP gates targeting STMicro 65 nm technology node. The resulting netlist is depicted in Listing 5.13. This netlist was reordered and commented to highlight its equivalence to the virtual netlist.

Listing 5.13: Sequential SDDS-NCL Netlist, edited for clarity.

```

1 module adder (a_t, a_f, a_ack, b_t, b_f, b_ack,
2             out_t, out_f, out_ack, clk, reset);
3   input wire [1:0] a_t, a_f, b_t, b_f, out_ack;
4   input wire      clk, reset;
5   output wire [1:0] a_ack, b_ack, out_t, out_f;
6   wire          n_1, n_1_f, n_1_t, n_2_f, n_2_t, n_3, n_3_f, n_4;
7   wire          n_4_f, n_4_t, n_5, n_5_f, n_5_t, n_6, n_7, n_8;
8   wire          n_9, n_10, n_14;
9
10  // backward propagation logic
11  assign b_ack[0] = a_ack[0];
12  assign b_ack[1] = a_ack[1];

```

```

13 HS65_GS_IVX9 g43(.A (out_ack[0]), .Z (n_10));
14 HS65_GS_IVX9 g44(.A (out_ack[1]), .Z (n_9));
15 SY_INCLP2W11OF2X9 g104(.A (n_5), .B (n_4), .Q (a_ack[0]));
16
17 // xor2 g176_4296 & nand2 g178_1474 (logic sharing)
18 ST_NCLAO22OF4X9 g2(.A (a_f[0]), .B (b_t[0]), .C (a_t[0]),
19 .D (b_f[0]), .Q (n_14));
20 ST_NCL2W11OF2X4 g97(.A (a_t[0]), .B (b_t[0]), .Q (n_1_f));
21 ST_NCL1W11OF2X9 g93(.A (n_1), .B (n_14), .Q (n_1_t));
22 ST_NCL2W11OF2X4 g99(.A (a_f[0]), .B (b_f[0]), .Q (n_1));
23 ST_NCL1W11OF2X9 g94(.A (n_1_f), .B (n_1), .Q (n_3_f));
24
25 // dff out_reg_0_
26 ST_RNCL2W11OF2X9 out_reg_0__f(.RN (reset), .G (clk), .A (n_3_f),
27 .B (n_10), .Q (out_f[0]));
28 ST_RNCL2W11OF2X9 out_reg_0__t(.RN (reset), .G (clk), .A (n_14),
29 .B (n_10), .Q (out_t[0]));
30 ST_INCL1W11OF2X9 g110(.A (out_t[0]), .B (out_f[0]), .Q (n_5));
31
32 // dff retime_s1_2_reg
33 ST_RNCL2W11OF2X9 retime_s1_2_reg_f(.RN (reset), .G (clk), .A (n_1_f),
34 .B (n_9), .Q (n_4_f));
35 ST_RNCL2W11OF2X9 retime_s1_2_reg_t(.RN (reset), .G (clk), .A (n_1_t),
36 .B (n_9), .Q (n_4_t));
37 ST_INCL1W11OF2X9 g111(.A (n_4_t), .B (n_4_f), .Q (n_4));
38
39 // inv g179 & xor2 g177_3772
40 ST_NCLAO22OF4X7 g78(.A (b_f[1]), .B (a_f[1]), .C (a_t[1]),
41 .D (b_t[1]), .Q (n_2_t));
42 ST_NCLAO22OF4X7 g79(.A (b_f[1]), .B (a_t[1]), .C (a_f[1]),
43 .D (b_t[1]), .Q (n_2_f));
44
45 // dff retime_s1_1_reg
46 ST_RNCL2W11OF2X9 retime_s1_1_reg_f(.RN (reset), .G (clk), .A (n_2_f),
47 .B (n_9), .Q (n_5_f));
48 ST_RNCL2W11OF2X9 retime_s1_1_reg_t(.RN (reset), .G (clk), .A (n_2_t),
49 .B (n_9), .Q (n_5_t));
50 ST_NCL1W11OF2X9 g113(.A (n_5_f), .B (n_5_t), .Q (a_ack[1]));
51
52 // xor2 g172_8780
53 SY_INCL2W11OF2X9 g107(.A (n_4_f), .B (n_5_f), .Q (n_8));
54 SY_INCL2W11OF2X9 g108(.A (n_4_t), .B (n_5_t), .Q (n_7));
55 ST_INCLP1W11OF2X4 g106(.A (n_8), .B (n_7), .Q (out_f[1]));
56 SY_INCL2W11OF2X9 g109(.A (n_4_f), .B (n_5_t), .Q (n_6));
57 SY_INCL2W11OF2X9 g112(.A (n_4_t), .B (n_5_f), .Q (n_3));
58 ST_INCLP1W11OF2X4 g105(.A (n_3), .B (n_6), .Q (out_t[1]));
59 endmodule // adder

```

## 6. EXPERIMENTS AND RESULTS

The Pulsar flow was initially validated by synthesising and simulating a set of multiply and accumulate (MAC) units under a range of timing constraints. MACs were chosen as example circuits due to their logic complexity and non-linear pipeline structure. Non-linear pipelines are good case studies for evaluating the HBCN timing constraining capabilities, because they present non-trivial maximum cycle times. The accumulator of a MAC comprises a circular buffer. This buffer can be implemented with different number of pipeline stages. Four different MAC architectures were thus designed:

- A 3-stage MAC, comprising a 3-stage accumulator.
- A 4-stage MAC, comprising a 4-stage accumulator.
- A 5-stage MAC, comprising a 5-stage accumulator.
- A 6-stage MAC, comprising a 6-stage accumulator.

These MACs present the same interface and behaviour, they multiply two 16-bit numbers from the input and add the 32-bit result in an accumulation loop. The new accumulator value is presented to the output after every computation cycle. This allow using the same testbench for simulating all MACs.

MACs were synthesised using the Pulsar flow from RTL descriptions. The RTL for the 3-stage MAC is depicted in Listing 6.1. Both inputs and outputs are buffered with half-buffer registers. Here, the accumulator loop has the minimal number of stages required to correctly operate. Listing 6.2 presents the RTL for the 4-stage MAC. Here, a `result` half-buffer register is introduced between the input and output registers. This additional register also takes part in the accumulator loop. The RTL for 5-stage and 6-stage MACs are respectively depicted in Listing 6.3 and in Listing 6.4. Each of these respectively include a second and a third `result` registers in the pipeline. Notice that on the RTL description most pipeline stages are empty. The retiming engine takes care of distributing the logic among the empty pipeline stages during single-rail synthesis.

Single-rail synthesis was performed using the Cadence Genus 18.1 tool with retiming enabled. The optimisation effort was set to extreme and the circuit was synthesised with a nought clock period constraint. Genus was also configured to optimise the total negative slack. These settings were used to minimise the logical depth of each pipeline stage. The single-rail synthesis of the RTL descriptions resulted in virtual netlists with the characteristics summarised in Table 6.1. Here, the worst virtual delays indicate the complexity of the virtual function composition for the longest path in the circuit.

Listing 6.1: RTL code for the 3-stage MAC.

```

1  module mac #(WIDTH=32)
2    (input logic [(WIDTH/2)-1:0] a, b,
3     input logic      clk, reset,
4     output logic [WIDTH-1:0] out);
5    logic [(WIDTH/2)-1:0] reg_a;
6    logic [(WIDTH/2)-1:0] reg_b;
7    logic [WIDTH-1:0] result;
8    logic [WIDTH-1:0] acc;
9
10   assign result = (reg_a * reg_b) + acc;
11
12   always @(posedge clk) begin
13     reg_a <= a;
14     reg_b <= b;
15     out <= result;
16   end
17
18   always @(posedge clk or negedge reset)
19     if (!reset)
20       acc <= '0;
21     else
22       acc <= result;
23 endmodule // mac

```

Listing 6.2: RTL code for the 4-stage MAC.

```

1  module mac #(WIDTH=32)
2    (input logic [(WIDTH/2)-1:0] a, b,
3     input logic      clk, reset,
4     output logic [WIDTH-1:0] out);
5    logic [(WIDTH/2)-1:0] reg_a;
6    logic [(WIDTH/2)-1:0] reg_b;
7    logic [WIDTH-1:0] result;
8    logic [WIDTH-1:0] acc;
9
10   always @(posedge clk) begin
11     reg_a <= a;
12     reg_b <= b;
13     result <= (reg_a * reg_b) + acc;
14     out <= result;
15   end
16
17   always @(posedge clk or negedge reset)
18     if (!reset)
19       acc <= '0;
20     else
21       acc <= result;
22 endmodule // mac

```

Listing 6.3: RTL code for the 5-stage MAC.

```

1  module mac #(WIDTH=32)
2    (input logic [(WIDTH/2)-1:0] a, b,
3     input logic      clk, reset,
4     output logic [WIDTH-1:0] out);
5    logic [(WIDTH/2)-1:0] reg_a;
6    logic [(WIDTH/2)-1:0] reg_b;
7    logic [WIDTH-1:0] result[2];
8    logic [WIDTH-1:0] acc;
9
10   always @(posedge clk) begin
11     reg_a <= a;
12     reg_b <= b;
13     result[0] <= (reg_a * reg_b) + acc;
14     result[1] <= result[0];
15     out <= result[1];
16   end
17
18   always @(posedge clk or negedge reset)
19     if (!reset)
20       acc <= '0;
21     else
22       acc <= result[1];
23 endmodule // mac

```

Listing 6.4: RTL for the 6-stage MAC

```

1  module mac #(WIDTH=32)
2    (input logic [(WIDTH/2)-1:0] a, b,
3     input logic      clk, reset,
4     output logic [WIDTH-1:0] out);
5    logic [(WIDTH/2)-1:0] reg_a;
6    logic [(WIDTH/2)-1:0] reg_b;
7    logic [WIDTH-1:0] result[3];
8    logic [WIDTH-1:0] acc;
9
10   always @(posedge clk) begin
11     reg_a <= a;
12     reg_b <= b;
13     result[0] <= (reg_a * reg_b) + acc;
14     result[1] <= result[0];
15     result[2] <= result[1];
16     out <= result[2];
17   end
18
19   always @(posedge clk or negedge reset)
20     if (!reset)
21       acc <= '0;
22     else
23       acc <= result[2];
24 endmodule // mac

```

Circuit	Worst Virtual Delay	Component Count		
		Combinational	Sequential	Total
3-stage MAC	335 ps	2094	206	2300
4-stage MAC	205 ps	2088	267	2355
5-stage MAC	150 ps	2121	344	2465
6-stage MAC	130 ps	2086	442	2508

Table 6.1: Characteristics of the virtual netlists for each MAC version.

The final pseudo-synchronous SDDS-NCL netlists were implemented with NCL and NCLP gates from the ASCEnD [MOPC11] library for STMicroelectronics 65nm technology node. This library is characterised at three PVT corners:

- The *worst corner* has slow transistors operating under 0.9 V and 125 °C.
- The *nominal corner* has typical transistors operating under 1.0 V and 25 °C.
- The *best corner* has fast transistors operating under 1.1 V and –40 °C.

Dual-rail synthesis was performed using the worst corner. As discussed in Section 3.2, the synthesis is performed with a library that models settable and resettable C-Elements as pseudo-flops. The pseudo-flop model introduces a small error on the delay model, and a clock uncertainty of 5 ps was used to compensate for this error. Each circuit was synthesised under a range of target cycle time constraints, from 2 ns to 6 ns in steps of 250 ps. The minimal delay was set to 200 ps during the cycle time constraint computation. Synthesis were performed using Genus with the effort set to high. Physical-aware optimisation was performed with the effort set to extreme. After running the Fix X-netlist algorithm, physical-aware optimisation was performed on each set of gates iteratively, until the timing was met or a maximum number of 10 iterations was reached. For each synthesis the following dataset is collected:

- The *worst pseudo-synchronous timing slack* – a zero or positive value here guarantees that the cycle time constraint is met.
- The *gate area* – this is the area occupied by the gates selected during the synthesis.
- The *resulting pseudo-synchronous SDDS-NCL netlist* – which implements the circuit.

Each resulting pseudo-synchronous SDDS-NCL netlist was delay-annotated using the three corners of the sign-off library. The sign-off library models the settable and resettable C-elements as pseudo-latches. As discussed in Section 3.2, this library allows annotating the timing arcs with the delays extracted from the characterisation. Thus, the annotated delays are not affected by the error introduced by the pseudo-flop model. Each delay-annotated netlists was simulated with a testbench that emulates an ideal environment.



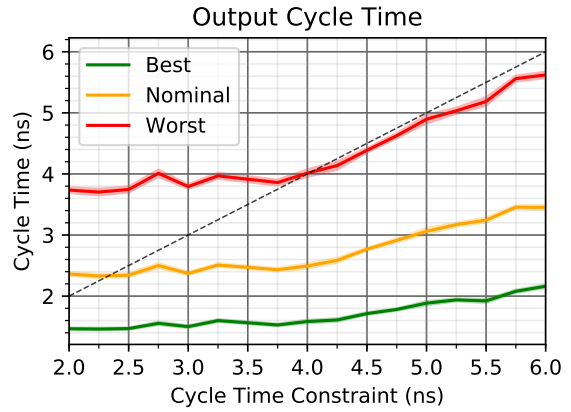
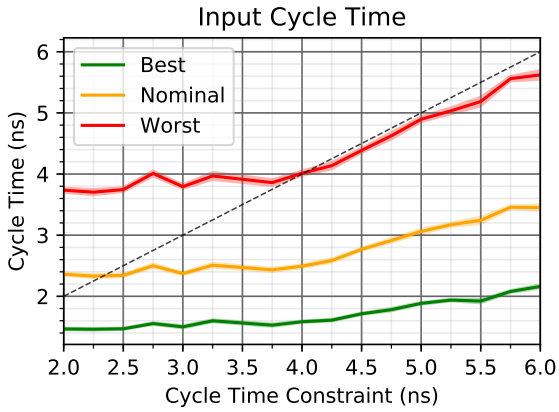
An ideal environment has no delay of itself, it feeds tokens into the pipeline as soon as an acknowledgement is received and it also acknowledges the reception of tokens instantaneously, thus isolating the circuit from external delays. Under these conditions, for each corner it was possible measuring:

- The *output cycle time* – this is the time between the reception of two data tokens at the pipeline output.
- The *input cycle time* – this is the time between the insertion of two successive data tokens in the pipeline input.
- The *latency*, – this is the time between a the insertion of a data token at the input and the reception of a corresponding data token with the result at the output.
- The averaged switching activity of the circuit – this is used in conjunction with the circuit netlist and the sign-off library as input for static power analysis (SPA).

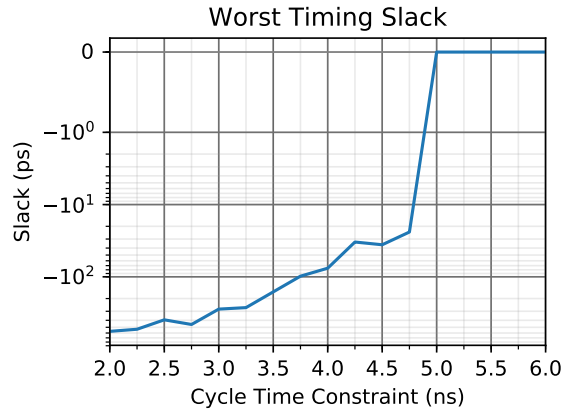
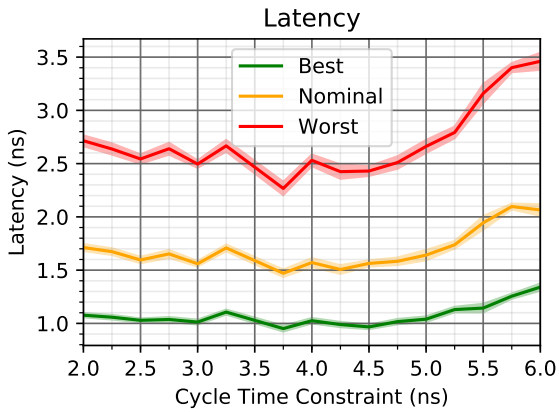
Timing measurements are subject to data-dependent delay variations, as discussed in Section 4.1. These values are presented here as an average. The standard deviation of the measured data points is presented as a range around the former average.

Results for the 3-stage MAC are depicted in Figure 6.1. They show the timing extracted through simulation and the data collected from synthesis reports. The worst pseudo-synchronous timing slack for this circuit is depicted in Figure 6.1d. It presents negative slack values for cycle time constraints under 5 ns. According to the models, a negative slack value indicates that it is not possible to guarantee that the cycle time constraint is met. This is made evident in the results of the 4-stage MAC, depicted in Figure 6.2. Here, the first negative slack value is observed on the cycle time constraint of 3 ns. At the same point, it is possible to observe a violation of the cycle time constraint for the worst corner in the timing results collected from the simulations in Figure 6.2a and 6.2b. Another interesting aspect observable when comparing the results from the 3-stage MAC and the 4-stage MAC is how distributing logic among an extra pipeline allows achieving a faster cycle time. This is consistently observable in their worst virtual delay, worst timing slacks, input and output cycle times. This increase in performance however comes at the cost of an increase in area and power. Taking this approach of distributing the logic amount pipeline stages, results for the 5-stage and 6-stage MACs are respectively depicted in Figure 6.3 and Figure 6.4.

As it is possible to observe in Figure 6.4a, the cycle time observed in simulation is consistently below the cycle time constraint. This indicates that these circuits might be over-constrained. A possible solution is to enable the generation of timing exceptions that relax the timing constraints on free slack. The results for the 6-stage MAC synthesised with the relaxed timing constraints is presented in Figure 6.5. Here, observe that the measured cycle time matches more closely the cycle time constraint. This led to a reduction in power and area, while still matching the target cycle time.

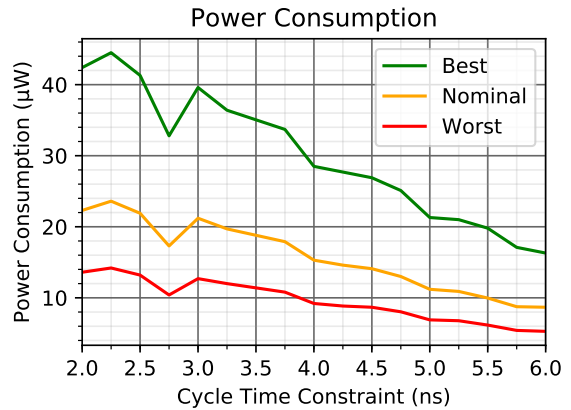
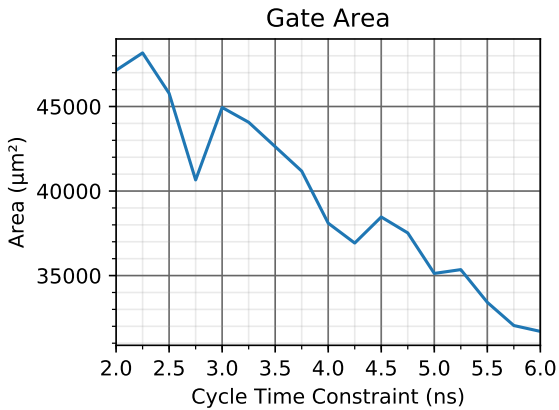


(a) Input cycle time observed in simulation, (b) Output cycle time observed in simulation, the black dashed line is the cycle time constraint.



(c) Latency observed in simulation.

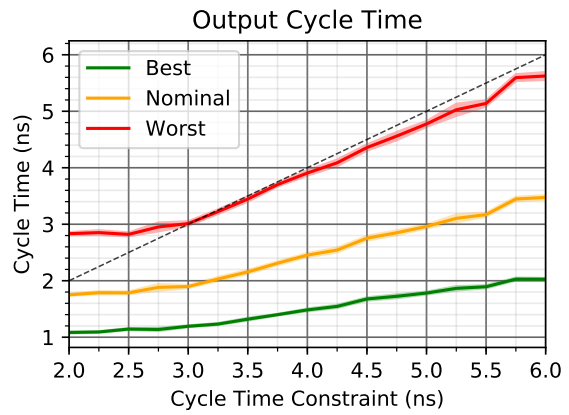
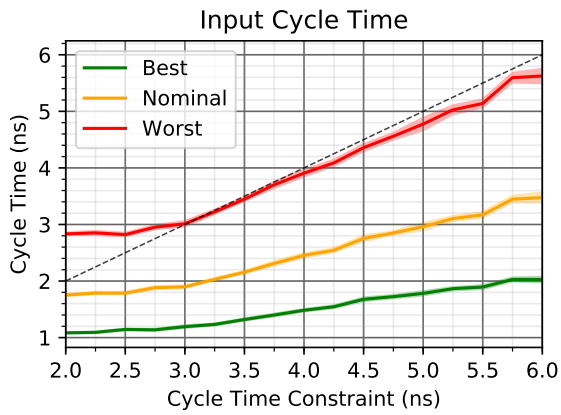
(d) Worst pseudo-synchronous timing slack.



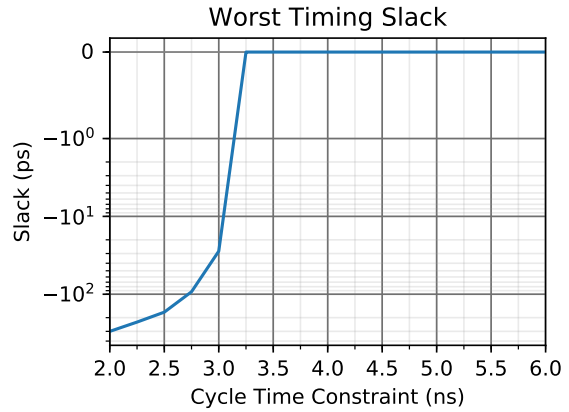
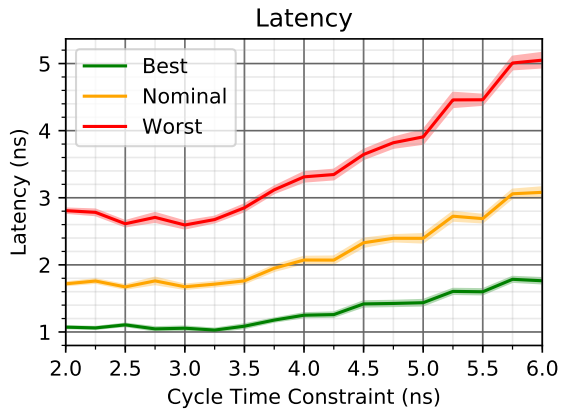
(e) Gate area extracted from synthesis reports.

(f) Power consumption extracted using static power analysis (SPA) with switching activity from simulation.

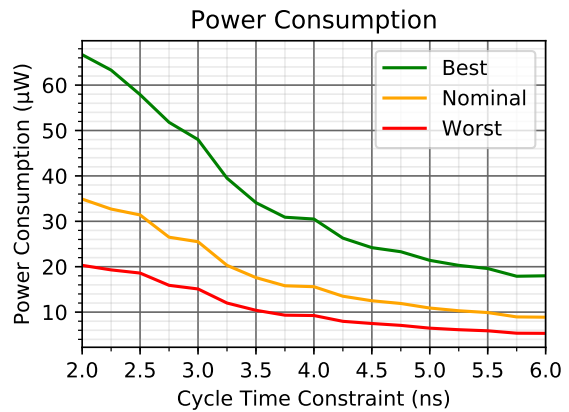
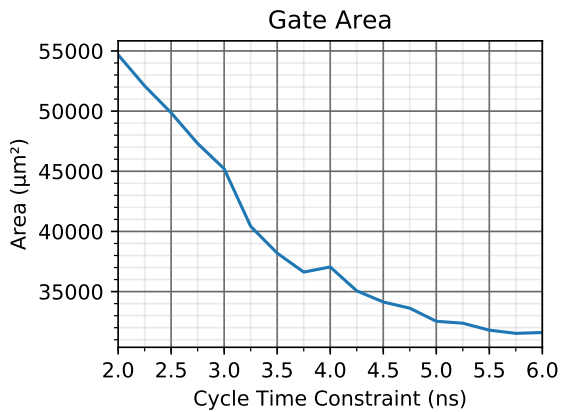
Figure 6.1: Results for the 3-stage MAC.



(a) Input cycle time observed in simulation. (b) Output cycle time observed in simulation. The black dashed line is the cycle time constraint.

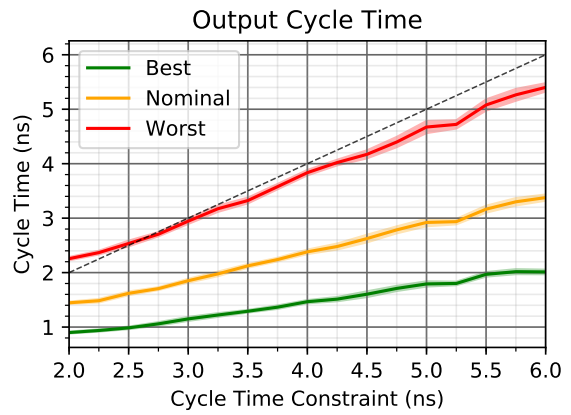
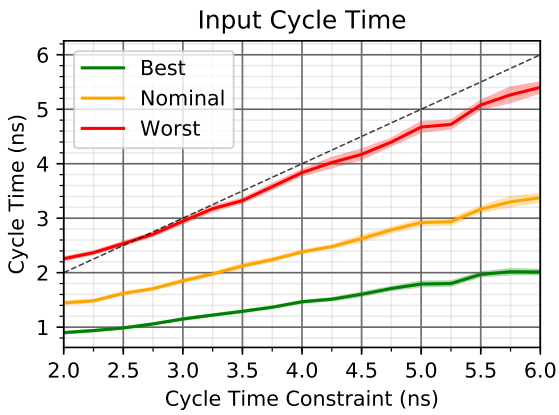


(c) Latency observed in simulation. (d) Worst pseudo-synchronous timing slack.

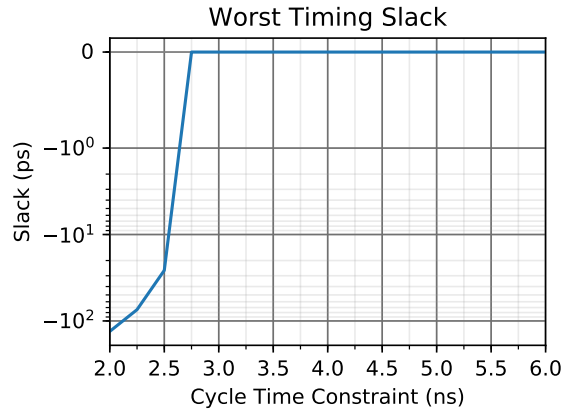
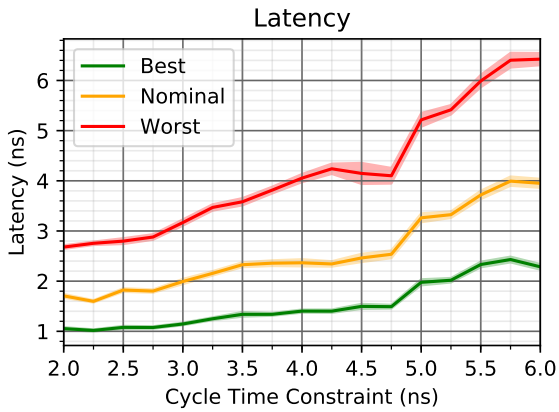


(e) Gate area extracted from synthesis reports. (f) Power consumption extracted using static power analysis (SPA) with switching activity from simulation.

Figure 6.2: Results for the 4-stage MAC.

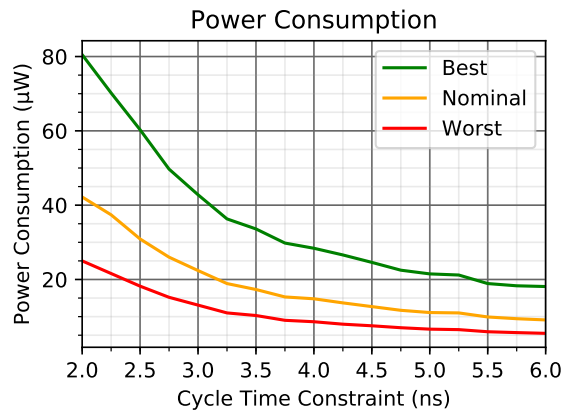
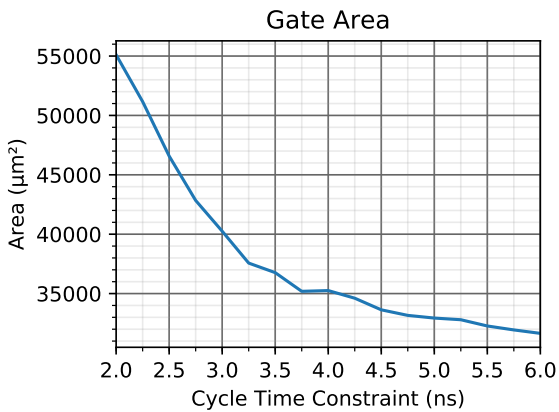


(a) Input cycle time observed in simulation, (b) Output cycle time observed in simulation, the black dashed line is the cycle time constraint.



(c) Latency observed in simulation.

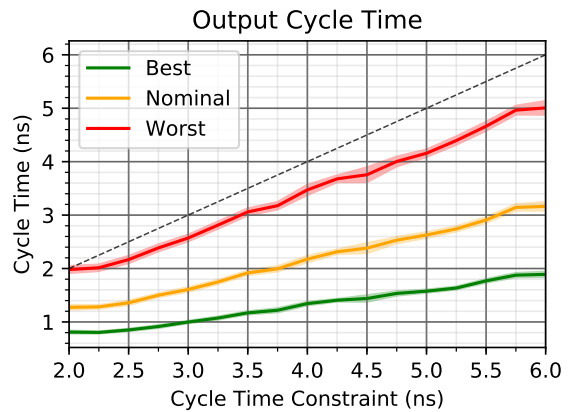
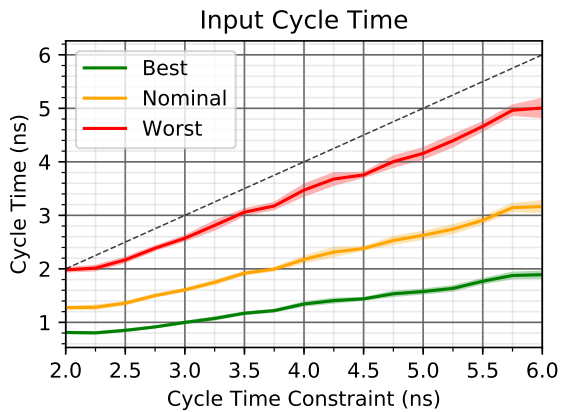
(d) Worst pseudo-synchronous timing slack.



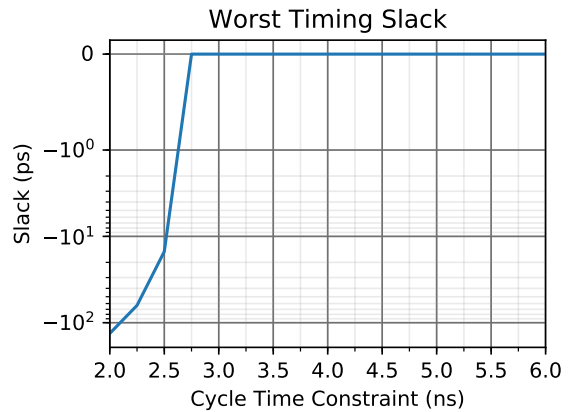
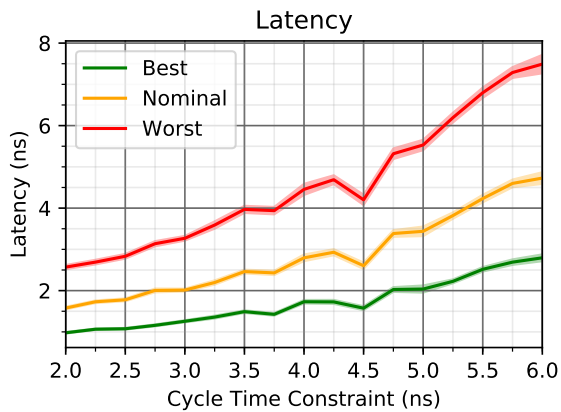
(e) Gate area extracted from synthesis reports.

(f) Power consumption extracted using static power analysis (SPA) with switching activity from simulation.

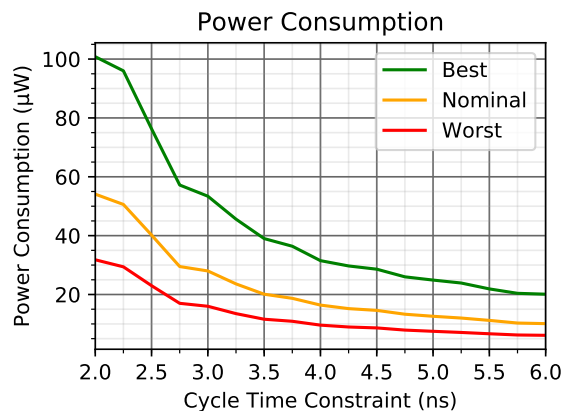
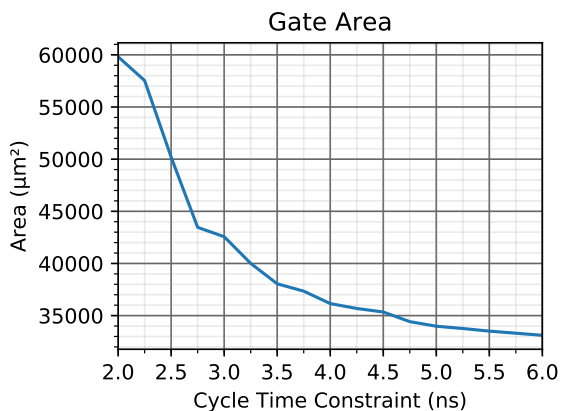
Figure 6.3: Results for the 5-stage MAC.



(a) Input cycle time observed in simulation. (b) Output cycle time observed in simulation, The black dashed line is the cycle time constraint.

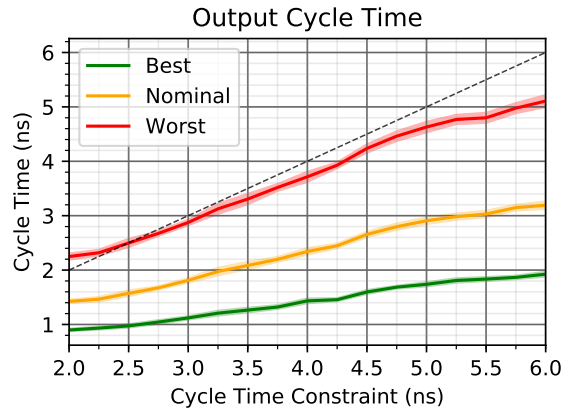
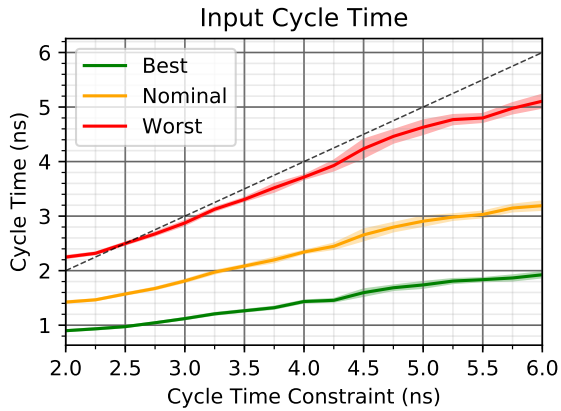


(c) Latency observed in simulation. (d) Worst pseudo-synchronous timing slack.

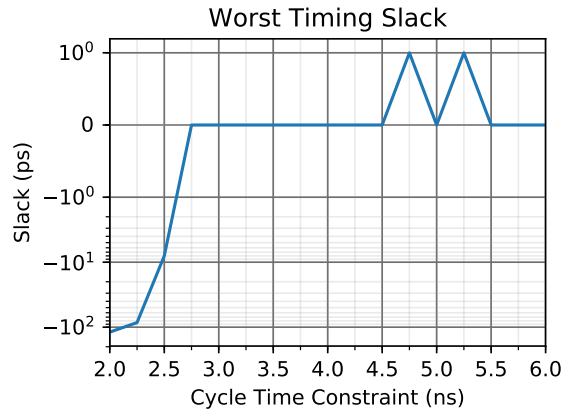
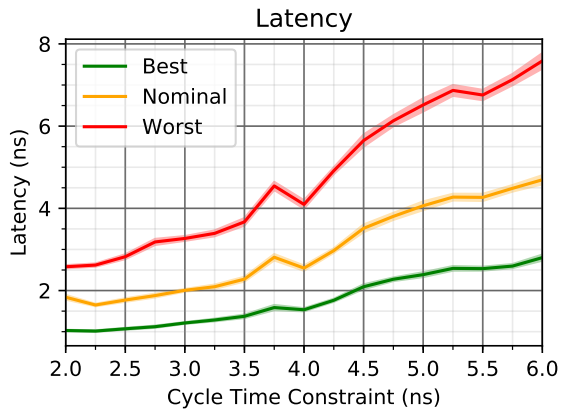


(e) Gate area extracted from synthesis reports. (f) Power consumption extracted using static power analysis (SPA) with switching activity from simulation.

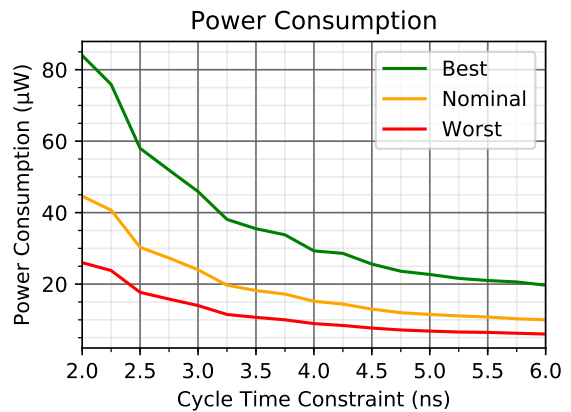
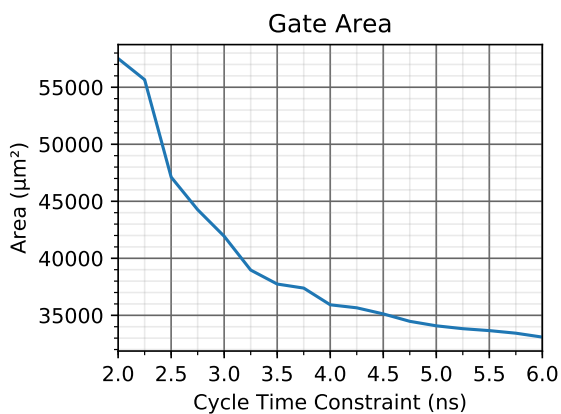
Figure 6.4: Results for the 6-stage MAC.



(a) Input cycle time observed in simulation. (b) Output cycle time observed in simulation. The black dashed line is the cycle time constraint.



(c) Latency observed in simulation. (d) Worst pseudo-synchronous timing slack.



(e) Gate area extracted from synthesis reports. (f) Power consumption extracted using static power analysis (SPA) with switching activity from simulation.

Figure 6.5: Results for the 6-stage MAC synthesised with timing path exceptions on free-slack.

## 7. CONCLUSION AND FUTURE WORK

This Dissertation has presented Pulsar, a innovative synthesis flow for QDI circuits. Pulsar leverages commercial EDA tools for the design capture, dual-rail expansion, technology mapping and optimisation of QDI circuits. It also enables the sign-off of target cycle times for QDI circuits using commercial EDA tools. This is a major breakthrough for QDI designers, as they can now safely bound worst case performance metrics for their target applications. Moreover, the flow enables designers to naturally trade performance, power and area optimisations, whenever there is slack in timing budgets.

The use of commercial EDA tools facilitates its adoption and integration in industrial flows. First, Pulsar uses an RTL-like description for design capture, a description form familiar to most designers. In this aspect, Pulsar is very similar to Uncle [RST12], whereas both synthesise single-rail netlists that are latter expanded to a QDI circuit. The approach proposed here allows the use of commercial tools optimisation and retiming algorithms for logic, data-path, state machine synthesis. However, RTL descriptions are not fully adequate for capturing the behaviour of asynchronous circuits. They often rely on the global clock signal to synchronise the merging of data flows, making it not suitable to capture the inter-dependencies of data flows in the circuit. A common and well established approach is to use descriptions based on Hoare communicating sequential processes (CSP) [Hoa85]. For instance, Concurrent Hardware Processes (CHP) [MM11], based on CSP, is used for design capture in Beerel et al. Proteus [BDL11], Manohar ACT [Man19] and others. Another classical CSP-based language is Balsa [EB02], which has its own synthesis tool, but it is also used as a language on Teak [BTE09]. Another interesting approach is the use of functional programming languages, this is explored for synchronous circuits on works such as Lava [BCSS99, Gil11], Clash (pronounced Clash) [BKK<sup>+</sup>10] and Chisel [BVR<sup>+</sup>12]. Also, the current design capture and dual-rail expansion technique is limited to deterministic pipelines, which limits the application of Pulsar to more complex circuits. Future work comprises exploring alternative design capture methodologies that better capture the behaviour of a broader range of asynchronous circuits.

The use of standard EDA also tools helps integrating QDI circuits in existing design flows. This makes Pulsar attractive for designing globally asynchronous locally synchronous (GALS) circuits. A GALS configuration consists of synchronous circuits interfacing with an asynchronous circuit. A GALS circuit uses an asynchronous circuit to overcome the limitations of clock distribution on synchronous circuits. It enables different modules in a circuit to operate with different clocks with possible distinct frequencies and/or phases. An asynchronous circuit acts as a interconnection between different circuit modules. For optimal performance, such an asynchronous circuit must withstand the throughput of the synchronous modules. A synchronous circuit throughput is dictated by its clock frequency. The

HBCN and the cycle time constraining methodology presented in this Dissertation enables the construction of QDI circuits with bounded throughput, thus enabling the construction of interconnection circuits for GALs design, which are capable of handling the required design throughput.

The cycle time constraining technique presented here uses a pseudo-clock to constrain the cycle time. This assumes that the logic of every pipeline stage has the same delay. This assumption is only true if the pipeline is well balanced, as it disregards the logic complexity of individual pipeline stages. Furthermore, it also disregards the delay disparity between forward and backward propagation paths. In this work, empty propagation paths internal to the full-buffer component expansion are attributed a fixed minimal delay. Future work will target the automatic identification of pipeline disparities and constraining of each propagation path in accordance to their respective logic complexity.

Another aspect of the Pulsar flow where further optimisations are expected to be beneficial is the dual-rail expansion. Currently the dual-rail expansion relies on EDA tools ability to optimise combinations of virtual functions. However, commercial EDA tools do not recognise optimisation opportunities inherent to the use of DI codes. For instance, DI codes expressed in binary contain a large amount of invalid binary combinations, which can be used as "don't-cares" during logic optimisation and technology mapping. Fant [FB96] has demonstrated that when composing *image functions*, which are analogous to the virtual functions defined in this work, minterms containing these invalid codes do arise. This opens opportunities for exploring alternative dual-rail expansion and optimisations and technology mapping techniques that take advantage of specific characteristics of DI codes. Another optimisation that could be explored during the dual-rail expansion and technology mapping is relaxation [LM09]. This technique allows producing faster and smaller QDI circuits by enabling parts of the circuit to violate the indication principle locally, while globally maintaining strong indication. Future work will explore the construction of an alternative dual-rail expansion technique and possibly a technology mapper to allow these and other optimisations.

The physical synthesis, albeit possible with the current flow requires further exploration. This is especially interesting when it comes to the introduction of adversarial paths [KKM09] that hinder the indication principle. Currently, this is verified through simulation. However, a formal methodology for detecting these paths is highly desirable. Such a methodology would possibly not only detect potential hazards, but could also enable avoiding them entirely, by using e.g. relative timing constraints [MS16].

Simulation and formal verification is another aspect that requires further attention. Currently, the behaviour of the synthesised circuit is not captured in the simulation of the RTL description. Also, the current flow does not allow equivalence checking between the input RTL description, the virtual netlist and the final synthesised netlist. Solutions to allow equivalence checking and high-level simulation shall be addressed in further work.



## REFERENCES

- [BCSS99] Bjesse, P.; Claessen, K.; Sheeran, M.; Singh, S. “Lava: Hardware Design in Haskell”, *ACM Special Interest Group on Programming Languages (SIGPLAN) Notices*, vol. 34–1, 1999, pp. 174–184.
- [BCV<sup>+</sup>05] Beigné, E.; Clermidy, F.; Vivet, P.; Clouard, A.; Renaudin, M. “An Asynchronous NoC Architecture Providing Low Latency Service and Its Multi-Level Design Framework”. In: *IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC)*, 2005, pp. 54–63.
- [BDL11] Beerel, P. A.; Dimou, G. D.; Lines, A. M. “Proteus: An ASIC Flow for GHz Asynchronous Designs”, *IEEE Design & Test of Computers*, vol. 28–5, 2011, pp. 36–50.
- [Ber93] van Berkel, K. “Handshake Circuits: An Asynchronous Architecture for VLSI Programming”. New York, NY, USA: Cambridge University Press, 1993, 225p.
- [BKK<sup>+</sup>10] Baaij, C. P. R.; Kooijman, M.; Kuper, J.; Boeijink, W. A.; Gerards, M. E. T. “C $\lambda$ asH: Structural Descriptions of Synchronous Hardware using Haskell”. In: *EUROMICRO Conference on Digital System Design (DSD)*, 2010, pp. 714–721.
- [BLDK06] Beerel, P. A.; Lines, A. M.; Davies, M.; Kim, N.-H. K. “Slack Matching Asynchronous Designs”. In: *IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC)*, 2006, pp. 184–194.
- [BOF10] Beerel, P. A.; Ozdag, R. O.; Ferretti, M. “A Designer’s Guide to Asynchronous VLSI”. Cambridge University Press, 2010, 353p.
- [BSVMH84] Brayton, R. K.; Sangiovanni-Vincentelli, A.; McMullen, C.; Hachtel, G. “Logic Minimization Algorithms for VLSI Synthesis”. Norwell, MA, USA: Kluwer Academic Publishers, 1984, 174p.
- [BTE09] Bardsley, A.; Tarazona, L.; Edwards, D. “Teak: A Token-Flow Implementation for the Balsa Language”. In: *2009 Ninth International Conference on Application of Concurrency to System Design*, 2009, pp. 23–31.
- [BVR<sup>+</sup>12] Bachrach, J.; Vo, H.; Richards, B.; Lee, Y.; Waterman, A.; Avižienis, R.; Wawrzynek, J.; Asanović, K. “Chisel: Constructing hardware in a Scala embedded language”. In: *Design Automation Conference (DAC)*, 2012, pp. 1212–1221.

- [CCGC10] Chen, J.; Chong, K.-S.; Gwee, B.-H.; Chang, J. S. “An ultra-low power asynchronous quasi-delay-insensitive (QDI) sub-threshold memory with bit-interleaving and completion detection”. In: 8th IEEE International NEWCAS Conference (NEWCAS), 2010, pp. 117–120.
- [CLRS09] Cormen, T. H.; Leiserson, C. E.; Rivest, R. L.; Stein, C. “Introduction to Algorithms”. The MIT Press, 2009, 3rd ed., 1292p.
- [DCB93] Das, D. K.; Chacraborty, S.; Bhattacharya, B. B. “Irredundant binate realizations of unate functions”, *International Journal of Electronics Theoretical and Experimental*, vol. 75–1, 1993, pp. 65–73.
- [DLD+14] Davies, M.; Lines, A.; Dama, J.; Gravel, A.; Southworth, R.; Dimou, G.; Beerel, P. A. “A 72-Port 10G Ethernet Switch/Router Using Quasi-Delay-Insensitive Asynchronous Design”. In: 20th IEEE International Symposium on Asynchronous Circuits and Systems (ASYNC), 2014, pp. 103–104.
- [DMM04] Donno, M.; Macii, E.; Mazzoni, L. “Power-aware clock tree planning”. In: International Symposium on Physical Design (ISPD), 2004, pp. 138–147.
- [EB02] Edwards, D.; Bardsley, A. “Balsa: An Asynchronous Hardware Synthesis Language”, *The Computer Journal*, vol. 45–1, 2002, pp. 12–18.
- [Fan05] Fant, K. M. “Logically Determined Design: Clockless System Design with NULL Convention Logic”. Wiley, 2005, 292p.
- [FB96] Fant, K. M.; Brandt, S. A. “NULL Convention Logic<sup>TM</sup>: A complete and consistent logic for asynchronous digital circuit synthesis”. In: International Conference on Application Specific Systems, Architectures and Processors (ASAP), 1996, pp. 261–273.
- [Fre12] Free Software Foundation, Inc. “GNU Linear Programming Kit (GLPK)”. Source: <https://www.gnu.org/software/glpk/glpk.html>, 2012.
- [Gil11] Gill, A. “Declarative FPGA Circuit Synthesis using Kansas Lava”. In: International Conference on Engineering of Reconfigurable Systems and Algorithms (ERSA), 2011, pp. 55–64.
- [GLY10] Guan, X.; Liu, Y.; Yang, Y. “Performance Analysis of Low Power Null Convention Logic Units with Power Cutoff”. In: Asia-Pacific Conference on Wearable Computing Systems (APWCS), 2010, pp. 55–58.
- [Har01] Harris, D. “Skew-tolerant Circuit Design”. Morgan Kaufmann, 2001, 300p.
- [Hoa78] Hoare, C. A. R. “Communicating Sequential Processes”, *Communications of the ACM*, vol. 21–8, Aug 1978, pp. 666–677.

- [Hoa85] Hoare, C. A. R. "Communicating Sequential Processes". Prentice Hall International, 1985, 260p.
- [Hur69] Hurst, S. "An Introduction to Threshold Logic: A survey of present theory and practice", *The Radio and Electronic Engineer*, vol. 37–6, 1969, pp. 339–351.
- [JN08] Jeong, C.; Nowick, S. "Technology Mapping and Cell Merger for Asynchronous Threshold Networks", *IEEE Transactions on Computer-Aided Design of Integrated Circuits and Systems*, vol. 27–4, 2008, pp. 659–672.
- [JSL+10] Jorgenson, R.; Sorensen, L.; Leet, D.; Hagedorn, M.; Lamb, D.; Friddell, T.; Snapp, W. "Ultralow-Power Operation in Subthreshold Regimes Applying Clockless Logic", *Proceedings of the IEEE*, vol. 98–2, Feb 2010, pp. 299–314.
- [KKM09] Keller, S.; Katelman, M.; Martin, A. J. "A Necessary and Sufficient Timing Assumption for Speed-Independent Circuits". In: IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC), 2009, pp. 65–76.
- [LM09] LaFrieda, C.; Manohar, R. "Reducing Power Consumption with Relaxed Quasi Delay-Insensitive Circuits". In: IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC), 2009, pp. 217–226.
- [Mag84] Magott, J. "Performance Evaluation of Concurrent Systems using Petri Nets", *Information Processing Letters*, vol. 18–1, 1984, pp. 7–13.
- [Man19] Manohar, R. "An Open-Source Design Flow for Asynchronous Circuits". In: Government Microcircuit Applications And Critical Technology Conference (GOMACTECH), 2019, pp. 1–5.
- [MBSC18] Moreira, M. T.; Beerel, P. A.; Sartori, M. L. L.; Calazans, N. L. V. "NCL Synthesis With Conventional EDA Tools: Technology Mapping and Optimization", *IEEE Transactions on Circuits and Systems I: Regular Papers*, vol. 65–6, 2018, pp. 1981–1993.
- [MGC12] Moreira, M. T.; Guazzelli, R. A.; Calazans, N. L. V. "Return-to-One Protocol for Reducing Static Power in QDI Circuits Employing m-of-n Codes". In: Symposium on Integrated Circuits and Systems Design (SBCCI), 2012, pp. 1–6.
- [MGHC14] Moreira, M. T.; Guazzelli, R. A.; Heck, G.; Calazans, N. L. V. "Hardening QDI Circuits Against Transient Faults Using Delay-Insensitive Maxterm Synthesis". In: ACM Great Lakes Symposium on VLSI (GLSVLSI), 2014, pp. 3–8.

- [MM11] Martin, A. J.; Moore, C. D. "CHP and CHPsim: A Language and Simulator for Fine-grain Distributed Computation", Technical Report, CS Dept., Caltech, Pasadena, CA, USA, Tech. Rep. CS-TR-1-2011, 2011, 12p.
- [MN06] Martin, A.; Nyström, M. "Asynchronous Techniques for System-on-Chip Design", *Proceedings of the IEEE*, vol. 94–6, Jun 2006, pp. 1089–1120.
- [MNM<sup>+</sup>14] Moreira, M. T.; Neutzling, A.; Martins, M.; Reis, A.; Ribas, R.; Calazans, N. L. V. "Semi-custom NCL Design with Commercial EDA Frameworks: Is it possible?" In: IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC), 2014, pp. 53–60.
- [MNW03] Martin, A. J.; Nyström, M.; Wong, C. G. "Three Generations of Asynchronous Microprocessors", *IEEE Design & Test of Computers*, vol. 20–6, 2003, pp. 9–17.
- [MOPC11] Moreira, M. T.; Oliveira, B. S.; Pontes, J. J. H.; Calazans, N. L. V. "A 65nm Standard Cell Set and Flow Dedicated to Automated Asynchronous Circuits Design". In: IEEE International System on Chip Conference (SoCC), 2011, pp. 99–104.
- [MOPC13] Moreira, M. T.; Oliveira, C. H. M.; Porto, R. C.; Calazans, N. L. V. "NCL+: Return-to-one Null Convention Logic". In: IEEE International Midwest Symposium on Circuits and Systems (MWSCAS), 2013, pp. 836–839.
- [Mor16] Moreira, M. T. "Asynchronous Circuits: Innovations in Components, Cell Libraries and Design Templates", Ph.D. Thesis, Pontifícia Universidade Católica do Rio Grande do Sul, FACIN-PPGCC, 2016, 276p.
- [MPC14] Moreira, M. T.; Pontes, J. H.; Calazans, N. L. V. "Tradeoffs between RTO and RTZ in WCHB QDI Asynchronous Design". In: International Symposium on Quality Electronic Design (ISQED), 2014, pp. 692–699.
- [MS16] Manoranjan, J. V.; Stevens, K. S. "Qualifying relative timing constraints for asynchronous circuits". In: IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC), 2016, pp. 91–98.
- [MTMC14] Moreira, M. T.; Trojan, G.; Moraes, F. G.; Calazans, N. L. V. "Spatially Distributed Dual-Spacer Null Convention Logic Design", *Journal of Low Power Electronics*, vol. 10–3, 2014, pp. 313–320.
- [Mur89] Murata, T. "Petri nets: Properties, analysis and applications", *Proceedings of the IEEE*, vol. 77–4, 1989, pp. 541–580.

- [NS15a] Nowick, S. M.; Singh, M. “Asynchronous Design - Part 1: Overview and Recent Advances”, *IEEE Design & Test of Computers*, vol. 32–3, Jun 2015, pp. 5–18.
- [NS15b] Nowick, S. M.; Singh, M. “Asynchronous Design - Part 2: Systems and Methodologies”, *IEEE Design & Test of Computers*, vol. 32–3, Jun 2015, pp. 19–28.
- [PMMC10] Pontes, J.; Moreira, M. T.; Moraes, F. G.; Calazans, N. L. V. “Hermes-AA: A 65nm asynchronous NoC router with adaptive routing”. In: *IEEE International System-on-Chip Conference (SOCC)*, 2010, pp. 493–498.
- [PTE05] Plana, L. A.; Taylor, S.; Edwards, D. “Attacking Control Overhead to Improve Synthesised Asynchronous Circuit Performance”. In: *IEEE International Conference on Computer Design (ICCD)*, 2005, pp. 703–710.
- [Rei13] Reisig, W. “Understanding Petri Nets: Modeling Techniques, Analysis Methods, Case Studies”. Springer, 2013, 230p.
- [RST12] Reese, R. B.; Smith, S. C.; Thornton, M. A. “Uncle - An RTL Approach to Asynchronous Design”. In: *IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC)*, 2012, pp. 65–72.
- [SCH<sup>+</sup>11] Seok, M.; Chen, G.; Hanson, S.; Wieckowski, M.; Blaauw, D.; Sylvester, D. “Mitigating Variability in Near-Threshold Computing”, *IEEE Journal on Emerging and Selected Topics in Circuits and Systems*, vol. 1–1, Mar 2011, pp. 42–49.
- [SDF06] Sutherland, S.; Davidmann, S.; Flake, P. “SystemVerilog for Design: A Guide to Using SystemVerilog for Hardware Design and Modeling”. Springer Science & Business Media, 2006, 2nd ed., 418p.
- [SF01] Sparsø, J.; Furber, S. “Principles of Asynchronous Circuit Design – A Systems Perspective”. Springer, 2001, 356p.
- [Sut89] Sutherland, I. E. “Micropipelines”, *Communications of the ACM*, vol. 32–6, Jun 1989, pp. 720–738.
- [Tan18] Tange, O. “GNU Parallel 2018”. Ole Tange, 2018, 112p.
- [TBV12] Thonnart, Y.; Beigné, E.; Vivet, P. “A pseudo-synchronous Implementation Flow for WCHB QDI Asynchronous Circuits”. In: *IEEE International Symposium on Advanced Research in Asynchronous Circuits and Systems (ASYNC)*, 2012, pp. 73–80.
- [Ver88] Verhoeff, T. “Delay-Insensitive Codes - An Overview”, *Distributed Computing*, vol. 3–1, Mar 1988, pp. 1–8.

- [ZSD10] Zhou, L.; Smith, S.; Di, J. “Bit-Wise MTNCL: An ultra-low power bit-wise pipelined asynchronous circuit design methodology”. In: 53rd IEEE International Midwest Symposium on Circuits and Systems (MWSCAS), 2010, pp. 217–220.

## APPENDIX A – THE SINGLE-RAIL SYNTHESIS SCRIPTS

Listing A.1: circuits/design/syn\_rtl.tcl

```

1  set DESIGN $::env(DESIGN)
2
3  set_db syn_global_effort high
4  set_db syn_opt_effort extreme
5  set_db retime_effort_level high
6  set_db tns_opto true
7  source ../../scripts/analysis.tcl
8  read_libs ../../tech/nand2.lib
9  read_hdl -sv rtl_${DESIGN}.sv
10 elaborate
11 set_db [current_design] .retime true
12 create_clock -period 0 [get_port clk]
13 set_input_delay -clock clk 0 [all_inputs]
14 set_output_delay -clock clk 0 [all_outputs]
15
16 set_db iopt_force_constant_removal true
17 set_db remove_assigns true
18 syn_generic
19 syn_map
20
21 ungroup -all
22 syn_opt
23 syn_opt -incremental
24
25 set_db write_vlog_wor_wand false
26 update_names -restricted { [ ] } -system_verilog
27
28 report_gates > rtl_gates.rpt
29 report_timing > rtl_timing.rpt
30 write_hdl > ${DESIGN}.v
31 export_graph ${DESIGN}.graph
32 shell drexpander ${DESIGN}.v > ncl_${DESIGN}.v

```

Listing A.2: scripts/analysis.tcl

```

1  proc export_graph {file_name} {
2    variable graph
3    variable regs_data
4    variable regs_null
5    variable in_ports
6    variable out_ports
7    variable fp
8    set fp [open $file_name w]

```

```

9
10 set regs_data [concat [get_db [all::all_seqs] -if {.base_cell == dffr}]
    [get_db [all::all_seqs] -if {.base_cell == dffs}]]
11 set regs_null [concat [get_db [all::all_seqs] -if {.base_cell == dff}]
    [get_db [all::all_seqs] -if {.base_cell == dffn}]]
12
13 set in_ports [get_db [all_inputs -no_clock] -if {.name != reset}]
14 set out_ports [get_db [all_outputs]]
15
16 foreach {i} $in_ports {
17     foreach {o} [get_db [get_fanout -endpoints $i] -if {.obj_type == pin}] {
18         lappend graph($i) [vdirname $o]
19     }
20     foreach {o} [get_db [get_fanout -endpoints $i] -if {.obj_type == port}] {
21         lappend graph($i) $o
22     }
23 }
24
25 foreach {i} [all::all_seqs -output_pins] {
26     foreach {o} [get_db [get_fanout -endpoints $i] -if {.obj_type == pin}] {
27         lappend graph([vdirname $i]) [vdirname $o]
28     }
29     foreach {o} [get_db [get_fanout -endpoints $i] -if {.obj_type == port}] {
30         lappend graph([vdirname $i]) $o
31     }
32 }
33
34 foreach {i} ${in_ports} {
35     variable adjacent
36     if [info exists graph($i)] {
37         set adjacent $graph($i)
38     } else {
39         set adjacent [list]
40     }
41     puts $fp [format {Port "%s" [%s]} $i] [join [lmap x ${adjacent} {format
        {"%s"} $x}] {,}]]
42 }
43
44 foreach {i} ${out_ports} {
45     variable adjacent
46     if [info exists graph($i)] {
47         set adjacent $graph($i)
48     } else {
49         set adjacent [list]
50     }
51     puts $fp [format {Port "%s" [%s]} $i] [join [lmap x ${adjacent} {format
        {"%s"} $x}] {,}]]
52 }

```



```

53
54 foreach {i} ${regs_data} {
55     variable adjacent
56     if [info exists graph($i)] {
57         set adjacent $graph($i)
58     } else {
59         set adjacent [list]
60     }
61     puts $fp [format {DataReg "%s" [%s]} ${i} [join [lmap x ${adjacent} {format
        {"%s"} $x}] {,}]]]
62 }
63
64 foreach {i} ${regs_null} {
65     variable adjacent
66     if [info exists graph($i)] {
67         set adjacent $graph($i)
68     } else {
69         set adjacent [list]
70     }
71     puts $fp [format {NullReg "%s" [%s]} ${i} [join [lmap x ${adjacent} {format
        {"%s"} $x}] {,}]]]
72 }
73
74 close $fp
75 unset –nocomplain graph
76 unset –nocomplain regs_data
77 unset –nocomplain regs_null
78 unset –nocomplain in_ports
79 unset –nocomplain out_ports
80 }
81
82 # Local Variables:
83 # tcl-indent-level: 2
84 # indent-tabs-mode: nil
85 # End:

```

Listing A.3: tech/nand2.lib – The component library Liberty file.

```

1 library (PULSAR_NAND2) {
2     delay_model : table_lookup;
3
4
5     /* unit attributes */
6     time_unit : "1ns";
7     voltage_unit : "1V";
8     current_unit : "1mA";
9     pulling_resistance_unit : "1kohm";
10    leakage_power_unit : "1pW";

```

```
11 capacitive_load_unit (1.0, pf);
12
13 /* operation conditions */
14 nom_process      : 1;
15 nom_temperature  : 25;
16 nom_voltage      : 1.2;
17 operating_conditions(typical) {
18     process : 1;
19     temperature : 25;
20     voltage : 1.2;
21     tree_type : balanced_tree
22 }
23 default_operating_conditions : typical;
24
25 /* threshold definitions */
26 slew_lower_threshold_pct_fall : 30.0;
27 slew_upper_threshold_pct_fall : 70.0;
28 slew_lower_threshold_pct_rise : 30.0;
29 slew_upper_threshold_pct_rise : 70.0;
30 input_threshold_pct_fall      : 50.0;
31 input_threshold_pct_rise      : 50.0;
32 output_threshold_pct_fall     : 50.0;
33 output_threshold_pct_rise     : 50.0;
34 slew_derate_from_library     : 0.5;
35
36 /* default attributes */
37 default_leakage_power_density : 0.0;
38 default_cell_leakage_power    : 0.0;
39 default_fanout_load           : 1.0;
40 default_output_pin_cap        : 0.0;
41 default_inout_pin_cap         : 0.00158;
42 default_input_pin_cap         : 0.00158;
43 default_max_transition        : 1.02;
44
45
46 cell (nor2) {
47     area : 31.0;
48     pin(a) {
49         direction : input;
50         capacitance : 0.002;
51     }
52     pin(b) {
53         direction : input;
54         capacitance : 0.002;
55     }
56     pin(y) {
57         direction : output;
58         capacitance : 0.0;
```

```
59     function : "!a|b";
60     timing () {
61         related_pin : "a";
62         timing_sense : negative_unate;
63         cell_rise(scalar) {
64             values ("0.01");
65         }
66         rise_transition(scalar) {
67             values ("0.0");
68         }
69         cell_fall(scalar) {
70             values ("0.02");
71         }
72         fall_transition(scalar) {
73             values ("0.0");
74         }
75     }
76     timing () {
77         related_pin : "b";
78         timing_sense : negative_unate;
79         cell_rise(scalar) {
80             values ("0.01");
81         }
82         rise_transition(scalar) {
83             values ("0.0");
84         }
85         cell_fall(scalar) {
86             values ("0.02");
87         }
88         fall_transition(scalar) {
89             values ("0.0");
90         }
91     }
92 }
93 }
94
95 cell (nand2) {
96     area : 31.0;
97     pin(a) {
98         direction : input;
99         capacitance : 0.002;
100 }
101     pin(b) {
102         direction : input;
103         capacitance : 0.002;
104 }
105     pin(y) {
106         direction : output;
```

```
107     capacitance : 0.0;
108     function : "!(a*b)";
109     timing () {
110         related_pin : "a";
111         timing_sense : negative_unate;
112         cell_rise (scalar) {
113             values ("0.02");
114         }
115         rise_transition (scalar) {
116             values ("0.0");
117         }
118         cell_fall (scalar) {
119             values ("0.01");
120         }
121         fall_transition (scalar) {
122             values ("0.0");
123         }
124     }
125     timing () {
126         related_pin : "b";
127         timing_sense : negative_unate;
128         cell_rise (scalar) {
129             values ("0.02");
130         }
131         rise_transition (scalar) {
132             values ("0.0");
133         }
134         cell_fall (scalar) {
135             values ("0.01");
136         }
137         fall_transition (scalar) {
138             values ("0.0");
139         }
140     }
141 }
142 }
143
144 cell (inv) {
145     area : 1.0;
146     pin(a) {
147         direction : input;
148         capacitance : 0.001;
149     }
150     pin(y) {
151         direction : output;
152         capacitance : 0.0;
153         function : "!a";
154         timing () {
```

```
155     related_pin : "a";
156     timing_sense : negative_unate;
157     cell_rise(scalar) {
158     values ("0.0");
159     }
160     rise_transition(scalar) {
161     values ("0.0");
162     }
163     cell_fall(scalar) {
164     values ("0.0");
165     }
166     fall_transition(scalar) {
167     values ("0.0");
168     }
169 }
170 }
171 }
172
173 cell (buff) {
174     area : 1.0;
175     pin(a) {
176     direction : input;
177     capacitance : 0.001;
178     }
179     pin(y) {
180     direction : output;
181     capacitance : 0.0;
182     function : "a";
183     timing() {
184     related_pin : "a";
185     timing_sense : positive_unate;
186     cell_rise(scalar) {
187     values ("0.0");
188     }
189     rise_transition(scalar) {
190     values ("0.0");
191     }
192     cell_fall(scalar) {
193     values ("0.0");
194     }
195     fall_transition(scalar) {
196     values ("0.0");
197     }
198     }
199 }
200 }
201
202 cell (xor2) {
```

```
203 area : 38.0;
204 pin(a) {
205     direction : input;
206     capacitance : 0.002;
207 }
208 pin(b) {
209     direction : input;
210     capacitance : 0.002;
211 }
212 pin(y) {
213     direction : output;
214     capacitance : 0.0;
215     function : "a^b";
216     timing() {
217         related_pin : "a";
218         timing_sense : positive_unate;
219         cell_rise(scalar) {
220             values ("0.015");
221         }
222         rise_transition(scalar) {
223             values ("0.0");
224         }
225         cell_fall(scalar) {
226             values ("0.015");
227         }
228         fall_transition(scalar) {
229             values ("0.0");
230         }
231     }
232     timing() {
233         related_pin : "b";
234         timing_sense : positive_unate;
235         cell_rise(scalar) {
236             values ("0.015");
237         }
238         rise_transition(scalar) {
239             values ("0.0");
240         }
241         cell_fall(scalar) {
242             values ("0.015");
243         }
244         fall_transition(scalar) {
245             values ("0.0");
246         }
247     }
248     timing() {
249         related_pin : "a";
250         timing_sense : negative_unate;
```

```
251     cell_rise(scalar) {
252     values ("0.015");
253     }
254     rise_transition(scalar) {
255     values ("0.0");
256     }
257     cell_fall(scalar) {
258     values ("0.015");
259     }
260     fall_transition(scalar) {
261     values ("0.0");
262     }
263 }
264 timing() {
265     related_pin : "b";
266     timing_sense : negative_unate;
267     cell_rise(scalar) {
268     values ("0.015");
269     }
270     rise_transition(scalar) {
271     values ("0.0");
272     }
273     cell_fall(scalar) {
274     values ("0.015");
275     }
276     fall_transition(scalar) {
277     values ("0.0");
278     }
279 }
280 }
281 }
282
283 cell (dff) {
284     area : 32.0;
285     pin(d) {
286     direction : input;
287     capacitance : 0.001;
288     timing() {
289     related_pin : "ck";
290     timing_type : setup_rising;
291     rise_constraint(scalar) {
292     values ("0.0");
293     }
294     fall_constraint(scalar) {
295     values ("0.0");
296     }
297     }
298     timing() {
```

```
299     related_pin : "ck";
300     timing_type : hold_rising;
301     rise_constraint(scalar) {
302     values ("0.0");
303     }
304     fall_constraint(scalar) {
305     values ("0.0");
306     }
307 }
308 }
309 pin(ck) {
310     direction : input;
311     clock : true;
312     capacitance : 0.001;
313 }
314 ff(IQ,IQN) {
315     clocked_on : "ck";
316     next_state : "d";
317 }
318 pin(q) {
319     direction : output;
320     capacitance : 0.0;
321     function : "IQ";
322     timing() {
323     related_pin : "ck";
324     timing_type : rising_edge;
325     timing_sense : non_unate;
326     cell_rise(scalar) {
327     values ("0.01");
328     }
329     rise_transition(scalar) {
330     values ("0.0");
331     }
332     cell_fall(scalar) {
333     values ("0.01");
334     }
335     fall_transition(scalar) {
336     values ("0.0");
337     }
338     }
339 }
340 }
341
342 cell (dffr) {
343     area : 64.0;
344     pin(d) {
345     direction : input;
346     capacitance : 0.001;
```



```
347     timing () {
348         related_pin : "ck";
349         timing_type : setup_rising;
350         rise_constraint(scalar) {
351             values ("0.0");
352         }
353         fall_constraint(scalar) {
354             values ("0.0");
355         }
356     }
357     timing () {
358         related_pin : "ck";
359         timing_type : hold_rising;
360         rise_constraint(scalar) {
361             values ("0.0");
362         }
363         fall_constraint(scalar) {
364             values ("0.0");
365         }
366     }
367 }
368 pin(ck) {
369     direction : input;
370     clock : true;
371     capacitance : 0.001;
372 }
373 pin(rb) {
374     direction : input;
375     capacitance : 0.001;
376     timing () {
377         related_pin : "ck";
378         timing_type : setup_rising;
379         rise_constraint(scalar) {
380             values ("0.0");
381         }
382         fall_constraint(scalar) {
383             values ("0.0");
384         }
385     }
386     timing () {
387         related_pin : "ck";
388         timing_type : hold_rising;
389         rise_constraint(scalar) {
390             values ("0.0");
391         }
392         fall_constraint(scalar) {
393             values ("0.0");
394         }

```

```
395     }
396 }
397 ff(IQ,IQN) {
398     clocked_on : "ck";
399     next_state : "d";
400     clear    : "(!rb)";
401 }
402 pin(q) {
403     direction : output;
404     capacitance : 0.0;
405     function : "IQ";
406     timing() {
407         related_pin : "ck";
408         timing_type : rising_edge;
409         timing_sense : non_unate;
410         cell_rise(scalar) {
411             values ("0.01");
412         }
413         rise_transition(scalar) {
414             values ("0.0");
415         }
416         cell_fall(scalar) {
417             values ("0.01");
418         }
419         fall_transition(scalar) {
420             values ("0.0");
421         }
422     }
423     timing() {
424         related_pin : "rb";
425         timing_type : clear;
426         timing_sense : positive_unate;
427         cell_fall(scalar) {
428             values ("0.01");
429         }
430         fall_transition(scalar) {
431             values ("0.0");
432         }
433     }
434 }
435 }
436
437 cell (dffs) {
438     area : 64.0;
439     pin(d) {
440         direction : input;
441         capacitance : 0.001;
442         timing() {
```

```
443     related_pin : "ck";
444     timing_type : setup_rising;
445     rise_constraint(scalar) {
446     values ("0.0");
447     }
448     fall_constraint(scalar) {
449     values ("0.0");
450     }
451 }
452 timing() {
453     related_pin : "ck";
454     timing_type : hold_rising;
455     rise_constraint(scalar) {
456     values ("0.0");
457     }
458     fall_constraint(scalar) {
459     values ("0.0");
460     }
461 }
462 }
463 pin(ck) {
464     direction : input;
465     clock : true;
466     capacitance : 0.001;
467 }
468 pin(sb) {
469     direction : input;
470     capacitance : 0.001;
471     timing() {
472     related_pin : "ck";
473     timing_type : setup_rising;
474     rise_constraint(scalar) {
475     values ("0.0");
476     }
477     fall_constraint(scalar) {
478     values ("0.0");
479     }
480 }
481 timing() {
482     related_pin : "ck";
483     timing_type : hold_rising;
484     rise_constraint(scalar) {
485     values ("0.0");
486     }
487     fall_constraint(scalar) {
488     values ("0.0");
489     }
490 }
```

```
491 }
492 ff(IQ,IQN) {
493     clocked_on : "ck";
494     next_state : "d";
495     preset : "!sb";
496 }
497 pin(q) {
498     direction : output;
499     capacitance : 0.0;
500     function : "IQ";
501     timing() {
502         related_pin : "ck";
503         timing_type : rising_edge;
504         timing_sense : non_unate;
505         cell_rise(scalar) {
506             values ("0.01");
507         }
508         rise_transition(scalar) {
509             values ("0.0");
510         }
511         cell_fall(scalar) {
512             values ("0.01");
513         }
514         fall_transition(scalar) {
515             values ("0.0");
516         }
517     }
518     timing() {
519         related_pin : "sb";
520         timing_type : preset;
521         timing_sense : negative_unate;
522         cell_rise(scalar) {
523             values ("0.01");
524         }
525         rise_transition(scalar) {
526             values ("0.0");
527         }
528         cell_fall(scalar) {
529             values ("0.01");
530         }
531         fall_transition(scalar) {
532             values ("0.0");
533         }
534     }
535 }
536 }
537 }
```

## APPENDIX B – THE DUAL-RAIL EXPANDER

Listing B.1: expander.hs – Haskell source code for the dual-rail expander.

```

1  import           Control.Monad.Reader
2  import           DRExpander
3  import           Options.Applicative
4  import Data.Monoid
5
6  prgOptions :: Parser PrgOptions
7  prgOptions = PrgOptions
8             <$> some (argument str (metavar "FILES"
9                          <> help "Input File Name"))
10            <*> strOption (long "reset"
11                          <> short 'r'
12                          <> value "reset"
13                          <> help "Reset port name")
14            <*> strOption (long "clock"
15                          <> short 'c'
16                          <> value "clk"
17                          <> help "Clock port name")
18
19
20 main :: IO ()
21 main = do
22     let opts = info (prgOptions <*> helper)
23                 ( fullDesc
24                   <> progDesc "Prepares a netlist for dual-rail expansion"
25                   <> header "drexpend – Pulsar's dual-rail expensor")
26     options <- execParser opts
27     runReaderT prgMain options
28
29 prgMain :: ReaderT PrgOptions IO ()
30 prgMain = do
31     env <- ask
32     modules <- processVerilogFiles $ verilogFiles env
33     liftIO . putStr . unlines $ show <$> modules

```

Listing B.2: src/DRExpander.hs – Haskell source code for the dual-rail expander

```

1  {-# LANGUAGE FlexibleContexts #-}
2  {-# LANGUAGE OverloadedLists #-}
3  module DRExpander where
4
5  import           Control.Monad.IO.Class
6  import           Control.Monad.Reader
7  import           Data.BitVec

```

```

8 import           Data.Set                (Set)
9 import qualified Data.Set                as Set
10 import qualified Language.Verilog       as Verilog
11
12 data Wire = Wire String
13           | Bus Integer Integer String
14           deriving (Eq, Ord)
15
16 data PrgOptions = PrgOptions
17   { verilogFiles :: [FilePath]
18   , resetName    :: String
19   , clkName      :: String
20   } deriving (Show)
21
22 bitBlastWire :: Wire -> [Wire]
23 bitBlastWire (Bus x y name) = map (Wire . expandBusWireName name) [x'..y'] where
24   x' = min x y
25   y' = max x y
26 bitBlastWire x                = [x]
27
28 expandBusWireName :: String -> Integer -> String
29 expandBusWireName name idx = name ++ "_" ++ show idx
30
31 readVerilogFile :: (MonadIO m) => FilePath -> m [Verilog.Module]
32 readVerilogFile path = do
33   s <- liftIO $ readFile path
34   return $ Verilog.parseFile [] path s
35
36 readVerilogFiles :: (MonadIO m) => [FilePath] -> m [Verilog.Module]
37 readVerilogFiles = fmap concat . mapM readVerilogFile
38
39 vlogModuleInputs :: Verilog.Module -> Set Wire
40 vlogModuleInputs (Verilog.Module _ _ items) = Set.fromList $ concatMap go items
41   where
42     go (Verilog.Input Nothing xs)          = map Wire xs
43     go (Verilog.Input (Just (Verilog.Number x, Verilog.Number y)) xs) = map
44       (Bus x' y') xs where
45         y' = value y
46         x' = value x
47     go _ = []
48
49 vlogModuleOutputs :: Verilog.Module -> Set Wire
50 vlogModuleOutputs (Verilog.Module _ _ items) = Set.fromList $ concatMap go items
51   where
52     go (Verilog.Output Nothing xs)        = map Wire xs
53     go (Verilog.Output (Just (Verilog.Number x, Verilog.Number y)) xs) = map
54       (Bus x' y') xs where
55         y' = value y

```

```

54     x' = value x
55     go _ = []
56
57 vlogModuleWires :: Verilog.Module -> Set Wire
58 vlogModuleWires (Verilog.Module _ _ items) = Set.fromList $ concatMap go items
59   where
60     go (Verilog.Wire Nothing xs) = map (Wire . fst) xs
61     go (Verilog.Wire (Just (Verilog.Number x, Verilog.Number y)) xs) = map (Bus
62       x' y') xs' where
63       y' = value y
64       x' = value x
65       xs' = map fst xs
66     go _ = []
67
68 vlogModuleIntWires :: Verilog.Module -> Set Wire
69 vlogModuleIntWires mod = wires Set.\ Set.union inputs outputs
70   where
71     wires = vlogModuleWires mod
72     inputs = vlogModuleInputs mod
73     outputs = vlogModuleOutputs mod
74
75 vlogModuleAllWires :: Verilog.Module -> Set Wire
76 vlogModuleAllWires mod = Set.unions [wires, inputs, outputs]
77   where
78     wires = vlogModuleWires mod
79     inputs = vlogModuleInputs mod
80     outputs = vlogModuleOutputs mod
81
82 vlogModuleWithoutWires :: Verilog.Module -> Verilog.Module
83 vlogModuleWithoutWires (Verilog.Module name _ items) =
84   Verilog.Module name [] $ filter p items where
85     p (Verilog.Input _ _) = False
86     p (Verilog.Output _ _) = False
87     p (Verilog.Wire _ _) = False
88     p _ = True
89
90 vlogDRWireInstance :: Wire -> [Verilog.ModuleItem]
91 vlogDRWireInstance (Wire name) = [Verilog.Instance "drwire" [] name []]
92 vlogDRWireInstance bus = concatMap vlogDRWireInstance $ bitBlastWire bus
93
94 vlogDRWirePort :: Verilog.Identifier -> [Verilog.Identifier]
95 vlogDRWirePort name = map (name ++) ["_t", "_f", "_ack"]
96
97 vlogDRWireInputInst :: Wire -> [Verilog.ModuleItem]
98 vlogDRWireInputInst (Wire name) =
99   [Verilog.Input Nothing $ map (name ++) ["_t", "_f"]
100  , Verilog.Output Nothing [name ++ "_ack"]
101  , Verilog.Assign (Verilog.LHS $ name ++ ".t") (Verilog.Ident $ name ++ "_t")

```

```

101   ,Verilog.Assign (Verilog.LHS $ name ++ ".f") (Verilog.Ident $ name ++ "_f")
102   ,Verilog.Assign (Verilog.LHS $ name ++ "_ack") (Verilog.Ident $ name ++
    ".ack")]
103 vlogDRWireInputInst (Bus x y name) =
104   [Verilog.Input range $ map (name ++) ["_t", "_f"]
105   ,Verilog.Output range [name ++ "_ack"]] ++
106   concatMap go values
107   where
108     range = Just (Verilog.Number $ fromInteger x, Verilog.Number $ fromInteger
    y)
109     values = [x'..y'] :: [Integer]
110     x' = min x y
111     y' = max x y
112     go :: Integer -> [Verilog.ModuleItem]
113     go i =
114       let name' = expandBusWireName name i in
115         [Verilog.Assign (Verilog.LHS $ name' ++ ".t") (Verilog.IdentBit (name
    ++ "_t") . Verilog.Number $ fromInteger i)
116         ,Verilog.Assign (Verilog.LHS $ name' ++ ".f") (Verilog.IdentBit (name
    ++ "_f") . Verilog.Number $ fromInteger i)
117         ,Verilog.Assign (Verilog.LHSBit (name ++ "_ack") (Verilog.Number $
    fromInteger i)) (Verilog.Ident $ name' ++ ".ack")]
118
119
120 vlogDRWireOutputInst :: Wire -> [Verilog.ModuleItem]
121 vlogDRWireOutputInst (Wire name) =
122   [Verilog.Input Nothing $ map (name ++) ["_t", "_f"]
123   ,Verilog.Output Nothing [name ++ "_ack"]
124   ,Verilog.Assign (Verilog.LHS $ name ++ ".t") (Verilog.Ident $ name ++ "_t")
125   ,Verilog.Assign (Verilog.LHS $ name ++ ".f") (Verilog.Ident $ name ++ "_f")
126   ,Verilog.Assign (Verilog.LHS $ name ++ "_ack") (Verilog.Ident $ name ++
    ".ack")]
127 vlogDRWireOutputInst (Bus x y name) =
128   [Verilog.Output range $ map (name ++) ["_t", "_f"]
129   ,Verilog.Input range [name ++ "_ack"]] ++
130   concatMap go values
131   where
132     range = Just (Verilog.Number $ fromInteger x, Verilog.Number $ fromInteger
    y)
133     values = [x'..y'] :: [Integer]
134     x' = min x y
135     y' = max x y
136     go :: Integer -> [Verilog.ModuleItem]
137     go i =
138       let name' = expandBusWireName name i in
139         [Verilog.Assign (Verilog.LHSBit (name ++ "_t") (Verilog.Number $
    fromInteger i)) (Verilog.Ident $ name' ++ ".t")

```



```

140     , Verilog.Assign ( Verilog.LHSBit (name ++ "_f") ( Verilog.Number $
      fromInteger i)) ( Verilog.Ident $ name' ++ ".f")
141     , Verilog.Assign ( Verilog.LHS (name' ++ ".ack") ) ( Verilog.IdentBit
      (name ++ "_ack") . Verilog.Number $ fromInteger i)]
142
143 fixDffReset :: (MonadReader PrgOptions m) => Verilog.ModuleItem -> m
      Verilog.ModuleItem
144 fixDffReset inst@( Verilog.Instance mname parms name portmap)
145   | mname == "dff" || mname == "dffen" = do
146     env <- ask
147     let resetPin = (Just "reset", Just . Verilog.Ident $ resetName env)
148     return $ Verilog.Instance mname parms name (resetPin : portmap)
149   | otherwise = return inst
150 fixDffReset x = return x
151
152 fixInstancesBitBlast :: Verilog.ModuleItem -> Verilog.ModuleItem
153 fixInstancesBitBlast ( Verilog.Instance mname parms name portmap) =
154   Verilog.Instance mname parms name $ map go portmap where
155   go (x, Just ( Verilog.IdentBit name ( Verilog.Number idx))) = (x, Just .
      Verilog.Ident . expandBusWireName name $ value idx)
156   go z = z
157 fixInstancesBitBlast x = x
158
159 vlogInputInstance :: [ Verilog.Identifier ] -> Verilog.ModuleItem
160 vlogInputInstance = Verilog.Input Nothing
161
162 wireName :: Wire -> String
163 wireName (Wire n)     = n
164 wireName (Bus _ _ n) = n
165
166 processModule :: (MonadReader PrgOptions m) => Verilog.Module -> m
      Verilog.Module
167 processModule mod = do
168   options <- ask
169   let clkAndResetNames = [clkName options , resetName options]
170   let clkAndReset = Set.fromList $ map Wire clkAndResetNames
171   let inputs = vlogModuleInputs mod Set.\ \ clkAndReset
172   let outputs = vlogModuleOutputs mod
173   let wires = vlogModuleAllWires mod Set.\ \ clkAndReset
174   let ( Verilog.Module mname _ mitems) = vlogModuleWithoutWires mod
175   let clkrstInst = vlogInputInstance clkAndResetNames
176   let drWires = concatMap vlogDRWireInstance $ Set.elems wires
177   let drInputs = concatMap vlogDRWireInputInst $ Set.elems inputs
178   let drOutputs = concatMap vlogDRWireOutputInst $ Set.elems outputs
179   let margs = concatMap (vlogDRWirePort . wireName) (Set.elems $ Set.union
      inputs outputs) ++ clkAndResetNames
180 instances <- mapM (fixDffReset . fixInstancesBitBlast) mitems
181 let insts' = [clkrstInst] ++ drWires ++ drInputs ++ drOutputs ++ instances

```

```
182   return $ Verilog.Module mname margs insts '
183
184 processVerilogFile :: (MonadReader PrgOptions m, MonadIO m) => FilePath -> m
    [Verilog.Module]
185 processVerilogFile path = readVerilogFile path >>= mapM processModule
186
187 processVerilogFiles :: (MonadReader PrgOptions m, MonadIO m) => [FilePath] -> m
    [Verilog.Module]
188 processVerilogFiles = fmap concat . mapM processVerilogFile
```

## APPENDIX C – THE CYCLE TIME CONSTRAINER

Listing C.1: constrainer.hs – Main Haskell source

```

1 {-# LANGUAGE FlexibleContexts #-}
2 import Control.Monad.Reader
3 import Data.LinearProgram.GLPK
4 import Data.Map (Map)
5 import qualified Data.Map as Map
6 import Data.Monoid
7 import HBCN
8 import Options.Applicative
9 import Text.Printf
10 import Text.Regex.TDFA
11
12 type LPRet = (ReturnCode, Maybe (Double, Map LPVar Double))
13
14 data PrgOptions = PrgOptions
15   { inputFiles      :: [FilePath]
16   , targetCycleTime :: Double
17   , minimalDelay    :: Double
18   , clockName       :: String
19   , outputFile      :: FilePath
20   , pathExceptions  :: Bool
21   , relaxEnable     :: Bool
22   , debugSol        :: Bool
23   } deriving (Show)
24
25 prgOptions :: Parser PrgOptions
26 prgOptions = PrgOptions
27   <$> some (argument str
28     (metavar "input"
29       <> help "List of Structural Graph Files"))
30   <*> option auto (long "cycletime"
31     <> metavar "time"
32     <> short 't'
33     <> help "Target Cycle Time Constraint")
34   <*> option auto (long "mindelay"
35     <> short 'm'
36     <> metavar "time"
37     <> value (-1)
38     <> help "Minimum Path Delay, defaults to 10% of
39       cycle time constraint")
40   <*> strOption (long "clock"
41     <> metavar "portname"
42     <> short 'c'
43     <> value "clk")

```

```

43             <> help "Clock port name")
44     <*> option str (long "output"
45                 <> metavar "filename"
46                 <> short 'o'
47                 <> value "ncl_constraints.sdc"
48                 <> help "Output SDC File , defaults to
                    ncl_constraints.sdc")
49     <*> flag True False (long "no-path-exceptions"
50                          <> help "Don't construct mindelay path
                    exceptions")
51     <*> flag False True (long "relax"
52                          <> help "Use free slack to relax timing
                    constraints")
53     <*> flag False True (long "debug"
54                          <> help "Print LP Variables Solution and
                    export lp problem")
55
56
57
58 main :: IO ()
59 main = do
60     let opts = info (prgOptions <*> helper)
61         ( fullDesc
62           <> progDesc "Calculates the pseudo-clock constraints for a given
                    circuit"
63           <> header "hbcnConstrainer - Pulsar Linear Programming HBCN
                    constrainer")
64     options <- execParser opts
65     runReaderT prgMain options
66
67 hbcnFromFiles :: [FilePath] -> ReaderT PrgOptions IO HBCN
68 hbcnFromFiles files = do
69     text <- mapM (liftIO . readFile) files
70     let structure = map read $ (lines . concat) text
71     return $ createHBCNFromStructure structure
72
73 sdcContent :: (MonadReader PrgOptions m) => LPRet -> m String
74 sdcContent (Data.LinearProgram.GLPK.Success, Just (_, vars)) = do
75     opts <- ask
76     let clkPeriod = vars Map.! PseudoClock
77         individual = pathExceptions opts
78     return $ printf "create_clock -period %.3f [get_port {%s}]\n" clkPeriod
        (clockName opts) ++
79     printf "set_input_delay -clock {%s} 0 [all_inputs]\n" (clockName opts) ++
80     printf "set_output_delay -clock {%s} 0 [all_outputs]\n" (clockName opts) ++
81     if individual then
82         concatMap maxDelay (filter (\(_, v) -> (v > clkPeriod + 0.001) || (v <
            clkPeriod - 0.001)) $ Map.toList vars)

```

```

83     else []
84     where
85         maxDelay (FwDelay src dst, val)
86             | (src =~ "port:") && (dst =~ "port:") =
87                 printf "# Forward Delay from %s to %s\n" src dst ++
88                 printf "set_max_delay -from {%s} -to {%s} %.3f\n" (trueRail src)
89                     (trueRail dst) val ++
90                 printf "set_max_delay -from {%s} -to {%s} %.3f\n" (falseRail src)
91                     (falseRail dst) val ++
92                 printf "set_max_delay -from {%s} -to {%s} %.3f\n" (trueRail src)
93                     (falseRail dst) val ++
94                 printf "set_max_delay -from {%s} -to {%s} %.3f\n" (falseRail src)
95                     (trueRail dst) val
96             | src =~ "port:" =
97                 printf "# Forward Delay from %s to %s\n" src dst ++
98                 printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
99                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
100                     (trueRail dst) val ++
101                 printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
102                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
103                     (falseRail dst) val ++
104                 printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
105                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
106                     (falseRail dst) val ++
107                 printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
108                     {(is_clock_pin==true)}] -to [get_pin -of_objects {%s} -filter
109                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
110                     (trueRail dst) val ++
111                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
112                     {(is_clock_pin==true)}] -to [get_pin -of_objects {%s} -filter
113                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
114                     (falseRail dst) val ++
115                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
116                     {(is_clock_pin==true)}] -to [get_pin -of_objects {%s} -filter
117                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
118                     (falseRail dst) val ++
119                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
120                     {(is_clock_pin==true)}] -to [get_pin -of_objects {%s} -filter
121                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
122                     (trueRail dst) val
123             | otherwise =
124                 printf "# Forward Delay from %s to %s\n" src dst ++
125                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
126                     {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
127                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
128                     (trueRail dst) val ++
129                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
130                     {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
131                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
132                     (falseRail dst) val ++
133                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
134                     {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
135                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
136                     (falseRail dst) val ++
137                 printf "set_max_delay -from [get_pin -of_objects {%s} -filter
138                     {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
139                     {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
140                     (trueRail dst) val
141         maxDelay (BwDelay src dst, val)
142             | (src =~ "port:") && (dst =~ "port:") =
143                 printf "# Backward Delay from %s to %s\n" src dst ++

```

```

107     printf "set_max_delay -from {%s} -to {%s} %.3f\n" (ackRail src)
        (ackRail dst) val
108 | src =~ "port:" =
109     printf "# Backward Delay from %s to %s\n" src dst ++
110     printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (ackRail src)
        (trueRail dst) val ++
111     printf "set_max_delay -from {%s} -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (ackRail src)
        (falseRail dst) val
112 | dst =~ "port:" =
113     printf "# Backward Delay from %s to %s\n" src dst ++
114     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to {%s} %.3f\n" (trueRail src) (ackRail dst)
        val ++
115     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to {%s} %.3f\n" (falseRail src) (ackRail dst)
        val
116 | otherwise =
117     printf "# Backward Delay from %s to %s\n" src dst ++
118     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
        (trueRail dst) val ++
119     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
        (falseRail dst) val ++
120     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (trueRail src)
        (falseRail dst) val ++
121     printf "set_max_delay -from [get_pin -of_objects {%s} -filter
        {is_clock_pin==true}] -to [get_pin -of_objects {%s} -filter
        {(is_clock_pin==false) && (direction==in)}] %.3f\n" (falseRail src)
        (trueRail dst) val
122 maxDelay _ = []
123 separateBus :: String -> (String, String, String)
124 separateBus = ( =~ "\\[[0-9]+\\]" )
125 ackRail s = let (n, b, _) = separateBus s in
126     n ++ "_ack" ++ b
127 trueRail s
128 | s =~ "port:" = let (n, b, _) = separateBus s in
129     n ++ "_t" ++ b
130 | otherwise = s ++ "/t"
131 falseRail s
132 | s =~ "port:" = let (n, b, _) = separateBus s in
133     n ++ "_f" ++ b

```

```

134     | otherwise = s ++ "/"
135
136 sdcContent err = errorWithoutStackTrace . printf "Could not solve LP: %s" $
    show err
137
138 printSolution :: (MonadIO m) => LPRet -> m ()
139 printSolution (Data.LinearProgram.GLPK.Success, Just (_, vars)) = liftIO $
140     mapM_ print $ Map.toList vars
141 printSolution err = errorWithoutStackTrace . printf "Could not solve LP: %s" $
    show err
142
143 lpObjective :: LPRet -> Double
144 lpObjective (Data.LinearProgram.GLPK.Success, Just (o, _)) = o
145 lpObjective err = errorWithoutStackTrace . printf "Could not solve LP: %s" $
    show err
146
147 prgMain :: ReaderT PrgOptions IO ()
148 prgMain = do
149     opts <- ask
150     hbcn <- hbcnFromFiles $ inputFiles opts
151     let cycleTime = targetCycleTime opts
152         relax = relaxEnable opts
153         let minDelay = case minimalDelay opts of
154             x | x < 0 -> cycleTime/10
155             | otherwise -> x
156         let lp = constraintCycleTime hbcn cycleTime minDelay relax
157         result <- liftIO $ glpSolveVars simplexDefaults lp
158         sdc <- sdcContent result
159         when (debugSol opts) $ do
160             let lpfile = outputFile opts ++ ".lp"
161                 printSolution result
162                 liftIO $ writeLP lpfile lp
163             liftIO $ if lpObjective result > 0.0005 then do
164                 printf "Writing constraints to %s\n" (outputFile opts)
165                 writeFile (outputFile opts) sdc
166         else
167             errorWithoutStackTrace "Deadlock Found in the Design, not writing
    constraints file"

```

Listing C.2: src/Data/HBCN.hs

```

1 module HBCN
2   ( module HBCN.Timing
3     , module HBCN.Internal
4   ) where
5
6 import           HBCN.Internal
7 import           HBCN.Timing

```

Listing C.3: src/Data/HBCN/Internal.hs – Structural graph to HBCN

```

1  module HBCN.Internal where
2
3  import      Algebra.Graph.Labelled
4  import      Data.Semigroup      as SG
5
6  data StructuralElement = Port String [String]
7                          | DataReg String [String]
8                          | NullReg String [String]
9                          deriving (Show, Read, Eq, Ord)
10
11 data Transition = DataTrans {nodeName :: String}
12                  | NullTrans {nodeName :: String}
13                  deriving (Show, Read, Eq, Ord)
14
15 data Place = Unconnected
16             | Place {hasToken :: Bool}
17             | MindelayPlace {hasToken :: Bool}
18             deriving (Show, Read, Eq, Ord)
19
20 type HBCN = Graph Place Transition
21
22 instance Semigroup Place where
23   Unconnected <> a = a
24   a <> _ = a
25
26 instance Monoid Place where
27   mempty = Unconnected
28   mappend = (SG.<>)
29
30 createHBCNFromStructure :: [StructuralElement] -> HBCN
31 createHBCNFromStructure = edges . concatMap go where
32   go (Port src dst) = concatMap
33     (\x -> [(Place False, DataTrans src, DataTrans x)
34             ,(Place False, NullTrans src, NullTrans x)
35             ,(Place False, DataTrans x, NullTrans src)
36             ,(Place True, NullTrans x, DataTrans src)]) dst
37   go (NullReg src dst) = concatMap
38     (\x -> [(Place False, DataTrans src, DataTrans x)
39             ,(Place False, NullTrans src, NullTrans x)
40             ,(Place False, DataTrans x, NullTrans src)
41             ,(Place True, NullTrans x, DataTrans src)]) dst
42   go (DataReg src dst) =
43     let
44       sout = src ++ "/sout"
45       sin = src ++ "/sin"
46     in — Input Slave

```



```

47     [(MindelayPlace False , DataTrans src , DataTrans sin)
48     ,(MindelayPlace True , NullTrans src , NullTrans sin)
49     ,(MindelayPlace False , DataTrans sin , NullTrans src)
50     ,(MindelayPlace False , NullTrans sin , DataTrans src)
51     — Data stage
52     ,(MindelayPlace True , DataTrans sin , DataTrans sout)
53     ,(MindelayPlace False , NullTrans sin , NullTrans sout)
54     ,(MindelayPlace False , DataTrans sout , NullTrans sin)
55     ,(MindelayPlace False , NullTrans sout , DataTrans sin)] ++
56     — Output slave
57     concatMap (\x -> [(Place False , DataTrans sout , DataTrans x)
58                       ,(Place False , NullTrans sout , NullTrans x)
59                       ,(Place False , DataTrans x , NullTrans sout)
60                       ,(Place True , NullTrans x , DataTrans sout)]) dst

```

Listing C.4: src/Data/HBCN/Timing.hs – HBCN cycle time constrainer

```

1  {-# LANGUAGE FlexibleContexts #-}
2  module HBCN.Timing
3      (LPVar (..))
4      ,TimingLP
5      ,constraintCycleTime) where
6
7  import           Algebra.Graph.Labelled
8  import           Control.Monad
9  import           Data.LinearProgram
10 import           HBCN.Internal
11 import           Prelude                hiding (Num (..))
12
13 data LPVar = Arrival Transition
14           | FwDelay String String
15           | BwDelay String String
16           | FwSlack String String
17           | BwSlack String String
18           | PseudoClock
19           deriving (Show, Read, Eq, Ord)
20
21 type TimingLP = LP LPVar Double
22
23 arrivalTimeEq cycleTime minDelay relax (place , src , dst) = do
24   let src' = Arrival src
25   let dst' = Arrival dst
26   let ct = if hasToken place then cycleTime else 0
27   let slack = case (src , dst) of
28     (DataTrans s , DataTrans d) -> FwSlack s d
29     (NullTrans s , NullTrans d) -> FwSlack s d
30     (DataTrans s , NullTrans d) -> BwSlack s d
31     (NullTrans s , DataTrans d) -> BwSlack s d

```

```

32  let delay = case (src, dst) of
33      (DataTrans s, DataTrans d) -> FwDelay s d
34      (NullTrans s, NullTrans d) -> FwDelay s d
35      (DataTrans s, NullTrans d) -> BwDelay s d
36      (NullTrans s, DataTrans d) -> BwDelay s d
37  setVarBounds delay $ LBound minDelay
38  setVarBounds slack $ LBound 0
39  setVarBounds src' $ LBound 0
40  setVarBounds dst' $ LBound 0
41  if relax
42      then do
43          linCombination [(1, src'), (-1, dst'), (1, delay)] 'equalTo' ct
44      case place of
45          MindelayPlace _ -> linCombination [(1, delay), (-1, slack)] 'equalTo'
46              minDelay
47          _ -> linCombination [(1, delay)] 'equal' linCombination [(1,
48              PseudoClock), (1, slack)]
49      else do
50          linCombination [(1, src'), (-1, dst'), (1, delay), (1, slack)] 'equalTo' ct
51      case place of
52          MindelayPlace _ -> linCombination [(1, delay)] 'equalTo' minDelay
53          _ -> linCombination [(1, delay)] 'equal' linCombination [(1, PseudoClock)]
54  constraintCycleTime :: HBCN -> Double -> Double -> Bool -> TimingLP
55  constraintCycleTime hbcn cycleTime minDelay relax = execLPM $ do
56      setDirection Max
57      setObjective $ linCombination [(1, PseudoClock)]
58      setVarBounds PseudoClock $ LBound minDelay
59  mapM_ (arrivalTimeEq cycleTime minDelay relax) $ edgeList hbcn

```

## APPENDIX D – THE PSEUDO-SYNCHRONOUS SYNTHESIS SCRIPTS

Listing D.1: circuits/design/syn\_st65.tcl

```

1 source ../../scripts/fixnetlist.tcl
2
3 set PERIOD $::env(PERIOD)
4
5 set DESIGN $::env(DESIGN)
6 set OUTDIR output/${PERIOD}
7
8 file mkdir ${OUTDIR}
9
10 shell hbcnConstrainer ${DESIGN}.graph -m 0.2 -t ${PERIOD} -o
    ${OUTDIR}/ncl_constraints.sdc
11
12 set_db auto_super_thread true
13 set_db syn_global_effort high
14 #set_db leakage_power_effort medium
15 set_db syn_opt_effort extreme
16 set_db tns_opto true
17 set_db auto_partition true
18 set_db avoid_tied_inputs true
19
20 read_mmmc st65_mmmc.tcl
21 set_db lef_library {
22     ../../tech/CORE65GPSVT_soc.lef
23     ../../tech/PRHS65_soc.lef
24     ../../tech/cmos065_7m4x0y2z_AP_Worst.lef
25     ../../tech/ASCEND_NCLP65GPSVT.lef
26     ../../tech/ASCEND_NCL65GPSVT.lef
27 }
28
29 source ../../tech/st65.tcl
30
31 read_hdl -sv ../../tech/drexpansion.sv
32 read_hdl -sv ncl_${DESIGN}.v
33 elaborate ${DESIGN}
34
35 init_design
36
37 set insts [all::all_seqs]
38 if {[llength $insts] > 0} {
39     set_size_only $insts true
40 }
41
42 set_db iopt_ultra_optimization true

```

```

43 set_dont_use [nclp_cell_list] true
44 syn_generic
45 syn_map
46
47 syn_opt
48 syn_opt -physical
49 syn_opt -incremental -physical
50
51 fix_xnetlist
52
53 opt_sdds 10
54
55 prepare_for_physical
56
57 set_db write_vlog_wor_wand false
58 report_timing -nworst 1000 > ${OUTDIR}/timing.rpt
59 report_gates > ${OUTDIR}/gates.rpt
60 report_power > ${OUTDIR}/power.rpt
61 write_hdl > ${OUTDIR}/logical.v
62 write_snapshot -innovus -outdir ${OUTDIR}/snapshot -tag logical
63
64 set_analysis_view -setup worst_latch_view
65 write_sdf > ${OUTDIR}/worst.sdf
66
67 set_analysis_view -setup nominal_latch_view
68 write_sdf > ${OUTDIR}/nominal.sdf
69
70 set_analysis_view -setup best_latch_view
71 write_sdf > ${OUTDIR}/best.sdf

```

Listing D.2: scripts/fixnetlist.tcl

```

1 proc get_adjacent_nodes {node} {
2     variable ret
3     set ret [list]
4
5     foreach {a} [get_db -if {.obj_type == pin} \
6                 [get_fanout -max_pin_depth 1 $node]] {
7         if [get_db [vdirname $a] .is_combinational] {
8             lappend ret $a
9         }
10    }
11
12    return $ret
13 }
14
15 proc get_instance_of_pin {pin} {
16     return [vdirname $pin]

```

```

17 }
18
19 proc get_inst_cell_name {inst} {
20     return [vbasename [get_db $inst .lib_cell]]
21 }
22
23 proc replace_inst_gate {inst gate} {
24     change_link -instances $inst -lib_cell [lindex [vfind / -lib_cell $gate] 0]
25 }
26
27 proc get_barriers_output {} {
28     return [all::all_seqs -output_pins]
29 }
30
31 proc is_nclp {instance} {
32     global nclp_cell
33     return [info exists nclp_cell([get_inst_cell_name ${instance})]]
34 }
35
36 proc is_ncl {instance} {
37     global ncl_cell
38     return [info exists ncl_cell([get_inst_cell_name ${instance})]]
39 }
40
41 proc ncl_cell_list {} {
42     global ncl_cell
43     return [array names ncl_cell]
44 }
45
46 proc nclp_cell_list {} {
47     global nclp_cell
48     return [array names nclp_cell]
49 }
50
51 proc orphan_cell_list {} {
52     global orphan_cell
53     return [array names orphan_cell]
54 }
55
56 proc get_domain_pins {rtzpinsvar rtopinsvar} {
57     global rtz_startpoints
58     global rto_startpoints
59     upvar 1 $rtzpinsvar rtzpinslist
60     upvar 1 $rtopinsvar rtopinslist
61
62     variable rtzpins
63     variable rtopins
64     variable visited

```

```

65
66  if {![info exists rtz_startpoints] || ![info exists rto_startpoints]} {
67    set rtz_startpoints [concat [vfind / -port *] [all::all_seqs -output_pins]]
68  }
69
70  if [info exists rtz_startpoints] {
71    foreach {pin} $rtz_startpoints {
72      foreach {a} [get_adjacent_nodes $pin] {
73        incr rtzpins($a)
74      }
75    }
76  }
77
78  if [info exists rto_startpoints] {
79    foreach {pin} $rto_startpoints {
80      foreach {a} [get_adjacent_nodes $pin] {
81        incr rtopins($a)
82      }
83    }
84  }
85
86  variable done
87  set done 0
88  while {!$done} {
89    set done 1
90    #breath first RTZ pins processing
91    foreach {a} [array names rtzpins] {
92      if {![info exists visited($a)] || !$visited($a)} {
93        if [is_inverting_output $a] {
94          #inversion found
95          foreach {b} [get_adjacent_nodes $a] {
96            incr rtopins($b)
97          }
98        } else {
99          #no domain inversion
100         foreach {b} [get_adjacent_nodes $a] {
101           incr rtzpins($b)
102         }
103       }
104       incr visited($a)
105       set done 0
106     }
107   }
108
109   # breath first RTO pins processing
110   foreach {a} [array names rtopins] {
111     if {![info exists visited($a)] || !$visited($a)} {
112       if [is_inverting_output $a] {

```

```

113         #inversion found
114         foreach {b} [get_adjacent_nodes $a] {
115             incr rtzpins($b)
116         }
117     } else {
118         #no domain inversion
119         foreach {b} [get_adjacent_nodes $a] {
120             incr rtopins($b)
121         }
122     }
123     incr visited($a)
124     set done 0
125 }
126 }
127 }
128
129 unset -nocomplain rtopinslist
130 unset -nocomplain rtzpinslist
131
132 set rtopinslist [lsort -unique [array names rtopins]]
133 set rtzpinslist [lsort -unique [array names rtzpins]]
134
135 unset -nocomplain rtzpins
136 unset -nocomplain rtopins
137 unset -nocomplain visited
138
139 return 1
140 }
141
142 proc get_domain_instances {rtzinstsvar rtoinstsvar} {
143     upvar 1 $rtzinstsvar rtzinsts
144     upvar 1 $rtoinstsvar rtoinsts
145
146     variable rtop
147     variable rtzp
148
149     get_domain_pins rtzp rtop
150
151     # get instance names from pin names
152     set rtzinsts [list]
153     foreach {a} ${rtzp} {
154         lappend rtzinsts [get_instance_of_pin $a]
155     }
156     set rtzinsts [lsort -unique $rtzinsts]
157
158     set rtoinsts [list]
159     foreach {a} ${rtop} {
160         lappend rtoinsts [get_instance_of_pin $a]

```

```

161 }
162 set rtoinsts [lsort -unique $rtoinsts]
163
164 unset -nocomplain rtzpins
165 unset -nocomplain rtopins
166
167 return 1
168 }
169
170 proc fix_xnetlist {} {
171     variable rtz
172     variable rto
173     variable count
174     global equivalent_cell
175
176     set count 0
177
178     get_domain_instances rtz rto
179
180     foreach {i} $rto {
181         if {[lsearch -sorted $rtz $i] >= 0} {
182             return -code error "${i} is in both RTO and RTZ domains"
183         }
184     }
185
186     foreach {i} $rtz {
187         if {[is_nclp $i]} {
188             variable ln
189             variable nln
190             set ln [get_inst_cell_name $i]
191             set nln $equivalent_cell($ln)
192             puts "Replacing ${i} from ${ln} to ${nln}"
193             replace_inst_gate $i $nln
194             incr count
195         }
196     }
197
198     foreach {i} $rto {
199         if {[is_ncl $i]} {
200             variable ln
201             variable nln
202             set ln [get_inst_cell_name $i]
203             set nln $equivalent_cell($ln)
204             puts "Replacing ${i} from ${ln} to ${nln}"
205             replace_inst_gate $i $nln
206             incr count
207         }
208     }

```



```
209
210 return $count
211 }
212
213 proc check_sdds_consistency {} {
214   variable rtz
215   variable rto
216   variable ret
217
218   get_domain_instances rtz rto
219
220   set ret 1
221
222   foreach {i} $rto {
223     if {[!search -sorted $rtz $i] >= 0} {
224       puts "${i} is in both RTO and RTZ domains"
225       set ret 0
226     }
227   }
228
229   foreach {i} $rtz {
230     if {[is_nclp $i]} {
231       puts "${i} is a NCLP cell in the RTZ domain"
232       set ret 0
233     }
234   }
235
236   foreach {i} $rto {
237     if {[is_ncl $i]} {
238       puts "${i} is a NCL cell in the RTO domain"
239       set ret 0
240     }
241   }
242
243   return $ret
244 }
245
246 proc opt_rtz {} {
247
248   puts "Optimising RTZ Gates"
249
250   set_dont_use [ncl_cell_list] false
251   set_dont_touch [ncl_cell_list] false
252   set_dont_use [nclp_cell_list] true
253   set_dont_touch [nclp_cell_list] true
254   syn_opt -incremental -physical
255
256   set_dont_use [nclp_cell_list] false
```

```
257 set_dont_touch [nclp_cell_list] false
258
259 return [fix_xnetlist]
260 }
261
262 proc opt_rto {} {
263
264 puts "Optimising RTO Gates"
265
266 set_dont_use [ncl_cell_list] true
267 set_dont_touch [ncl_cell_list] true
268 set_dont_use [nclp_cell_list] false
269 set_dont_touch [nclp_cell_list] false
270 syn_opt --incremental --physical
271
272 set_dont_use [ncl_cell_list] false
273 set_dont_touch [ncl_cell_list] false
274
275 return [fix_xnetlist]
276 }
277
278 proc opt_sdds {maxit} {
279 variable it
280
281 set it 0
282 phys_opt_rto
283 phys_opt_rtz
284
285 while {$it < $maxit} {
286 puts "SDDS Optimisation iteration ${it}"
287 incr it
288
289 if [opt_rto] {
290 phys_opt_rtz
291 }
292
293 if [opt_rtz] {
294 phys_opt_rto
295 }
296
297 if {[get_db [current_design] .slack] >= 0} {
298 break
299 }
300 }
301
302 return $it
303 }
304
```

```
305 proc phys_opt_rtz {} {
306
307   puts "Physically Optimising RTZ Gates"
308
309   set_dont_touch [all::all_insts] false
310   set sequential_insts [all::all_seqs]
311   if {[llength $sequential_insts] > 0} {
312     set_size_only true $sequential_insts
313   }
314
315   set_dont_use [ncl_cell_list] false
316   set_dont_touch [ncl_cell_list] false
317   set_dont_use [nclp_cell_list] true
318   set_dont_touch [nclp_cell_list] true
319
320   foreach {i} [all::all_insts] {
321     if [is_ncl $i] {
322       set_size_only $i true
323     }
324   }
325
326   syn_opt -physical
327
328   set_dont_use [nclp_cell_list] false
329   set_dont_touch [nclp_cell_list] false
330
331   set_dont_touch [all::all_insts] false
332   set sequential_insts [all::all_seqs]
333   if {[llength $sequential_insts] > 0} {
334     set_size_only true $sequential_insts
335   }
336
337   return [fix_xnetlist]
338 }
339
340 proc phys_opt_rto {} {
341
342   puts "Physically Optimising RTO Gates"
343
344   set_dont_touch [all::all_insts] false
345   set sequential_insts [all::all_seqs]
346   if {[llength $sequential_insts] > 0} {
347     set_size_only true $sequential_insts
348   }
349
350   set_dont_use [ncl_cell_list] true
351   set_dont_touch [ncl_cell_list] true
352   set_dont_use [nclp_cell_list] false
```

```

353 set_dont_touch [nclp_cell_list] false
354
355 foreach {i} [all::all_insts] {
356     if [is_nclp $i] {
357         set_size_only $i true
358     }
359 }
360
361 syn_opt -physical
362
363 set_dont_use [ncl_cell_list] false
364 set_dont_touch [ncl_cell_list] false
365
366 set_dont_touch [all::all_insts] false
367 set sequential_insts [all::all_seqs]
368 if {[length $sequential_insts] > 0} {
369     set_size_only true $sequential_insts
370 }
371
372 return [fix_xnetlist]
373 }
374
375 proc phys_opt_sdds {maxit} {
376     variable done
377     variable it
378
379     set done 0
380     set it 0
381
382     while { !$done && $it < $maxit } {
383         puts "SDDS Physical Optimisation iteration ${it}"
384         set done 1
385         incr it
386
387         if [phys_opt_rto] {
388             set done 0
389         }
390
391         if [phys_opt_rtz] {
392             set done 0
393         }
394     }
395
396     return $it
397 }
398
399 proc prepare_for_physical {} {
400     set_dont_touch [all::all_insts] false

```

```

401  set sequential_insts [all::all_seqs]
402  if {[llength $sequential_insts] > 0} {
403      set_size_only true $sequential_insts
404  }
405
406  set_dont_touch [nclp_cell_list] true
407  set_dont_use [nclp_cell_list] true
408
409  set_dont_touch [ncl_cell_list] false
410  set_dont_use [ncl_cell_list] false
411
412  foreach {i} [all::all_insts] {
413      if [is_ncl $i] {
414          set_size_only $i true
415      }
416  }
417
418  return 1
419 }
420
421 #forces optimisation to not use constants
422 set_db iopt_force_constant_removal true
423
424 # Local Variables:
425 # mode: tcl
426 # tcl-indent-level: 2
427 # indent-tabs-mode: nil
428 # End:

```

Listing D.3: circuits/design/st65\_mmmc.tcl

```

1  ## library_sets
2  create_library_set -name worst_flop_libset \
3      -timing { ../../tech/CORE65GPSVT_wc_0.90V_125C.lib \
4          ../../tech/ASCEND_NCL65GPSVT_SS_0.90V_125C_letiflop.lib \
5          ../../tech/ASCEND_NCLP65GPSVT_SS_0.90V_125C.lib }
6
7  create_library_set -name nominal_flop_libset \
8      -timing { ../../tech/CORE65GPSVT_nom_1.00V_25C.lib \
9          ../../tech/ASCEND_NCL65GPSVT_TT_1.00V_25C_letiflop.lib \
10         ../../tech/ASCEND_NCLP65GPSVT_TT_1.00V_25C.lib }
11
12 create_library_set -name best_flop_libset \
13     -timing { ../../tech/CORE65GPSVT_bc_1.10V_m40C.lib \
14         ../../tech/ASCEND_NCL65GPSVT_FF_1.10V_m40C_letiflop.lib \
15         ../../tech/ASCEND_NCLP65GPSVT_FF_1.10V_m40C.lib }
16
17 create_library_set -name worst_latch_libset \

```

```

18     -timing { ../../tech/CORE65GPSVT_wc_0.90V_125C.lib \
19             ../../tech/ASCEND_NCL65GPSVT_SS_0.90V_125C_letilatch.lib \
20             ../../tech/ASCEND_NCLP65GPSVT_SS_0.90V_125C.lib }
21
22 create_library_set -name nominal_latch_libset \
23     -timing { ../../tech/CORE65GPSVT_nom_1.00V_25C.lib \
24             ../../tech/ASCEND_NCL65GPSVT_TT_1.00V_25C_letilatch.lib \
25             ../../tech/ASCEND_NCLP65GPSVT_TT_1.00V_25C.lib }
26
27 create_library_set -name best_latch_libset \
28     -timing { ../../tech/CORE65GPSVT_bc_1.10V_m40C.lib \
29             ../../tech/ASCEND_NCL65GPSVT_FF_1.10V_m40C_letilatch.lib \
30             ../../tech/ASCEND_NCLP65GPSVT_FF_1.10V_m40C.lib }
31
32 ## opcond
33 create_opcond -name worst_opcond -process 1.2 -voltage 0.9 -temperature 125.0
34 create_opcond -name nominal_opcond -process 1.0 -voltage 1.0 -temperature 25.0
35 create_opcond -name best_opcond -process 0.8 -voltage 1.1 -temperature -40.0
36
37 ## timing_condition
38 create_timing_condition -name worst_flop_timing_cond \
39     -opcond worst_opcond \
40     -library_sets { worst_flop_libset }
41
42 create_timing_condition -name nominal_flop_timing_cond \
43     -opcond nominal_opcond \
44     -library_sets { nominal_flop_libset }
45
46 create_timing_condition -name best_flop_timing_cond \
47     -opcond best_opcond \
48     -library_sets { best_flop_libset }
49
50 create_timing_condition -name worst_latch_timing_cond \
51     -opcond worst_opcond \
52     -library_sets { worst_latch_libset }
53
54 create_timing_condition -name nominal_latch_timing_cond \
55     -opcond nominal_opcond \
56     -library_sets { nominal_latch_libset }
57
58 create_timing_condition -name best_latch_timing_cond \
59     -opcond best_opcond \
60     -library_sets { best_latch_libset }
61
62 ## rc_corner
63 create_rc_corner -name worst_rc_corner \
64     -temperature 125.0 \
65     -cap_table ../../tech/cmos065_7m4x0y2z_AP_Worst.captable

```

```
66
67 create_rc_corner -name nominal_rc_corner \
68     -temperature 25.0 \
69     -cap_table ../tech/cmos065_7m4x0y2z_AP_Worst.captable
70
71 create_rc_corner -name best_rc_corner \
72     -temperature -40.0 \
73     -cap_table ../tech/cmos065_7m4x0y2z_AP_Best.captable
74
75 ## delay_corner
76 create_delay_corner -name worst_flop_delay_corner \
77     -timing_condition worst_flop_timing_cond \
78     -rc_corner worst_rc_corner
79
80 create_delay_corner -name nominal_flop_delay_corner \
81     -timing_condition nominal_flop_timing_cond \
82     -rc_corner nominal_rc_corner
83
84 create_delay_corner -name best_flop_delay_corner \
85     -timing_condition best_flop_timing_cond \
86     -rc_corner best_rc_corner
87
88 create_delay_corner -name worst_latch_delay_corner \
89     -timing_condition worst_latch_timing_cond \
90     -rc_corner worst_rc_corner
91
92 create_delay_corner -name nominal_latch_delay_corner \
93     -timing_condition nominal_latch_timing_cond \
94     -rc_corner nominal_rc_corner
95
96 create_delay_corner -name best_latch_delay_corner \
97     -timing_condition best_latch_timing_cond \
98     -rc_corner best_rc_corner
99
100 ## constraint_mode
101 create_constraint_mode -name default_constraints \
102     -sdc_files { constraints.sdc }
103
104 ## analysis_view
105 create_analysis_view -name worst_flop_view \
106     -constraint_mode default_constraints \
107     -delay_corner worst_flop_delay_corner
108
109 create_analysis_view -name nominal_flop_view \
110     -constraint_mode default_constraints \
111     -delay_corner nominal_flop_delay_corner
112
113 create_analysis_view -name best_flop_view \
```

```

114     -constraint_mode default_constraints \
115     -delay_corner best_flop_delay_corner
116
117 create_analysis_view -name worst_latch_view \
118     -constraint_mode default_constraints \
119     -delay_corner worst_latch_delay_corner
120
121 create_analysis_view -name nominal_latch_view \
122     -constraint_mode default_constraints \
123     -delay_corner nominal_latch_delay_corner
124
125 create_analysis_view -name best_latch_view \
126     -constraint_mode default_constraints \
127     -delay_corner best_latch_delay_corner
128
129 ## set_analysis_view
130 set_analysis_view -setup { worst_flop_view }

```

Listing D.4: circuits/design/constraints.sdc

```

1 set_load_unit -picofarads 1
2
3 source ${OUTDIR}/ncl_constraints.sdc
4
5 set_load 0.005 [all_outputs]
6 set_input_transition 0.1 [all_inputs]
7
8 set_ideal_network [get_port clk]
9 set_clock_uncertainty 0.02 [get_clocks]

```

Listing D.5: tech/drexpansion.sv – The component Library elements

```

1 interface drwire ();
2     wor t, f;
3     wand ack;
4
5     modport in (input t, f,
6                 output ack);
7     modport out (input ack,
8                  output t, f);
9 endinterface // drwire
10
11 module dff
12     (drwire.in d,
13      drwire.out q,
14      input wire ck,
15      input wire reset);
16     wire      q_t, q_f, ack_in;
17

```



```

18  SY_RNCL2W11OF2X9 f (.A(d.f), .B(ack_in), .Q(q_f), .RN(reset), .G(ck));
19  SY_RNCL2W11OF2X9 t (.A(d.t), .B(ack_in), .Q(q_t), .RN(reset), .G(ck));
20
21  assign ack_in = ~(q.ack);
22  assign d.ack = q_t | q_f;
23  assign q.t = q_t;
24  assign q.f = q_f;
25  endmodule // dff
26
27  module dffs_slave
28  (drwire.in d,
29   drwire.out q,
30   input wire ck,
31   input wire reset);
32
33   wire      ack_in, set, int_t, int_f;
34
35   ST_SNCL2W11OF2X9 t (.A(d.t), .B(ack_in), .Q(int_t), .S(set), .G(ck));
36   SY_RNCL2W11OF2X9 f (.A(d.f), .B(ack_in), .Q(int_f), .RN(reset), .G(ck));
37
38   assign set = ~reset;
39   assign ack_in = ~(q.ack);
40   assign q.t = int_t;
41   assign q.f = int_f;
42   assign d.ack = int_t | int_f;
43  endmodule // dffs_slave
44
45  module dffs
46  (drwire.in d,
47   drwire.out q,
48   input wire ck,
49   input wire sb);
50   wire      int_t, int_f, ack_in;
51
52   drwire out();
53   drwire in();
54
55   SY_RNCL2W11OF2X9 t (.A(d.t), .B(ack_in), .Q(int_t), .RN(sb), .G(ck));
56   SY_RNCL2W11OF2X9 f (.A(d.f), .B(ack_in), .Q(int_f), .RN(sb), .G(ck));
57
58   dff sout (.d(out), .q(q), .reset(sb), .ck(ck));
59   dffs_slave sin (.d(in), .q(out), .reset(sb), .ck(ck));
60
61   assign in.t = int_t;
62   assign in.f = int_f;
63   assign ack_in = ~(in.ack);
64   assign d.ack = int_t | int_f;
65  endmodule // dffr

```

```

66
67 module dffr_slave
68   (drwire.in d,
69    drwire.out q,
70    input wire ck,
71    input wire reset);
72
73   wire      ack_in, set, int_t, int_f;
74
75   SY_RNCL2W11OF2X9 t (.A(d.t), .B(ack_in), .Q(int_t), .RN(reset), .G(ck));
76   ST_SNCL2W11OF2X9 f (.A(d.f), .B(ack_in), .Q(int_f), .S(set), .G(ck));
77
78   assign set = ~reset;
79   assign ack_in = ~(q.ack);
80   assign q.t = int_t;
81   assign q.f = int_f;
82   assign d.ack = int_t | int_f;
83 endmodule; // dffr_slave
84
85 module dffr
86   (drwire.in d,
87    drwire.out q,
88    input wire ck,
89    input wire rb);
90   wire      int_t, int_f, ack_in;
91
92   drwire out();
93   drwire in();
94
95   SY_RNCL2W11OF2X9 t (.A(d.t), .B(ack_in), .Q(int_t), .RN(rb), .G(ck));
96   SY_RNCL2W11OF2X9 f (.A(d.f), .B(ack_in), .Q(int_f), .RN(rb), .G(ck));
97
98   dff sout (.d(out), .q(q), .reset(rb), .ck(ck));
99   dffr_slave sin (.d(in), .q(out), .reset(rb), .ck(ck));
100
101   assign in.t = int_t;
102   assign in.f = int_f;
103   assign ack_in = ~(in.ack);
104   assign d.ack = int_t | int_f;
105 endmodule // dffr
106
107 module nand2
108   (drwire.in a,
109    drwire.in b,
110    drwire.out y);
111
112   assign y.t = a.f & b.f |
113           a.f & b.t |

```

```
114             a.t & b.f;
115
116     assign y.f = a.t & b.t;
117     assign a.ack = y.ack;
118     assign b.ack = y.ack;
119 endmodule // nand2
120
121 module nor2
122     (drwire.in a,
123      drwire.in b,
124      drwire.out y);
125
126     assign y.f = a.t & b.t |
127             a.t & b.f |
128             a.f & b.t;
129
130     assign y.t = a.f & b.f;
131     assign a.ack = y.ack;
132     assign b.ack = y.ack;
133 endmodule // nor2
134
135 module xor2
136     (drwire.in a,
137      drwire.in b,
138      drwire.out y);
139
140     assign y.t = a.t & b.f |
141             a.f & b.t;
142
143     assign y.f = a.f & b.f |
144             a.t & b.t;
145
146     assign a.ack = y.ack;
147     assign b.ack = y.ack;
148 endmodule // xor2
149
150 module buff
151     (drwire.in a,
152      drwire.out y);
153
154     assign y.t = a.t;
155     assign y.f = a.f;
156     assign a.ack = y.ack;
157 endmodule // buff
158
159 module inv
160     (drwire.in a,
161      drwire.out y);
```

```

162
163     assign y.t = a.f;
164     assign y.f = a.t;
165     assign a.ack = y.ack;
166 endmodule // inv

```

Listing D.6: tech/st65.tcl

```

1 set equivalent_cell(ST_NCL1W111OF3X2) ST_NCLP3W111OF3X2
2 set equivalent_cell(ST_NCLP3W111OF3X2) ST_NCL1W111OF3X2
3 set equivalent_cell(ST_NCL1W111OF3X4) ST_NCLP3W111OF3X4
4 set equivalent_cell(ST_NCLP3W111OF3X4) ST_NCL1W111OF3X4
5 set equivalent_cell(ST_NCL1W111OF3X7) ST_NCLP3W111OF3X7
6 set equivalent_cell(ST_NCLP3W111OF3X7) ST_NCL1W111OF3X7
7 set equivalent_cell(ST_NCL1W111OF3X9) ST_NCLP3W111OF3X9
8 set equivalent_cell(ST_NCLP3W111OF3X9) ST_NCL1W111OF3X9
9 set equivalent_cell(ST_NCL1W111OF3X13) ST_NCLP3W111OF3X13
10 set equivalent_cell(ST_NCLP3W111OF3X13) ST_NCL1W111OF3X13
11 set equivalent_cell(ST_NCL1W111OF3X18) ST_NCLP3W111OF3X18
12 set equivalent_cell(ST_NCLP3W111OF3X18) ST_NCL1W111OF3X18
13 set equivalent_cell(ST_INCL3W111OF3X2) ST_INCLP1W111OF3X2
14 set equivalent_cell(ST_INCLP1W111OF3X2) ST_INCL3W111OF3X2
15 set equivalent_cell(ST_INCL3W111OF3X4) ST_INCLP1W111OF3X4
16 set equivalent_cell(ST_INCLP1W111OF3X4) ST_INCL3W111OF3X4
17 set equivalent_cell(ST_INCL3W111OF3X7) ST_INCLP1W111OF3X7
18 set equivalent_cell(ST_INCLP1W111OF3X7) ST_INCL3W111OF3X7
19 set equivalent_cell(ST_INCL3W111OF3X9) ST_INCLP1W111OF3X9
20 set equivalent_cell(ST_INCLP1W111OF3X9) ST_INCL3W111OF3X9
21 set equivalent_cell(ST_INCL3W111OF3X13) ST_INCLP1W111OF3X13
22 set equivalent_cell(ST_INCLP1W111OF3X13) ST_INCL3W111OF3X13
23 set equivalent_cell(ST_INCL3W111OF3X18) ST_INCLP1W111OF3X18
24 set equivalent_cell(ST_INCLP1W111OF3X18) ST_INCL3W111OF3X18
25 set equivalent_cell(ST_INCL3W111OF3X31) ST_INCLP1W111OF3X18
26 set equivalent_cell(ST_INCL4W2211OF4X2) ST_INCLP3W2211OF4X2
27 set equivalent_cell(ST_INCLP3W2211OF4X2) ST_INCL4W2211OF4X2
28 set equivalent_cell(ST_INCL4W2211OF4X4) ST_INCLP3W2211OF4X4
29 set equivalent_cell(ST_INCLP3W2211OF4X4) ST_INCL4W2211OF4X4
30 set equivalent_cell(ST_INCL4W2211OF4X7) ST_INCLP3W2211OF4X7
31 set equivalent_cell(ST_INCLP3W2211OF4X7) ST_INCL4W2211OF4X7
32 set equivalent_cell(ST_INCL4W2211OF4X9) ST_INCLP3W2211OF4X9
33 set equivalent_cell(ST_INCLP3W2211OF4X13) ST_INCL4W2211OF4X9
34 set equivalent_cell(ST_INCL3W2111OF4X2) ST_INCLP3W2111OF4X2
35 set equivalent_cell(ST_INCLP3W2111OF4X2) ST_INCL3W2111OF4X2
36 set equivalent_cell(ST_INCL3W2111OF4X4) ST_INCLP3W2111OF4X4
37 set equivalent_cell(ST_INCLP3W2111OF4X4) ST_INCL3W2111OF4X4
38 set equivalent_cell(ST_INCL3W2111OF4X7) ST_INCLP3W2111OF4X7
39 set equivalent_cell(ST_INCLP3W2111OF4X7) ST_INCL3W2111OF4X7
40 set equivalent_cell(ST_INCL3W2111OF4X9) ST_INCLP3W2111OF4X9

```

41 **set** equivalent\_cell(ST\_INCLP3W2111OF4X9) ST\_INCL3W2111OF4X9  
42 **set** equivalent\_cell(ST\_INCL3W2111OF4X13) ST\_INCLP3W2111OF4X13  
43 **set** equivalent\_cell(ST\_INCLP3W2111OF4X13) ST\_INCL3W2111OF4X13  
44 **set** equivalent\_cell(ST\_NCLAO21O2OF4X2) ST\_NCLPAO2O21OF4X2  
45 **set** equivalent\_cell(ST\_NCLPAO2O21OF4X2) ST\_NCLAO21O2OF4X2  
46 **set** equivalent\_cell(ST\_NCLAO21O2OF4X4) ST\_NCLPAO2O21OF4X4  
47 **set** equivalent\_cell(ST\_NCLPAO2O21OF4X4) ST\_NCLAO21O2OF4X4  
48 **set** equivalent\_cell(ST\_NCLAO21O2OF4X7) ST\_NCLPAO2O21OF4X7  
49 **set** equivalent\_cell(ST\_NCLPAO2O21OF4X7) ST\_NCLAO21O2OF4X7  
50 **set** equivalent\_cell(ST\_NCLAO21O2OF4X9) ST\_NCLPAO2O21OF4X9  
51 **set** equivalent\_cell(ST\_NCLPAO2O21OF4X9) ST\_NCLAO21O2OF4X9  
52 **set** equivalent\_cell(ST\_NCLAO21O2OF4X13) ST\_NCLPAO2O21OF4X13  
53 **set** equivalent\_cell(ST\_NCLPAO2O21OF4X13) ST\_NCLAO21O2OF4X13  
54 **set** equivalent\_cell(ST\_NCL4W3221OF4X2) ST\_NCLP5W3221OF4X2  
55 **set** equivalent\_cell(ST\_NCLP5W3221OF4X2) ST\_NCL4W3221OF4X2  
56 **set** equivalent\_cell(ST\_NCL4W3221OF4X4) ST\_NCLP5W3221OF4X4  
57 **set** equivalent\_cell(ST\_NCLP5W3221OF4X4) ST\_NCL4W3221OF4X4  
58 **set** equivalent\_cell(ST\_NCLP5W3221OF4X7) ST\_NCL4W3221OF4X7  
59 **set** equivalent\_cell(ST\_NCL4W3221OF4X9) ST\_NCLP5W3221OF4X9  
60 **set** equivalent\_cell(ST\_NCLP5W3221OF4X9) ST\_NCL4W3221OF4X9  
61 **set** equivalent\_cell(ST\_NCL4W3221OF4X13) ST\_NCLP5W3221OF4X13  
62 **set** equivalent\_cell(ST\_NCLP5W3221OF4X13) ST\_NCL4W3221OF4X13  
63 **set** equivalent\_cell(ST\_INCL3W2211OF4X2) ST\_INCLP4W2211OF4X4  
64 **set** equivalent\_cell(ST\_INCL3W2211OF4X4) ST\_INCLP4W2211OF4X4  
65 **set** equivalent\_cell(ST\_INCLP4W2211OF4X4) ST\_INCL3W2211OF4X4  
66 **set** equivalent\_cell(ST\_INCL3W2211OF4X7) ST\_INCLP4W2211OF4X7  
67 **set** equivalent\_cell(ST\_INCLP4W2211OF4X7) ST\_INCL3W2211OF4X7  
68 **set** equivalent\_cell(ST\_INCL3W2211OF4X9) ST\_INCLP4W2211OF4X9  
69 **set** equivalent\_cell(ST\_INCLP4W2211OF4X9) ST\_INCL3W2211OF4X9  
70 **set** equivalent\_cell(ST\_INCLP4W2211OF4X13) ST\_INCL3W2211OF4X9  
71 **set** equivalent\_cell(ST\_INCL1W1111OF4X2) ST\_INCLP4W1111OF4X2  
72 **set** equivalent\_cell(ST\_INCLP4W1111OF4X2) ST\_INCL1W1111OF4X2  
73 **set** equivalent\_cell(ST\_INCL1W1111OF4X4) ST\_INCLP4W1111OF4X4  
74 **set** equivalent\_cell(ST\_INCLP4W1111OF4X4) ST\_INCL1W1111OF4X4  
75 **set** equivalent\_cell(ST\_INCL1W1111OF4X7) ST\_INCLP4W1111OF4X7  
76 **set** equivalent\_cell(ST\_INCLP4W1111OF4X7) ST\_INCL1W1111OF4X7  
77 **set** equivalent\_cell(ST\_INCL1W1111OF4X9) ST\_INCLP4W1111OF4X9  
78 **set** equivalent\_cell(ST\_INCLP4W1111OF4X9) ST\_INCL1W1111OF4X9  
79 **set** equivalent\_cell(ST\_INCL1W1111OF4X13) ST\_INCLP4W1111OF4X9  
80 **set** equivalent\_cell(ST\_INCL1W1111OF4X18) ST\_INCLP4W1111OF4X9  
81 **set** equivalent\_cell(ST\_INCL1W1111OF4X31) ST\_INCLP4W1111OF4X9  
82 **set** equivalent\_cell(ST\_NCL2W1111OF4X2) ST\_NCLP3W1111OF4X2  
83 **set** equivalent\_cell(ST\_NCLP3W1111OF4X2) ST\_NCL2W1111OF4X2  
84 **set** equivalent\_cell(ST\_NCL2W1111OF4X4) ST\_NCLP3W1111OF4X4  
85 **set** equivalent\_cell(ST\_NCLP3W1111OF4X4) ST\_NCL2W1111OF4X4  
86 **set** equivalent\_cell(ST\_NCL2W1111OF4X7) ST\_NCLP3W1111OF4X7  
87 **set** equivalent\_cell(ST\_NCLP3W1111OF4X7) ST\_NCL2W1111OF4X7  
88 **set** equivalent\_cell(ST\_NCL2W1111OF4X9) ST\_NCLP3W1111OF4X9

89 **set** equivalent\_cell(ST\_NCLP3W1111OF4X9) ST\_NCL2W1111OF4X9  
90 **set** equivalent\_cell(ST\_NCL2W1111OF4X13) ST\_NCLP3W1111OF4X13  
91 **set** equivalent\_cell(ST\_NCLP3W1111OF4X13) ST\_NCL2W1111OF4X13  
92 **set** equivalent\_cell(ST\_NCL5W3221OF4X2) ST\_NCLP4W3221OF4X2  
93 **set** equivalent\_cell(ST\_NCLP4W3221OF4X2) ST\_NCL5W3221OF4X2  
94 **set** equivalent\_cell(ST\_NCL5W3221OF4X4) ST\_NCLP4W3221OF4X4  
95 **set** equivalent\_cell(ST\_NCLP4W3221OF4X4) ST\_NCL5W3221OF4X4  
96 **set** equivalent\_cell(ST\_NCL5W3221OF4X7) ST\_NCLP4W3221OF4X7  
97 **set** equivalent\_cell(ST\_NCLP4W3221OF4X7) ST\_NCL5W3221OF4X7  
98 **set** equivalent\_cell(ST\_NCL5W3221OF4X9) ST\_NCLP4W3221OF4X9  
99 **set** equivalent\_cell(ST\_NCLP4W3221OF4X9) ST\_NCL5W3221OF4X9  
100 **set** equivalent\_cell(ST\_NCL5W3221OF4X13) ST\_NCLP4W3221OF4X13  
101 **set** equivalent\_cell(ST\_NCLP4W3221OF4X13) ST\_NCL5W3221OF4X13  
102 **set** equivalent\_cell(ST\_NCL3W3111OF4X2) ST\_NCLP4W3111OF4X2  
103 **set** equivalent\_cell(ST\_NCLP4W3111OF4X2) ST\_NCL3W3111OF4X2  
104 **set** equivalent\_cell(ST\_NCL3W3111OF4X4) ST\_NCLP4W3111OF4X4  
105 **set** equivalent\_cell(ST\_NCLP4W3111OF4X4) ST\_NCL3W3111OF4X4  
106 **set** equivalent\_cell(ST\_NCL3W3111OF4X7) ST\_NCLP4W3111OF4X9  
107 **set** equivalent\_cell(ST\_NCL3W3111OF4X9) ST\_NCLP4W3111OF4X9  
108 **set** equivalent\_cell(ST\_NCLP4W3111OF4X9) ST\_NCL3W3111OF4X9  
109 **set** equivalent\_cell(ST\_NCL3W3111OF4X13) ST\_NCLP4W3111OF4X13  
110 **set** equivalent\_cell(ST\_NCLP4W3111OF4X13) ST\_NCL3W3111OF4X13  
111 **set** equivalent\_cell(ST\_INCL4W1111OF4X2) ST\_INCLP1W1111OF4X2  
112 **set** equivalent\_cell(ST\_INCLP1W1111OF4X2) ST\_INCL4W1111OF4X2  
113 **set** equivalent\_cell(ST\_INCL4W1111OF4X4) ST\_INCLP1W1111OF4X4  
114 **set** equivalent\_cell(ST\_INCLP1W1111OF4X4) ST\_INCL4W1111OF4X4  
115 **set** equivalent\_cell(ST\_INCL4W1111OF4X7) ST\_INCLP1W1111OF4X7  
116 **set** equivalent\_cell(ST\_INCLP1W1111OF4X7) ST\_INCL4W1111OF4X7  
117 **set** equivalent\_cell(ST\_INCL4W1111OF4X9) ST\_INCLP1W1111OF4X9  
118 **set** equivalent\_cell(ST\_INCLP1W1111OF4X9) ST\_INCL4W1111OF4X9  
119 **set** equivalent\_cell(ST\_INCLP1W1111OF4X13) ST\_INCL4W1111OF4X9  
120 **set** equivalent\_cell(ST\_INCLP1W1111OF4X18) ST\_INCL4W1111OF4X9  
121 **set** equivalent\_cell(ST\_NCL3W211OF3X2) ST\_NCLP2W211OF3X2  
122 **set** equivalent\_cell(ST\_NCLP2W211OF3X2) ST\_NCL3W211OF3X2  
123 **set** equivalent\_cell(ST\_NCL3W211OF3X4) ST\_NCLP2W211OF3X4  
124 **set** equivalent\_cell(ST\_NCLP2W211OF3X4) ST\_NCL3W211OF3X4  
125 **set** equivalent\_cell(ST\_NCL3W211OF3X7) ST\_NCLP2W211OF3X7  
126 **set** equivalent\_cell(ST\_NCLP2W211OF3X7) ST\_NCL3W211OF3X7  
127 **set** equivalent\_cell(ST\_NCL3W211OF3X9) ST\_NCLP2W211OF3X9  
128 **set** equivalent\_cell(ST\_NCLP2W211OF3X9) ST\_NCL3W211OF3X9  
129 **set** equivalent\_cell(ST\_NCL3W211OF3X13) ST\_NCLP2W211OF3X13  
130 **set** equivalent\_cell(ST\_NCLP2W211OF3X13) ST\_NCL3W211OF3X13  
131 **set** equivalent\_cell(ST\_NCL3W211OF3X18) ST\_NCLP2W211OF3X18  
132 **set** equivalent\_cell(ST\_NCLP2W211OF3X18) ST\_NCL3W211OF3X18  
133 **set** equivalent\_cell(ST\_NCL2W211OF3X2) ST\_NCLP3W211OF3X2  
134 **set** equivalent\_cell(ST\_NCLP3W211OF3X2) ST\_NCL2W211OF3X2  
135 **set** equivalent\_cell(ST\_NCL2W211OF3X4) ST\_NCLP3W211OF3X4  
136 **set** equivalent\_cell(ST\_NCLP3W211OF3X4) ST\_NCL2W211OF3X4

137 **set** equivalent\_cell(ST\_NCL2W211OF3X7) ST\_NCLP3W211OF3X7  
138 **set** equivalent\_cell(ST\_NCLP3W211OF3X7) ST\_NCL2W211OF3X7  
139 **set** equivalent\_cell(ST\_NCL2W211OF3X9) ST\_NCLP3W211OF3X9  
140 **set** equivalent\_cell(ST\_NCLP3W211OF3X9) ST\_NCL2W211OF3X9  
141 **set** equivalent\_cell(ST\_NCL2W211OF3X13) ST\_NCLP3W211OF3X13  
142 **set** equivalent\_cell(ST\_NCLP3W211OF3X13) ST\_NCL2W211OF3X13  
143 **set** equivalent\_cell(ST\_NCLP3W211OF3X18) ST\_NCL2W211OF3X13  
144 **set** equivalent\_cell(ST\_INCL1W11OF2X2) SY\_INCLP2W11OF2X2  
145 **set** equivalent\_cell(SY\_INCLP2W11OF2X2) ST\_INCL1W11OF2X4  
146 **set** equivalent\_cell(ST\_INCL1W11OF2X4) ST\_INCLP2W11OF2X4  
147 **set** equivalent\_cell(ST\_INCLP2W11OF2X4) ST\_INCL1W11OF2X4  
148 **set** equivalent\_cell(SY\_INCLP2W11OF2X4) ST\_INCL1W11OF2X7  
149 **set** equivalent\_cell(ST\_INCL1W11OF2X7) ST\_INCLP2W11OF2X7  
150 **set** equivalent\_cell(ST\_INCLP2W11OF2X7) ST\_INCL1W11OF2X7  
151 **set** equivalent\_cell(SY\_INCLP2W11OF2X7) ST\_INCL1W11OF2X9  
152 **set** equivalent\_cell(ST\_INCL1W11OF2X9) SY\_INCLP2W11OF2X9  
153 **set** equivalent\_cell(SY\_INCLP2W11OF2X9) ST\_INCL1W11OF2X13  
154 **set** equivalent\_cell(ST\_INCL1W11OF2X13) ST\_INCLP2W11OF2X13  
155 **set** equivalent\_cell(ST\_INCLP2W11OF2X13) ST\_INCL1W11OF2X13  
156 **set** equivalent\_cell(SY\_INCLP2W11OF2X13) ST\_INCL1W11OF2X18  
157 **set** equivalent\_cell(ST\_INCL1W11OF2X18) ST\_INCLP2W11OF2X18  
158 **set** equivalent\_cell(ST\_INCLP2W11OF2X18) ST\_INCL1W11OF2X18  
159 **set** equivalent\_cell(SY\_INCLP2W11OF2X18) ST\_INCL1W11OF2X18  
160 **set** equivalent\_cell(ST\_INCLP2W11OF2X22) ST\_INCL1W11OF2X18  
161 **set** equivalent\_cell(ST\_INCLP2W11OF2X31) ST\_INCL1W11OF2X18  
162 **set** equivalent\_cell(ST\_INCL3W211OF3X2) ST\_INCLP2W211OF3X2  
163 **set** equivalent\_cell(ST\_INCLP2W211OF3X2) ST\_INCL3W211OF3X2  
164 **set** equivalent\_cell(ST\_INCL3W211OF3X4) ST\_INCLP2W211OF3X4  
165 **set** equivalent\_cell(ST\_INCLP2W211OF3X4) ST\_INCL3W211OF3X4  
166 **set** equivalent\_cell(ST\_INCL3W211OF3X7) ST\_INCLP2W211OF3X7  
167 **set** equivalent\_cell(ST\_INCLP2W211OF3X7) ST\_INCL3W211OF3X7  
168 **set** equivalent\_cell(ST\_INCL3W211OF3X9) ST\_INCLP2W211OF3X9  
169 **set** equivalent\_cell(ST\_INCLP2W211OF3X9) ST\_INCL3W211OF3X9  
170 **set** equivalent\_cell(ST\_INCL3W211OF3X13) ST\_INCLP2W211OF3X18  
171 **set** equivalent\_cell(ST\_INCL3W211OF3X18) ST\_INCLP2W211OF3X18  
172 **set** equivalent\_cell(ST\_INCLP2W211OF3X18) ST\_INCL3W211OF3X18  
173 **set** equivalent\_cell(ST\_INCLP2W211OF3X22) ST\_INCL3W211OF3X31  
174 **set** equivalent\_cell(ST\_INCLP2W211OF3X27) ST\_INCL3W211OF3X31  
175 **set** equivalent\_cell(ST\_INCL3W211OF3X31) ST\_INCLP2W211OF3X27  
176 **set** equivalent\_cell(ST\_NCL2W11OF2X2) ST\_NCLP1W11OF2X2  
177 **set** equivalent\_cell(ST\_NCLP1W11OF2X2) ST\_NCL2W11OF2X2  
178 **set** equivalent\_cell(SY\_NCL2W11OF2X2) ST\_NCLP1W11OF2X4  
179 **set** equivalent\_cell(ST\_NCL2W11OF2X4) ST\_NCLP1W11OF2X4  
180 **set** equivalent\_cell(ST\_NCLP1W11OF2X4) ST\_NCL2W11OF2X4  
181 **set** equivalent\_cell(SY\_NCL2W11OF2X4) ST\_NCLP1W11OF2X7  
182 **set** equivalent\_cell(ST\_NCL2W11OF2X7) ST\_NCLP1W11OF2X7  
183 **set** equivalent\_cell(ST\_NCLP1W11OF2X7) ST\_NCL2W11OF2X7  
184 **set** equivalent\_cell(ST\_NCL2W11OF2X9) ST\_NCLP1W11OF2X9

185 **set** equivalent\_cell(ST\_NCLP1W11OF2X9) ST\_NCL2W11OF2X9  
186 **set** equivalent\_cell(SY\_NCL2W11OF2X9) ST\_NCLP1W11OF2X13  
187 **set** equivalent\_cell(ST\_NCL2W11OF2X13) ST\_NCLP1W11OF2X13  
188 **set** equivalent\_cell(ST\_NCLP1W11OF2X13) ST\_NCL2W11OF2X13  
189 **set** equivalent\_cell(SY\_NCL2W11OF2X13) ST\_NCLP1W11OF2X18  
190 **set** equivalent\_cell(ST\_NCLP1W11OF2X18) SY\_NCL2W11OF2X18  
191 **set** equivalent\_cell(SY\_NCL2W11OF2X18) ST\_NCLP1W11OF2X18  
192 **set** equivalent\_cell(ST\_NCL4W1111OF4X2) ST\_NCLP1W1111OF4X2  
193 **set** equivalent\_cell(ST\_NCLP1W1111OF4X2) ST\_NCL4W1111OF4X2  
194 **set** equivalent\_cell(ST\_NCL4W1111OF4X4) ST\_NCLP1W1111OF4X4  
195 **set** equivalent\_cell(ST\_NCLP1W1111OF4X4) ST\_NCL4W1111OF4X4  
196 **set** equivalent\_cell(ST\_NCL4W1111OF4X7) ST\_NCLP1W1111OF4X7  
197 **set** equivalent\_cell(ST\_NCLP1W1111OF4X7) ST\_NCL4W1111OF4X7  
198 **set** equivalent\_cell(ST\_NCL4W1111OF4X9) ST\_NCLP1W1111OF4X13  
199 **set** equivalent\_cell(ST\_NCL4W1111OF4X13) ST\_NCLP1W1111OF4X13  
200 **set** equivalent\_cell(ST\_NCLP1W1111OF4X13) ST\_NCL4W1111OF4X13  
201 **set** equivalent\_cell(ST\_NCLP1W1111OF4X18) ST\_NCL4W1111OF4X13  
202 **set** equivalent\_cell(ST\_INCL5W2211OF4X2) ST\_INCLP2W2211OF4X2  
203 **set** equivalent\_cell(ST\_INCLP2W2211OF4X2) ST\_INCL5W2211OF4X2  
204 **set** equivalent\_cell(ST\_INCL5W2211OF4X4) ST\_INCLP2W2211OF4X4  
205 **set** equivalent\_cell(ST\_INCLP2W2211OF4X4) ST\_INCL5W2211OF4X4  
206 **set** equivalent\_cell(ST\_INCL5W2211OF4X7) ST\_INCLP2W2211OF4X7  
207 **set** equivalent\_cell(ST\_INCLP2W2211OF4X7) ST\_INCL5W2211OF4X7  
208 **set** equivalent\_cell(ST\_INCL5W2211OF4X9) ST\_INCLP2W2211OF4X9  
209 **set** equivalent\_cell(ST\_INCLP2W2211OF4X9) ST\_INCL5W2211OF4X9  
210 **set** equivalent\_cell(ST\_INCL5W2211OF4X13) ST\_INCLP2W2211OF4X13  
211 **set** equivalent\_cell(ST\_INCLP2W2211OF4X13) ST\_INCL5W2211OF4X13  
212 **set** equivalent\_cell(ST\_INCL5W2211OF4X18) ST\_INCLP2W2211OF4X18  
213 **set** equivalent\_cell(ST\_INCLP2W2211OF4X18) ST\_INCL5W2211OF4X18  
214 **set** equivalent\_cell(ST\_INCL5W2211OF4X22) ST\_INCLP2W2211OF4X18  
215 **set** equivalent\_cell(ST\_INCL2W2211OF4X2) ST\_INCLP5W2211OF4X2  
216 **set** equivalent\_cell(ST\_INCLP5W2211OF4X2) ST\_INCL2W2211OF4X2  
217 **set** equivalent\_cell(ST\_INCL2W2211OF4X4) ST\_INCLP5W2211OF4X4  
218 **set** equivalent\_cell(ST\_INCLP5W2211OF4X4) ST\_INCL2W2211OF4X4  
219 **set** equivalent\_cell(ST\_INCL2W2211OF4X7) ST\_INCLP5W2211OF4X7  
220 **set** equivalent\_cell(ST\_INCLP5W2211OF4X7) ST\_INCL2W2211OF4X7  
221 **set** equivalent\_cell(ST\_INCL2W2211OF4X9) ST\_INCLP5W2211OF4X9  
222 **set** equivalent\_cell(ST\_INCLP5W2211OF4X9) ST\_INCL2W2211OF4X9  
223 **set** equivalent\_cell(ST\_INCL2W2211OF4X13) ST\_INCLP5W2211OF4X13  
224 **set** equivalent\_cell(ST\_INCLP5W2211OF4X13) ST\_INCL2W2211OF4X13  
225 **set** equivalent\_cell(ST\_INCL2W2211OF4X18) ST\_INCLP5W2211OF4X13  
226 **set** equivalent\_cell(ST\_INCL2W2211OF4X31) ST\_INCLP5W2211OF4X13  
227 **set** equivalent\_cell(ST\_INCL5W3221OF4X2) ST\_INCLP4W3221OF4X2  
228 **set** equivalent\_cell(ST\_INCLP4W3221OF4X2) ST\_INCL5W3221OF4X2  
229 **set** equivalent\_cell(ST\_INCL5W3221OF4X4) ST\_INCLP4W3221OF4X4  
230 **set** equivalent\_cell(ST\_INCLP4W3221OF4X4) ST\_INCL5W3221OF4X4  
231 **set** equivalent\_cell(ST\_INCL5W3221OF4X7) ST\_INCLP4W3221OF4X7  
232 **set** equivalent\_cell(ST\_INCLP4W3221OF4X7) ST\_INCL5W3221OF4X7



233 **set** equivalent\_cell(ST\_INCLP4W3221OF4X9) ST\_INCL5W3221OF4X7  
234 **set** equivalent\_cell(ST\_INCLP4W3221OF4X13) ST\_INCL5W3221OF4X7  
235 **set** equivalent\_cell(ST\_NCLAO22OF4X2) ST\_NCLPOA22OF4X4  
236 **set** equivalent\_cell(ST\_NCLAO22OF4X4) ST\_NCLPOA22OF4X4  
237 **set** equivalent\_cell(ST\_NCLPOA22OF4X4) ST\_NCLAO22OF4X4  
238 **set** equivalent\_cell(ST\_NCLAO22OF4X7) ST\_NCLPOA22OF4X7  
239 **set** equivalent\_cell(ST\_NCLPOA22OF4X7) ST\_NCLAO22OF4X7  
240 **set** equivalent\_cell(ST\_NCLAO22OF4X9) ST\_NCLPOA22OF4X9  
241 **set** equivalent\_cell(ST\_NCLPOA22OF4X9) ST\_NCLAO22OF4X9  
242 **set** equivalent\_cell(ST\_NCLAO22OF4X13) ST\_NCLPOA22OF4X13  
243 **set** equivalent\_cell(ST\_NCLPOA22OF4X13) ST\_NCLAO22OF4X13  
244 **set** equivalent\_cell(ST\_INCL4W2111OF4X2) ST\_INCLP2W2111OF4X2  
245 **set** equivalent\_cell(ST\_INCLP2W2111OF4X2) ST\_INCL4W2111OF4X2  
246 **set** equivalent\_cell(ST\_INCL4W2111OF4X4) ST\_INCLP2W2111OF4X4  
247 **set** equivalent\_cell(ST\_INCLP2W2111OF4X4) ST\_INCL4W2111OF4X4  
248 **set** equivalent\_cell(ST\_INCL4W2111OF4X7) ST\_INCLP2W2111OF4X7  
249 **set** equivalent\_cell(ST\_INCLP2W2111OF4X7) ST\_INCL4W2111OF4X7  
250 **set** equivalent\_cell(ST\_INCL4W2111OF4X9) ST\_INCLP2W2111OF4X9  
251 **set** equivalent\_cell(ST\_INCLP2W2111OF4X9) ST\_INCL4W2111OF4X9  
252 **set** equivalent\_cell(ST\_INCL4W2111OF4X13) ST\_INCLP2W2111OF4X9  
253 **set** equivalent\_cell(ST\_NCL4W2211OF4X2) ST\_NCLP3W2211OF4X2  
254 **set** equivalent\_cell(ST\_NCLP3W2211OF4X2) ST\_NCL4W2211OF4X2  
255 **set** equivalent\_cell(ST\_NCLP3W2211OF4X4) ST\_NCL4W2211OF4X7  
256 **set** equivalent\_cell(ST\_NCL4W2211OF4X7) ST\_NCLP3W2211OF4X4  
257 **set** equivalent\_cell(ST\_NCL4W2211OF4X9) ST\_NCLP3W2211OF4X13  
258 **set** equivalent\_cell(ST\_NCL4W2211OF4X13) ST\_NCLP3W2211OF4X13  
259 **set** equivalent\_cell(ST\_NCLP3W2211OF4X13) ST\_NCL4W2211OF4X13  
260 **set** equivalent\_cell(ST\_INCL3W3111OF4X2) ST\_INCLP4W3111OF4X2  
261 **set** equivalent\_cell(ST\_INCLP4W3111OF4X2) ST\_INCL3W3111OF4X2  
262 **set** equivalent\_cell(ST\_INCL3W3111OF4X4) ST\_INCLP4W3111OF4X4  
263 **set** equivalent\_cell(ST\_INCLP4W3111OF4X4) ST\_INCL3W3111OF4X4  
264 **set** equivalent\_cell(ST\_INCL3W3111OF4X7) ST\_INCLP4W3111OF4X7  
265 **set** equivalent\_cell(ST\_INCLP4W3111OF4X7) ST\_INCL3W3111OF4X7  
266 **set** equivalent\_cell(ST\_INCL3W3111OF4X9) ST\_INCLP4W3111OF4X9  
267 **set** equivalent\_cell(ST\_INCLP4W3111OF4X9) ST\_INCL3W3111OF4X9  
268 **set** equivalent\_cell(ST\_INCL3W3111OF4X13) ST\_INCLP4W3111OF4X9  
269 **set** equivalent\_cell(ST\_INCL3W3111OF4X18) ST\_INCLP4W3111OF4X9  
270 **set** equivalent\_cell(ST\_INCL3W3111OF4X31) ST\_INCLP4W3111OF4X9  
271 **set** equivalent\_cell(ST\_NCL2W2211OF4X2) ST\_NCLP5W2211OF4X2  
272 **set** equivalent\_cell(ST\_NCLP5W2211OF4X2) ST\_NCL2W2211OF4X2  
273 **set** equivalent\_cell(ST\_NCL2W2211OF4X4) ST\_NCLP5W2211OF4X4  
274 **set** equivalent\_cell(ST\_NCLP5W2211OF4X4) ST\_NCL2W2211OF4X4  
275 **set** equivalent\_cell(ST\_NCL2W2211OF4X7) ST\_NCLP5W2211OF4X7  
276 **set** equivalent\_cell(ST\_NCLP5W2211OF4X7) ST\_NCL2W2211OF4X7  
277 **set** equivalent\_cell(ST\_NCL2W2211OF4X9) ST\_NCLP5W2211OF4X9  
278 **set** equivalent\_cell(ST\_NCLP5W2211OF4X9) ST\_NCL2W2211OF4X9  
279 **set** equivalent\_cell(ST\_NCL2W2211OF4X13) ST\_NCLP5W2211OF4X13  
280 **set** equivalent\_cell(ST\_NCLP5W2211OF4X13) ST\_NCL2W2211OF4X13

281 **set** equivalent\_cell(ST\_INCL2W1111OF4X2) ST\_INCLP3W1111OF4X2  
282 **set** equivalent\_cell(ST\_INCLP3W1111OF4X2) ST\_INCL2W1111OF4X2  
283 **set** equivalent\_cell(ST\_INCL2W1111OF4X4) ST\_INCLP3W1111OF4X4  
284 **set** equivalent\_cell(ST\_INCLP3W1111OF4X4) ST\_INCL2W1111OF4X4  
285 **set** equivalent\_cell(ST\_INCL2W1111OF4X7) ST\_INCLP3W1111OF4X9  
286 **set** equivalent\_cell(ST\_INCLP3W1111OF4X9) ST\_INCL2W1111OF4X13  
287 **set** equivalent\_cell(ST\_INCL2W1111OF4X13) ST\_INCLP3W1111OF4X9  
288 **set** equivalent\_cell(ST\_NCL3W111OF3X2) ST\_NCLP1W111OF3X2  
289 **set** equivalent\_cell(ST\_NCLP1W111OF3X2) ST\_NCL3W111OF3X2  
290 **set** equivalent\_cell(ST\_NCL3W111OF3X4) ST\_NCLP1W111OF3X4  
291 **set** equivalent\_cell(ST\_NCLP1W111OF3X4) ST\_NCL3W111OF3X4  
292 **set** equivalent\_cell(ST\_NCL3W111OF3X7) ST\_NCLP1W111OF3X7  
293 **set** equivalent\_cell(ST\_NCLP1W111OF3X7) ST\_NCL3W111OF3X7  
294 **set** equivalent\_cell(ST\_NCL3W111OF3X9) ST\_NCLP1W111OF3X9  
295 **set** equivalent\_cell(ST\_NCLP1W111OF3X9) ST\_NCL3W111OF3X9  
296 **set** equivalent\_cell(ST\_NCL3W111OF3X13) ST\_NCLP1W111OF3X13  
297 **set** equivalent\_cell(ST\_NCLP1W111OF3X13) ST\_NCL3W111OF3X13  
298 **set** equivalent\_cell(ST\_NCL3W111OF3X18) ST\_NCLP1W111OF3X18  
299 **set** equivalent\_cell(ST\_NCLP1W111OF3X18) ST\_NCL3W111OF3X18  
300 **set** equivalent\_cell(ST\_NCL3W2211OF4X2) ST\_NCLP4W2211OF4X2  
301 **set** equivalent\_cell(ST\_NCLP4W2211OF4X2) ST\_NCL3W2211OF4X2  
302 **set** equivalent\_cell(ST\_NCL3W2211OF4X4) ST\_NCLP4W2211OF4X4  
303 **set** equivalent\_cell(ST\_NCLP4W2211OF4X4) ST\_NCL3W2211OF4X4  
304 **set** equivalent\_cell(ST\_NCL3W2211OF4X7) ST\_NCLP4W2211OF4X7  
305 **set** equivalent\_cell(ST\_NCLP4W2211OF4X7) ST\_NCL3W2211OF4X7  
306 **set** equivalent\_cell(ST\_NCL3W2211OF4X9) ST\_NCLP4W2211OF4X13  
307 **set** equivalent\_cell(ST\_NCL3W2211OF4X13) ST\_NCLP4W2211OF4X13  
308 **set** equivalent\_cell(ST\_NCLP4W2211OF4X13) ST\_NCL3W2211OF4X13  
309 **set** equivalent\_cell(ST\_NCL3W2111OF4X2) ST\_NCLP3W2111OF4X2  
310 **set** equivalent\_cell(ST\_NCLP3W2111OF4X2) ST\_NCL3W2111OF4X2  
311 **set** equivalent\_cell(ST\_NCL3W2111OF4X4) ST\_NCLP3W2111OF4X4  
312 **set** equivalent\_cell(ST\_NCLP3W2111OF4X4) ST\_NCL3W2111OF4X4  
313 **set** equivalent\_cell(ST\_NCL3W2111OF4X7) ST\_NCLP3W2111OF4X7  
314 **set** equivalent\_cell(ST\_NCLP3W2111OF4X7) ST\_NCL3W2111OF4X7  
315 **set** equivalent\_cell(ST\_NCLP3W2111OF4X9) ST\_NCL3W2111OF4X13  
316 **set** equivalent\_cell(ST\_NCL3W2111OF4X13) ST\_NCLP3W2111OF4X13  
317 **set** equivalent\_cell(ST\_NCLP3W2111OF4X13) ST\_NCL3W2111OF4X13  
318 **set** equivalent\_cell(ST\_NCL2W111OF3X2) ST\_NCLP2W111OF3X2  
319 **set** equivalent\_cell(ST\_NCLP2W111OF3X2) ST\_NCL2W111OF3X2  
320 **set** equivalent\_cell(ST\_NCL2W111OF3X4) ST\_NCLP2W111OF3X4  
321 **set** equivalent\_cell(ST\_NCLP2W111OF3X4) ST\_NCL2W111OF3X4  
322 **set** equivalent\_cell(ST\_NCL2W111OF3X7) ST\_NCLP2W111OF3X7  
323 **set** equivalent\_cell(ST\_NCLP2W111OF3X7) ST\_NCL2W111OF3X7  
324 **set** equivalent\_cell(ST\_NCL2W111OF3X9) ST\_NCLP2W111OF3X9  
325 **set** equivalent\_cell(ST\_NCLP2W111OF3X9) ST\_NCL2W111OF3X9  
326 **set** equivalent\_cell(ST\_NCL2W111OF3X13) ST\_NCLP2W111OF3X9  
327 **set** equivalent\_cell(ST\_NCL1W1111OF4X2) ST\_NCLP4W1111OF4X2  
328 **set** equivalent\_cell(ST\_NCLP4W1111OF4X2) ST\_NCL1W1111OF4X2

329 **set** equivalent\_cell(ST\_NCL1W1111OF4X4) ST\_NCLP4W1111OF4X4  
330 **set** equivalent\_cell(ST\_NCLP4W1111OF4X4) ST\_NCL1W1111OF4X4  
331 **set** equivalent\_cell(ST\_NCL1W1111OF4X7) ST\_NCLP4W1111OF4X7  
332 **set** equivalent\_cell(ST\_NCLP4W1111OF4X7) ST\_NCL1W1111OF4X7  
333 **set** equivalent\_cell(ST\_NCL1W1111OF4X9) ST\_NCLP4W1111OF4X9  
334 **set** equivalent\_cell(ST\_NCLP4W1111OF4X9) ST\_NCL1W1111OF4X9  
335 **set** equivalent\_cell(ST\_NCL1W1111OF4X13) ST\_NCLP4W1111OF4X13  
336 **set** equivalent\_cell(ST\_NCLP4W1111OF4X13) ST\_NCL1W1111OF4X13  
337 **set** equivalent\_cell(ST\_NCL1W1111OF4X18) ST\_NCLP4W1111OF4X13  
338 **set** equivalent\_cell(ST\_NCL3W3211OF4X2) ST\_NCLP5W3211OF4X2  
339 **set** equivalent\_cell(ST\_NCLP5W3211OF4X2) ST\_NCL3W3211OF4X2  
340 **set** equivalent\_cell(ST\_NCL3W3211OF4X4) ST\_NCLP5W3211OF4X4  
341 **set** equivalent\_cell(ST\_NCLP5W3211OF4X4) ST\_NCL3W3211OF4X4  
342 **set** equivalent\_cell(ST\_NCL3W3211OF4X7) ST\_NCLP5W3211OF4X7  
343 **set** equivalent\_cell(ST\_NCLP5W3211OF4X7) ST\_NCL3W3211OF4X7  
344 **set** equivalent\_cell(ST\_NCL3W3211OF4X9) ST\_NCLP5W3211OF4X9  
345 **set** equivalent\_cell(ST\_NCLP5W3211OF4X9) ST\_NCL3W3211OF4X9  
346 **set** equivalent\_cell(ST\_NCL3W3211OF4X13) ST\_NCLP5W3211OF4X13  
347 **set** equivalent\_cell(ST\_NCLP5W3211OF4X13) ST\_NCL3W3211OF4X13  
348 **set** equivalent\_cell(ST\_INCL4W2321OF4X2) ST\_INCLP5W2321OF4X2  
349 **set** equivalent\_cell(ST\_INCLP5W2321OF4X2) ST\_INCL4W2321OF4X2  
350 **set** equivalent\_cell(ST\_INCL4W2321OF4X4) ST\_INCLP5W2321OF4X7  
351 **set** equivalent\_cell(ST\_INCL4W2321OF4X7) ST\_INCLP5W2321OF4X7  
352 **set** equivalent\_cell(ST\_INCLP5W2321OF4X7) ST\_INCL4W2321OF4X7  
353 **set** equivalent\_cell(ST\_INCL4W2321OF4X9) ST\_INCLP5W2321OF4X7  
354 **set** equivalent\_cell(ST\_INCL4W2321OF4X13) ST\_INCLP5W2321OF4X7  
355 **set** equivalent\_cell(ST\_INCL3W3211OF4X2) ST\_INCLP5W3211OF4X2  
356 **set** equivalent\_cell(ST\_INCLP5W3211OF4X2) ST\_INCL3W3211OF4X2  
357 **set** equivalent\_cell(ST\_INCL3W3211OF4X4) ST\_INCLP5W3211OF4X4  
358 **set** equivalent\_cell(ST\_INCLP5W3211OF4X4) ST\_INCL3W3211OF4X4  
359 **set** equivalent\_cell(ST\_INCL3W3211OF4X7) ST\_INCLP5W3211OF4X7  
360 **set** equivalent\_cell(ST\_INCLP5W3211OF4X7) ST\_INCL3W3211OF4X7  
361 **set** equivalent\_cell(ST\_INCL3W3211OF4X9) ST\_INCLP5W3211OF4X9  
362 **set** equivalent\_cell(ST\_INCLP5W3211OF4X9) ST\_INCL3W3211OF4X9  
363 **set** equivalent\_cell(ST\_INCL3W3211OF4X18) ST\_INCLP5W3211OF4X9  
364 **set** equivalent\_cell(ST\_INCL3W3211OF4X22) ST\_INCLP5W3211OF4X9  
365 **set** equivalent\_cell(ST\_INCL3W3211OF4X31) ST\_INCLP5W3211OF4X9  
366 **set** equivalent\_cell(ST\_INCLAO22OF4X2) ST\_INCLPOA22OF4X2  
367 **set** equivalent\_cell(ST\_INCLPOA22OF4X2) ST\_INCLAO22OF4X2  
368 **set** equivalent\_cell(ST\_INCLAO22OF4X4) ST\_INCLPOA22OF4X4  
369 **set** equivalent\_cell(ST\_INCLPOA22OF4X4) ST\_INCLAO22OF4X4  
370 **set** equivalent\_cell(ST\_INCLAO22OF4X7) ST\_INCLPOA22OF4X7  
371 **set** equivalent\_cell(ST\_INCLPOA22OF4X7) ST\_INCLAO22OF4X7  
372 **set** equivalent\_cell(ST\_INCLAO22OF4X9) ST\_INCLPOA22OF4X9  
373 **set** equivalent\_cell(ST\_INCLPOA22OF4X9) ST\_INCLAO22OF4X9  
374 **set** equivalent\_cell(ST\_INCLAO22OF4X13) ST\_INCLPOA22OF4X13  
375 **set** equivalent\_cell(ST\_INCLPOA22OF4X13) ST\_INCLAO22OF4X13  
376 **set** equivalent\_cell(ST\_INCLAO22OF4X18) ST\_INCLPOA22OF4X13

377 **set** equivalent\_cell(ST\_INCLP1W11OF2X2) SY\_INCL2W11OF2X2  
378 **set** equivalent\_cell(SY\_INCL2W11OF2X2) ST\_INCLP1W11OF2X4  
379 **set** equivalent\_cell(ST\_INCL2W11OF2X4) ST\_INCLP1W11OF2X4  
380 **set** equivalent\_cell(ST\_INCLP1W11OF2X4) ST\_INCL2W11OF2X4  
381 **set** equivalent\_cell(SY\_INCL2W11OF2X4) ST\_INCLP1W11OF2X4  
382 **set** equivalent\_cell(ST\_INCL2W11OF2X7) ST\_INCLP1W11OF2X9  
383 **set** equivalent\_cell(SY\_INCL2W11OF2X7) ST\_INCLP1W11OF2X9  
384 **set** equivalent\_cell(ST\_INCLP1W11OF2X9) SY\_INCL2W11OF2X9  
385 **set** equivalent\_cell(SY\_INCL2W11OF2X9) ST\_INCLP1W11OF2X13  
386 **set** equivalent\_cell(ST\_INCL2W11OF2X13) ST\_INCLP1W11OF2X13  
387 **set** equivalent\_cell(ST\_INCLP1W11OF2X13) ST\_INCL2W11OF2X13  
388 **set** equivalent\_cell(SY\_INCL2W11OF2X13) ST\_INCLP1W11OF2X18  
389 **set** equivalent\_cell(ST\_INCL2W11OF2X18) ST\_INCLP1W11OF2X18  
390 **set** equivalent\_cell(ST\_INCLP1W11OF2X18) ST\_INCL2W11OF2X18  
391 **set** equivalent\_cell(SY\_INCL2W11OF2X18) ST\_INCLP1W11OF2X18  
392 **set** equivalent\_cell(ST\_INCL2W11OF2X22) ST\_INCLP1W11OF2X27  
393 **set** equivalent\_cell(ST\_INCLP1W11OF2X27) ST\_INCL2W11OF2X31  
394 **set** equivalent\_cell(ST\_INCL2W11OF2X31) ST\_INCLP1W11OF2X27  
395 **set** equivalent\_cell(ST\_NCLP5W2321OF4X2) ST\_NCL4W2321OF4X4  
396 **set** equivalent\_cell(ST\_NCL4W2321OF4X4) ST\_NCLP5W2321OF4X4  
397 **set** equivalent\_cell(ST\_NCLP5W2321OF4X4) ST\_NCL4W2321OF4X4  
398 **set** equivalent\_cell(ST\_NCL4W2321OF4X7) ST\_NCLP5W2321OF4X7  
399 **set** equivalent\_cell(ST\_NCLP5W2321OF4X7) ST\_NCL4W2321OF4X7  
400 **set** equivalent\_cell(ST\_NCL4W2321OF4X9) ST\_NCLP5W2321OF4X9  
401 **set** equivalent\_cell(ST\_NCLP5W2321OF4X9) ST\_NCL4W2321OF4X9  
402 **set** equivalent\_cell(ST\_NCL4W2321OF4X13) ST\_NCLP5W2321OF4X13  
403 **set** equivalent\_cell(ST\_NCLP5W2321OF4X13) ST\_NCL4W2321OF4X13  
404 **set** equivalent\_cell(ST\_INCL4W3111OF4X2) ST\_INCLP3W3111OF4X2  
405 **set** equivalent\_cell(ST\_INCLP3W3111OF4X2) ST\_INCL4W3111OF4X2  
406 **set** equivalent\_cell(ST\_INCL4W3111OF4X4) ST\_INCLP3W3111OF4X7  
407 **set** equivalent\_cell(ST\_INCL4W3111OF4X7) ST\_INCLP3W3111OF4X7  
408 **set** equivalent\_cell(ST\_INCLP3W3111OF4X7) ST\_INCL4W3111OF4X7  
409 **set** equivalent\_cell(ST\_INCL4W3111OF4X9) ST\_INCLP3W3111OF4X9  
410 **set** equivalent\_cell(ST\_INCLP3W3111OF4X9) ST\_INCL4W3111OF4X9  
411 **set** equivalent\_cell(ST\_INCL4W3111OF4X13) ST\_INCLP3W3111OF4X13  
412 **set** equivalent\_cell(ST\_INCLP3W3111OF4X13) ST\_INCL4W3111OF4X13  
413 **set** equivalent\_cell(ST\_INCL4W3111OF4X18) ST\_INCLP3W3111OF4X18  
414 **set** equivalent\_cell(ST\_INCLP3W3111OF4X18) ST\_INCL4W3111OF4X18  
415 **set** equivalent\_cell(ST\_INCL4W3111OF4X22) ST\_INCLP3W3111OF4X18  
416 **set** equivalent\_cell(ST\_INCL2W2111OF4X2) ST\_INCLP4W2111OF4X2  
417 **set** equivalent\_cell(ST\_INCLP4W2111OF4X2) ST\_INCL2W2111OF4X2  
418 **set** equivalent\_cell(ST\_INCL2W2111OF4X4) ST\_INCLP4W2111OF4X4  
419 **set** equivalent\_cell(ST\_INCLP4W2111OF4X4) ST\_INCL2W2111OF4X4  
420 **set** equivalent\_cell(ST\_INCL2W2111OF4X7) ST\_INCLP4W2111OF4X9  
421 **set** equivalent\_cell(ST\_INCL2W2111OF4X9) ST\_INCLP4W2111OF4X9  
422 **set** equivalent\_cell(ST\_INCLP4W2111OF4X9) ST\_INCL2W2111OF4X9  
423 **set** equivalent\_cell(ST\_INCL2W2111OF4X13) ST\_INCLP4W2111OF4X13  
424 **set** equivalent\_cell(ST\_INCLP4W2111OF4X13) ST\_INCL2W2111OF4X13

425 **set** equivalent\_cell(ST\_INCL2W111OF3X2) ST\_INCLP2W111OF3X2  
426 **set** equivalent\_cell(ST\_INCLP2W111OF3X2) ST\_INCL2W111OF3X2  
427 **set** equivalent\_cell(ST\_INCL2W111OF3X4) ST\_INCLP2W111OF3X4  
428 **set** equivalent\_cell(ST\_INCLP2W111OF3X4) ST\_INCL2W111OF3X4  
429 **set** equivalent\_cell(ST\_INCL2W111OF3X7) ST\_INCLP2W111OF3X7  
430 **set** equivalent\_cell(ST\_INCLP2W111OF3X7) ST\_INCL2W111OF3X7  
431 **set** equivalent\_cell(ST\_INCL2W111OF3X9) ST\_INCLP2W111OF3X9  
432 **set** equivalent\_cell(ST\_INCLP2W111OF3X9) ST\_INCL2W111OF3X9  
433 **set** equivalent\_cell(ST\_INCL2W111OF3X13) ST\_INCLP2W111OF3X13  
434 **set** equivalent\_cell(ST\_INCLP2W111OF3X13) ST\_INCL2W111OF3X13  
435 **set** equivalent\_cell(ST\_INCL2W111OF3X18) ST\_INCLP2W111OF3X18  
436 **set** equivalent\_cell(ST\_INCLP2W111OF3X18) ST\_INCL2W111OF3X18  
437 **set** equivalent\_cell(ST\_INCLP2W111OF3X22) ST\_INCL2W111OF3X18  
438 **set** equivalent\_cell(ST\_INCL4W3221OF4X2) ST\_INCLP5W3221OF4X2  
439 **set** equivalent\_cell(ST\_INCLP5W3221OF4X2) ST\_INCL4W3221OF4X2  
440 **set** equivalent\_cell(ST\_INCL4W3221OF4X4) ST\_INCLP5W3221OF4X4  
441 **set** equivalent\_cell(ST\_INCLP5W3221OF4X4) ST\_INCL4W3221OF4X4  
442 **set** equivalent\_cell(ST\_INCL4W3221OF4X7) ST\_INCLP5W3221OF4X7  
443 **set** equivalent\_cell(ST\_INCLP5W3221OF4X7) ST\_INCL4W3221OF4X7  
444 **set** equivalent\_cell(ST\_INCL4W3221OF4X9) ST\_INCLP5W3221OF4X9  
445 **set** equivalent\_cell(ST\_INCLP5W3221OF4X9) ST\_INCL4W3221OF4X9  
446 **set** equivalent\_cell(ST\_INCL4W3221OF4X13) ST\_INCLP5W3221OF4X13  
447 **set** equivalent\_cell(ST\_INCLP5W3221OF4X13) ST\_INCL4W3221OF4X13  
448 **set** equivalent\_cell(ST\_NCL1W11OF2X2) ST\_NCLP2W11OF2X2  
449 **set** equivalent\_cell(ST\_NCLP2W11OF2X2) ST\_NCL1W11OF2X2  
450 **set** equivalent\_cell(SY\_NCLP2W11OF2X2) ST\_NCL1W11OF2X4  
451 **set** equivalent\_cell(ST\_NCL1W11OF2X4) ST\_NCLP2W11OF2X4  
452 **set** equivalent\_cell(ST\_NCLP2W11OF2X4) ST\_NCL1W11OF2X4  
453 **set** equivalent\_cell(SY\_NCLP2W11OF2X4) ST\_NCL1W11OF2X7  
454 **set** equivalent\_cell(ST\_NCL1W11OF2X7) ST\_NCLP2W11OF2X7  
455 **set** equivalent\_cell(ST\_NCLP2W11OF2X7) ST\_NCL1W11OF2X7  
456 **set** equivalent\_cell(ST\_NCL1W11OF2X9) ST\_NCLP2W11OF2X9  
457 **set** equivalent\_cell(ST\_NCLP2W11OF2X9) ST\_NCL1W11OF2X9  
458 **set** equivalent\_cell(SY\_NCLP2W11OF2X9) ST\_NCL1W11OF2X13  
459 **set** equivalent\_cell(ST\_NCL1W11OF2X13) ST\_NCLP2W11OF2X13  
460 **set** equivalent\_cell(ST\_NCLP2W11OF2X13) ST\_NCL1W11OF2X13  
461 **set** equivalent\_cell(SY\_NCLP2W11OF2X13) ST\_NCL1W11OF2X13  
462 **set** equivalent\_cell(SY\_NCLP2W11OF2X18) ST\_NCL1W11OF2X13  
463 **set** equivalent\_cell(ST\_NCL2W2111OF4X2) ST\_NCLP4W2111OF4X4  
464 **set** equivalent\_cell(ST\_NCL2W2111OF4X4) ST\_NCLP4W2111OF4X4  
465 **set** equivalent\_cell(ST\_NCLP4W2111OF4X4) ST\_NCL2W2111OF4X4  
466 **set** equivalent\_cell(ST\_NCL2W2111OF4X7) ST\_NCLP4W2111OF4X7  
467 **set** equivalent\_cell(ST\_NCLP4W2111OF4X7) ST\_NCL2W2111OF4X7  
468 **set** equivalent\_cell(ST\_NCL2W2111OF4X9) ST\_NCLP4W2111OF4X9  
469 **set** equivalent\_cell(ST\_NCLP4W2111OF4X9) ST\_NCL2W2111OF4X9  
470 **set** equivalent\_cell(ST\_NCL2W2111OF4X13) ST\_NCLP4W2111OF4X13  
471 **set** equivalent\_cell(ST\_NCLP4W2111OF4X13) ST\_NCL2W2111OF4X13  
472 **set** equivalent\_cell(ST\_INCL2W2111OF4X2) ST\_INCLPAO22OF4X2

473 **set** equivalent\_cell(ST\_INCLPAO22OF4X2) ST\_INCLOA22OF4X2  
474 **set** equivalent\_cell(ST\_INCLOA22OF4X4) ST\_INCLPAO22OF4X4  
475 **set** equivalent\_cell(ST\_INCLPAO22OF4X4) ST\_INCLOA22OF4X4  
476 **set** equivalent\_cell(ST\_INCLOA22OF4X7) ST\_INCLPAO22OF4X7  
477 **set** equivalent\_cell(ST\_INCLPAO22OF4X7) ST\_INCLOA22OF4X7  
478 **set** equivalent\_cell(ST\_INCLOA22OF4X9) ST\_INCLPAO22OF4X9  
479 **set** equivalent\_cell(ST\_INCLPAO22OF4X9) ST\_INCLOA22OF4X9  
480 **set** equivalent\_cell(ST\_INCLOA22OF4X13) ST\_INCLPAO22OF4X13  
481 **set** equivalent\_cell(ST\_INCLPAO22OF4X13) ST\_INCLOA22OF4X13  
482 **set** equivalent\_cell(ST\_INCLOA22OF4X18) ST\_INCLPAO22OF4X13  
483 **set** equivalent\_cell(ST\_INCL1W111OF3X2) ST\_INCLP3W111OF3X2  
484 **set** equivalent\_cell(ST\_INCLP3W111OF3X2) ST\_INCL1W111OF3X2  
485 **set** equivalent\_cell(ST\_INCL1W111OF3X4) ST\_INCLP3W111OF3X4  
486 **set** equivalent\_cell(ST\_INCLP3W111OF3X4) ST\_INCL1W111OF3X4  
487 **set** equivalent\_cell(ST\_INCL1W111OF3X7) ST\_INCLP3W111OF3X7  
488 **set** equivalent\_cell(ST\_INCLP3W111OF3X7) ST\_INCL1W111OF3X7  
489 **set** equivalent\_cell(ST\_INCL1W111OF3X9) ST\_INCLP3W111OF3X9  
490 **set** equivalent\_cell(ST\_INCLP3W111OF3X9) ST\_INCL1W111OF3X9  
491 **set** equivalent\_cell(ST\_INCL1W111OF3X13) ST\_INCLP3W111OF3X13  
492 **set** equivalent\_cell(ST\_INCLP3W111OF3X13) ST\_INCL1W111OF3X13  
493 **set** equivalent\_cell(ST\_INCL1W111OF3X18) ST\_INCLP3W111OF3X18  
494 **set** equivalent\_cell(ST\_INCLP3W111OF3X18) ST\_INCL1W111OF3X18  
495 **set** equivalent\_cell(ST\_INCL1W111OF3X31) ST\_INCLP3W111OF3X31  
496 **set** equivalent\_cell(ST\_INCLP3W111OF3X31) ST\_INCL1W111OF3X31  
497 **set** equivalent\_cell(ST\_NCL5W2211OF4X2) ST\_NCLP2W2211OF4X2  
498 **set** equivalent\_cell(ST\_NCLP2W2211OF4X2) ST\_NCL5W2211OF4X2  
499 **set** equivalent\_cell(ST\_NCL5W2211OF4X4) ST\_NCLP2W2211OF4X4  
500 **set** equivalent\_cell(ST\_NCLP2W2211OF4X4) ST\_NCL5W2211OF4X4  
501 **set** equivalent\_cell(ST\_NCL5W2211OF4X7) ST\_NCLP2W2211OF4X7  
502 **set** equivalent\_cell(ST\_NCLP2W2211OF4X7) ST\_NCL5W2211OF4X7  
503 **set** equivalent\_cell(ST\_NCL5W2211OF4X9) ST\_NCLP2W2211OF4X9  
504 **set** equivalent\_cell(ST\_NCLP2W2211OF4X9) ST\_NCL5W2211OF4X9  
505 **set** equivalent\_cell(ST\_NCLOA22OF4X2) ST\_NCLPAO22OF4X2  
506 **set** equivalent\_cell(ST\_NCLPAO22OF4X2) ST\_NCLOA22OF4X2  
507 **set** equivalent\_cell(ST\_NCLOA22OF4X4) ST\_NCLPAO22OF4X4  
508 **set** equivalent\_cell(ST\_NCLPAO22OF4X4) ST\_NCLOA22OF4X4  
509 **set** equivalent\_cell(ST\_NCLOA22OF4X7) ST\_NCLPAO22OF4X7  
510 **set** equivalent\_cell(ST\_NCLPAO22OF4X7) ST\_NCLOA22OF4X7  
511 **set** equivalent\_cell(ST\_NCLOA22OF4X9) ST\_NCLPAO22OF4X9  
512 **set** equivalent\_cell(ST\_NCLPAO22OF4X9) ST\_NCLOA22OF4X9  
513 **set** equivalent\_cell(ST\_INCL3W1111OF4X2) ST\_INCLP2W1111OF4X2  
514 **set** equivalent\_cell(ST\_INCLP2W1111OF4X2) ST\_INCL3W1111OF4X2  
515 **set** equivalent\_cell(ST\_INCL3W1111OF4X4) ST\_INCLP2W1111OF4X4  
516 **set** equivalent\_cell(ST\_INCLP2W1111OF4X4) ST\_INCL3W1111OF4X4  
517 **set** equivalent\_cell(ST\_INCL3W1111OF4X7) ST\_INCLP2W1111OF4X7  
518 **set** equivalent\_cell(ST\_INCLP2W1111OF4X7) ST\_INCL3W1111OF4X7  
519 **set** equivalent\_cell(ST\_INCL3W1111OF4X9) ST\_INCLP2W1111OF4X9  
520 **set** equivalent\_cell(ST\_INCLP2W1111OF4X9) ST\_INCL3W1111OF4X9

521 **set** equivalent\_cell(ST\_INCLP2W1111OF4X13) ST\_INCL3W1111OF4X9  
522 **set** equivalent\_cell(ST\_NCL3W1111OF4X2) ST\_NCLP2W1111OF4X2  
523 **set** equivalent\_cell(ST\_NCLP2W1111OF4X2) ST\_NCL3W1111OF4X2  
524 **set** equivalent\_cell(ST\_NCL3W1111OF4X4) ST\_NCLP2W1111OF4X4  
525 **set** equivalent\_cell(ST\_NCLP2W1111OF4X4) ST\_NCL3W1111OF4X4  
526 **set** equivalent\_cell(ST\_NCL3W1111OF4X7) ST\_NCLP2W1111OF4X7  
527 **set** equivalent\_cell(ST\_NCLP2W1111OF4X7) ST\_NCL3W1111OF4X7  
528 **set** equivalent\_cell(ST\_NCL3W1111OF4X9) ST\_NCLP2W1111OF4X9  
529 **set** equivalent\_cell(ST\_NCLP2W1111OF4X9) ST\_NCL3W1111OF4X9  
530 **set** equivalent\_cell(ST\_NCL3W1111OF4X13) ST\_NCLP2W1111OF4X13  
531 **set** equivalent\_cell(ST\_NCLP2W1111OF4X13) ST\_NCL3W1111OF4X13  
532 **set** equivalent\_cell(ST\_NCL4W2111OF4X2) ST\_NCLP2W2111OF4X2  
533 **set** equivalent\_cell(ST\_NCLP2W2111OF4X2) ST\_NCL4W2111OF4X2  
534 **set** equivalent\_cell(ST\_NCL4W2111OF4X4) ST\_NCLP2W2111OF4X4  
535 **set** equivalent\_cell(ST\_NCLP2W2111OF4X4) ST\_NCL4W2111OF4X4  
536 **set** equivalent\_cell(ST\_NCL4W2111OF4X7) ST\_NCLP2W2111OF4X7  
537 **set** equivalent\_cell(ST\_NCLP2W2111OF4X7) ST\_NCL4W2111OF4X7  
538 **set** equivalent\_cell(ST\_NCL4W2111OF4X9) ST\_NCLP2W2111OF4X9  
539 **set** equivalent\_cell(ST\_NCLP2W2111OF4X9) ST\_NCL4W2111OF4X9  
540 **set** equivalent\_cell(ST\_NCL4W2111OF4X13) ST\_NCLP2W2111OF4X13  
541 **set** equivalent\_cell(ST\_NCLP2W2111OF4X13) ST\_NCL4W2111OF4X13  
542 **set** equivalent\_cell(ST\_NCL4W3111OF4X2) ST\_NCLP3W3111OF4X2  
543 **set** equivalent\_cell(ST\_NCLP3W3111OF4X2) ST\_NCL4W3111OF4X2  
544 **set** equivalent\_cell(ST\_NCL4W3111OF4X4) ST\_NCLP3W3111OF4X4  
545 **set** equivalent\_cell(ST\_NCLP3W3111OF4X4) ST\_NCL4W3111OF4X4  
546 **set** equivalent\_cell(ST\_NCL4W3111OF4X7) ST\_NCLP3W3111OF4X7  
547 **set** equivalent\_cell(ST\_NCLP3W3111OF4X7) ST\_NCL4W3111OF4X7  
548 **set** equivalent\_cell(ST\_NCL4W3111OF4X9) ST\_NCLP3W3111OF4X9  
549 **set** equivalent\_cell(ST\_NCLP3W3111OF4X9) ST\_NCL4W3111OF4X9  
550 **set** equivalent\_cell(ST\_NCL4W3111OF4X13) ST\_NCLP3W3111OF4X9  
551 **set** equivalent\_cell(ST\_INCL5W3211OF4X2) ST\_INCLP3W3211OF4X2  
552 **set** equivalent\_cell(ST\_INCLP3W3211OF4X2) ST\_INCL5W3211OF4X2  
553 **set** equivalent\_cell(ST\_INCL5W3211OF4X4) ST\_INCLP3W3211OF4X4  
554 **set** equivalent\_cell(ST\_INCLP3W3211OF4X4) ST\_INCL5W3211OF4X4  
555 **set** equivalent\_cell(ST\_INCL5W3211OF4X7) ST\_INCLP3W3211OF4X7  
556 **set** equivalent\_cell(ST\_INCLP3W3211OF4X7) ST\_INCL5W3211OF4X7  
557 **set** equivalent\_cell(ST\_INCL5W3211OF4X9) ST\_INCLP3W3211OF4X9  
558 **set** equivalent\_cell(ST\_INCLP3W3211OF4X9) ST\_INCL5W3211OF4X9  
559 **set** equivalent\_cell(ST\_INCL5W3211OF4X13) ST\_INCLP3W3211OF4X13  
560 **set** equivalent\_cell(ST\_INCLP3W3211OF4X13) ST\_INCL5W3211OF4X13  
561 **set** equivalent\_cell(ST\_INCL5W3211OF4X18) ST\_INCLP3W3211OF4X18  
562 **set** equivalent\_cell(ST\_INCLP3W3211OF4X18) ST\_INCL5W3211OF4X18  
563 **set** equivalent\_cell(ST\_INCL5W3211OF4X22) ST\_INCLP3W3211OF4X18  
564 **set** equivalent\_cell(ST\_INCL2W211OF3X2) ST\_INCLP3W211OF3X2  
565 **set** equivalent\_cell(ST\_INCLP3W211OF3X2) ST\_INCL2W211OF3X2  
566 **set** equivalent\_cell(ST\_INCLP3W211OF3X4) ST\_INCL2W211OF3X7  
567 **set** equivalent\_cell(ST\_INCL2W211OF3X7) ST\_INCLP3W211OF3X7  
568 **set** equivalent\_cell(ST\_INCLP3W211OF3X7) ST\_INCL2W211OF3X7

569 **set** equivalent\_cell(ST\_INCL2W211OF3X9) ST\_INCLP3W211OF3X9  
570 **set** equivalent\_cell(ST\_INCLP3W211OF3X9) ST\_INCL2W211OF3X9  
571 **set** equivalent\_cell(ST\_INCL2W211OF3X13) ST\_INCLP3W211OF3X13  
572 **set** equivalent\_cell(ST\_INCLP3W211OF3X13) ST\_INCL2W211OF3X13  
573 **set** equivalent\_cell(ST\_INCL2W211OF3X18) ST\_INCLP3W211OF3X18  
574 **set** equivalent\_cell(ST\_INCLP3W211OF3X18) ST\_INCL2W211OF3X18  
575 **set** equivalent\_cell(ST\_INCL2W211OF3X22) ST\_INCLP3W211OF3X27  
576 **set** equivalent\_cell(ST\_INCLP3W211OF3X27) ST\_INCL2W211OF3X31  
577 **set** equivalent\_cell(ST\_INCL2W211OF3X31) ST\_INCLP3W211OF3X27  
578 **set** equivalent\_cell(ST\_NCL5W3211OF4X2) ST\_NCLP3W3211OF4X2  
579 **set** equivalent\_cell(ST\_NCLP3W3211OF4X2) ST\_NCL5W3211OF4X2  
580 **set** equivalent\_cell(ST\_NCL5W3211OF4X4) ST\_NCLP3W3211OF4X7  
581 **set** equivalent\_cell(ST\_NCL5W3211OF4X7) ST\_NCLP3W3211OF4X7  
582 **set** equivalent\_cell(ST\_NCLP3W3211OF4X7) ST\_NCL5W3211OF4X7  
583 **set** equivalent\_cell(ST\_NCL5W3211OF4X9) ST\_NCLP3W3211OF4X9  
584 **set** equivalent\_cell(ST\_NCLP3W3211OF4X9) ST\_NCL5W3211OF4X9  
585 **set** equivalent\_cell(ST\_NCL5W3211OF4X13) ST\_NCLP3W3211OF4X9  
586 **incr** nclp\_cell(ST\_NCLPOA22OF4X9)  
587 **incr** nclp\_cell(ST\_NCLP2W111OF3X2)  
588 **incr** nclp\_cell(ST\_INCLP2W111OF3X2)  
589 **incr** nclp\_cell(ST\_INCLP2W211OF3X2)  
590 **incr** nclp\_cell(ST\_INCLP4W2211OF4X4)  
591 **incr** nclp\_cell(ST\_NCLP5W3221OF4X9)  
592 **incr** nclp\_cell(SY\_NCLP2W11OF2X18)  
593 **incr** nclp\_cell(ST\_NCLPAO2O21OF4X9)  
594 **incr** nclp\_cell(ST\_NCLP2W111OF3X9)  
595 **incr** nclp\_cell(ST\_INCLP5W3211OF4X7)  
596 **incr** nclp\_cell(ST\_NCLP4W1111OF4X9)  
597 **incr** nclp\_cell(ST\_INCLP1W1111OF4X4)  
598 **incr** nclp\_cell(ST\_INCLP4W1111OF4X9)  
599 **incr** nclp\_cell(ST\_NCLP1W111OF3X2)  
600 **incr** nclp\_cell(ST\_INCLP2W2111OF4X4)  
601 **incr** nclp\_cell(ST\_NCLP4W1111OF4X7)  
602 **incr** nclp\_cell(ST\_INCLP1W111OF3X18)  
603 **incr** nclp\_cell(ST\_NCLP4W1111OF4X4)  
604 **incr** nclp\_cell(ST\_INCLP2W1111OF4X7)  
605 **incr** nclp\_cell(ST\_INCLP2W11OF2X31)  
606 **incr** nclp\_cell(ST\_INCLP2W2211OF4X18)  
607 **incr** nclp\_cell(ST\_INCLP1W11OF2X18)  
608 **incr** nclp\_cell(ST\_NCLP2W211OF3X4)  
609 **incr** nclp\_cell(ST\_INCLP4W2111OF4X9)  
610 **incr** nclp\_cell(ST\_INCLP1W111OF3X13)  
611 **incr** nclp\_cell(SY\_INCLP2W11OF2X2)  
612 **incr** nclp\_cell(ST\_INCLP3W2211OF4X13)  
613 **incr** nclp\_cell(ST\_INCLP2W111OF3X4)  
614 **incr** nclp\_cell(ST\_INCLP3W111OF3X31)  
615 **incr** nclp\_cell(ST\_INCLP3W2111OF4X2)  
616 **incr** nclp\_cell(ST\_NCLP3W2111OF4X2)



617 **incr** nclp\_cell (ST\_INCLP5W3211OF4X4)  
618 **incr** nclp\_cell (ST\_INCLP1W1111OF4X9)  
619 **incr** nclp\_cell (ST\_INCLP2W1111OF4X9)  
620 **incr** nclp\_cell (ST\_NCLPAO2O21OF4X7)  
621 **incr** nclp\_cell (ST\_INCLP3W111OF3X2)  
622 **incr** nclp\_cell (ST\_INCLP2W2111OF4X7)  
623 **incr** nclp\_cell (ST\_INCLP3W211OF3X13)  
624 **incr** nclp\_cell (ST\_INCLP5W2211OF4X7)  
625 **incr** nclp\_cell (ST\_NCLP1W11OF2X7)  
626 **incr** nclp\_cell (ST\_NCLP3W111OF3X9)  
627 **incr** nclp\_cell (ST\_INCLPAO22OF4X13)  
628 **incr** nclp\_cell (ST\_INCLP1W11OF2X13)  
629 **incr** nclp\_cell (ST\_NCLP4W2111OF4X9)  
630 **incr** nclp\_cell (ST\_NCLP2W2111OF4X9)  
631 **incr** nclp\_cell (ST\_NCLP2W11OF2X9)  
632 **incr** nclp\_cell (ST\_NCLP2W211OF3X9)  
633 **incr** nclp\_cell (ST\_NCLP2W2211OF4X7)  
634 **incr** nclp\_cell (ST\_INCLP2W11OF2X7)  
635 **incr** nclp\_cell (ST\_NCLP2W2111OF4X2)  
636 **incr** nclp\_cell (ST\_NCLP3W3111OF4X7)  
637 **incr** nclp\_cell (ST\_NCLP3W3111OF4X9)  
638 **incr** nclp\_cell (ST\_INCLP4W3221OF4X4)  
639 **incr** nclp\_cell (ST\_INCLP5W2211OF4X9)  
640 **incr** nclp\_cell (ST\_INCLP5W3221OF4X4)  
641 **incr** nclp\_cell (ST\_INCLP1W11OF2X27)  
642 **incr** nclp\_cell (ST\_NCLP1W111OF3X13)  
643 **incr** nclp\_cell (ST\_NCLP3W211OF3X18)  
644 **incr** nclp\_cell (ST\_NCLP2W2211OF4X2)  
645 **incr** nclp\_cell (ST\_INCLP3W211OF3X27)  
646 **incr** nclp\_cell (ST\_NCLP5W3221OF4X2)  
647 **incr** nclp\_cell (ST\_INCLP5W3221OF4X2)  
648 **incr** nclp\_cell (ST\_INCLP5W2211OF4X4)  
649 **incr** nclp\_cell (ST\_INCLP4W3221OF4X9)  
650 **incr** nclp\_cell (ST\_INCLP4W1111OF4X7)  
651 **incr** nclp\_cell (ST\_NCLP5W2321OF4X7)  
652 **incr** nclp\_cell (ST\_NCLP2W2111OF4X7)  
653 **incr** nclp\_cell (ST\_NCLP1W11OF2X13)  
654 **incr** nclp\_cell (ST\_INCLP3W111OF3X9)  
655 **incr** nclp\_cell (ST\_INCLPAO22OF4X9)  
656 **incr** nclp\_cell (ST\_NCLP2W2111OF4X4)  
657 **incr** nclp\_cell (ST\_NCLP5W2211OF4X9)  
658 **incr** nclp\_cell (ST\_INCLP3W1111OF4X4)  
659 **incr** nclp\_cell (ST\_INCLP3W2111OF4X9)  
660 **incr** nclp\_cell (ST\_INCLP4W3111OF4X2)  
661 **incr** nclp\_cell (ST\_INCLP3W2211OF4X4)  
662 **incr** nclp\_cell (ST\_INCLP5W2211OF4X13)  
663 **incr** nclp\_cell (ST\_NCLP1W11OF2X9)  
664 **incr** nclp\_cell (ST\_INCLP3W3211OF4X18)

665 **incr** nclp\_cell (ST\_INCLP3W3211OF4X4)  
666 **incr** nclp\_cell (ST\_NCLPOA22OF4X13)  
667 **incr** nclp\_cell (ST\_INCLP4W3111OF4X9)  
668 **incr** nclp\_cell (ST\_INCLP4W2111OF4X13)  
669 **incr** nclp\_cell (ST\_NCLP1W11OF2X2)  
670 **incr** nclp\_cell (ST\_NCLP4W2111OF4X4)  
671 **incr** nclp\_cell (ST\_NCLP5W2211OF4X4)  
672 **incr** nclp\_cell (ST\_NCLP2W111OF3X4)  
673 **incr** nclp\_cell (ST\_NCLPAO22OF4X2)  
674 **incr** nclp\_cell (ST\_INCLP3W111OF3X7)  
675 **incr** nclp\_cell (ST\_NCLP3W3211OF4X7)  
676 **incr** nclp\_cell (ST\_NCLP3W111OF3X4)  
677 **incr** nclp\_cell (ST\_INCLP5W2211OF4X2)  
678 **incr** nclp\_cell (ST\_NCLP5W3211OF4X13)  
679 **incr** nclp\_cell (ST\_NCLP1W1111OF4X2)  
680 **incr** nclp\_cell (ST\_NCLP3W1111OF4X2)  
681 **incr** nclp\_cell (ST\_NCLP3W1111OF4X4)  
682 **incr** nclp\_cell (ST\_NCLP4W3111OF4X13)  
683 **incr** nclp\_cell (ST\_INCLP2W2111OF4X2)  
684 **incr** nclp\_cell (ST\_INCLP2W211OF3X27)  
685 **incr** nclp\_cell (ST\_INCLP5W2321OF4X7)  
686 **incr** nclp\_cell (ST\_NCLP5W3221OF4X13)  
687 **incr** nclp\_cell (SY\_INCLP2W11OF2X18)  
688 **incr** nclp\_cell (ST\_NCLP5W3211OF4X7)  
689 **incr** nclp\_cell (ST\_INCLP3W111OF3X18)  
690 **incr** nclp\_cell (ST\_INCLP2W1111OF4X4)  
691 **incr** nclp\_cell (ST\_INCLP3W2111OF4X4)  
692 **incr** nclp\_cell (ST\_INCLP4W2211OF4X13)  
693 **incr** nclp\_cell (ST\_NCLP1W11OF2X18)  
694 **incr** nclp\_cell (ST\_INCLPOA22OF4X7)  
695 **incr** nclp\_cell (ST\_INCLP3W3211OF4X2)  
696 **incr** nclp\_cell (ST\_NCLP2W11OF2X7)  
697 **incr** nclp\_cell (ST\_NCLP2W211OF3X7)  
698 **incr** nclp\_cell (ST\_NCLP3W3211OF4X9)  
699 **incr** nclp\_cell (ST\_INCLP1W11OF2X9)  
700 **incr** nclp\_cell (ST\_INCLP3W3211OF4X7)  
701 **incr** nclp\_cell (ST\_INCLP1W11OF2X4)  
702 **incr** nclp\_cell (ST\_INCLP1W1111OF4X7)  
703 **incr** nclp\_cell (ST\_INCLP2W11OF2X22)  
704 **incr** nclp\_cell (ST\_INCLP1W111OF3X4)  
705 **incr** nclp\_cell (ST\_INCLP4W1111OF4X2)  
706 **incr** nclp\_cell (ST\_INCLP3W1111OF4X2)  
707 **incr** nclp\_cell (ST\_NCLP2W11OF2X4)  
708 **incr** nclp\_cell (ST\_NCLP4W2111OF4X13)  
709 **incr** nclp\_cell (ST\_NCLP4W3221OF4X2)  
710 **incr** nclp\_cell (ST\_NCLP3W111OF3X13)  
711 **incr** nclp\_cell (SY\_NCLP2W11OF2X4)  
712 **incr** nclp\_cell (ST\_NCLP2W111OF3X7)

713 **incr** nclp\_cell (ST\_NCLP1W111OF3X7)  
714 **incr** nclp\_cell (ST\_NCLP4W2211OF4X7)  
715 **incr** nclp\_cell (ST\_INCLP2W211OF3X18)  
716 **incr** nclp\_cell (ST\_NCLPAO22OF4X4)  
717 **incr** nclp\_cell (ST\_NCLP4W3221OF4X7)  
718 **incr** nclp\_cell (ST\_INCLP5W3221OF4X13)  
719 **incr** nclp\_cell (ST\_INCLP3W2111OF4X13)  
720 **incr** nclp\_cell (ST\_INCLP3W3111OF4X2)  
721 **incr** nclp\_cell (ST\_NCLP5W2321OF4X13)  
722 **incr** nclp\_cell (ST\_INCLPOA22OF4X9)  
723 **incr** nclp\_cell (ST\_INCLP1W111OF3X7)  
724 **incr** nclp\_cell (ST\_NCLP4W2211OF4X2)  
725 **incr** nclp\_cell (ST\_NCLP5W2321OF4X9)  
726 **incr** nclp\_cell (ST\_INCLPAO22OF4X4)  
727 **incr** nclp\_cell (ST\_NCLP3W3111OF4X4)  
728 **incr** nclp\_cell (ST\_INCLP2W1111OF4X13)  
729 **incr** nclp\_cell (ST\_INCLP5W3221OF4X9)  
730 **incr** nclp\_cell (ST\_NCLP1W1111OF4X7)  
731 **incr** nclp\_cell (ST\_NCLP4W1111OF4X13)  
732 **incr** nclp\_cell (SY\_INCLP2W11OF2X13)  
733 **incr** nclp\_cell (ST\_INCLPAO22OF4X2)  
734 **incr** nclp\_cell (ST\_NCLP2W1111OF4X9)  
735 **incr** nclp\_cell (ST\_NCLP3W2211OF4X4)  
736 **incr** nclp\_cell (ST\_NCLP4W3111OF4X4)  
737 **incr** nclp\_cell (ST\_INCLP4W2111OF4X4)  
738 **incr** nclp\_cell (ST\_NCLP3W1111OF3X7)  
739 **incr** nclp\_cell (ST\_INCLPAO22OF4X7)  
740 **incr** nclp\_cell (ST\_NCLP4W2211OF4X13)  
741 **incr** nclp\_cell (ST\_NCLP2W11OF2X13)  
742 **incr** nclp\_cell (ST\_INCLP3W211OF3X2)  
743 **incr** nclp\_cell (ST\_INCLP2W111OF3X9)  
744 **incr** nclp\_cell (ST\_INCLP4W2211OF4X7)  
745 **incr** nclp\_cell (ST\_INCLP4W3221OF4X2)  
746 **incr** nclp\_cell (ST\_NCLP3W211OF3X9)  
747 **incr** nclp\_cell (ST\_INCLP4W3221OF4X7)  
748 **incr** nclp\_cell (ST\_NCLP3W2111OF4X7)  
749 **incr** nclp\_cell (ST\_INCLP2W111OF3X13)  
750 **incr** nclp\_cell (ST\_NCLP4W3111OF4X9)  
751 **incr** nclp\_cell (ST\_INCLP2W2211OF4X9)  
752 **incr** nclp\_cell (SY\_INCLP2W11OF2X9)  
753 **incr** nclp\_cell (ST\_INCLP1W111OF3X9)  
754 **incr** nclp\_cell (ST\_NCLP1W11OF2X4)  
755 **incr** nclp\_cell (ST\_NCLPOA22OF4X4)  
756 **incr** nclp\_cell (ST\_INCLP1W1111OF4X18)  
757 **incr** nclp\_cell (ST\_INCLPOA22OF4X13)  
758 **incr** nclp\_cell (ST\_INCLP2W2211OF4X13)  
759 **incr** nclp\_cell (ST\_NCLP1W1111OF4X4)  
760 **incr** nclp\_cell (ST\_NCLP1W111OF3X18)

761 **incr** nclp\_cell (ST\_INCLPOA22OF4X4)  
762 **incr** nclp\_cell (ST\_NCLPAO2O21OF4X2)  
763 **incr** nclp\_cell (ST\_NCLP2W2211OF4X4)  
764 **incr** nclp\_cell (ST\_NCLP3W1111OF4X9)  
765 **incr** nclp\_cell (ST\_NCLP3W2111OF4X13)  
766 **incr** nclp\_cell (ST\_INCLP2W11OF2X18)  
767 **incr** nclp\_cell (ST\_NCLP5W3211OF4X9)  
768 **incr** nclp\_cell (ST\_INCLP5W3211OF4X9)  
769 **incr** nclp\_cell (ST\_INCLP3W211OF3X18)  
770 **incr** nclp\_cell (ST\_NCLP5W2211OF4X2)  
771 **incr** nclp\_cell (ST\_INCLP3W2211OF4X2)  
772 **incr** nclp\_cell (ST\_NCLP4W3221OF4X13)  
773 **incr** nclp\_cell (ST\_INCLP2W2211OF4X2)  
774 **incr** nclp\_cell (ST\_NCLPAO22OF4X7)  
775 **incr** nclp\_cell (ST\_NCLP2W1111OF4X13)  
776 **incr** nclp\_cell (ST\_INCLP3W3111OF4X7)  
777 **incr** nclp\_cell (ST\_NCLP3W1111OF4X13)  
778 **incr** nclp\_cell (ST\_NCLP3W2211OF4X13)  
779 **incr** nclp\_cell (ST\_NCLPOA22OF4X7)  
780 **incr** nclp\_cell (SY\_INCLP2W11OF2X4)  
781 **incr** nclp\_cell (ST\_NCLP1W1111OF4X18)  
782 **incr** nclp\_cell (ST\_NCLP2W211OF3X13)  
783 **incr** nclp\_cell (ST\_NCLP1W111OF3X4)  
784 **incr** nclp\_cell (ST\_NCLP2W11OF2X2)  
785 **incr** nclp\_cell (ST\_INCLP1W1111OF4X13)  
786 **incr** nclp\_cell (ST\_INCLP3W2211OF4X7)  
787 **incr** nclp\_cell (ST\_NCLP1W111OF3X9)  
788 **incr** nclp\_cell (ST\_INCLP4W3111OF4X7)  
789 **incr** nclp\_cell (ST\_NCLP5W2321OF4X2)  
790 **incr** nclp\_cell (ST\_INCLP2W111OF3X22)  
791 **incr** nclp\_cell (ST\_INCLP2W211OF3X9)  
792 **incr** nclp\_cell (ST\_INCLP4W1111OF4X4)  
793 **incr** nclp\_cell (ST\_INCLP3W3111OF4X9)  
794 **incr** nclp\_cell (ST\_NCLP5W2321OF4X4)  
795 **incr** nclp\_cell (ST\_INCLP5W2321OF4X2)  
796 **incr** nclp\_cell (ST\_INCLP2W211OF3X7)  
797 **incr** nclp\_cell (ST\_NCLP4W1111OF4X2)  
798 **incr** nclp\_cell (ST\_NCLP2W1111OF4X2)  
799 **incr** nclp\_cell (ST\_INCLP3W3211OF4X9)  
800 **incr** nclp\_cell (ST\_INCLP3W3111OF4X18)  
801 **incr** nclp\_cell (ST\_NCLP4W2111OF4X7)  
802 **incr** nclp\_cell (ST\_NCLP4W3221OF4X9)  
803 **incr** nclp\_cell (ST\_INCLP2W111OF3X7)  
804 **incr** nclp\_cell (ST\_INCLP1W11OF2X2)  
805 **incr** nclp\_cell (ST\_NCLP5W3221OF4X4)  
806 **incr** nclp\_cell (ST\_NCLPAO22OF4X9)  
807 **incr** nclp\_cell (ST\_INCLP2W11OF2X4)  
808 **incr** nclp\_cell (ST\_NCLP5W3221OF4X7)

809 **incr** nclp\_cell (ST\_NCLP2W2211OF4X9)  
810 **incr** nclp\_cell (ST\_INCLP3W1111OF4X9)  
811 **incr** nclp\_cell (ST\_NCLP3W1111OF3X18)  
812 **incr** nclp\_cell (SY\_INCLP2W11OF2X7)  
813 **incr** nclp\_cell (ST\_NCLP3W2111OF4X4)  
814 **incr** nclp\_cell (ST\_NCLP5W3211OF4X2)  
815 **incr** nclp\_cell (ST\_NCLP3W3211OF4X2)  
816 **incr** nclp\_cell (ST\_NCLP5W3211OF4X4)  
817 **incr** nclp\_cell (ST\_NCLP3W1111OF4X7)  
818 **incr** nclp\_cell (ST\_NCLP3W2111OF3X13)  
819 **incr** nclp\_cell (ST\_NCLP3W2111OF3X4)  
820 **incr** nclp\_cell (ST\_INCLP3W3211OF4X13)  
821 **incr** nclp\_cell (ST\_INCLP1W1111OF3X2)  
822 **incr** nclp\_cell (ST\_NCLP4W3111OF4X2)  
823 **incr** nclp\_cell (ST\_INCLP3W3111OF4X13)  
824 **incr** nclp\_cell (ST\_NCLPAO2O21OF4X4)  
825 **incr** nclp\_cell (ST\_INCLP2W11OF2X13)  
826 **incr** nclp\_cell (ST\_INCLP3W1111OF3X4)  
827 **incr** nclp\_cell (ST\_INCLP3W2111OF3X4)  
828 **incr** nclp\_cell (ST\_NCLP5W2211OF4X7)  
829 **incr** nclp\_cell (ST\_INCLP4W3221OF4X13)  
830 **incr** nclp\_cell (ST\_INCLP5W3221OF4X7)  
831 **incr** nclp\_cell (ST\_INCLP2W2211OF4X4)  
832 **incr** nclp\_cell (SY\_NCLP2W11OF2X9)  
833 **incr** nclp\_cell (ST\_INCLPOA22OF4X2)  
834 **incr** nclp\_cell (ST\_NCLP3W1111OF3X2)  
835 **incr** nclp\_cell (ST\_NCLP2W1111OF4X4)  
836 **incr** nclp\_cell (ST\_NCLPAO2O21OF4X13)  
837 **incr** nclp\_cell (SY\_NCLP2W11OF2X13)  
838 **incr** nclp\_cell (ST\_INCLP2W2111OF3X4)  
839 **incr** nclp\_cell (ST\_NCLP3W2111OF4X9)  
840 **incr** nclp\_cell (ST\_INCLP5W3211OF4X2)  
841 **incr** nclp\_cell (ST\_INCLP3W2111OF3X7)  
842 **incr** nclp\_cell (ST\_NCLP4W2211OF4X4)  
843 **incr** nclp\_cell (ST\_INCLP3W2111OF4X7)  
844 **incr** nclp\_cell (ST\_NCLP1W1111OF4X13)  
845 **incr** nclp\_cell (ST\_NCLP2W1111OF4X7)  
846 **incr** nclp\_cell (ST\_NCLP2W2111OF3X2)  
847 **incr** nclp\_cell (ST\_NCLP3W2111OF3X2)  
848 **incr** nclp\_cell (ST\_NCLP3W3111OF4X2)  
849 **incr** nclp\_cell (ST\_INCLP4W3111OF4X4)  
850 **incr** nclp\_cell (ST\_INCLP1W1111OF4X2)  
851 **incr** nclp\_cell (ST\_INCLP2W2211OF4X7)  
852 **incr** nclp\_cell (ST\_INCLP4W2111OF4X2)  
853 **incr** nclp\_cell (ST\_NCLP3W2111OF3X7)  
854 **incr** nclp\_cell (ST\_NCLP5W2211OF4X13)  
855 **incr** nclp\_cell (SY\_NCLP2W11OF2X2)  
856 **incr** nclp\_cell (ST\_INCLP2W2111OF3X22)

857 **incr** nclp\_cell (ST\_INCLP3W111OF3X13)  
858 **incr** nclp\_cell (ST\_INCLP2W2111OF4X9)  
859 **incr** nclp\_cell (ST\_NCLP2W2111OF4X13)  
860 **incr** nclp\_cell (ST\_INCLP2W1111OF4X2)  
861 **incr** nclp\_cell (ST\_INCLP2W111OF3X18)  
862 **incr** nclp\_cell (ST\_NCLP2W211OF3X18)  
863 **incr** nclp\_cell (ST\_INCLP3W211OF3X9)  
864 **incr** nclp\_cell (ST\_NCLP3W2211OF4X2)  
865 **incr** nclp\_cell (ST\_NCLP4W3221OF4X4)  
866 **incr** nclp\_cell (ST\_INCLP4W2211OF4X9)  
867 **incr** ncl\_cell (ST\_INCL3W111OF3X4)  
868 **incr** ncl\_cell (ST\_INCL2W211OF3X31)  
869 **incr** ncl\_cell (ST\_INCL4W2321OF4X9)  
870 **incr** ncl\_cell (ST\_NCL2W11OF2X13)  
871 **incr** ncl\_cell (ST\_NCL2W111OF3X13)  
872 **incr** ncl\_cell (ST\_NCL3W2211OF4X13)  
873 **incr** ncl\_cell (ST\_INCL5W2211OF4X4)  
874 **incr** ncl\_cell (ST\_INCL3W1111OF4X9)  
875 **incr** ncl\_cell (ST\_INCL1W11OF2X4)  
876 **incr** ncl\_cell (ST\_NCL3W2211OF4X2)  
877 **incr** ncl\_cell (ST\_NCL3W3111OF4X4)  
878 **incr** ncl\_cell (ST\_INCL2W2211OF4X18)  
879 **incr** ncl\_cell (ST\_INCL3W2211OF4X9)  
880 **incr** ncl\_cell (ST\_NCLOA22OF4X7)  
881 **incr** ncl\_cell (ST\_NCL2W2111OF4X9)  
882 **incr** ncl\_cell (ST\_INCL3W1111OF4X4)  
883 **incr** ncl\_cell (ST\_NCLAO22OF4X4)  
884 **incr** ncl\_cell (SY\_INCL2W11OF2X13)  
885 **incr** ncl\_cell (ST\_NCL5W3211OF4X7)  
886 **incr** ncl\_cell (ST\_INCL3W111OF3X9)  
887 **incr** ncl\_cell (SY\_NCL2W11OF2X2)  
888 **incr** ncl\_cell (ST\_INCL2W111OF3X4)  
889 **incr** ncl\_cell (ST\_NCL4W2211OF4X2)  
890 **incr** ncl\_cell (ST\_NCL3W2111OF4X2)  
891 **incr** ncl\_cell (ST\_NCL4W2321OF4X7)  
892 **incr** ncl\_cell (ST\_INCL4W3111OF4X4)  
893 **incr** ncl\_cell (ST\_NCL3W2211OF4X9)  
894 **incr** ncl\_cell (ST\_INCL3W3211OF4X7)  
895 **incr** ncl\_cell (ST\_INCL5W3211OF4X13)  
896 **incr** ncl\_cell (ST\_NCL1W1111OF4X2)  
897 **incr** ncl\_cell (ST\_NCL3W111OF3X2)  
898 **incr** ncl\_cell (ST\_NCL3W3211OF4X4)  
899 **incr** ncl\_cell (ST\_INCL4W2111OF4X9)  
900 **incr** ncl\_cell (ST\_INCL2W111OF3X13)  
901 **incr** ncl\_cell (ST\_INCL4W1111OF4X4)  
902 **incr** ncl\_cell (ST\_NCL4W2111OF4X13)  
903 **incr** ncl\_cell (ST\_INCL2W2211OF4X7)  
904 **incr** ncl\_cell (ST\_INCL5W2211OF4X18)

905 **incr** ncl\_cell (ST\_INCL2W211OF3X9)  
906 **incr** ncl\_cell (ST\_INCL2W2211OF4X4)  
907 **incr** ncl\_cell (ST\_NCL1W11OF2X2)  
908 **incr** ncl\_cell (ST\_NCL3W2211OF4X7)  
909 **incr** ncl\_cell (ST\_NCLOA22OF4X4)  
910 **incr** ncl\_cell (ST\_INCL3W2211OF4X2)  
911 **incr** ncl\_cell (ST\_NCL3W3111OF4X13)  
912 **incr** ncl\_cell (ST\_NCL4W1111OF4X2)  
913 **incr** ncl\_cell (ST\_NCL5W3221OF4X4)  
914 **incr** ncl\_cell (ST\_INCL5W3221OF4X7)  
915 **incr** ncl\_cell (ST\_INCL4W3111OF4X13)  
916 **incr** ncl\_cell (ST\_INCL4W3111OF4X18)  
917 **incr** ncl\_cell (ST\_NCL3W1111OF4X13)  
918 **incr** ncl\_cell (ST\_INCL3W211OF3X18)  
919 **incr** ncl\_cell (ST\_INCL3W211OF3X2)  
920 **incr** ncl\_cell (ST\_INCL2W2211OF4X13)  
921 **incr** ncl\_cell (ST\_INCL3W2211OF4X4)  
922 **incr** ncl\_cell (ST\_NCL3W211OF3X18)  
923 **incr** ncl\_cell (ST\_NCL2W211OF3X13)  
924 **incr** ncl\_cell (ST\_NCL3W3111OF4X9)  
925 **incr** ncl\_cell (ST\_INCL4W3221OF4X7)  
926 **incr** ncl\_cell (SY\_NCL2W11OF2X13)  
927 **incr** ncl\_cell (ST\_INCL4W2321OF4X13)  
928 **incr** ncl\_cell (ST\_INCL2W2111OF4X13)  
929 **incr** ncl\_cell (ST\_INCLAO22OF4X18)  
930 **incr** ncl\_cell (ST\_INCL3W3111OF4X13)  
931 **incr** ncl\_cell (ST\_INCL3W111OF3X13)  
932 **incr** ncl\_cell (ST\_INCL4W2111OF4X2)  
933 **incr** ncl\_cell (ST\_INCL2W2211OF4X31)  
934 **incr** ncl\_cell (ST\_INCL4W3111OF4X7)  
935 **incr** ncl\_cell (ST\_NCL1W111OF3X4)  
936 **incr** ncl\_cell (ST\_NCL5W3211OF4X4)  
937 **incr** ncl\_cell (ST\_INCLAO22OF4X18)  
938 **incr** ncl\_cell (ST\_NCL2W211OF3X2)  
939 **incr** ncl\_cell (ST\_INCL2W2111OF4X4)  
940 **incr** ncl\_cell (ST\_NCL2W211OF3X9)  
941 **incr** ncl\_cell (ST\_INCL2W111OF3X2)  
942 **incr** ncl\_cell (ST\_INCL4W3221OF4X4)  
943 **incr** ncl\_cell (ST\_NCLAO21O2OF4X13)  
944 **incr** ncl\_cell (SY\_INCL2W11OF2X9)  
945 **incr** ncl\_cell (ST\_INCL3W111OF3X2)  
946 **incr** ncl\_cell (ST\_INCL2W2211OF4X9)  
947 **incr** ncl\_cell (ST\_NCL4W2111OF4X7)  
948 **incr** ncl\_cell (ST\_INCL3W1111OF4X7)  
949 **incr** ncl\_cell (ST\_INCL4W3111OF4X22)  
950 **incr** ncl\_cell (ST\_INCL1W1111OF4X2)  
951 **incr** ncl\_cell (ST\_INCL2W11OF2X22)  
952 **incr** ncl\_cell (ST\_INCL5W2211OF4X7)

953 **incr** ncl\_cell (ST\_INCL5W3211OF4X4)  
954 **incr** ncl\_cell (ST\_NCL2W11OF2X4)  
955 **incr** ncl\_cell (ST\_INCL3W2211OF4X7)  
956 **incr** ncl\_cell (ST\_INCL3W2211OF4X9)  
957 **incr** ncl\_cell (ST\_NCL4W3111OF4X13)  
958 **incr** ncl\_cell (ST\_INCL3W3211OF4X31)  
959 **incr** ncl\_cell (ST\_NCL4W3111OF4X4)  
960 **incr** ncl\_cell (ST\_INCL3W2111OF4X13)  
961 **incr** ncl\_cell (ST\_NCL4W3221OF4X9)  
962 **incr** ncl\_cell (ST\_INCL2W1111OF4X13)  
963 **incr** ncl\_cell (ST\_INCL3W3211OF4X22)  
964 **incr** ncl\_cell (ST\_NCL2W11OF2X7)  
965 **incr** ncl\_cell (ST\_NCL3W1111OF3X13)  
966 **incr** ncl\_cell (SY\_INCL2W11OF2X7)  
967 **incr** ncl\_cell (ST\_NCL2W1111OF4X9)  
968 **incr** ncl\_cell (ST\_INCL3W1111OF3X31)  
969 **incr** ncl\_cell (ST\_NCL3W1111OF3X31)  
970 **incr** ncl\_cell (ST\_INCL3W3111OF4X7)  
971 **incr** ncl\_cell (ST\_INCL2W2211OF4X2)  
972 **incr** ncl\_cell (ST\_NCL5W3221OF4X9)  
973 **incr** ncl\_cell (ST\_INCL5W2211OF4X2)  
974 **incr** ncl\_cell (ST\_NCL2W2111OF4X4)  
975 **incr** ncl\_cell (ST\_NCL3W3211OF4X13)  
976 **incr** ncl\_cell (ST\_NCL4W2111OF4X9)  
977 **incr** ncl\_cell (ST\_NCL4W3111OF4X2)  
978 **incr** ncl\_cell (ST\_NCL1W1111OF4X18)  
979 **incr** ncl\_cell (ST\_INCLAO22OF4X13)  
980 **incr** ncl\_cell (ST\_INCLAO22OF4X4)  
981 **incr** ncl\_cell (ST\_NCL3W211OF3X13)  
982 **incr** ncl\_cell (ST\_INCL4W2211OF4X4)  
983 **incr** ncl\_cell (ST\_INCL1W1111OF3X2)  
984 **incr** ncl\_cell (ST\_INCL4W3221OF4X13)  
985 **incr** ncl\_cell (ST\_NCL3W3111OF4X2)  
986 **incr** ncl\_cell (ST\_NCL3W211OF3X9)  
987 **incr** ncl\_cell (ST\_NCL4W2211OF4X7)  
988 **incr** ncl\_cell (ST\_NCL5W3221OF4X13)  
989 **incr** ncl\_cell (ST\_NCL4W1111OF4X9)  
990 **incr** ncl\_cell (ST\_INCL4W2211OF4X7)  
991 **incr** ncl\_cell (ST\_NCL5W3211OF4X2)  
992 **incr** ncl\_cell (ST\_INCL3W2111OF4X4)  
993 **incr** ncl\_cell (ST\_NCLAO22OF4X2)  
994 **incr** ncl\_cell (ST\_INCL1W1111OF3X9)  
995 **incr** ncl\_cell (ST\_INCL5W2211OF4X13)  
996 **incr** ncl\_cell (ST\_INCL3W3111OF4X18)  
997 **incr** ncl\_cell (ST\_NCL3W1111OF4X7)  
998 **incr** ncl\_cell (SY\_NCL2W11OF2X18)  
999 **incr** ncl\_cell (ST\_INCL2W11OF2X13)  
1000 **incr** ncl\_cell (ST\_INCL3W211OF3X4)



1001 **incr** ncl\_cell (ST\_INCL3W3111OF4X31)  
1002 **incr** ncl\_cell (ST\_INCL4W3221OF4X9)  
1003 **incr** ncl\_cell (ST\_INCL1W1111OF3X18)  
1004 **incr** ncl\_cell (ST\_INCL1W111OF2X13)  
1005 **incr** ncl\_cell (ST\_NCL1W1111OF3X13)  
1006 **incr** ncl\_cell (ST\_INCL3W211OF3X7)  
1007 **incr** ncl\_cell (ST\_NCL1W111OF2X7)  
1008 **incr** ncl\_cell (ST\_NCL2W2211OF4X7)  
1009 **incr** ncl\_cell (ST\_NCL2W2211OF4X9)  
1010 **incr** ncl\_cell (ST\_NCL4W1111OF4X4)  
1011 **incr** ncl\_cell (ST\_NCL4W3221OF4X4)  
1012 **incr** ncl\_cell (ST\_INCL3W3211OF4X9)  
1013 **incr** ncl\_cell (ST\_NCL3W3111OF4X7)  
1014 **incr** ncl\_cell (ST\_INCL2W1111OF4X4)  
1015 **incr** ncl\_cell (ST\_NCL3W2111OF4X13)  
1016 **incr** ncl\_cell (ST\_INCL5W3211OF4X7)  
1017 **incr** ncl\_cell (ST\_NCL3W1111OF3X18)  
1018 **incr** ncl\_cell (ST\_NCL1W1111OF3X7)  
1019 **incr** ncl\_cell (ST\_NCLAO21O2OF4X4)  
1020 **incr** ncl\_cell (ST\_INCL2W111OF2X31)  
1021 **incr** ncl\_cell (ST\_INCL3W2111OF4X7)  
1022 **incr** ncl\_cell (ST\_INCL1W1111OF4X4)  
1023 **incr** ncl\_cell (ST\_INCL2W2111OF4X9)  
1024 **incr** ncl\_cell (ST\_INCL2W111OF3X9)  
1025 **incr** ncl\_cell (ST\_INCL5W3221OF4X2)  
1026 **incr** ncl\_cell (ST\_INCLAO22OF4X4)  
1027 **incr** ncl\_cell (ST\_INCLAO22OF4X2)  
1028 **incr** ncl\_cell (ST\_NCL5W3211OF4X9)  
1029 **incr** ncl\_cell (ST\_NCL3W211OF3X2)  
1030 **incr** ncl\_cell (ST\_INCL3W3211OF4X4)  
1031 **incr** ncl\_cell (ST\_INCL3W211OF3X9)  
1032 **incr** ncl\_cell (ST\_NCL2W1111OF3X7)  
1033 **incr** ncl\_cell (ST\_INCL1W1111OF3X7)  
1034 **incr** ncl\_cell (ST\_INCL4W2321OF4X7)  
1035 **incr** ncl\_cell (ST\_NCL1W1111OF4X7)  
1036 **incr** ncl\_cell (ST\_NCL2W2111OF4X13)  
1037 **incr** ncl\_cell (ST\_INCL5W2211OF4X9)  
1038 **incr** ncl\_cell (ST\_INCL4W2211OF4X9)  
1039 **incr** ncl\_cell (ST\_NCL4W2321OF4X9)  
1040 **incr** ncl\_cell (ST\_INCL1W111OF2X18)  
1041 **incr** ncl\_cell (ST\_NCL4W3221OF4X13)  
1042 **incr** ncl\_cell (ST\_NCL3W1111OF3X7)  
1043 **incr** ncl\_cell (ST\_INCL4W2321OF4X2)  
1044 **incr** ncl\_cell (ST\_NCL4W2211OF4X9)  
1045 **incr** ncl\_cell (ST\_INCL4W2111OF4X4)  
1046 **incr** ncl\_cell (ST\_NCL1W1111OF3X18)  
1047 **incr** ncl\_cell (ST\_INCL3W3211OF4X2)  
1048 **incr** ncl\_cell (ST\_INCL2W1111OF4X2)

1049 **incr** ncl\_cell (ST\_NCL4W3111OF4X9)  
1050 **incr** ncl\_cell (ST\_INCL1W11OF2X9)  
1051 **incr** ncl\_cell (ST\_NCLAO21O2OF4X9)  
1052 **incr** ncl\_cell (ST\_NCL3W111OF3X4)  
1053 **incr** ncl\_cell (ST\_INCL4W2111OF4X13)  
1054 **incr** ncl\_cell (ST\_INCL1W1111OF4X9)  
1055 **incr** ncl\_cell (ST\_NCL2W2211OF4X2)  
1056 **incr** ncl\_cell (ST\_NCL3W2111OF4X7)  
1057 **incr** ncl\_cell (ST\_INCLAO22OF4X2)  
1058 **incr** ncl\_cell (ST\_INCL3W3211OF4X18)  
1059 **incr** ncl\_cell (ST\_INCL1W111OF3X13)  
1060 **incr** ncl\_cell (ST\_NCL3W1111OF4X9)  
1061 **incr** ncl\_cell (ST\_NCL4W3221OF4X2)  
1062 **incr** ncl\_cell (ST\_NCL4W3111OF4X7)  
1063 **incr** ncl\_cell (SY\_INCL2W11OF2X18)  
1064 **incr** ncl\_cell (ST\_INCL5W3211OF4X22)  
1065 **incr** ncl\_cell (ST\_INCL2W2111OF4X7)  
1066 **incr** ncl\_cell (ST\_INCL2W111OF3X18)  
1067 **incr** ncl\_cell (ST\_INCL3W211OF3X13)  
1068 **incr** ncl\_cell (ST\_NCL3W3211OF4X7)  
1069 **incr** ncl\_cell (ST\_NCL2W11OF2X9)  
1070 **incr** ncl\_cell (ST\_INCL2W1111OF4X7)  
1071 **incr** ncl\_cell (ST\_INCLAO22OF4X7)  
1072 **incr** ncl\_cell (ST\_INCL2W111OF3X7)  
1073 **incr** ncl\_cell (ST\_INCL5W3211OF4X2)  
1074 **incr** ncl\_cell (ST\_NCL1W111OF3X9)  
1075 **incr** ncl\_cell (ST\_INCL3W2111OF4X2)  
1076 **incr** ncl\_cell (ST\_NCL3W2111OF4X4)  
1077 **incr** ncl\_cell (ST\_INCL4W3221OF4X2)  
1078 **incr** ncl\_cell (ST\_INCL5W3211OF4X9)  
1079 **incr** ncl\_cell (ST\_NCL3W211OF3X7)  
1080 **incr** ncl\_cell (ST\_INCL2W211OF3X13)  
1081 **incr** ncl\_cell (ST\_INCLAO22OF4X13)  
1082 **incr** ncl\_cell (ST\_INCL1W1111OF4X18)  
1083 **incr** ncl\_cell (ST\_INCLAO22OF4X9)  
1084 **incr** ncl\_cell (ST\_NCL3W2211OF4X4)  
1085 **incr** ncl\_cell (ST\_NCLAO22OF4X13)  
1086 **incr** ncl\_cell (ST\_NCL2W2111OF4X7)  
1087 **incr** ncl\_cell (ST\_NCL1W11OF2X13)  
1088 **incr** ncl\_cell (ST\_INCL1W1111OF4X13)  
1089 **incr** ncl\_cell (ST\_INCL3W111OF3X18)  
1090 **incr** ncl\_cell (ST\_INCL5W3221OF4X4)  
1091 **incr** ncl\_cell (ST\_NCL3W1111OF4X4)  
1092 **incr** ncl\_cell (SY\_NCL2W11OF2X4)  
1093 **incr** ncl\_cell (ST\_INCL5W2211OF4X22)  
1094 **incr** ncl\_cell (ST\_INCL3W111OF3X7)  
1095 **incr** ncl\_cell (ST\_NCLAO21O2OF4X2)  
1096 **incr** ncl\_cell (SY\_INCL2W11OF2X2)

1097 **incr** ncl\_cell (ST\_INCL3W3111OF4X2)  
1098 **incr** ncl\_cell (ST\_NCLOA22OF4X9)  
1099 **incr** ncl\_cell (ST\_INCL4W1111OF4X2)  
1100 **incr** ncl\_cell (ST\_NCL5W2211OF4X9)  
1101 **incr** ncl\_cell (ST\_NCL5W3221OF4X7)  
1102 **incr** ncl\_cell (ST\_NCL2W1111OF3X2)  
1103 **incr** ncl\_cell (ST\_NCL4W1111OF4X13)  
1104 **incr** ncl\_cell (ST\_INCL4W2111OF4X7)  
1105 **incr** ncl\_cell (ST\_INCL4W2211OF4X2)  
1106 **incr** ncl\_cell (ST\_INCL1W1111OF4X31)  
1107 **incr** ncl\_cell (ST\_NCL3W1111OF3X9)  
1108 **incr** ncl\_cell (ST\_INCL1W11OF2X2)  
1109 **incr** ncl\_cell (ST\_NCLAO22OF4X9)  
1110 **incr** ncl\_cell (ST\_NCL1W1111OF4X9)  
1111 **incr** ncl\_cell (ST\_INCL2W211OF3X2)  
1112 **incr** ncl\_cell (ST\_INCL2W211OF3X22)  
1113 **incr** ncl\_cell (ST\_NCL2W211OF3X4)  
1114 **incr** ncl\_cell (ST\_NCL4W2111OF4X2)  
1115 **incr** ncl\_cell (ST\_NCL4W2111OF4X4)  
1116 **incr** ncl\_cell (ST\_INCL1W1111OF4X7)  
1117 **incr** ncl\_cell (ST\_INCL2W11OF2X18)  
1118 **incr** ncl\_cell (ST\_INCL2W2111OF4X2)  
1119 **incr** ncl\_cell (ST\_NCL2W11OF2X2)  
1120 **incr** ncl\_cell (ST\_NCL4W2211OF4X13)  
1121 **incr** ncl\_cell (ST\_NCL2W211OF3X7)  
1122 **incr** ncl\_cell (ST\_NCL3W1111OF4X2)  
1123 **incr** ncl\_cell (ST\_NCL1W11OF2X4)  
1124 **incr** ncl\_cell (ST\_NCL1W11OF2X9)  
1125 **incr** ncl\_cell (ST\_NCL4W2321OF4X4)  
1126 **incr** ncl\_cell (ST\_NCL3W3211OF4X9)  
1127 **incr** ncl\_cell (ST\_NCLAO21O2OF4X7)  
1128 **incr** ncl\_cell (ST\_INCL1W1111OF3X31)  
1129 **incr** ncl\_cell (SY\_NCL2W11OF2X9)  
1130 **incr** ncl\_cell (ST\_NCL5W2211OF4X2)  
1131 **incr** ncl\_cell (ST\_INCL1W11OF2X7)  
1132 **incr** ncl\_cell (ST\_INCL3W2111OF4X9)  
1133 **incr** ncl\_cell (ST\_INCL3W211OF3X31)  
1134 **incr** ncl\_cell (ST\_NCL2W2111OF4X2)  
1135 **incr** ncl\_cell (ST\_INCL4W1111OF4X7)  
1136 **incr** ncl\_cell (ST\_INCL2W11OF2X7)  
1137 **incr** ncl\_cell (ST\_NCL2W1111OF4X13)  
1138 **incr** ncl\_cell (ST\_NCL2W1111OF3X9)  
1139 **incr** ncl\_cell (ST\_INCL2W211OF3X18)  
1140 **incr** ncl\_cell (ST\_INCL3W3111OF4X4)  
1141 **incr** ncl\_cell (ST\_INCL5W3211OF4X18)  
1142 **incr** ncl\_cell (ST\_NCLOA22OF4X7)  
1143 **incr** ncl\_cell (ST\_INCL4W3111OF4X2)  
1144 **incr** ncl\_cell (ST\_NCL2W1111OF4X2)

1145 **incr** ncl\_cell (ST\_NCL2W2211OF4X4)  
1146 **incr** ncl\_cell (ST\_INCL2W211OF3X7)  
1147 **incr** ncl\_cell (ST\_INCL4W1111OF4X9)  
1148 **incr** ncl\_cell (ST\_NCL3W211OF3X4)  
1149 **incr** ncl\_cell (ST\_INCL3W1111OF4X2)  
1150 **incr** ncl\_cell (ST\_NCL5W2211OF4X7)  
1151 **incr** ncl\_cell (SY\_INCL2W11OF2X4)  
1152 **incr** ncl\_cell (ST\_INCL4W3111OF4X9)  
1153 **incr** ncl\_cell (ST\_INCL3W3111OF4X9)  
1154 **incr** ncl\_cell (ST\_NCL2W2211OF4X13)  
1155 **incr** ncl\_cell (ST\_NCL5W3211OF4X13)  
1156 **incr** ncl\_cell (ST\_NCL2W1111OF4X7)  
1157 **incr** ncl\_cell (ST\_NCL2W1111OF3X4)  
1158 **incr** ncl\_cell (ST\_NCL4W1111OF4X7)  
1159 **incr** ncl\_cell (ST\_NCL1W1111OF4X13)  
1160 **incr** ncl\_cell (ST\_NCL5W2211OF4X4)  
1161 **incr** ncl\_cell (ST\_NCL5W3221OF4X2)  
1162 **incr** ncl\_cell (ST\_INCL2W11OF2X4)  
1163 **incr** ncl\_cell (ST\_INCL4W2321OF4X4)  
1164 **incr** ncl\_cell (ST\_NCL1W1111OF3X2)  
1165 **incr** ncl\_cell (ST\_NCLAO22OF4X7)  
1166 **incr** ncl\_cell (ST\_NCL3W3211OF4X2)  
1167 **incr** ncl\_cell (ST\_NCL1W1111OF4X4)  
1168 **incr** ncl\_cell (ST\_INCL1W1111OF3X4)  
1169 **incr** ncl\_cell (ST\_NCL2W1111OF4X4)  
1170 **incr** ncl\_cell (ST\_NCL4W2321OF4X13)  
1171 **incr** orphan\_cell (ST\_INCLPAO2O21OF4X7)  
1172 **incr** orphan\_cell (ST\_INCLPAO2O21OF4X9)  
1173 **incr** orphan\_cell (ST\_INCLPAO2O21OF4X4)  
1174 **incr** orphan\_cell (ST\_INCLP3W3111OF4X4)  
1175 **incr** inverter\_cell (ST\_INCL1W1111OF4X13)  
1176 **incr** inverter\_cell (ST\_INCL1W1111OF4X18)  
1177 **incr** inverter\_cell (ST\_INCL1W1111OF4X2)  
1178 **incr** inverter\_cell (ST\_INCL1W1111OF4X31)  
1179 **incr** inverter\_cell (ST\_INCL1W1111OF4X4)  
1180 **incr** inverter\_cell (ST\_INCL1W1111OF4X7)  
1181 **incr** inverter\_cell (ST\_INCL1W1111OF4X9)  
1182 **incr** inverter\_cell (ST\_INCL1W1111OF3X13)  
1183 **incr** inverter\_cell (ST\_INCL1W1111OF3X18)  
1184 **incr** inverter\_cell (ST\_INCL1W1111OF3X2)  
1185 **incr** inverter\_cell (ST\_INCL1W1111OF3X31)  
1186 **incr** inverter\_cell (ST\_INCL1W1111OF3X4)  
1187 **incr** inverter\_cell (ST\_INCL1W1111OF3X7)  
1188 **incr** inverter\_cell (ST\_INCL1W1111OF3X9)  
1189 **incr** inverter\_cell (ST\_INCL1W11OF2X13)  
1190 **incr** inverter\_cell (ST\_INCL1W11OF2X18)  
1191 **incr** inverter\_cell (ST\_INCL1W11OF2X2)  
1192 **incr** inverter\_cell (ST\_INCL1W11OF2X4)

1193 **incr** inverter\_cell (ST\_INCL1W11OF2X7)  
1194 **incr** inverter\_cell (ST\_INCL1W11OF2X9)  
1195 **incr** inverter\_cell (ST\_INCL2W1111OF4X13)  
1196 **incr** inverter\_cell (ST\_INCL2W1111OF4X2)  
1197 **incr** inverter\_cell (ST\_INCL2W1111OF4X4)  
1198 **incr** inverter\_cell (ST\_INCL2W1111OF4X7)  
1199 **incr** inverter\_cell (ST\_INCL2W1111OF3X13)  
1200 **incr** inverter\_cell (ST\_INCL2W1111OF3X18)  
1201 **incr** inverter\_cell (ST\_INCL2W1111OF3X2)  
1202 **incr** inverter\_cell (ST\_INCL2W1111OF3X4)  
1203 **incr** inverter\_cell (ST\_INCL2W1111OF3X7)  
1204 **incr** inverter\_cell (ST\_INCL2W1111OF3X9)  
1205 **incr** inverter\_cell (ST\_INCL2W1111OF2X13)  
1206 **incr** inverter\_cell (ST\_INCL2W1111OF2X18)  
1207 **incr** inverter\_cell (ST\_INCL2W1111OF2X22)  
1208 **incr** inverter\_cell (ST\_INCL2W1111OF2X31)  
1209 **incr** inverter\_cell (ST\_INCL2W1111OF2X4)  
1210 **incr** inverter\_cell (ST\_INCL2W1111OF2X7)  
1211 **incr** inverter\_cell (ST\_INCL2W2111OF4X13)  
1212 **incr** inverter\_cell (ST\_INCL2W2111OF4X2)  
1213 **incr** inverter\_cell (ST\_INCL2W2111OF4X4)  
1214 **incr** inverter\_cell (ST\_INCL2W2111OF4X7)  
1215 **incr** inverter\_cell (ST\_INCL2W2111OF4X9)  
1216 **incr** inverter\_cell (ST\_INCL2W2111OF3X13)  
1217 **incr** inverter\_cell (ST\_INCL2W2111OF3X18)  
1218 **incr** inverter\_cell (ST\_INCL2W2111OF3X2)  
1219 **incr** inverter\_cell (ST\_INCL2W2111OF3X22)  
1220 **incr** inverter\_cell (ST\_INCL2W2111OF3X31)  
1221 **incr** inverter\_cell (ST\_INCL2W2111OF3X7)  
1222 **incr** inverter\_cell (ST\_INCL2W2111OF3X9)  
1223 **incr** inverter\_cell (ST\_INCL2W2211OF4X13)  
1224 **incr** inverter\_cell (ST\_INCL2W2211OF4X18)  
1225 **incr** inverter\_cell (ST\_INCL2W2211OF4X2)  
1226 **incr** inverter\_cell (ST\_INCL2W2211OF4X31)  
1227 **incr** inverter\_cell (ST\_INCL2W2211OF4X4)  
1228 **incr** inverter\_cell (ST\_INCL2W2211OF4X7)  
1229 **incr** inverter\_cell (ST\_INCL2W2211OF4X9)  
1230 **incr** inverter\_cell (ST\_INCL3W1111OF4X2)  
1231 **incr** inverter\_cell (ST\_INCL3W1111OF4X4)  
1232 **incr** inverter\_cell (ST\_INCL3W1111OF4X7)  
1233 **incr** inverter\_cell (ST\_INCL3W1111OF4X9)  
1234 **incr** inverter\_cell (ST\_INCL3W1111OF3X13)  
1235 **incr** inverter\_cell (ST\_INCL3W1111OF3X18)  
1236 **incr** inverter\_cell (ST\_INCL3W1111OF3X2)  
1237 **incr** inverter\_cell (ST\_INCL3W1111OF3X31)  
1238 **incr** inverter\_cell (ST\_INCL3W1111OF3X4)  
1239 **incr** inverter\_cell (ST\_INCL3W1111OF3X7)  
1240 **incr** inverter\_cell (ST\_INCL3W1111OF3X9)

1241 **incr** inverter\_cell (ST\_INCL3W2111OF4X13)  
1242 **incr** inverter\_cell (ST\_INCL3W2111OF4X2)  
1243 **incr** inverter\_cell (ST\_INCL3W2111OF4X4)  
1244 **incr** inverter\_cell (ST\_INCL3W2111OF4X7)  
1245 **incr** inverter\_cell (ST\_INCL3W2111OF4X9)  
1246 **incr** inverter\_cell (ST\_INCL3W211OF3X13)  
1247 **incr** inverter\_cell (ST\_INCL3W211OF3X18)  
1248 **incr** inverter\_cell (ST\_INCL3W211OF3X2)  
1249 **incr** inverter\_cell (ST\_INCL3W211OF3X31)  
1250 **incr** inverter\_cell (ST\_INCL3W211OF3X4)  
1251 **incr** inverter\_cell (ST\_INCL3W211OF3X7)  
1252 **incr** inverter\_cell (ST\_INCL3W211OF3X9)  
1253 **incr** inverter\_cell (ST\_INCL3W2211OF4X2)  
1254 **incr** inverter\_cell (ST\_INCL3W2211OF4X4)  
1255 **incr** inverter\_cell (ST\_INCL3W2211OF4X7)  
1256 **incr** inverter\_cell (ST\_INCL3W2211OF4X9)  
1257 **incr** inverter\_cell (ST\_INCL3W3111OF4X13)  
1258 **incr** inverter\_cell (ST\_INCL3W3111OF4X18)  
1259 **incr** inverter\_cell (ST\_INCL3W3111OF4X2)  
1260 **incr** inverter\_cell (ST\_INCL3W3111OF4X31)  
1261 **incr** inverter\_cell (ST\_INCL3W3111OF4X4)  
1262 **incr** inverter\_cell (ST\_INCL3W3111OF4X7)  
1263 **incr** inverter\_cell (ST\_INCL3W3111OF4X9)  
1264 **incr** inverter\_cell (ST\_INCL3W3211OF4X18)  
1265 **incr** inverter\_cell (ST\_INCL3W3211OF4X2)  
1266 **incr** inverter\_cell (ST\_INCL3W3211OF4X22)  
1267 **incr** inverter\_cell (ST\_INCL3W3211OF4X31)  
1268 **incr** inverter\_cell (ST\_INCL3W3211OF4X4)  
1269 **incr** inverter\_cell (ST\_INCL3W3211OF4X7)  
1270 **incr** inverter\_cell (ST\_INCL3W3211OF4X9)  
1271 **incr** inverter\_cell (ST\_INCL4W1111OF4X2)  
1272 **incr** inverter\_cell (ST\_INCL4W1111OF4X4)  
1273 **incr** inverter\_cell (ST\_INCL4W1111OF4X7)  
1274 **incr** inverter\_cell (ST\_INCL4W1111OF4X9)  
1275 **incr** inverter\_cell (ST\_INCL4W2111OF4X13)  
1276 **incr** inverter\_cell (ST\_INCL4W2111OF4X2)  
1277 **incr** inverter\_cell (ST\_INCL4W2111OF4X4)  
1278 **incr** inverter\_cell (ST\_INCL4W2111OF4X7)  
1279 **incr** inverter\_cell (ST\_INCL4W2111OF4X9)  
1280 **incr** inverter\_cell (ST\_INCL4W2211OF4X2)  
1281 **incr** inverter\_cell (ST\_INCL4W2211OF4X4)  
1282 **incr** inverter\_cell (ST\_INCL4W2211OF4X7)  
1283 **incr** inverter\_cell (ST\_INCL4W2211OF4X9)  
1284 **incr** inverter\_cell (ST\_INCL4W2321OF4X13)  
1285 **incr** inverter\_cell (ST\_INCL4W2321OF4X2)  
1286 **incr** inverter\_cell (ST\_INCL4W2321OF4X4)  
1287 **incr** inverter\_cell (ST\_INCL4W2321OF4X7)  
1288 **incr** inverter\_cell (ST\_INCL4W2321OF4X9)

1289 **incr** inverter\_cell (ST\_INCL4W3111OF4X13)  
1290 **incr** inverter\_cell (ST\_INCL4W3111OF4X18)  
1291 **incr** inverter\_cell (ST\_INCL4W3111OF4X2)  
1292 **incr** inverter\_cell (ST\_INCL4W3111OF4X22)  
1293 **incr** inverter\_cell (ST\_INCL4W3111OF4X4)  
1294 **incr** inverter\_cell (ST\_INCL4W3111OF4X7)  
1295 **incr** inverter\_cell (ST\_INCL4W3111OF4X9)  
1296 **incr** inverter\_cell (ST\_INCL4W3221OF4X13)  
1297 **incr** inverter\_cell (ST\_INCL4W3221OF4X2)  
1298 **incr** inverter\_cell (ST\_INCL4W3221OF4X4)  
1299 **incr** inverter\_cell (ST\_INCL4W3221OF4X7)  
1300 **incr** inverter\_cell (ST\_INCL4W3221OF4X9)  
1301 **incr** inverter\_cell (ST\_INCL5W2211OF4X13)  
1302 **incr** inverter\_cell (ST\_INCL5W2211OF4X18)  
1303 **incr** inverter\_cell (ST\_INCL5W2211OF4X2)  
1304 **incr** inverter\_cell (ST\_INCL5W2211OF4X22)  
1305 **incr** inverter\_cell (ST\_INCL5W2211OF4X4)  
1306 **incr** inverter\_cell (ST\_INCL5W2211OF4X7)  
1307 **incr** inverter\_cell (ST\_INCL5W2211OF4X9)  
1308 **incr** inverter\_cell (ST\_INCL5W3211OF4X13)  
1309 **incr** inverter\_cell (ST\_INCL5W3211OF4X18)  
1310 **incr** inverter\_cell (ST\_INCL5W3211OF4X2)  
1311 **incr** inverter\_cell (ST\_INCL5W3211OF4X22)  
1312 **incr** inverter\_cell (ST\_INCL5W3211OF4X4)  
1313 **incr** inverter\_cell (ST\_INCL5W3211OF4X7)  
1314 **incr** inverter\_cell (ST\_INCL5W3211OF4X9)  
1315 **incr** inverter\_cell (ST\_INCL5W3221OF4X2)  
1316 **incr** inverter\_cell (ST\_INCL5W3221OF4X4)  
1317 **incr** inverter\_cell (ST\_INCL5W3221OF4X7)  
1318 **incr** inverter\_cell (ST\_INCLAO22OF4X13)  
1319 **incr** inverter\_cell (ST\_INCLAO22OF4X18)  
1320 **incr** inverter\_cell (ST\_INCLAO22OF4X2)  
1321 **incr** inverter\_cell (ST\_INCLAO22OF4X4)  
1322 **incr** inverter\_cell (ST\_INCLAO22OF4X7)  
1323 **incr** inverter\_cell (ST\_INCLAO22OF4X9)  
1324 **incr** inverter\_cell (ST\_INCLAO22OF4X13)  
1325 **incr** inverter\_cell (ST\_INCLAO22OF4X18)  
1326 **incr** inverter\_cell (ST\_INCLAO22OF4X2)  
1327 **incr** inverter\_cell (ST\_INCLAO22OF4X4)  
1328 **incr** inverter\_cell (ST\_INCLAO22OF4X7)  
1329 **incr** inverter\_cell (ST\_INCLAO22OF4X9)  
1330 **incr** inverter\_cell (SY\_INCL2W11OF2X13)  
1331 **incr** inverter\_cell (SY\_INCL2W11OF2X18)  
1332 **incr** inverter\_cell (SY\_INCL2W11OF2X2)  
1333 **incr** inverter\_cell (SY\_INCL2W11OF2X4)  
1334 **incr** inverter\_cell (SY\_INCL2W11OF2X7)  
1335 **incr** inverter\_cell (SY\_INCL2W11OF2X9)  
1336 **incr** inverter\_cell (ST\_INCLP1W1111OF4X13)

1337 **incr** inverter\_cell (ST\_INCLP1W1111OF4X18)  
1338 **incr** inverter\_cell (ST\_INCLP1W1111OF4X2)  
1339 **incr** inverter\_cell (ST\_INCLP1W1111OF4X4)  
1340 **incr** inverter\_cell (ST\_INCLP1W1111OF4X7)  
1341 **incr** inverter\_cell (ST\_INCLP1W1111OF4X9)  
1342 **incr** inverter\_cell (ST\_INCLP1W111OF3X13)  
1343 **incr** inverter\_cell (ST\_INCLP1W111OF3X18)  
1344 **incr** inverter\_cell (ST\_INCLP1W111OF3X2)  
1345 **incr** inverter\_cell (ST\_INCLP1W111OF3X4)  
1346 **incr** inverter\_cell (ST\_INCLP1W111OF3X7)  
1347 **incr** inverter\_cell (ST\_INCLP1W111OF3X9)  
1348 **incr** inverter\_cell (ST\_INCLP1W11OF2X13)  
1349 **incr** inverter\_cell (ST\_INCLP1W11OF2X18)  
1350 **incr** inverter\_cell (ST\_INCLP1W11OF2X2)  
1351 **incr** inverter\_cell (ST\_INCLP1W11OF2X27)  
1352 **incr** inverter\_cell (ST\_INCLP1W11OF2X4)  
1353 **incr** inverter\_cell (ST\_INCLP1W11OF2X9)  
1354 **incr** inverter\_cell (ST\_INCLP2W1111OF4X13)  
1355 **incr** inverter\_cell (ST\_INCLP2W1111OF4X2)  
1356 **incr** inverter\_cell (ST\_INCLP2W1111OF4X4)  
1357 **incr** inverter\_cell (ST\_INCLP2W1111OF4X7)  
1358 **incr** inverter\_cell (ST\_INCLP2W1111OF4X9)  
1359 **incr** inverter\_cell (ST\_INCLP2W111OF3X13)  
1360 **incr** inverter\_cell (ST\_INCLP2W111OF3X18)  
1361 **incr** inverter\_cell (ST\_INCLP2W111OF3X2)  
1362 **incr** inverter\_cell (ST\_INCLP2W111OF3X22)  
1363 **incr** inverter\_cell (ST\_INCLP2W111OF3X4)  
1364 **incr** inverter\_cell (ST\_INCLP2W111OF3X7)  
1365 **incr** inverter\_cell (ST\_INCLP2W111OF3X9)  
1366 **incr** inverter\_cell (ST\_INCLP2W11OF2X13)  
1367 **incr** inverter\_cell (ST\_INCLP2W11OF2X18)  
1368 **incr** inverter\_cell (ST\_INCLP2W11OF2X22)  
1369 **incr** inverter\_cell (ST\_INCLP2W11OF2X31)  
1370 **incr** inverter\_cell (ST\_INCLP2W11OF2X4)  
1371 **incr** inverter\_cell (ST\_INCLP2W11OF2X7)  
1372 **incr** inverter\_cell (ST\_INCLP2W2111OF4X2)  
1373 **incr** inverter\_cell (ST\_INCLP2W2111OF4X4)  
1374 **incr** inverter\_cell (ST\_INCLP2W2111OF4X7)  
1375 **incr** inverter\_cell (ST\_INCLP2W2111OF4X9)  
1376 **incr** inverter\_cell (ST\_INCLP2W211OF3X18)  
1377 **incr** inverter\_cell (ST\_INCLP2W211OF3X2)  
1378 **incr** inverter\_cell (ST\_INCLP2W211OF3X22)  
1379 **incr** inverter\_cell (ST\_INCLP2W211OF3X27)  
1380 **incr** inverter\_cell (ST\_INCLP2W211OF3X4)  
1381 **incr** inverter\_cell (ST\_INCLP2W211OF3X7)  
1382 **incr** inverter\_cell (ST\_INCLP2W211OF3X9)  
1383 **incr** inverter\_cell (ST\_INCLP2W2211OF4X13)  
1384 **incr** inverter\_cell (ST\_INCLP2W2211OF4X18)



1385 **incr** inverter\_cell (ST\_INCLP2W2211OF4X2)  
1386 **incr** inverter\_cell (ST\_INCLP2W2211OF4X4)  
1387 **incr** inverter\_cell (ST\_INCLP2W2211OF4X7)  
1388 **incr** inverter\_cell (ST\_INCLP2W2211OF4X9)  
1389 **incr** inverter\_cell (ST\_INCLP3W1111OF4X2)  
1390 **incr** inverter\_cell (ST\_INCLP3W1111OF4X4)  
1391 **incr** inverter\_cell (ST\_INCLP3W1111OF4X9)  
1392 **incr** inverter\_cell (ST\_INCLP3W111OF3X13)  
1393 **incr** inverter\_cell (ST\_INCLP3W111OF3X18)  
1394 **incr** inverter\_cell (ST\_INCLP3W111OF3X2)  
1395 **incr** inverter\_cell (ST\_INCLP3W111OF3X31)  
1396 **incr** inverter\_cell (ST\_INCLP3W111OF3X4)  
1397 **incr** inverter\_cell (ST\_INCLP3W111OF3X7)  
1398 **incr** inverter\_cell (ST\_INCLP3W111OF3X9)  
1399 **incr** inverter\_cell (ST\_INCLP3W2111OF4X13)  
1400 **incr** inverter\_cell (ST\_INCLP3W2111OF4X2)  
1401 **incr** inverter\_cell (ST\_INCLP3W2111OF4X4)  
1402 **incr** inverter\_cell (ST\_INCLP3W2111OF4X7)  
1403 **incr** inverter\_cell (ST\_INCLP3W2111OF4X9)  
1404 **incr** inverter\_cell (ST\_INCLP3W211OF3X13)  
1405 **incr** inverter\_cell (ST\_INCLP3W211OF3X18)  
1406 **incr** inverter\_cell (ST\_INCLP3W211OF3X2)  
1407 **incr** inverter\_cell (ST\_INCLP3W211OF3X27)  
1408 **incr** inverter\_cell (ST\_INCLP3W211OF3X4)  
1409 **incr** inverter\_cell (ST\_INCLP3W211OF3X7)  
1410 **incr** inverter\_cell (ST\_INCLP3W211OF3X9)  
1411 **incr** inverter\_cell (ST\_INCLP3W2211OF4X13)  
1412 **incr** inverter\_cell (ST\_INCLP3W2211OF4X2)  
1413 **incr** inverter\_cell (ST\_INCLP3W2211OF4X4)  
1414 **incr** inverter\_cell (ST\_INCLP3W2211OF4X7)  
1415 **incr** inverter\_cell (ST\_INCLP3W3111OF4X13)  
1416 **incr** inverter\_cell (ST\_INCLP3W3111OF4X18)  
1417 **incr** inverter\_cell (ST\_INCLP3W3111OF4X2)  
1418 **incr** inverter\_cell (ST\_INCLP3W3111OF4X7)  
1419 **incr** inverter\_cell (ST\_INCLP3W3111OF4X9)  
1420 **incr** inverter\_cell (ST\_INCLP3W3211OF4X13)  
1421 **incr** inverter\_cell (ST\_INCLP3W3211OF4X18)  
1422 **incr** inverter\_cell (ST\_INCLP3W3211OF4X2)  
1423 **incr** inverter\_cell (ST\_INCLP3W3211OF4X4)  
1424 **incr** inverter\_cell (ST\_INCLP3W3211OF4X7)  
1425 **incr** inverter\_cell (ST\_INCLP3W3211OF4X9)  
1426 **incr** inverter\_cell (ST\_INCLP4W1111OF4X2)  
1427 **incr** inverter\_cell (ST\_INCLP4W1111OF4X4)  
1428 **incr** inverter\_cell (ST\_INCLP4W1111OF4X7)  
1429 **incr** inverter\_cell (ST\_INCLP4W1111OF4X9)  
1430 **incr** inverter\_cell (ST\_INCLP4W2111OF4X13)  
1431 **incr** inverter\_cell (ST\_INCLP4W2111OF4X2)  
1432 **incr** inverter\_cell (ST\_INCLP4W2111OF4X4)

1433 **incr** inverter\_cell (ST\_INCLP4W2111OF4X9)  
1434 **incr** inverter\_cell (ST\_INCLP4W2211OF4X13)  
1435 **incr** inverter\_cell (ST\_INCLP4W2211OF4X4)  
1436 **incr** inverter\_cell (ST\_INCLP4W2211OF4X7)  
1437 **incr** inverter\_cell (ST\_INCLP4W2211OF4X9)  
1438 **incr** inverter\_cell (ST\_INCLP4W3111OF4X2)  
1439 **incr** inverter\_cell (ST\_INCLP4W3111OF4X4)  
1440 **incr** inverter\_cell (ST\_INCLP4W3111OF4X7)  
1441 **incr** inverter\_cell (ST\_INCLP4W3111OF4X9)  
1442 **incr** inverter\_cell (ST\_INCLP4W3221OF4X13)  
1443 **incr** inverter\_cell (ST\_INCLP4W3221OF4X2)  
1444 **incr** inverter\_cell (ST\_INCLP4W3221OF4X4)  
1445 **incr** inverter\_cell (ST\_INCLP4W3221OF4X7)  
1446 **incr** inverter\_cell (ST\_INCLP4W3221OF4X9)  
1447 **incr** inverter\_cell (ST\_INCLP5W2211OF4X13)  
1448 **incr** inverter\_cell (ST\_INCLP5W2211OF4X2)  
1449 **incr** inverter\_cell (ST\_INCLP5W2211OF4X4)  
1450 **incr** inverter\_cell (ST\_INCLP5W2211OF4X7)  
1451 **incr** inverter\_cell (ST\_INCLP5W2211OF4X9)  
1452 **incr** inverter\_cell (ST\_INCLP5W2321OF4X2)  
1453 **incr** inverter\_cell (ST\_INCLP5W2321OF4X7)  
1454 **incr** inverter\_cell (ST\_INCLP5W3211OF4X2)  
1455 **incr** inverter\_cell (ST\_INCLP5W3211OF4X4)  
1456 **incr** inverter\_cell (ST\_INCLP5W3211OF4X7)  
1457 **incr** inverter\_cell (ST\_INCLP5W3211OF4X9)  
1458 **incr** inverter\_cell (ST\_INCLP5W3221OF4X13)  
1459 **incr** inverter\_cell (ST\_INCLP5W3221OF4X2)  
1460 **incr** inverter\_cell (ST\_INCLP5W3221OF4X4)  
1461 **incr** inverter\_cell (ST\_INCLP5W3221OF4X7)  
1462 **incr** inverter\_cell (ST\_INCLP5W3221OF4X9)  
1463 **incr** inverter\_cell (ST\_INCLPAO22OF4X13)  
1464 **incr** inverter\_cell (ST\_INCLPAO22OF4X2)  
1465 **incr** inverter\_cell (ST\_INCLPAO22OF4X4)  
1466 **incr** inverter\_cell (ST\_INCLPAO22OF4X7)  
1467 **incr** inverter\_cell (ST\_INCLPAO22OF4X9)  
1468 **incr** inverter\_cell (ST\_INCLPAO2O21OF4X4)  
1469 **incr** inverter\_cell (ST\_INCLPAO2O21OF4X7)  
1470 **incr** inverter\_cell (ST\_INCLPAO2O21OF4X9)  
1471 **incr** inverter\_cell (ST\_INCLPOA22OF4X13)  
1472 **incr** inverter\_cell (ST\_INCLPOA22OF4X2)  
1473 **incr** inverter\_cell (ST\_INCLPOA22OF4X4)  
1474 **incr** inverter\_cell (ST\_INCLPOA22OF4X7)  
1475 **incr** inverter\_cell (ST\_INCLPOA22OF4X9)  
1476 **incr** inverter\_cell (SY\_INCLP2W11OF2X13)  
1477 **incr** inverter\_cell (SY\_INCLP2W11OF2X18)  
1478 **incr** inverter\_cell (SY\_INCLP2W11OF2X2)  
1479 **incr** inverter\_cell (SY\_INCLP2W11OF2X4)  
1480 **incr** inverter\_cell (SY\_INCLP2W11OF2X7)

```
1481 incr inverter_cell(SY_INCLP2W11OF2X9)
1482 incr inverter_cell(HS65_GS_IVX106)
1483 incr inverter_cell(HS65_GS_IVX13)
1484 incr inverter_cell(HS65_GS_IVX142)
1485 incr inverter_cell(HS65_GS_IVX18)
1486 incr inverter_cell(HS65_GS_IVX2)
1487 incr inverter_cell(HS65_GS_IVX213)
1488 incr inverter_cell(HS65_GS_IVX22)
1489 incr inverter_cell(HS65_GS_IVX27)
1490 incr inverter_cell(HS65_GS_IVX284)
1491 incr inverter_cell(HS65_GS_IVX31)
1492 incr inverter_cell(HS65_GS_IVX35)
1493 incr inverter_cell(HS65_GS_IVX4)
1494 incr inverter_cell(HS65_GS_IVX40)
1495 incr inverter_cell(HS65_GS_IVX44)
1496 incr inverter_cell(HS65_GS_IVX49)
1497 incr inverter_cell(HS65_GS_IVX53)
1498 incr inverter_cell(HS65_GS_IVX62)
1499 incr inverter_cell(HS65_GS_IVX7)
1500 incr inverter_cell(HS65_GS_IVX71)
1501 incr inverter_cell(HS65_GS_IVX9)
1502
1503 proc is_inverting_output {pin} {
1504     global inverter_cell
1505     return [info exists inverter_cell([get_inst_cell_name [vdirname [get_db -if
        { .direction == out} $pin]])])]
1506 }
1507
1508 set_dont_use [vfind CORE65GPSVT -lib_cell *] true
1509 set_dont_use [vfind CORE65GPSVT -lib_cell *BFX*] false
1510 set_dont_use [vfind CORE65GPSVT -lib_cell *IVX*] false
1511 set_dont_use [array names inverter_cell] false
1512 set_dont_use [orphan_cell_list] true
```